

### Physics Updates from HERMES M. MURRAY, UNIVERSITY OF GLASGOW Diffraction 2012







# PDFs & Inclusive Physics

 $F_1$ ,  $F_2$  and  $g_1$  all comparatively well-known

New HERMES data on A<sub>2</sub> and g<sub>2</sub> available - also measured at CERN and SLAC

$$g_2(x, Q^2) = g_s^{WW}(x, Q^2) + \overline{g}_2(x, Q^2)$$

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$$g_2(x, Q^2) = g_s^{WW}(x, Q^2) + \overline{g}_2(x, Q^2))$$

"pure" twist-3; related to quark-gluon correlations



### A<sub>2</sub>, g<sub>2</sub> Extraction Procedure

Unfold in bins of  $(x, Q^2, \phi)$  $A_{LT}(x, Q^2, \phi, h_{\ell}) = h_{\ell} \frac{N^{h_{\ell} \uparrow}(x, Q^2, \phi) \mathcal{L}^{h_{\ell} \Downarrow} - N^{h_{\ell} \Downarrow}(x, Q^2, \phi) \mathcal{L}^{h_{\ell} \uparrow}}{N^{h_{\ell} \uparrow}(x, Q^2, \phi) \mathcal{L}^{h_{\ell} \Downarrow}_p + N^{h_{\ell} \Downarrow}(x, Q^2, \phi) \mathcal{L}^{h_{\ell} \uparrow}_p}$ 

> Fit result with functional form:  $A_{LT}(x, Q^2, \phi, h_\ell) = -A_T(x, Q^2) \cos \phi$

#### Calculate g<sub>2</sub> and A<sub>2</sub> using:

$$g_2 = \frac{F_1}{\gamma(1+\gamma\xi)} \left(\frac{A_T}{d} - (\gamma-\xi)\frac{g_1}{F_1}\right) \qquad A_2 = \frac{1}{1+\gamma\xi} \left(\frac{A_T}{d} + \xi(1+\gamma^2)\frac{g_1}{F_1}\right)$$

### A2, g2 Extraction Procedure



### A<sub>2</sub>, g<sub>2</sub> Extraction Procedure



Results are separated into <1 GeV<sup>2</sup> and >1GeV<sup>2</sup> series

Compared to SLAC E143 and E155 experiments

Also shown against a theoretical prediction from

EI55 Coll., P.L. Anthony et al., Phys. Lett. B 493, 19(2000).

Consistent with CB sum-rule

### A<sub>2</sub>, g<sub>2</sub> Extraction Procedure

Results are separated into <1 GeV<sup>2</sup> and >1GeV<sup>2</sup> series

Compared to SLAC E143 and E155 experiments and SMC

Also shown against a theoretical prediction from

EI55 Coll., P.L. Anthony et al., Phys. Lett. B 493, 19(2000).

Statistical precision not enough to determine non-WW behaviour



## g<sub>2</sub>, A<sub>2</sub> Conclusions

 $A_2$  and  $g_2$  have been extracted at HERMES from the  $A_{LT}$  inclusive asymmetry.

The results confirm the Burkhardt-Cottingham sum-rule for g<sub>2</sub> and are consistent with SLAC and CERN data (A<sub>2</sub> only).

Sit alongside measurements of  $F_2$  and  $g_1$  as contributions from HERMES to inclusive structure functions

F<sub>2</sub>: <u>A.Airapetian et al, JHEP 05 (2011) 126</u> g<sub>1</sub>: <u>A.Airapetian et al, Phys. Rev. D 75 (2007) 012007</u>





