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A PROPOSAL TO MEASURE THE
SPIN-DEPENDENT STRUCTURE FUNCTIONS
OF THE NEUTRON AND THE PROTON
AT HERA

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PRC / DESY
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THE HERMES COLLABORATION

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University of Wisconsin-Madison
Universität Marburg
Massachusetts Institute of Technology
New Mexico State University
Universität München
Stanford University
Università di Torino
TRIUMF\University of Alberta\Simon Fraser University
College of William and Mary

16 institutes / 65 physicists

Canada

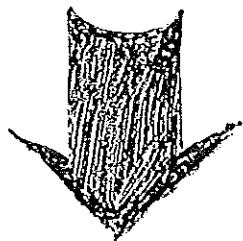
Germany

Italy

United States

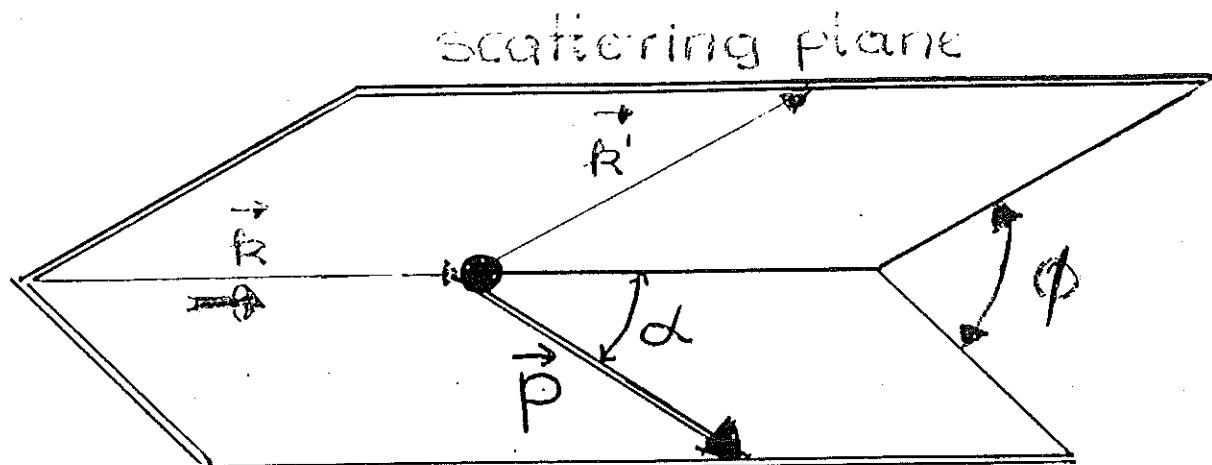
Basic idea:

- Scatter longitudinally polarised electrons in HERA from polarised nucleons
- Use internal polarised gas target ($H, D, ^3He$)
- Use storage cell to increase target density by factor of 100 compared to free atomic beam



First precision measurement
of spin dependent structure function

Polarised lepton nucleon scattering



Polarisation plane

$$\frac{d^3\sigma(\alpha)}{dx dy d\phi} \Big|_{(e)} = \frac{d^3\bar{\sigma}}{dx dy d\phi} \Big|_{(+)} + \frac{d^3\sigma^*(\alpha)}{dx dy d\phi} \Big|_{(-)}$$

$\sim f(F_1, F_2)$ $\sim f(g_1, g_2)$

$$\frac{d^3\sigma^*(\alpha)}{dx dy d\phi} \sim \cos\alpha \cdot \{a \cdot g_1(x) + b g_2(x)\}$$

$$- \cos\phi \sin\alpha \cdot c \left\{ \frac{Y}{2} g_1(x) + g_2(x) \right\}$$

$$a \gg b$$

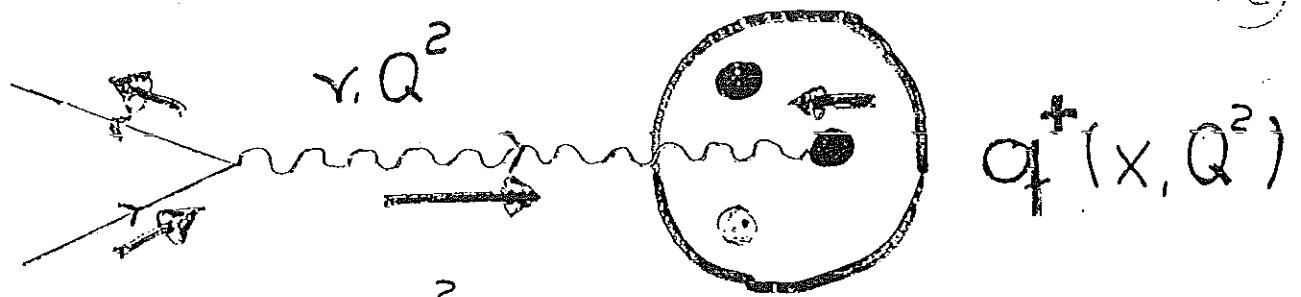
$$Y = \frac{Y}{E}$$

$\alpha = 0^\circ$: measure dominantly $g_1(x)$

$\alpha = 90^\circ$: " both $g_1(x), g_2(x)$

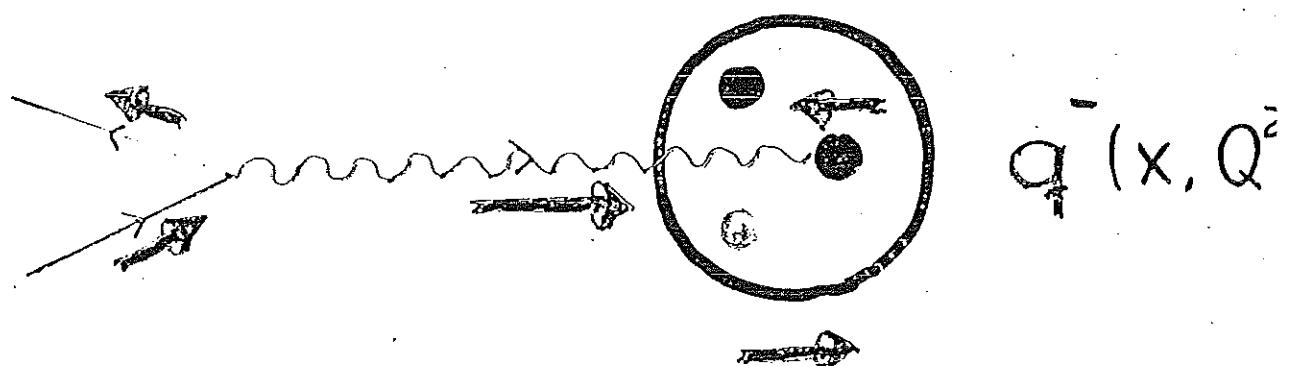
Asymmetries:

$$A = \frac{\sigma(\alpha + \pi) - \sigma(\alpha)}{\sigma(\alpha + \pi) + \sigma(\alpha)}$$



