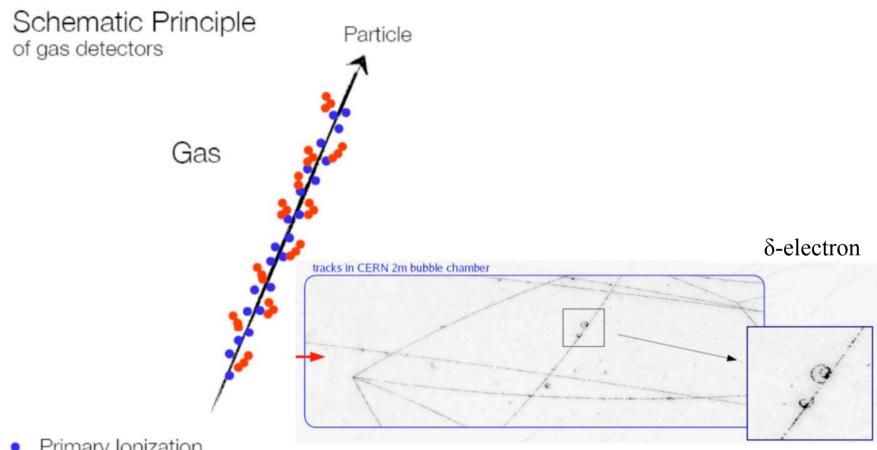
# Gaseous detectors measurement of ionization position determination

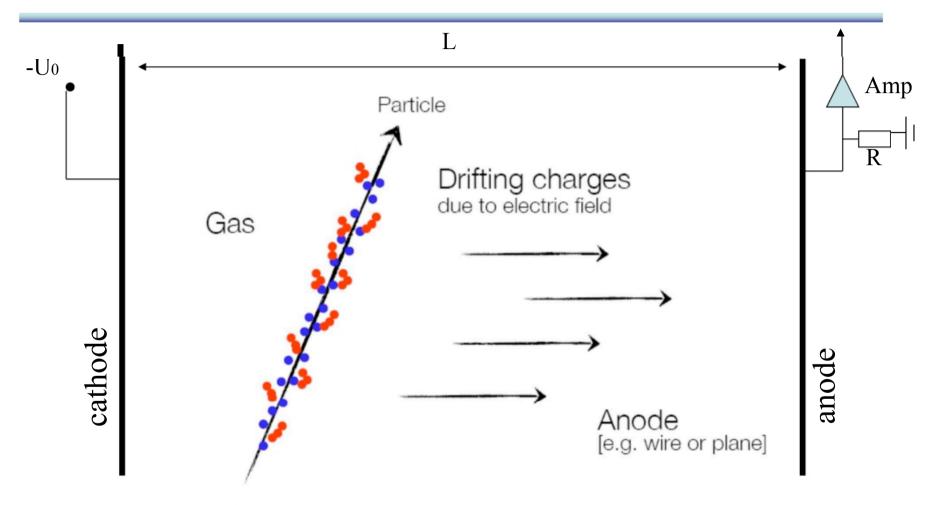


## Introduction



- Primary Ionization
- Secondary Ionization (due to  $\delta$ -electrons)

## Introduction



- Primary Ionization
- Secondary Ionization (due to δ-electrons)

## Ionization

#### Primary ionization

$$p+X \to p+X^++e^- \qquad \qquad p = \text{charged particle traversing the gas} \\ X = \text{gas atom} \\ e_- = \text{delta-electron ($\delta$)} \\ X + e^- \to X^+ + e^- + e^-$$

#### Relevant Parameters for gas detectors

Ionization energy Average energy/ion pair [about 2-6 times n<sub>p</sub>] Average number of primary ion pairs [per cm] [L: layer thickness] Average number of ion pairs [per cm]