## Deeply Virtual Compton Scattering



#### DVCS @ HERMES $Re(\mathcal{H})$ $\widetilde{\mathbf{\alpha}}$ $\mathrm{d}\sigma^+(\phi) - \mathrm{d}\sigma^-(\phi)$ $\mathcal{A}_C(\phi) \equiv$ $\mathrm{d}\sigma^+(\phi) + \mathrm{d}\sigma^-(\phi)$ $\widetilde{\mathbf{x}}$ $Im(\mathcal{H})$ $\mathcal{A}_{\mathrm{LU}}^{\mathrm{I}}(\phi) \equiv \frac{(\mathrm{d}\sigma(\phi)^{+\to} - \mathrm{d}\sigma(\phi)^{+\leftarrow}) - (\mathrm{d}\sigma(\phi)^{-\to} - \mathrm{d}\sigma(\phi)^{-\leftarrow})}{(\mathrm{d}\sigma(\phi)^{+\to} + \mathrm{d}\sigma(\phi)^{+\leftarrow}) + (\mathrm{d}\sigma(\phi)^{-\to} + \mathrm{d}\sigma(\phi)^{-\leftarrow})}$ $\mathsf{Im}[\mathcal{H}\mathcal{H}^*$ $\mathcal{A}_{\mathrm{LU}}^{\mathrm{DVCS}}(\phi) \equiv \frac{(\mathrm{d}\sigma(\phi)^{+\to} + \mathrm{d}\sigma(\phi)^{-\to}) - (\mathrm{d}\sigma(\phi)^{+\leftarrow} + \mathrm{d}\sigma(\phi)^{-\leftarrow})}{(\mathrm{d}\sigma(\phi)^{+\to} + \mathrm{d}\sigma(\phi)^{-\to}) + (\mathrm{d}\sigma(\phi)^{+\leftarrow} + \mathrm{d}\sigma(\phi)^{-\leftarrow})}$ $\widetilde{\mathbf{\alpha}}$ $+\widetilde{\mathcal{H}}\widetilde{\mathcal{H}}^*$ ] $\mathcal{A}_{\mathrm{UT}}^{\mathrm{I}}(\phi,\phi_S) \equiv \frac{d\sigma^+(\phi,\phi_S) - d\sigma^+(\phi,\phi_S + \pi) - d\sigma^-(\phi,\phi_S) + d\sigma^-(\phi,\phi_S + \pi)}{d\sigma^+(\phi,\phi_S) + d\sigma^+(\phi,\phi_S + \pi) + d\sigma^-(\phi,\phi_S) + d\sigma^-(\phi,\phi_S + \pi)}$ $\tilde{\alpha}$ $Im(\mathcal{E})$ $\frac{d\sigma^+(\phi,\phi_S) - d\sigma^+(\phi,\phi_S + \pi) + d\sigma^-(\phi,\phi_S) - d\sigma^-(\phi,\phi_S + \pi)}{d\sigma^+(\phi,\phi_S) + d\sigma^+(\phi,\phi_S + \pi) + d\sigma^-(\phi,\phi_S) + d\sigma^-(\phi,\phi_S + \pi)} \overset{\sim}{\sim}$ ${\cal A}_{ m UT}^{ m DVCS}(\phi,\phi_S) \equiv$ $Im(\mathcal{E})$ $\mathcal{A}_{\mathrm{LT}}^{\mathrm{BH+DVCS}}(\phi,\phi_S) \equiv \frac{1}{8d\sigma_{\mathrm{IIII}}} \Big[ (d\vec{\sigma}^{+\uparrow} - d\vec{\sigma}^{+\downarrow} - d\overleftarrow{\sigma}^{+\uparrow} + d\overleftarrow{\sigma}^{+\downarrow}) + (d\vec{\sigma}^{-\uparrow} - d\vec{\sigma}^{-\downarrow} - d\overleftarrow{\sigma}^{-\uparrow} + d\overleftarrow{\sigma}^{-\downarrow}) \Big]$ $\operatorname{Re}(\mathcal{H}+\mathcal{E})$ õ $\mathcal{A}_{\mathrm{LT}}^{\mathrm{I}}(\phi,\phi_{S}) \equiv \frac{1}{8d\sigma_{\mathrm{UU}}} \Big[ (d\overrightarrow{\sigma}^{+\uparrow} - d\overrightarrow{\sigma}^{+\downarrow} - d\overleftarrow{\sigma}^{+\uparrow} + d\overleftarrow{\sigma}^{+\downarrow}) - (d\overrightarrow{\sigma}^{-\uparrow} - d\overrightarrow{\sigma}^{-\downarrow} - d\overleftarrow{\sigma}^{-\downarrow} - d\overleftarrow{\sigma}^{-\downarrow}) \Big] \quad \widetilde{\mathbf{C}}$ $Re(\mathcal{H})$ $\mathcal{A}_{\mathrm{UL}}(\phi) \equiv \frac{[\sigma^{\leftarrow \Rightarrow}(\phi) + \sigma^{\rightarrow \Rightarrow}(\phi)] - [\sigma^{\leftarrow \leftarrow}(\phi) + \sigma^{\rightarrow \leftarrow}(\phi)]}{[\sigma^{\leftarrow \Rightarrow}(\phi) + \sigma^{\rightarrow \Rightarrow}(\phi)] + [\sigma^{\leftarrow \leftarrow}(\phi) + \sigma^{\rightarrow \leftarrow}(\phi)]}$ $\operatorname{Im}(\widetilde{\mathcal{H}})$ $\tilde{\alpha}$ $\mathsf{Re}(\widetilde{\mathcal{H}})$ $\widetilde{\mathbf{\alpha}}$ $\mathcal{A}_{\rm LL}(\phi) \equiv \frac{[\sigma^{\to \Rightarrow}(\phi) + \sigma^{\leftarrow \Leftarrow}(\phi)] - [\sigma^{\leftarrow \Rightarrow}(\phi) + \sigma^{\to \Leftarrow}(\phi)]}{[\sigma^{\to \Rightarrow}(\phi) + \sigma^{\leftarrow \Leftarrow}(\phi)] + [\sigma^{\leftarrow \Rightarrow}(\phi) + \sigma^{\to \Leftarrow}(\phi)]}$