$$x = \frac{Q^2}{2M\gamma}$$

$$\sigma^{↑↑} (\alpha = \pi)$$



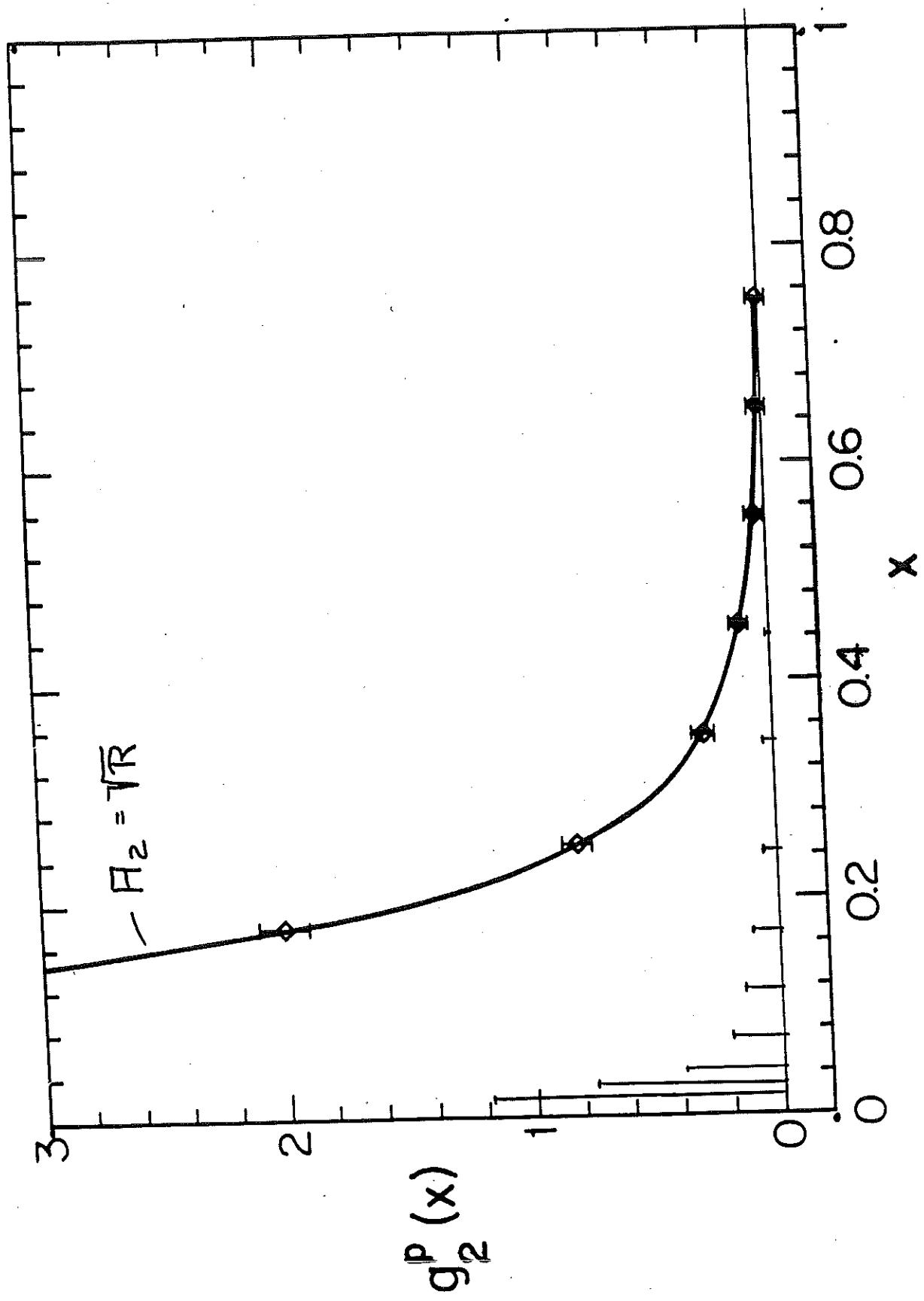
$$\sigma^{↑↑} (\alpha = 0)$$

$$\sigma^{↑↑} - \sigma^{↑↑} \sim g_1(x, Q^2) = \frac{1}{2} \sum_f e_f^2 \{ q_f^+(x, Q^2) - \bar{q}_f^-(x, Q^2) \}$$

$$\Delta q_f = \int_0^1 \{ q_f^+(x) - \bar{q}_f^-(x) \} dx$$

$$\Delta q_f \cdot 2M \cdot S_\mu = \langle P.S | \bar{q}_f \gamma_\mu \gamma_5 q_f | P.S \rangle$$

Only $q_f^p(x)$



Complication:

- virtual γ has transverse and longitudinal polarisation
- quarks have mass and transverse momenta



$$g_2(x)$$

From OPE:

Wandzura, Wilczek
Shuriak, Vainshtein,
Jaffe

$$g_2(x) = -g_1(x) + \int_x^1 \frac{dz}{z} g_1(z) + \tilde{g}_2(x)$$

Quark-Gluon-Corr.
(twist-3 operator)

Experimentally completely unknown!

Furthermore:

Deuteron is Spin-1 target

→ two more spin dependent
structure functions: $b_1(x), \Delta(x)$

No experimental information

Predicted to be small.

First exploratory measurement!

Sum Rules:

①

Bjorken (66)

Fundamental!

$$\int_0^1 dx (g_1^P(x) - g_1^n(x)) = \frac{1}{6} \left| \frac{g_A}{g_V} \right|_{np} * QCD \text{ Korr.}$$

$$= 0.191 \pm 0.003$$

g_A, g_V : weak coupl.
const.

from Gamow-Telle
 β -decay

Experimentally untested!

②

Ellis-Jaffe - SU(3)

$$\int_0^1 dx g_1^{P,(n)}(x) = \frac{1}{12} \left| \frac{g_A}{g_V} \right|_{np} \left\{ \begin{array}{l} + \\ (-) \end{array} \right. 1 + \frac{5}{3} \cdot \frac{3F-D}{F+D} \left\} * QCD \right|$$

\downarrow

$$\Delta S = 0, F/D = 0.63$$

$$= 0.189 \pm 0.007$$

$$\left(\begin{array}{l} (n) \\ = \end{array} -0.002 \pm \dots \right)$$

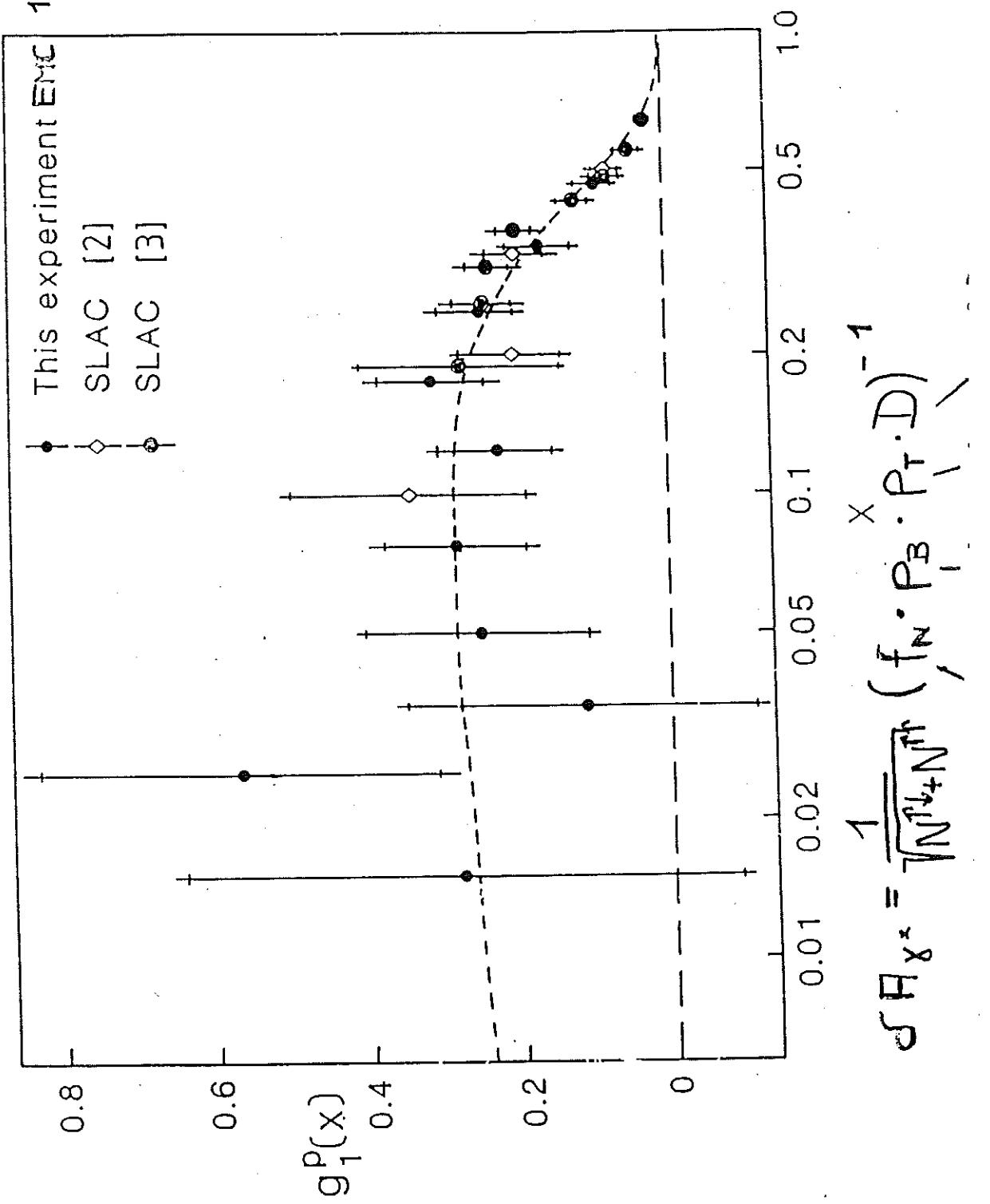
F, D : SU(3) coupling const.; baryon dec