Typical values:  $E_i \sim 30 \text{ eV}$ 

 $n_T \sim 100 \text{ pairs} / 3 \text{ keV}$  incident particle

 $n_{T}$ 

Differences

due to  $\delta$ -electrons

# Table for most common gases

 $(E_i = I_o)$ 

Gas	$ ho$ (g/cm $^3$ ) (STP)	<i>I<sub>0</sub></i> (eV)	$W_i$ (eV)	dE/dx (MeVg <sup>-1</sup> cm <sup>2</sup> )	n <sub>p</sub> (cm <sup>-1</sup> )	$n_t$ (cm <sup>-1</sup> )
H <sub>2</sub>	8.38 · 10 <sup>-5</sup>	15.4	37	4.03	5.2	9.2
He	1.66 · 10 <sup>-4</sup>	24.6	41	1.94	5.9	7.8
$N_2$	1.17 · 10 <sup>-3</sup>	15.5	35	1.68	(10)	56
Ne	8.39 · 10 <sup>-4</sup>	21.6	36	1.68	12	39
Ar	1.66 · 10 <sup>-3</sup>	15.8	26	1.47	29.4	94
Kr	3.49 · 10 <sup>-3</sup>	14.0	24	1.32	(22)	192
Xe	5.49 · 10 <sup>-3</sup>	12.1	22	1.23	44	307
CO <sub>2</sub>	1.86 · 10 <sup>-3</sup>	13.7	33	1.62	(34)	91
CH <sub>4</sub>	6.70 · 10 <sup>-4</sup>	13.1	28	2.21	16	53
C <sub>4</sub> H <sub>10</sub>	2.42 · 10 <sup>-3</sup>	10.8	23	1.86	(46)	195

Quelle: K. Kleinknecht, Detektoren für Teilchenstrahlung, B.G. Teubner, 1992

## **Ionization statistics**

Production of ion/electron pairs follows a Poisson distribution

$$P(n_p,\langle n_p\rangle)=\frac{\langle n_p\rangle^{n_p}e^{-\langle n_p\rangle}}{n_p!}$$
 with  $\langle n_p\rangle=L/\lambda$  and  $\lambda=1/(n_e\sigma_I)$ 

with 
$$\langle n_p \rangle = L/\lambda$$
 and  $\lambda = 1/(n_e \sigma_I)$ 

 $\sigma_{\rm I}$ : Ionization x-Section

ne: Electron density

L: Thickness

#### Recombination and electron attachment:

Admixture of electronegative gases (O2, F, Cl) influences detection efficiency

#### Diffusion:

Influences the spatial resolution ...

#### Mobility of charges:

Influences the timing behavior of gas detectors ...

#### Avalanche process via impact ionization:

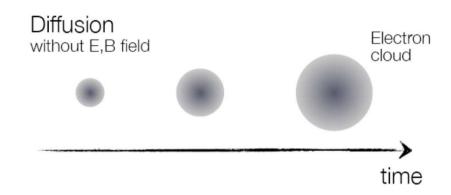
Important for the gain factor of the gas detector ...

## Transport of electrons/ions in gas

#### Diffusion:

classical kinetic theory of gases

$$\frac{dN}{dx} = \frac{N_0}{\sqrt{4\pi Dt}} \exp\left(-\frac{x^2}{4Dt}\right)$$



after a diffusion time t the electrons/ions are Gaussian distributed with a spread

$$\sigma(\mathbf{x}) = \sqrt{2Dt}$$

where D is the diffusion coefficient

$$D = \frac{1}{3}v\lambda$$

the mean free path of electrons/ions in the gas:

$$\lambda = \frac{1}{\sqrt{2}} \frac{kT}{\sigma_0 P}$$

the mean velocity according to Maxwell distribution: v

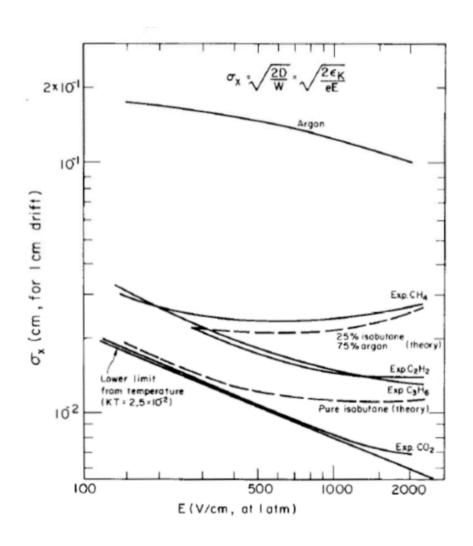
$$v = \sqrt{\frac{8kT}{\pi m}}$$

m=mass of particle

$$D = \frac{1}{3} v\lambda = \frac{2}{3\sqrt{\pi}} \frac{1}{P\sigma_0} \sqrt{\frac{(kT)^3}{m}}$$