Thursday, 20 September 2012



# DVCS @ HERMES



# DVCS @ HERMES



H Ε R E S



C S

D C S



L E R E S



## **Beam-Spin Asymmetries**



# DVCS @ HERMES



## **Exclusive Measurement**



Fully reconstructed measurement of  $ep \rightarrow epY$ 

## Exclusive Measurement



Results taken from measurement of  $ep \rightarrow ep \pi^0 \Upsilon$ 

(Overall 'zero' asymmetry implies that the 'associated' fraction in the non-exclusive results acts as a dilution)



- Hydrogen
- Deuterium
- Hydrogen Pure
- DVCS remains the leading process for access to Generalised Parton Distributions
- HERMES has the most diverse DVCS measurements of any experiment.
- Polarised target

   experiments are essential
   for the extraction of
   GPDs; should be seen as
   a fundamental
   experimental priority!





Exclusive Meson Production

> Results taken from measurement of  $ep \rightarrow e X \phi$ .

No measured distinction between proton and deuteron data.

Leading-twist transitions are typically larger than the  $\rho^0$ -equivalent.



#### Longitudinal photons mostly produce longitudinal mesons



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Some small indication that transverse photons can produce longitudinal mesons



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Zero indication of two units of angular momentum change (-T γ makes +T φ)

## Physics Update from HERMES

- New inclusive measurement of g<sub>2</sub> and A<sub>2</sub> released, compatible with SLAC and SMC.
- HERMES has very diverse DVCS measurements available - programme almost complete.
- Exclusive meson results also available;  $\phi$ SDMEs seem mostly to match  $\rho^0$  SDMEs.



### Angular Distribution

 $W^{U+L}(\Phi,\phi,\cos\Theta) = W^{UU}(\Phi,\phi,\cos\Theta) + W^{LU}(\Phi,\phi,\cos\Theta)$ 

For unpolarized target and beam:

$$W^{UU}(\Phi,\phi,\cos\theta) = \frac{3}{8\pi^2} \left[ \frac{1}{2} \left( 1 - r_{00}^{04} \right) + \frac{1}{2} \left( 3r_{00}^{04} - 1 \right) \cos^2\theta - \sqrt{2} \operatorname{Re}\left\{ r_{10}^{04} \right\} \sin 2\theta \cos\phi - r_{1-1}^{04} \sin^2\theta \cos 2\phi \right] \\ -\varepsilon \cos 2\Phi \left( r_{11}^{1} \sin^2\theta + r_{00}^{1} \cos^2\theta - \sqrt{2} \operatorname{Re}\left\{ r_{10}^{1} \right\} \sin 2\theta \cos\phi - r_{1-1}^{1} \sin^2\theta \cos 2\phi \right] \\ -\varepsilon \sin 2\Phi \left( \sqrt{2} \operatorname{Im}\left\{ r_{10}^{2} \right\} \sin 2\theta \sin\phi + \operatorname{Im}\left\{ r_{1-1}^{2} \right\} \sin^2\theta \sin 2\phi \right] \\ + \sqrt{2\varepsilon (1+\varepsilon)} \cos \Phi \left( r_{11}^{5} \sin^2\theta + r_{00}^{5} \cos^2\theta - \sqrt{2} \operatorname{Re}\left\{ r_{10}^{5} \right\} \sin 2\theta \cos\phi - r_{1-1}^{5} \sin^2\theta \cos 2\phi \right] \\ + \sqrt{2\varepsilon (1+\varepsilon)} \sin \Phi \left( \sqrt{2} \operatorname{Im}\left\{ r_{10}^{6} \right\} \sin 2\theta \sin\phi + \operatorname{Im}\left\{ r_{1-1}^{6} \right\} \sin^2\theta \sin 2\phi \right]$$