$np: F+D; \Lambda p: F+\frac{1}{3}D; \Sigma \Lambda: F-\frac{1}{3}D$

$$f(NH_3) = \frac{3}{17}$$

$$f(C_4H_3OH) = \frac{1}{17}$$

J. Ashman et al., Nucl. Phys. B328 (89) 1.

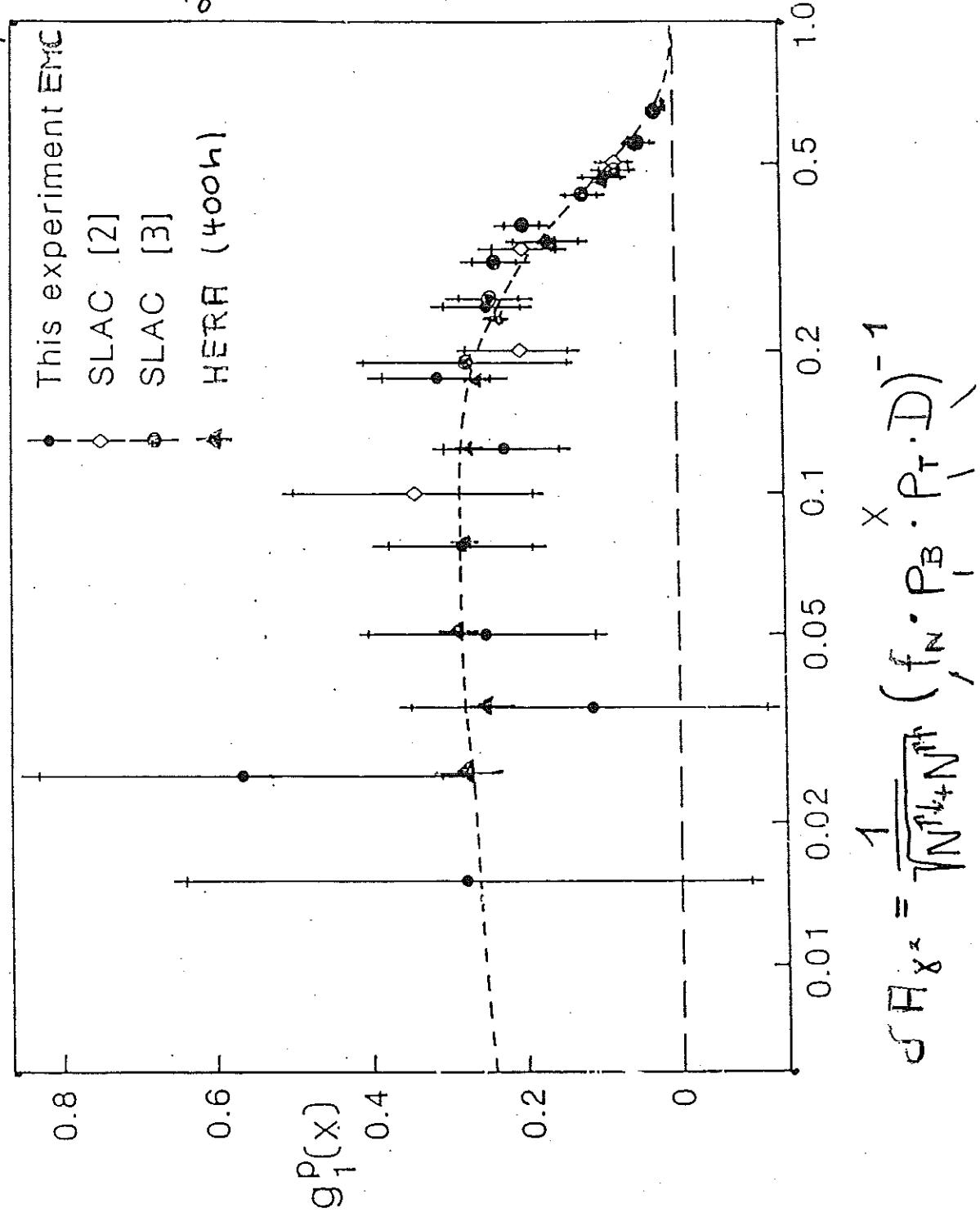


$$\sigma_{\bar{N}N} = \frac{1}{\sqrt{N_f + N_R}} \left(f_N \cdot P_B \cdot P_T \cdot D \right)^{-1}$$

$$f(NH_3) = \frac{3}{17}$$

$$f(C_4H_9OH) = \frac{1}{17}$$

J. Fishman et al., Nucl. Phys. B328 (89) 1.



$$\sigma H_{g^*} = \frac{1}{\sqrt{N^{T_L + N^M}}} \left(f_N \cdot P_B \cdot P_T \cdot D \right)^{-1}$$

(1)

Result:

$$\Gamma_1^P = \int_0^1 dx g_1^P(x) = 0.126 \pm 0.010 \pm 0.015 \quad (\text{EMC+SLAC})$$

≈ 0.189



Bjorken S.R.

$$\Gamma_1^n = \int_0^1 dx g_1^n(x) = -0.065 \pm$$



Consequences:

$$\langle \langle S_a \rangle \rangle^P = \frac{1}{2} ; \quad \langle S_a \rangle_{q_f} = \frac{1}{2} (\Delta q_f + \Delta \bar{q}_f) ; \quad F/D = 0.65$$

$$\langle S_a \rangle_u = 0.391 \pm \dots , \langle S_a \rangle_d = -0.236 \pm \dots , \langle S_a \rangle_s = -0.095$$



• $\langle S_a \rangle_{\text{quarks}} = 0.060 \pm 0.047 \pm 0.069$

Fraction of nucleon spin originating
from quark spins is only $10 \pm \dots \%$

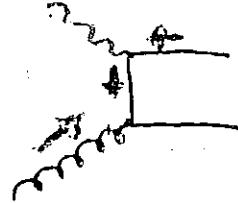
Also from $x p \rightarrow x p$

- (strange) sea is polarised
antiparallel to proton spin

? What is origin of proton spin ?

'Spin crisis'

Explanations:

- EMC result wrong (low x problem? $x \rightarrow 0$)
- Perturbative QCD wrong
- Bjorken S.R. violated
- Isospin breaking $m_d > m_u$
- Higher Twist effect - Dreissigacker, Hearn, Gerasimov
- SU(3) not applicable
- $\langle S_z \rangle^P$ dom. angular orbital momentum: Δ
(Skyrme model)
- Gluon effect
(Adler, Bell, Jackiw anomaly ; $\partial_\mu A_0^\mu \sim \epsilon^{\mu\nu\sigma\tau} F_{\mu\nu}$)

$$\Delta g = \Delta \tilde{g} + \frac{\alpha_s(Q^2)}{2\pi} \Delta g(Q^2)$$
$$\sim \Delta g \approx 5 \approx -\Delta \tilde{g}$$
- Small η' -Nucleon coupling

Whole excitement based on one
(badly known) number : Γ_1^P



For a better understanding we have to measure x dependence of

- $g_1^P(x)$ (with much better statistical and systematic accuracy than EMC)

- $g_1^n(x)$

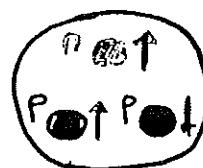
- deuteron

$$(\mu^d = .974 (\mu^P + \mu^n))$$

$$g_1^n(x) = g_1^d(x) - g_1^P(x)$$

- ${}^3\text{He}$

$$(\mu^{{}^3\text{He}} = 1.112 \mu^n)$$



- $g_2^{P,n}(x)$

- ◆ Stringent test for models

- ◆ Determination of pol. quark distr.

- ◆ Precise test of Bjorken S.R.

HERMES Proposal

- Use internal gas target with large fraction f of polarizable nucleons

$$(f^H = 1; f^D = 1; f^{^3\text{He}} \approx \frac{1}{3})$$

$$P^T(H) = P^T(D) = 0.8; P^T(^3\text{He}) \approx 0.5$$

- Produce required target density by thin walled storage cell.

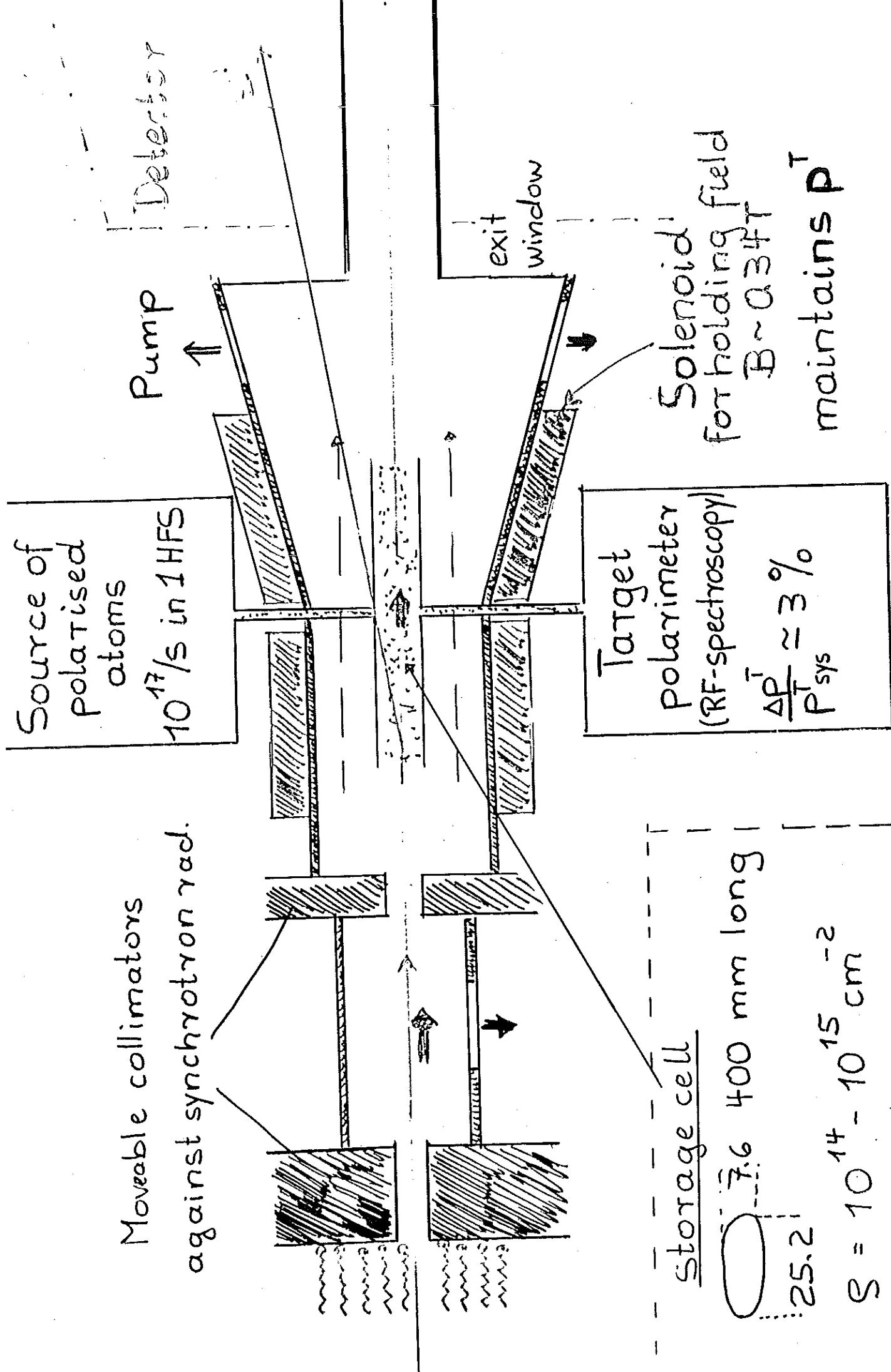
$$g = 10^{14} \text{ cm}^{-2} (\text{H}) \rightarrow 10^{15} \text{ cm}^{-2} (^3\text{He})$$