D depends on gas pressure P and temperature T

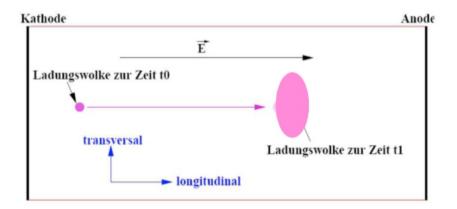
## Diffusion in electric field



Drift in direction of E-field superimposed to statistical diffusion

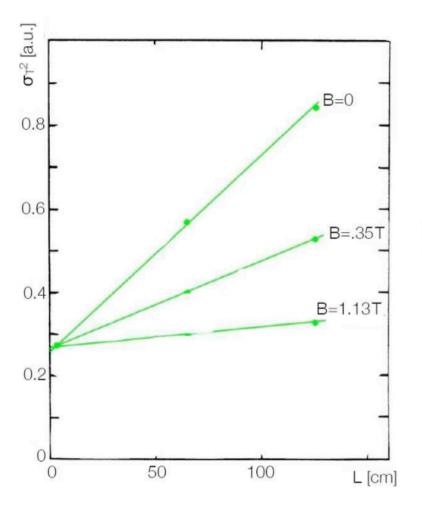
Extra velocity influences longitudinal diffusion

Transverse diffusion not affected



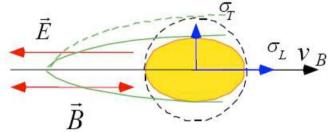
E-field reduced diffusion in longitudinal direction

## Diffusion in magnetic field



In the presence of a B-field different effects on longitudinal and transverse diffusion

No Lorentz force along B-field direction



Transverse diffusion as function of drift length for different B fields

B-Field can substantially reduce diffusion in transverse direction

## Transport of electrons/ions in gas

#### **Drift and Mobility:**

with external E-field: electrons/ions obtain velocity  $v_D$  in addition to thermal motion; on average electrons/ions move along field lines of electric field E

$$\vec{v}_{D} = \mu_{\pm} |\vec{E}|$$

 $\mu_{+}$ : ion mobility

for ions  $v_D \sim E/P$ , i.e. for constant pressure constant mobility

typical:

E ~ 1 kV / cm-atm`

 $\mu_{\text{-}}$ : electron mobility

in cold gas approximation  $(T_{kin} \sim kT) \rightarrow v_D \sim E$ ,  $\mu = const.$  in hot gas  $(T_{kin} >> kT) \rightarrow v_D = const.$ ,  $\mu = not const.$ 

#### Compare:

Electrons: v<sub>D</sub> of order cm/µs

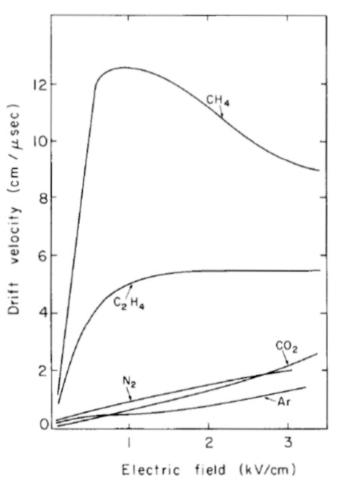
lons: v<sub>D</sub> of order cm/ms

$$D/\mu = kT/e$$

Einstein relation for ideal gases in thermal equilibrium
the gain in velocity may affect the diffusion rate and thereby the
time behavior of the detector (e.g. drift chamber)

