Latest results from the hermes experiment

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 $\frac{d\sigma}{dxdydzd\phi_h dP_{h\perp}^2 d\phi_S} = \frac{\alpha^2}{xyQ^2} \frac{y^2}{2(1-\epsilon)} \left(1 + \frac{\gamma^2}{2x}\right)$

 $\begin{cases} F_{UU,T} + \epsilon F_{UU,L} + \sqrt{2\epsilon(1+\epsilon)}\cos(\phi_h)F_{UU}^{\cos(\phi_h)} + \epsilon\cos(2\phi_h)F_{UU}^{\cos(2\phi_h)} \end{cases}$





Semi-inclusive DIS cross section $\frac{d\sigma}{dxdydzd\phi_h dP_{h\perp}^2 d\phi_S} = \frac{\alpha^2}{xyQ^2} \frac{y^2}{2(1-\epsilon)} \left(1 + \frac{\gamma^2}{2x}\right)$ $\begin{cases} F_{UU,T} + \epsilon F_{UU,L} + \sqrt{2\epsilon(1+\epsilon)}\cos(\phi_h)F_{UU}^{\cos(\phi_h)} + \epsilon\cos(2\phi_h)F_{UU}^{\cos(2\phi_h)} \\ & \blacktriangleright \text{ beam polarization} \end{cases}$ $+\lambda_e \sqrt{2\epsilon(1-\epsilon)}\sin(\phi_h)F_{LU}^{\sin(\phi_h)}$ $+S_L \left[\sqrt{2\epsilon(1+\epsilon)} \sin(\phi_h) F_{UL}^{\sin(\phi_h)} + \epsilon \sin(2\phi_h) F_{UL}^{\sin(2\phi_h)} \right]$ target polarization structure function $\mathbf{F}_{XY(,Z)}^{\mathsf{T}}$ $+S_L \lambda_e \left| \sqrt{1-\epsilon^2} F_{LL} + \sqrt{2\epsilon(1-\epsilon)} \cos(\phi_h) F_{LL}^{\cos(\phi_h)} \right|$ $+S_{T} \left[\sin(\phi_{h} - \phi_{S}) \left(F_{UT,T}^{\sin(\phi_{h} - \phi_{S})} + \epsilon F_{UT,L}^{\sin(\phi_{h} - \phi_{S})} \right) \right]$ (virtual photon beam polarization) polarization $\epsilon \sin(\phi_h + \phi_S) F_{UT}^{\sin(\phi_h + \phi_S)} + \epsilon \sin(3\phi_h - \phi_S) F_{UT}^{\sin(3\phi_h - \phi_S)}$ + $\sqrt{2\epsilon(1+\epsilon)}\sin(\phi_S)F_{UT}^{\sin(\phi_S)} + \sqrt{2\epsilon(1+\epsilon)}\sin(2\phi_h - \phi_S)F_{UT}^{\sin(2\phi_h - \phi_S)}$

$$+S_T \lambda_e \left[\sqrt{1-\epsilon^2} \cos(\phi_h - \phi_S) F_{LT}^{\cos(\phi_h - \phi_S)} + \sqrt{2\epsilon(1-\epsilon)} \cos(\phi_S) F_{LT}^{\cos(\phi_S)} \right. \\ \left. + \sqrt{2\epsilon(1-\epsilon)} \cos(2\phi_h - \phi_S) F_{LT}^{\cos(2\phi_h - \phi_S)} \right] \right\}$$