- Longitudinally polarised e^- in HERA \Rightarrow $\mathcal{L} = 0.4 - 3 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$

- Flip target spin frequently: 0(s)



High statistical and systematic accuracy



beam lifetime

$$(p \cdot e)_{\text{H-Target}} \approx 3 \times 10^{-8} \text{ mbm} (N_2\text{-eq})$$
$$\approx 0.2\% (p \cdot e)_{\text{Ring}}$$

$$\bar{\tau}_{(\text{H-Target})} \approx 400 \text{ h} \gg \bar{\tau}_{\text{Ring}}$$

$$\bar{\tau}^{({}^3\text{He})} \approx 50 \text{ h}$$

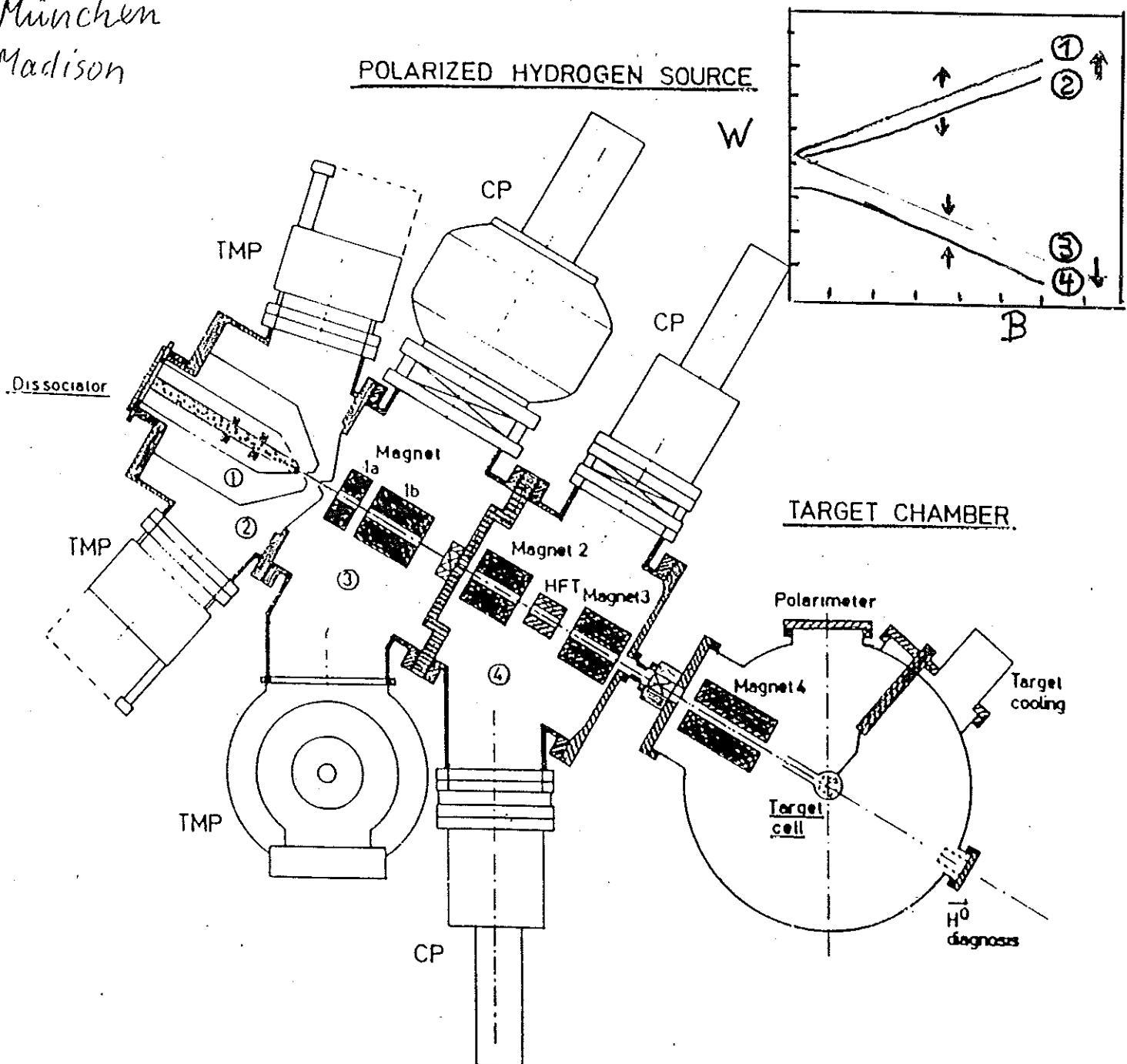
☞ negligible impact !

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Internal polarized hydrogen target

Heidelberg
Marburg
München
Madison

FILTEX (TSR / LEAR)



Source: • Goal is to produce $10^{17}/s$ in $|m_J \ m_I\rangle = |\frac{1}{2} \ \frac{1}{2}\rangle$

- Gas flow up to 5 mb l/s H_2
- Total H_2 pumping speed $\sim 16\ 000$ l/s
- Sextupole magnets with $B_0 = 1.5$ T.

clean vacuum system.

Status H/D source

- Source is operational
(without sextupoles; delivery $\rightarrow 4/90$)
- Many systematic studies performed
 - degree of dissociation
 - velocity distribution
 - attenuation at high gas flow
- Present estimate: $> 6.5 \times 10^{16} / s$
(into acceptance)
of storage cell
(Already factor 2-3 higher than best sou
Number based on measurements
and (very) conservative assumptions)
- Several improvements possible
 - $10^{17} s^{-1}$ realistic
(in continuous mode)

Target polarisation

Expect : $p^T(H,D) = 0.8$

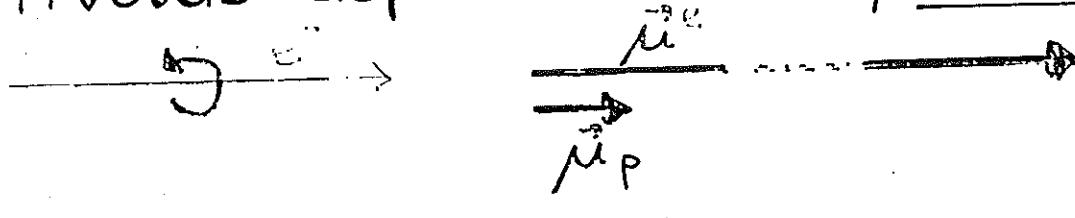
(From source > .95)

For this we require :

■ Magnetic holding field: $B_H \approx .34\text{T}$

Decouples $\vec{\mu}_p, \vec{\mu}_e$

Avoids depolarisation by bunch field



Studied in detail by calculations (incl. MC sim.)

■ Coating of cell walls (dryfilm, Al_2O_3 ...)