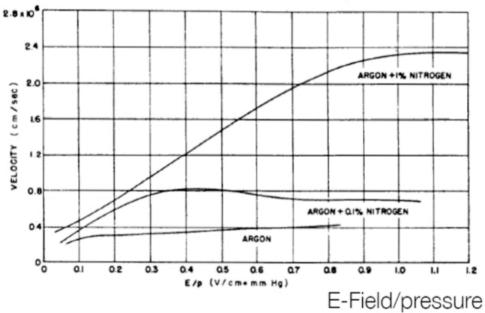
12

## Drift velocity

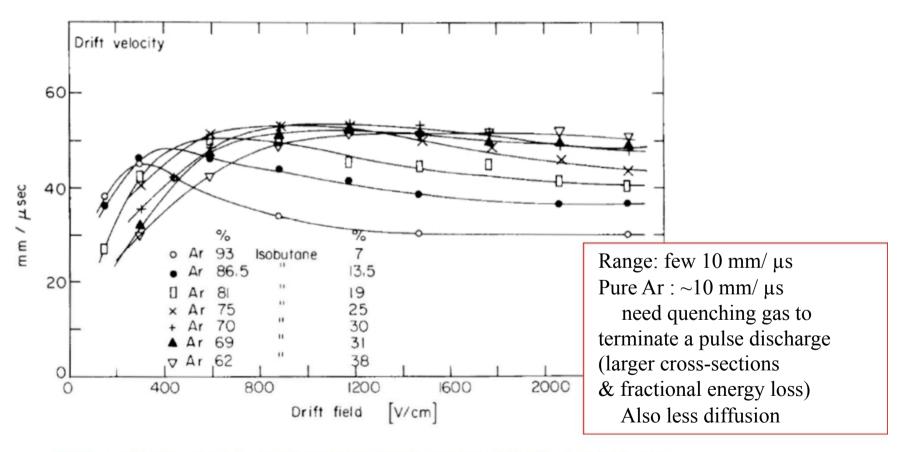


Drift velocity of electrons in several gases at normal conditions





## Drift velocity



Drift velocity in several argon-isobutane (C<sub>4</sub>H<sub>10</sub>) mixtures

## Avalanche multiplication

Large electric field yields large kinetic energy of electrons ...

→ Avalanche formation Larger mobility of electrons results in liquid drop like avalanche with electrons near head ...

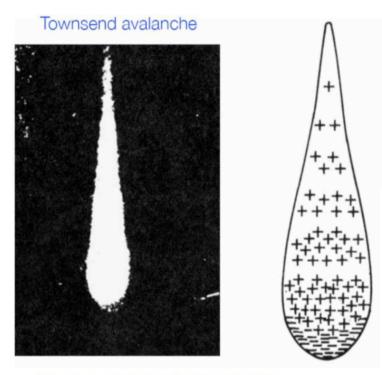
Mean free path:  $\lambda_{\text{ion}}$  [for a secondary ionization]

Probability of an ionization per unit path length:  $\alpha = 1/\lambda_{\text{ion}}$  [1st Townsend coefficient]

Gain:

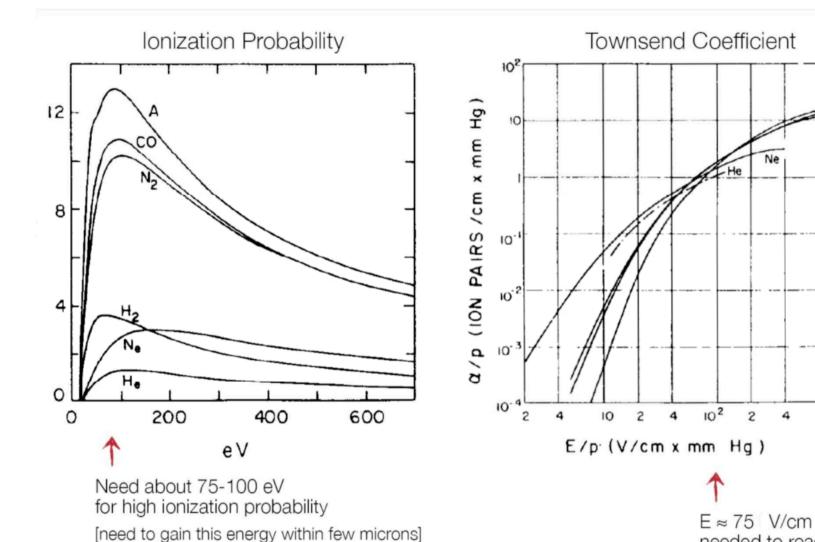
$$G = \frac{n}{n_0} = e^{\alpha x} \qquad \text{and more general for } \alpha = \alpha \text{(x)} : \quad G = \frac{n}{n_0} = \exp\left[\int_{x_1}^{x_2} \alpha(x) dx\right]$$

[Raether limit:  $G \approx 10^8$ ;  $\alpha x = 20$ ; then sparking sets in ...]