For unpolarized target and longitudinally polarized beam:

$$W^{LU}(\Phi,\phi,\cos\theta) = \frac{3}{8\pi^2} P_{Beam}[\sqrt{1-\varepsilon^2} \left(\sqrt{2} \operatorname{Im}\left\{r_{10}^3\right\} \sin 2\theta \sin \phi + \operatorname{Im}\left\{r_{1-1}^3\right\} \sin^2 \theta \sin 2\phi\right) + \sqrt{2\varepsilon(1-\varepsilon)} \cos\Phi\left(\sqrt{2} \operatorname{Im}\left\{r_{10}^7\right\} \sin 2\theta \sin \phi + \operatorname{Im}\left\{r_{1-1}^7\right\} \sin^2 \theta \sin 2\phi\right) + \sqrt{2\varepsilon(1-\varepsilon)} \sin\Phi\left(r_{11}^8 \sin^2 \theta + r_{00}^8 \cos^2 \theta - \sqrt{2} \operatorname{Re}\left\{r_{10}^8\right\} \sin 2\theta \cos \phi - r_{1-1}^8 \sin^2 \theta \cos 2\phi\right)]$$

$$\varepsilon = \frac{1-y-y^2 \frac{Q^2}{4\nu^2}}{1-y+\frac{1}{4}y^2(\frac{Q^2}{\nu^2}+2)} \quad \text{the ratio of virtual photon fluxes for longitudinal and transverse polarization}$$

## **Exclusive Measurement**





## Kinematic Dependence of t<sub>11</sub>



Real Part follows a/Q with a=1.11±0.03GeV as expected!

Imaginary Part follows bQ with b=0.34±0.02GeV<sup>-1</sup> (fit has no basis in theory)

# Phase Differences of HARs

• GPD model predicts small phase difference for  $tan(\delta_{11})=Im(t_{11})/Re(t_{11})$ S. V. Goloskokov and P. Kroll,

Eur. Phys. J. C 53, 367 (2008)

•  $t_{01}$  is expected to be the largest SCHCviolating amplitude and  $\delta_{01}$  should be constant

D. Yu. Ivanov and R. Kirschner, Phys. Rev. D 58, 114026 (1998)

## Phase Difference of HARs



#### Large value contradicts GPD-based models

#### Should be a constant

(Neither  $Re(t_{01})$  nor  $Im(t_{01})$  follow theoretical dependence predictions!!!)



### Helicity Amplitude Hierarchy

#### **Behaviour of UPE**

 $|T_{00}|^2 \approx |T_{11}|^2 >> |U_{11}|^2 > |T_{01}|^2 >> |T_{10}|^2...$ 

- $u_{II} = |U_{II}|/|T_{00}|$  should be small ( $u_{II} \approx 0.2$ ) but visible (only) for  $\rho^0$  at HERMES!
- May naively expect a I/Q dependence in  $u_{II}$
- UPE is one-pion exchange => may also see some influence of the pion-pole at small *t*?

## Unnatural Parity Exchange





Existence established to  $20\sigma$  (integrated extraction) Magnitude of U<sub>11</sub> is 2.5x smaller than T<sub>00</sub>

# Unnatural Parity Exchange

- No dependence on Q<sup>2</sup> may be because
   HERMES is far from the asymptotic region ?
- $\bullet$  No dependence on  $t^\prime$ 
  - ➡ Too far from pion-pole ?
  - $\rightarrow$  U<sub>11</sub> not dominated by one-pion exchange ?



## GPD Extraction



Even for H,VGG model GPDs are shown not to be consistent with experimental measurements when CFFs are extracted from data.

> http://arxiv.org/abs/1011.4195 Guidal, ICHEP Procs. (2010)

http://arxiv.org/abs/0904.1648 H. Moutarde, **Phys. Rev. D79** (2009) http://arxiv.org/abs/0904.0458

Kumerički and Müller, Nucl. Phys. **B841** (2010)