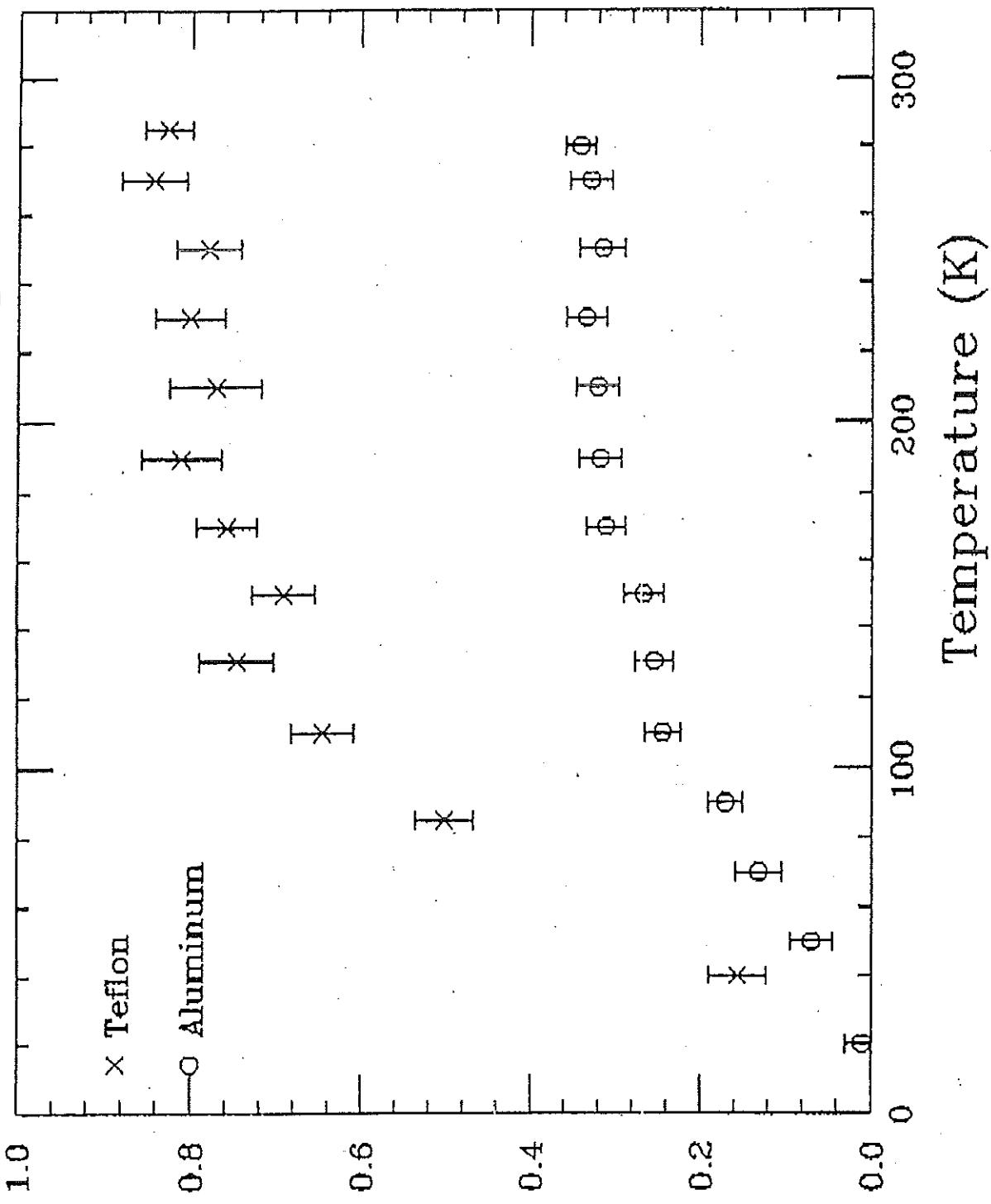
Avoids depolarisation by wall bounces

Experimentsally investigated at ANL, MPI, Madison

No problems observed with storage cell
installed for several months in VEPP-3

ANL - Novosibirsk expt.

Target Polarization vs. Temperature



Effective Target Polarization

^3He - Target (Caltech, MIT)

Method: Optical pumping
+ Metastability exchange

Due to closed e^- -shell

- much smaller effects on polarisation by bunch field and wall bounces
 - small holding field sufficient
-

Routinely achieved polarisation: $P^{^3\text{He}} = 0.1$

Status:

- Closed cell target operational
- First experiment starts this weekend

Installation in HERA

East Hall : spinrotators already foresee

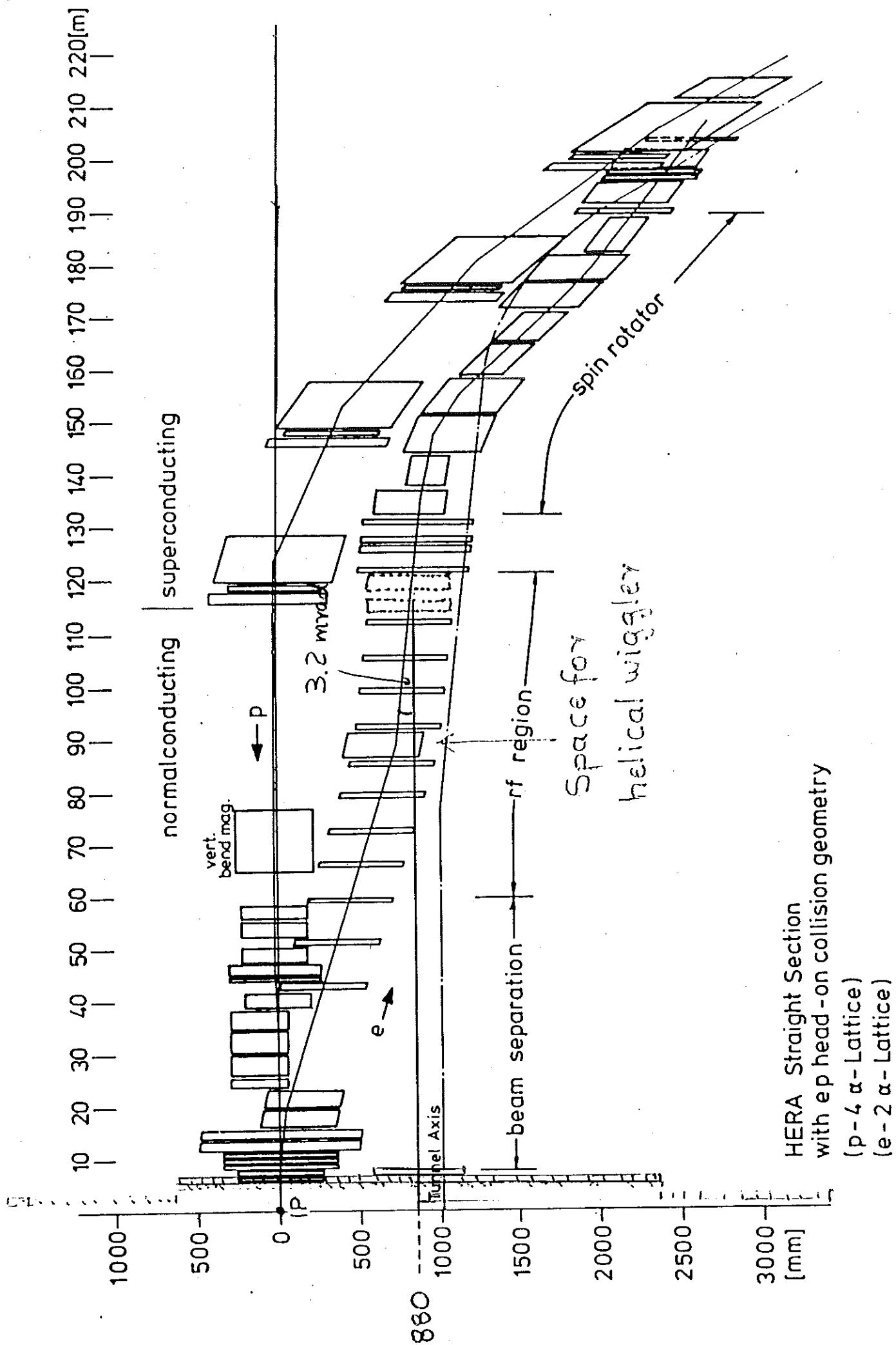
Require modification of beamline

■ Separation between e and p

■ Synchrotron radiation

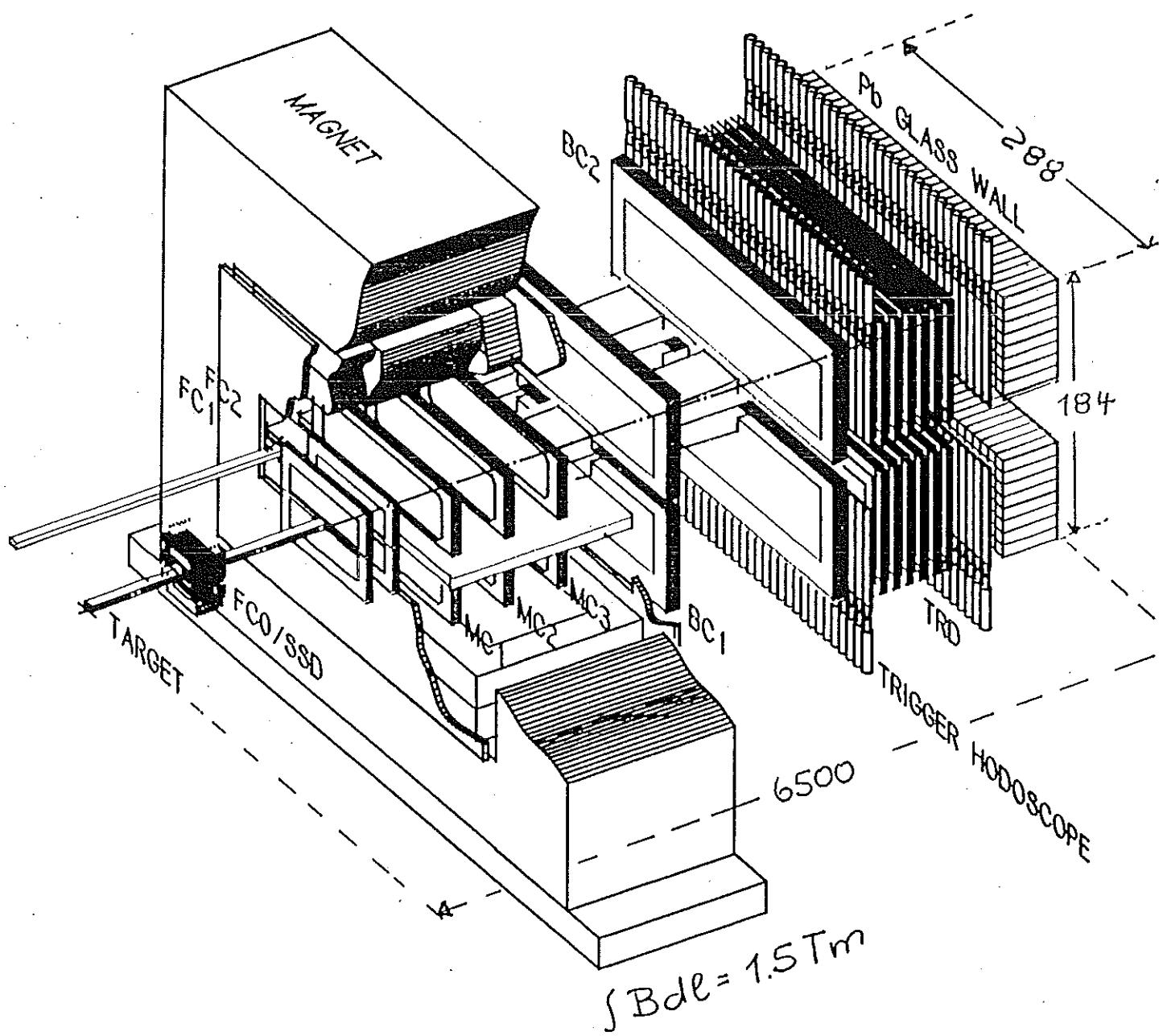
Due to magnet geometry and optics not possible to shield storage cell and detector sufficiently by collimators