Drop-like shape of an avalanche Left: cloud champer picture Right: schematic view

## Avalanche multiplication



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needed to reach  $\alpha = 1$ 

## Gas amplification factor

#### Ionization mode:

full charge collection no multiplication; gain ≈ 1

#### Proportional mode:

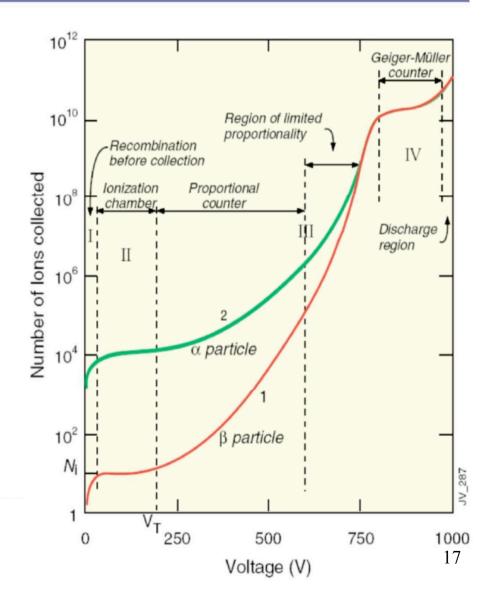
multiplication of ionization signal proportional to ionization measurement of dE/dx secondary avalanches need quenching; gain  $\approx 10^4 - 10^5$ 

## Limited proportional mode: [saturated, streamer]

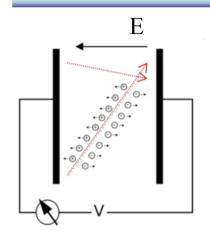
strong photoemission requires strong quenchers or pulsed HV; gain  $\approx 10^{10}$ 

#### Geiger mode:

massive photoemission; full length of the anode wire affected; discharge stopped by HV cut



## Proportional counter

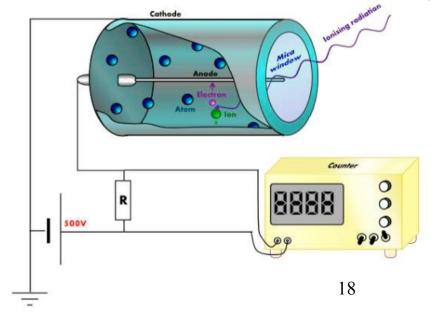


#### Planar design disadvantage:

E uniform and ⊥ to the electrodes amount of ionization produced proportional to path length and to position where the ionization occurs not proportional to energy

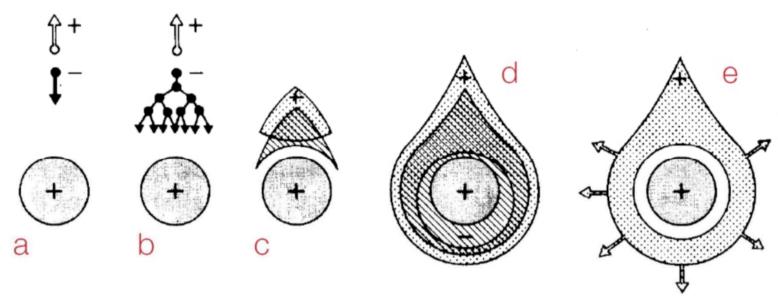
Problem solved using Cylindrical proportional counter:

Single anode wire in a cylindrical cathode  $E\sim1/r$ : weak field far from the wire electrons/ions drift in the volume multiplication occurs only near the anode



## Avalanche development

Time development of an avalanche near the wire of a proportional counter



- a) a single primary electron proceeds towards the wire anode,
- b) in the region of increasingly high field the electron experiences ionizing collisions (avalanche multiplication),
- c) electrons and ions are subject to lateral diffusion,
- d) a drop-like avalanche develops which surrounds the anode wire,
- e) the electrons are quickly collected (~1ns) while the ions begin drifting towards the cathode generating the signal at the electrodes.