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$$\begin{aligned} & \left\{ \begin{array}{l} \frac{d\sigma}{dxdydzd\phi_{h}dP_{h\perp}^{2}d\phi_{s}} = \frac{\alpha^{2}}{xyQ^{2}} \frac{y^{2}}{2(1-\epsilon)} \left(1+\frac{\gamma^{2}}{2x}\right) \\ & \left\{ \frac{d\sigma}{dxdydzd\phi_{h}dP_{h\perp}^{2}d\phi_{s}} = \frac{\alpha^{2}}{xyQ^{2}} \frac{y^{2}}{2(1-\epsilon)} \left(1+\frac{\gamma^{2}}{2x}\right) \\ & \left\{ \frac{d\sigma}{dxdydzd\phi_{h}dP_{h\perp}^{2}d\phi_{s}} = \frac{\alpha^{2}}{xyQ^{2}} \frac{y^{2}}{2(1-\epsilon)} \left(1+\frac{\gamma^{2}}{2x}\right) \\ & \left\{ \frac{F_{UUT}}{F_{UUT}} + \epsilon F_{UUL} + \sqrt{2\epsilon(1+\epsilon)}\cos(\phi_{h})F_{UL}^{cos(\phi_{h})} + \epsilon \cos(2\phi_{h})F_{UU}^{cos(2\phi_{h})} \\ & \left\{ \frac{h}{2}\cos(\phi_{h})F_{UU}^{sin(\phi_{h})} + \frac{1}{2}\cos(\phi_{h})F_{UL}^{sin(\phi_{h})} + \frac{1}{2}\sin(\phi_{h})F_{UL}^{sin(\phi_{h})} \\ & \left\{ \frac{h}{2}\cos(\phi_{h})F_{UT}^{sin(\phi_{h})} + \frac{1}{2}\sin(\phi_{h})F_{UL}^{sin(\phi_{h})} + \frac{1}{2}\sin(\phi_{h}-\phi_{S})} \right\} \\ & \left\{ \frac{1}{2}\sin(\phi_{h}-\phi_{S})F_{UT}^{sin(\phi_{h},\phi_{S})} + \frac{1}{2}e\sin(3\phi_{h}-\phi_{S})F_{UT}^{sin(3\phi_{h}-\phi_{S})} \\ & + \frac{1}{2}\sin(\phi_{h}-\phi_{S})F_{UT}^{sin(\phi_{h},\phi_{S})} + \frac{1}{2}e\sin(3\phi_{h}-\phi_{S})F_{UT}^{sin(3\phi_{h}-\phi_{S})} \\ & \left\{ \frac{1}{2}\sum_{k=1}^{2}\cos(\phi_{k}-\phi_{S})F_{UT}^{sin(\phi_{h},\phi_{S})} + \sqrt{2\epsilon(1-\epsilon)}\cos(\phi_{S})F_{UT}^{cos(\phi_{h})} \\ & \left\{ \frac{1}{2}\sum_{k=1}^{2}\cos(2\phi_{h}-\phi_{S})F_{LT}^{cos(2\phi_{h}-\phi_{S})}} \right\} \\ \end{array} \right\} \end{aligned}$$

structure function $F_{XY} \propto TMD \otimes FF$



transverse momentum distributions (TMDs)

fragmentation functions (FFs)





nucleon with transverse/longitudinal spin

quark with transverse/longitudinal spin



structure function $F_{XY} \propto TMD \otimes FF$

transverse momentum distributions (TMDs)

fragmentation functions (FFs)

ΓMDs

e(E)

 σ



quark with transverse/longitudinal spin



e'(E')

structure function $F_{XY} \propto TMD \otimes FF$



e'(E')

transverse momentum distributions (TMDs)

fragmentation functions (FFs)





Hadron multiplicities

$$\frac{d\sigma}{dxdydzd\phi_h dP_{h\perp}^2} \int d\phi_h$$
$$\mathbf{M}^h(x_B, Q^2, z, P_{h\perp}) = \frac{1}{d^2 N^{DIS}(x_B, Q^2)} \frac{d^4 N^h(x_B, Q^2, z, P_{h\perp})}{dzdP_{h\perp}}$$

$$\propto \frac{F_{UU,T} + \epsilon F_{UU,L}}{F_T + \epsilon F_L}$$

$$\propto \frac{\sum_{q} e_{q}^{2} f_{1}^{q}(x_{B}, k_{T}^{2}, Q^{2}) \otimes \mathcal{W} D_{1}^{q}(z, p_{T}^{2}, Q^{2})}{\sum_{q} e_{q}^{2} f_{1}^{q}(x_{B}, Q^{2})}$$

 k_T : transverse momentum of struck quark p_T : transverse momentum of fragmenting quark

Results projected in z



multiplicities reflect

- nucleon valence-quark content (u-dominance)
- favored ↔ unfavored fragmentation

Comparison to models



Results projected in z and $P_{h\perp}$



• $P_{h\perp}$: - transverse intrinsic struck-quark momentum

- transverse momentum from fragmentation process

• K⁻: broader distribution

multi-dimensional analysis; more projections via http://www-hermes.desy.de/multiplicities