Target density too small by factor ~ 11



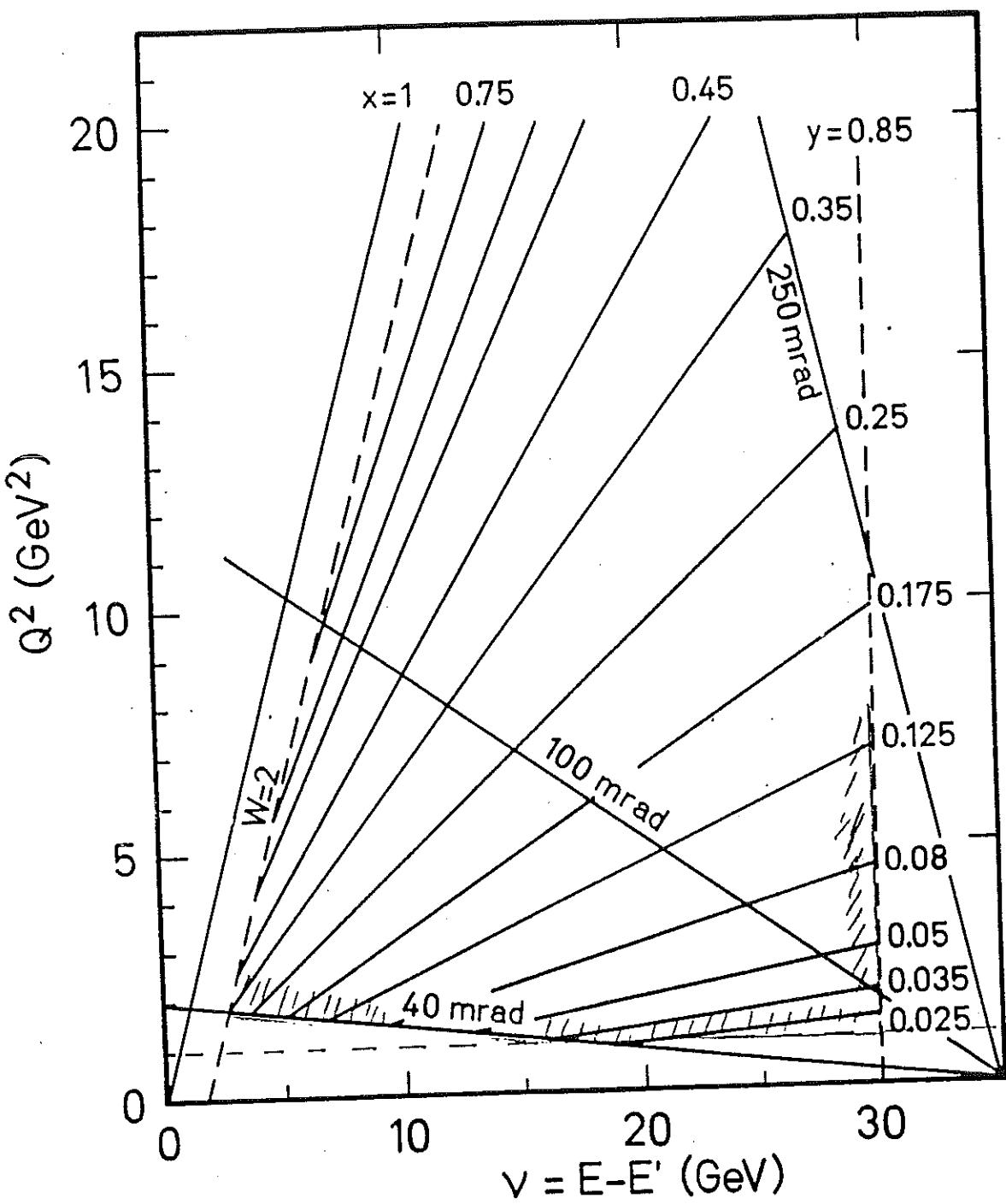
HERA Straight Section
 with ep head-on collision geometry
 (p -4 α -Lattice)
 (e -2 α -Lattice)

HERMES



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Angular acceptance
 $40 < \Theta_e < 250$ mrad



Cuts: $Q^2 > 1 \text{ GeV}^2$
 $y < 0.85$
 $W > 2 \text{ GeV}$

$R(^3\text{He}) \sim 10.2 \text{ s}$

Tracking:

Determination of E' , θ_e , vertex

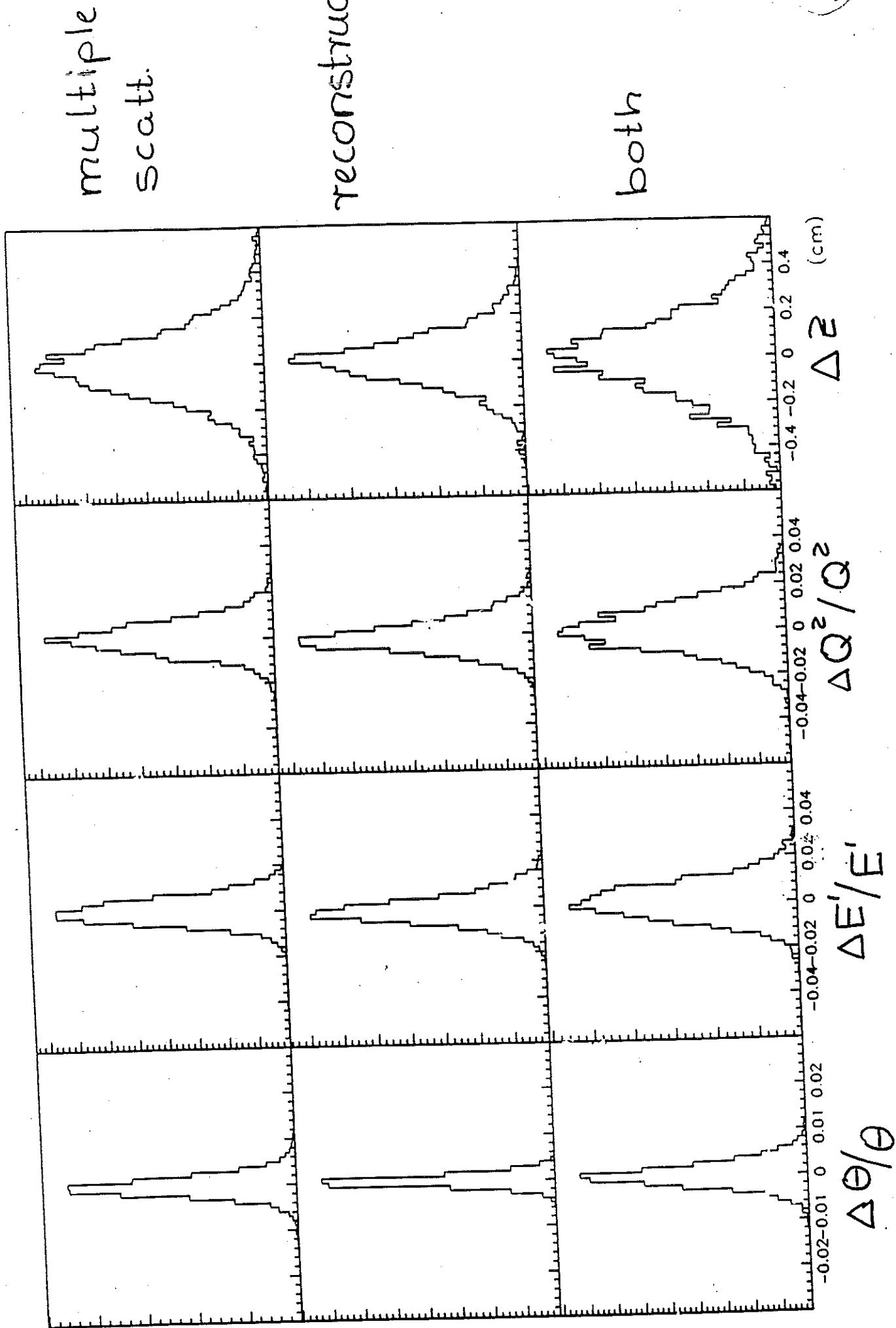
Detector	SSD silicon (TORINO)	FC0 drift (TRIUMF)	FC1-2 drift (MIT)	MC1-3 prop. (FNLI)	BC1- drift (MPI)
wire spacing (mm)	0.115	4	7	2	10
resolution (mm)	0.05	< 0.2	< 0.2	1	< 0.2