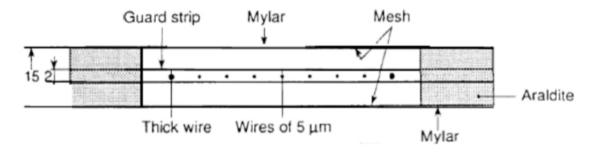
## Brief recap

#### So far:

- · we have defined the ionization and avalanche multiplication process
- we have the design of a single wire proportional counter
- with it we can measure the pulse signal from ionization

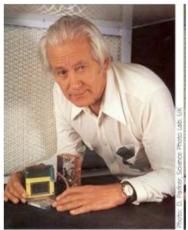
A proportional counter does not yet give a position measurement of the incident particle ...

multi-wire proportional chamber

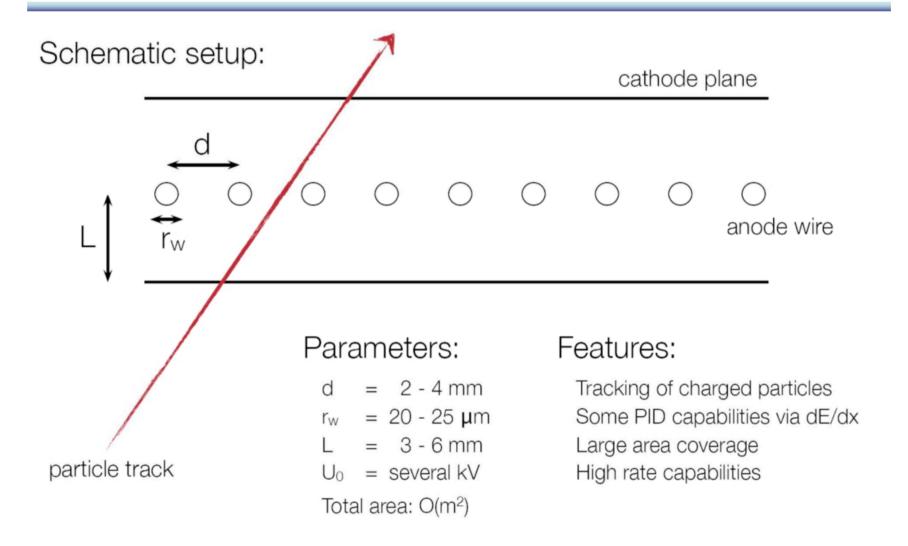


construction details of the original design of Charpak's multi-wire chambers

G. Charpak Nobel price (1992)

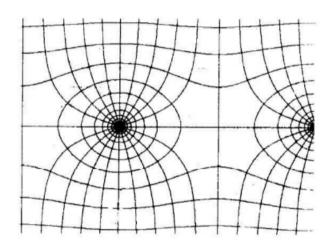


## Multi-wire proportional chamber (MWPC)



## MWPC – field distribution

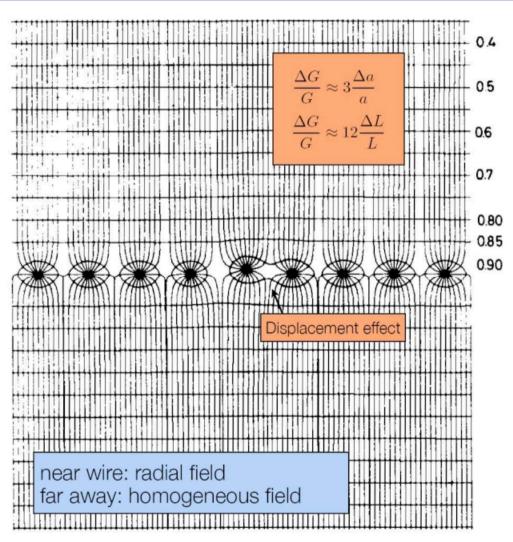
# Electric field lines and equipotentials



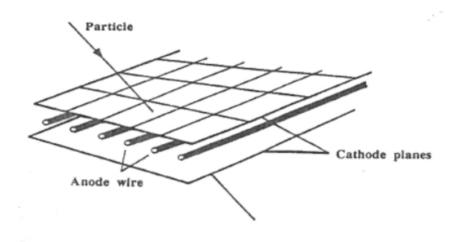
Small wire displacements reduce field quality ...