 $\mathsf{K}^{\scriptscriptstyle\pm}$ multiplicities from unpolarized deuterium

 $\frac{d^2 N^K(x)}{d^2 N^{DIS}(x)} = \frac{Q(x) \int_{0.2}^{0.8} \mathcal{D}_Q^K(z) dz + S(x) \int_{0.2}^{0.8} \mathcal{D}_S^K(z) dz}{5Q(x) + 2S(x)}$ $Q(x) \equiv u(x) + \bar{u}(x) + d(x) + \bar{d}(x) \qquad \qquad \mathcal{D}_Q^K(z) \equiv 4D_u^K(z) + D_d^K(z)$ $S(x) \equiv s(x) + \bar{s}(x) \qquad \qquad \mathcal{D}_S^K(z) \equiv 2D_s^K(z)$

K[±] multiplicities from unpolarized deuterium

 $\frac{d^2 N^K(x)}{d^2 N^{DIS}(x)} = \frac{Q(x) \int_{0.2}^{0.8} \mathcal{D}_Q^K(z) dz + S(x) \int_{0.2}^{0.8} \mathcal{D}_S^K(z) dz}{5Q(x) + 2S(x)}$ $Q(x) \equiv u(x) + \bar{u}(x) + d(x) + \bar{d}(x) \qquad \qquad \mathcal{D}_Q^K(z) \equiv 4D_u^K(z) + I$



$$\mathcal{D}_Q^K(z) \equiv 4D_u^K(z) + D_d^K(z)$$
$$\mathcal{D}_S^K(z) \equiv 2D_s^K(z)$$

$$S(x)=0 \text{ for } x>0.15$$

$$\int_{0.2}^{6.8} \mathcal{D}_Q^K(z) dz = 0.398 \pm 0.010$$





• xS(x) for certain value of $\int \mathcal{D}_S^K(z) dz$

• independent of value, shape of xS(x) incompatible with predictions



fully differential analysis; more projections via http://www-hermes.desy.de/cosnphi/



• π^+/K^+ : significantly positive non-zero orbital angular momentum

 $\mathsf{1T}_{F_{TTT}^{\sin(\phi_h - \phi_S)}} \propto f_{1T}^{\perp} \otimes D_1$

- π^- : consistent with zero
- π^0 : slightly positive (isospin symmetry)
- K⁻: slightly positive
- u-quark dominance for π^+ amplitude:

$$\approx -\frac{f_{1T}^{\perp,u}(x,k_T^2) \otimes D_1^{u \to \pi^+}(z,p_T^2)}{f_1^u(x,k_T^2) \otimes D_1^{u \to \pi^+}(z,p_T^2)}$$

 $f_{1T}^{\perp,u}(x,k_T^2) < 0$

• π^{-} : u- and d-quark cancellation

 $f_{1T}^{\perp,d}(x,k_T^2) > 0$

$- \underbrace{\bullet}_{P_{LT}} \xrightarrow{\bullet}_{P_{T}} \overset{\bullet}{}_{P_{T}} \overset{\bullet}{$



- π⁺/K⁺: slightly positive?
- π^{-} : positive
 - non-zero orbital angular momentum
- π^0/K^- : consistent with zero















 $d\sigma \propto |\tau_{BH}|^2 + |\tau_{DVCS}|^2 + \tau_{BH} \tau_{DVCS}^* + \tau_{DVCS} \tau_{BH}^*$

- $|\tau_{BH}|$: calculable (form factors)
- $|\tau_{BH}| \gg |\tau_{DVCS}|$ at HERMES
- interference term: large at HERMES - linear in GPDs
- access through azimuthal asymmetries



DVCS at **HERMES**



DVCS event selection



Beam-helicity asymmetry



• additional 1.96 % scale uncertainty from beam polarization

Beam-helicity asymmetry for associated DVCS



Summary



Summary



Summary





Exclusive vector-meson fraction



Multiplicities corrected in z: without and with exclusive vector-meson correction



Comparison S(x) PLB and new preliminary results



Comparison S(x) with NNPDF21



Х

Beam-helicity asymmetry



additional 1.96 % scale uncertainty from beam polarization