Resolutions dominated by multiple scattering and straggling

$$\frac{\Delta E'}{E'} \sim 0.7 - 1.7\% ; \frac{\Delta Q^2}{Q^2} \sim 1.5\% ; \frac{\Delta Y}{Y} \sim 1.8\%$$

Vertex: $\sigma_z \sim 5 \text{ mm}$

$\sigma_x \sim 0.3 \text{ mm}$



multiple scatt. reconstruction both
 $\Delta\theta/\theta$ $\Delta E'/E'$ $\Delta Q^2/Q^2$
 total resolution mult. scatt. (arb. units)

Calorimeter (Los Alamos, Caltech, Illinois, New Mexico)

(27)

Purpose:

- Trigger on electrons with $E' > 4.5 \text{ GeV}$
- Suppress pions
 - Need good energy resolution

Dimensions : $288 \times 72 \text{ cm}^2$

(each half)

32×8 elements of $9 \times 9 \times 41 \text{ cm}$

Preferred option: Dense Pb glass (SF57-D)

(well understood)

$$\frac{\sigma_E}{E} \sim 3.6\%/\sqrt{E} + C\% \quad 3\%$$

(Move behind shielding if not data taking)

Alternative: Pb-Scint. fibers

(high radiation resistance: Myc)

New device, further studies need
(this spring)

Pion rejection: Online ~ 20
Offline ~ 300

TRD

(TRIUMF / Alberta / Simon Fraser)

6 modules - length 60cm ; $70 \times 240 \text{ cm}^2$
 (each half)

Radiator (6.5cm) : polypropylene fibers
 felt ; $20 \mu\text{m}$; $\rho = 0.12 \text{ g/cm}^3$
 He ; (similar to ZEUS)

X-ray det. (2.5cm) : cell size : $\pm 14.3 \text{ mm}$; vert.
 gas: $\text{Xe} + 10\%$ quench
 (recirculate, purify)
 Measure total charge (FERF)

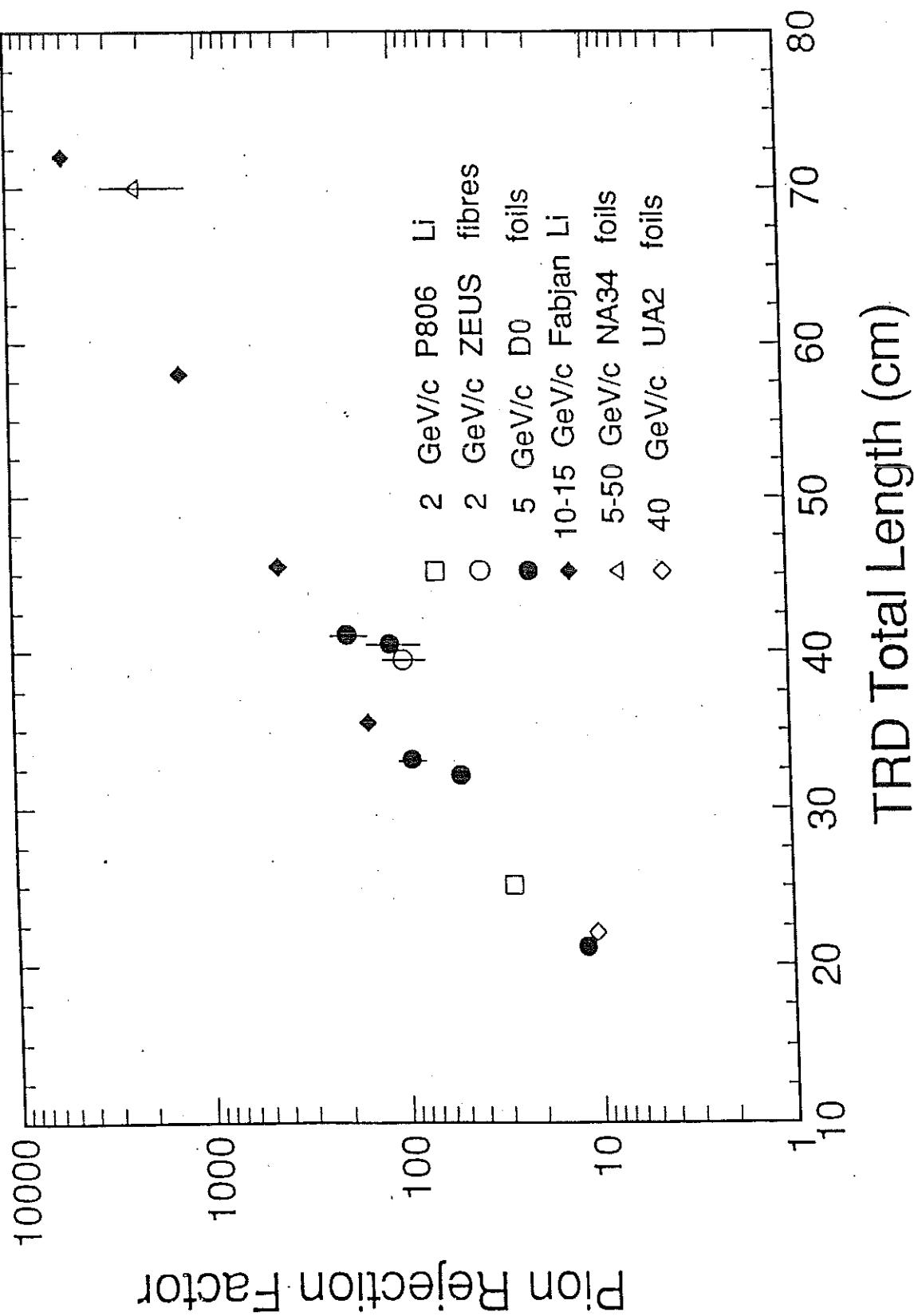
Option:

Second level trigger : Calorimeter + TRD

- Scan through Calorimeter once
 Look for segment cluster (vert. rows)
- For each cluster scan through TRD;
 Sum ADC's of appropriate region.

On-line : 10

Pion rejection : Off-line : 100 (Q-likelyhood)



Expected trigger rates $R(^3\text{He})$

$$\mathcal{L} = 3 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1} ; E = 35 \text{ GeV}, I = 60 \text{ mA}$$

	e DIS+rad.	$\pi^+ + \pi^-$	π^0 ($e^+ + e^-$)	Σ
Flux/IS ($E > 4.56 \text{ eV}$)	20	1000	500	
Trig.-1 Calorimeter	20	50	2	72
Hodoscopes	—	—	—	—
Option	—	—	—	—
Trig.-2 + TFD	20	5	2	27
—	—	—	—	—
Offline ($Q^2 > 16 \text{ GeV}^2$ $y < 0.85$)	10.2	0.003	.4 $\downarrow e^+ + e^-$ 0 ± 0.02	10.2

$$R(D) \approx \frac{1}{4} R(^3\text{He})$$

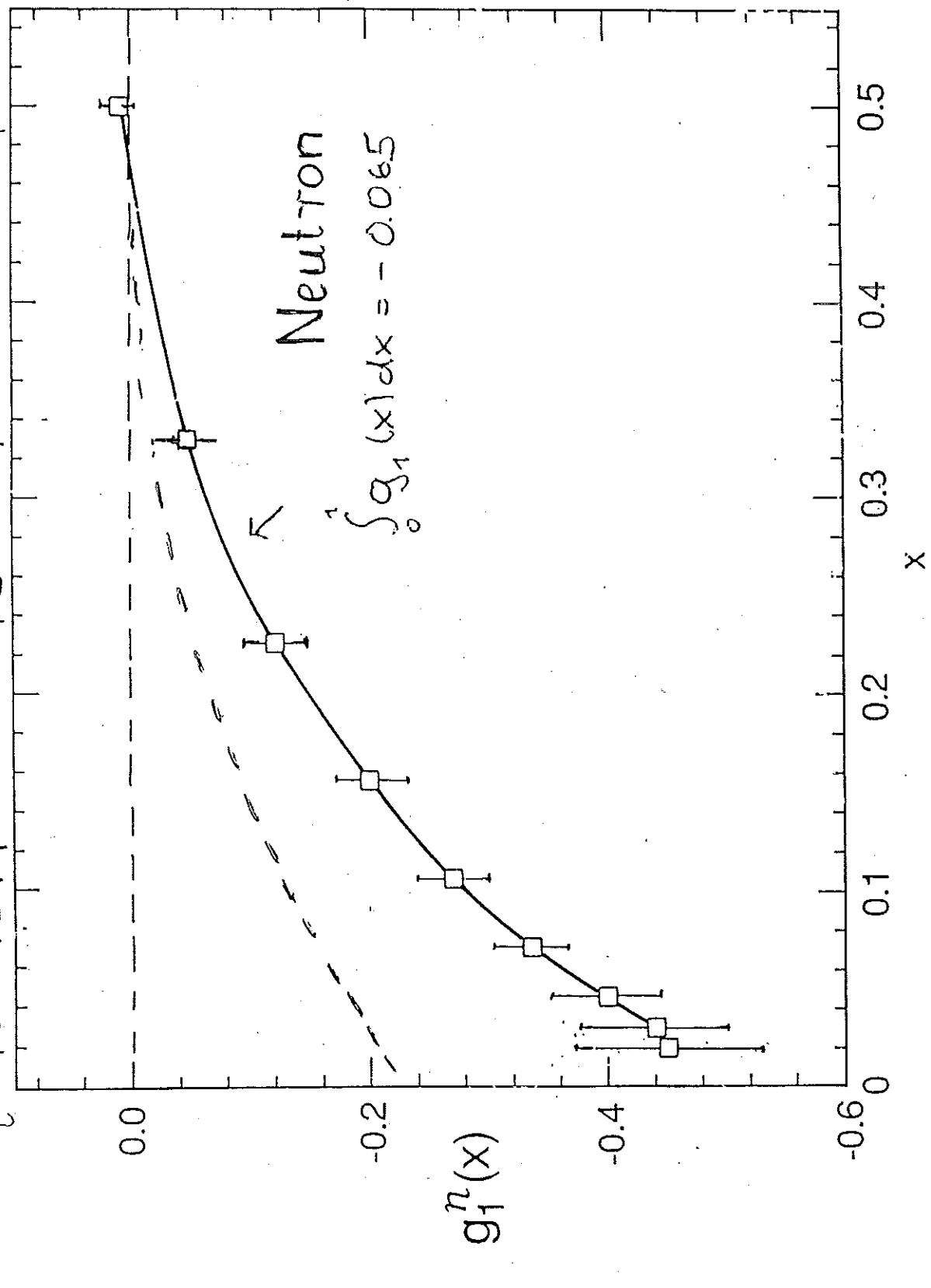
$$R(H) \approx \frac{1}{8} R(^3\text{He})$$