Need high mechanical precision both for geometry and wire tension ...

[electrostatics and gravitation; wire sag]



## MWPC – signal

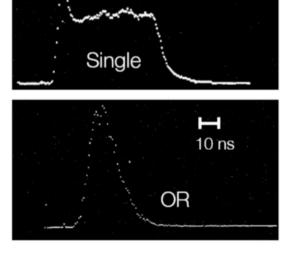


#### Signal generation:

Electrons drift to closest wire
Gas amplification near wire → avalanche
Signal generation due to electrons and
mainly slow ions

#### Timing resolution:

Depends on location of penetration for fast response: OR of all channels ... [typical:  $\sigma_t = 10 \text{ ns}$ ]



100 ns

## Multi-wire proportional chamber

#### Space point resolution:

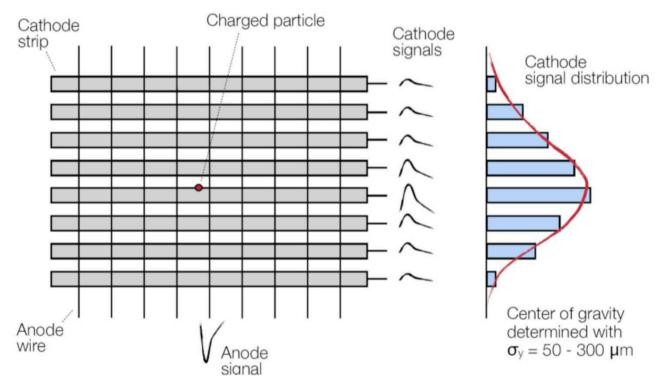
Only information about closest wire  $\rightarrow \sigma_x = d/\sqrt{12}$ 

[d=2-4 mm,  $\sigma_x \sim 0.6-1$ mm]

[Only one dimensional information]

#### Possible improvements:

- segmented cathode

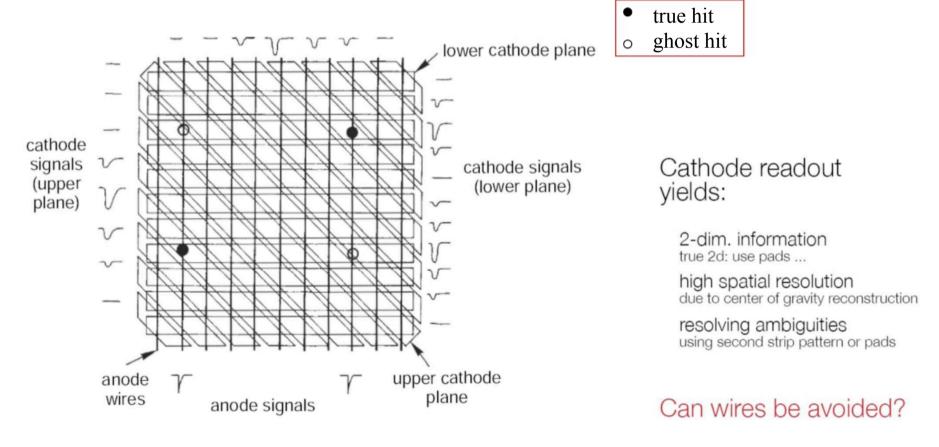


- 2-dim.: use 2 MWPCs with different orientation

- 3-dim.: several layers of such X-Y-MWPC combinations [tracking]

## 2D - MWPC

substantial functionality improvement due to cathode strips/pads ...



## Aging in wire chambers

Avalanche formation can be considered as micro plasma discharge.