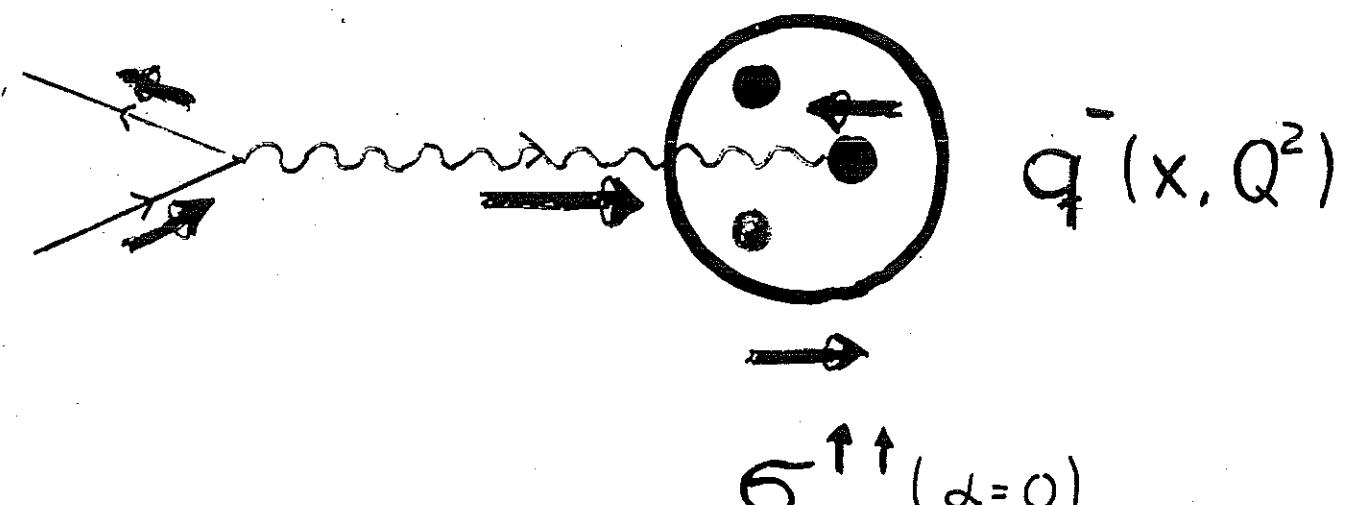
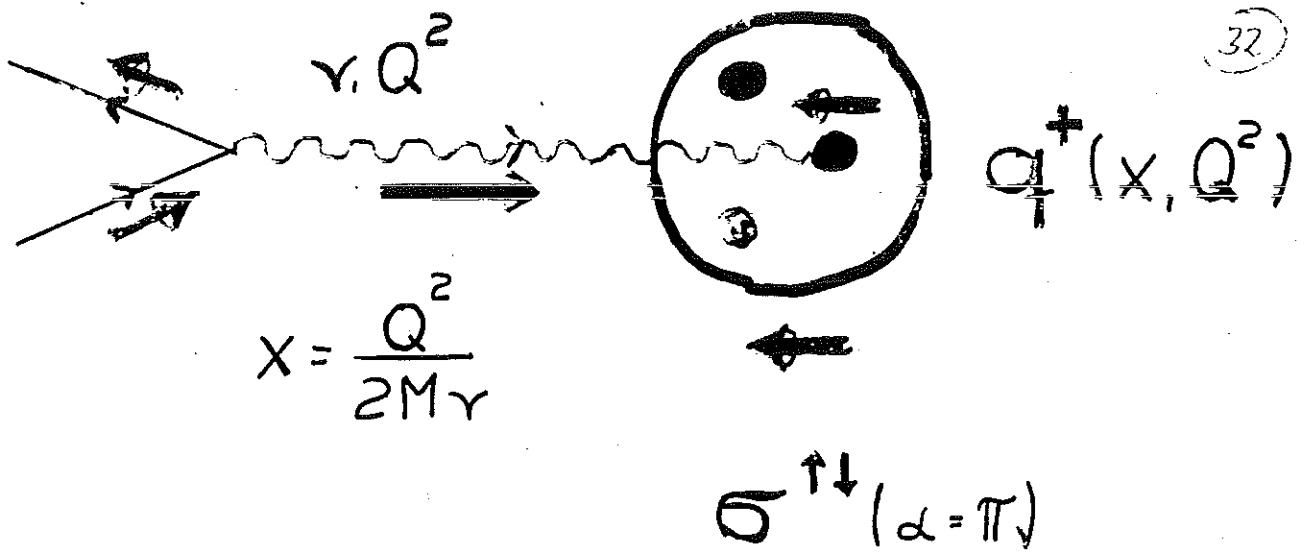
HERA {

$$400 \text{ h H}, \rho^H = 0.8$$

$$400 \text{ h D}, \rho^D = 0.8$$

μ -CERN: ~20 years





$\Sigma^{\text{tot}} - \sigma^{\uparrow\uparrow} \sim$

$$g_1(x, Q^2) = \frac{1}{2} \sum_f e_f^2 \{ q_f^+(x, Q^2) - q_f^-(x, Q^2) \}$$

$$\Delta q_{ff} = \int_0^1 \{ q_{ff}^+(x) - q_{ff}^-(x) \} dx$$

$$\Delta q_{ff} \cdot 2M \cdot S_\mu = \langle P.S | \bar{q}_{ff} \gamma_\mu \gamma_5 q_{ff} | P.S \rangle$$

Experimentally: Only $g_1^p(x)$

Anticipated accuracies for Sum Rules

$$\mathcal{L}(H) = 3.5 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}; p^T(H) = 0.8$$

$$\mathcal{L}(D) = 7 \times 10^{31} " ; p^T(D) = 0.8$$

$$\mathcal{L}(^3\text{He}) = 30 \times 10^{31} " ; p^T(^3\text{He}) = 0.5$$

$$P^B = 0.5 ; I = 60 \text{ mA}$$

Main sources for systematic errors:

$$\Delta p^B / p^B = 2.5\%; \Delta p^T / p^T = \Delta F_2 / F_2 = 3\%;$$

$R = 6, 16, \dots$; rad. corr.; nuclear effects for ${}^3\text{H}$

Integral	value	Target	errors (%)	
			stat.	syst
Γ_1^P	0.126	H	2.5	5.2
Γ_1^D	0.061	D	2.5	5.2
Γ_1^n	-0.065	D-H	12	11
"	"	${}^3\text{He}$	11	7.8
$\Gamma_1^P - \Gamma_1^n$	0.191	2H-D	3.5	6.4
"	"	${}^3\text{He}$	4.1	4.3

Beam time request

- a) Commissioning and checkout of apparatus - parasitically
- b) Data taking (in parallel to H1, ZEUS)

6 runs over 2-3 years

Target	Polarisation	Measured quantities
H	→	g_1^P
D	→	$g_1^d; g_1^n; \Gamma_1^P - \Gamma_1^n; b_1^d$
${}^3\text{He}$	→	$g_1^n; \Gamma_1^P - \Gamma_1^n$
H	↑	g_2^P
D	↑	$g_2^n; \Delta^d$
${}^3\text{He}$	↑	g_2^n

Beam time for anticipated accuracy

$$T_{\text{nom}} = 400 \text{ h} \quad (100\% \text{ eff.})$$

$$\text{if: } I = I_{\text{nom}} = 60 \text{ mA}; P^B = P_{\text{nom}}^B = 0.5.$$

Otherwise:

$$T = \frac{I_{\text{nom}}}{I} \times \left(\frac{P_{\text{nom}}^B}{P^B} \right)^2 \cdot T_{\text{nom}}$$

c) If dedicated running would be necessary:

we don't want to give up statistical precision

but would be prepared to reduce programme to

4 runs: $H \rightarrow$, $D \rightarrow$, $^3\text{He} \rightarrow$

$H \uparrow$

Requests to DESY:

- Modification of beam-line in East
- Moveable platform for detector
- Power supply for magnet
- Shielding of proton beam-line
- Collimator system
- Shielding house for spectrometer
- Compensator for magnetic fields
- General services : electrical, cabling
alignment, cooling water