#### Consequences:

Formation of radicals i.e. molecule fragments
Polymerisation yields long chains of molecules
Polymers may be attached to the electrodes
Reduction of gas amplification

#### Important:

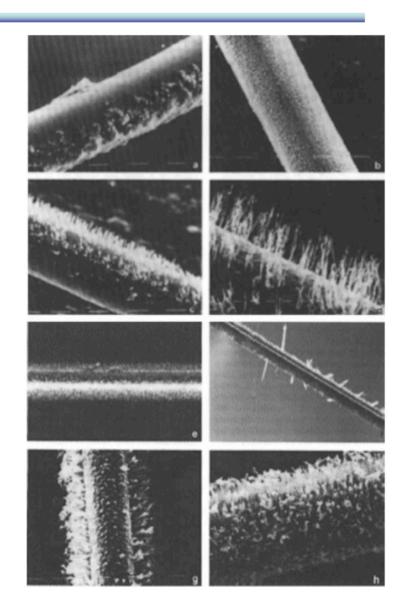
Avoid unnecessary contamination ...

Harmful are ...

Halogens or halogen compounds Silicon compounds Carbonates, halocarbons Polymers Oil, fat ...

....

Can wires be avoided?



## Micro-strip gas chambers (MSGC)

#### Can one avoid wires?

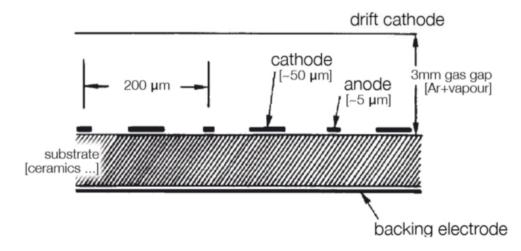
Anode realized via microstructures on dielectrics ...

Simple construction (today) Enhanced stability & flexibility Improved rate capabilities

#### First MSGCs developed in 1990ies ...

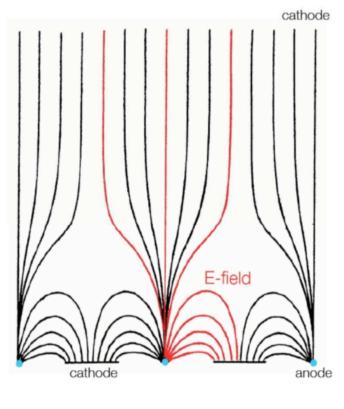
Problems: charging of isolation structure

[→ time-dependent gain; sparks, anode destruction]



## Schematics of MSGC field lines

high field directly above anode ions drift only 100 µm; yields low dead time ...



## MSGC – technical solutions

MGSCs prone to aging problems ... Solution: intermediate grid ...

e.g.: Micromegas

GEM detectors [Sauli, 1997]

#### Micromegas:

Fine cathode mesh collects ions still fast; no wires ...

#### GEM (Gas Electron Multiplier):

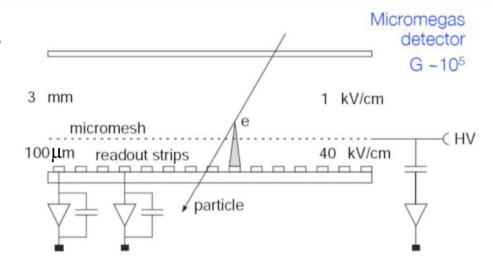
Thin insulating kapton foil coated with metal film ...

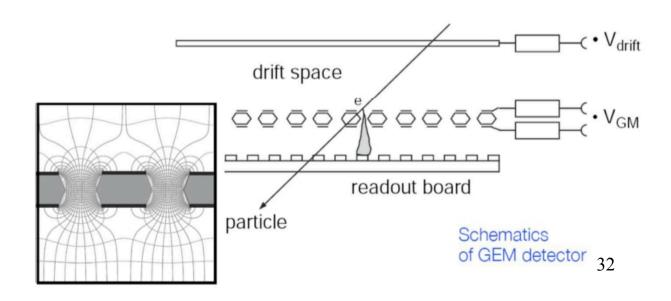
Contains chemically produced holes [100-200 µm]

Electrons are guided by high electric drift field of GEMs ...

Avalanche production ...

Electrons drift to anode GEM collects ions



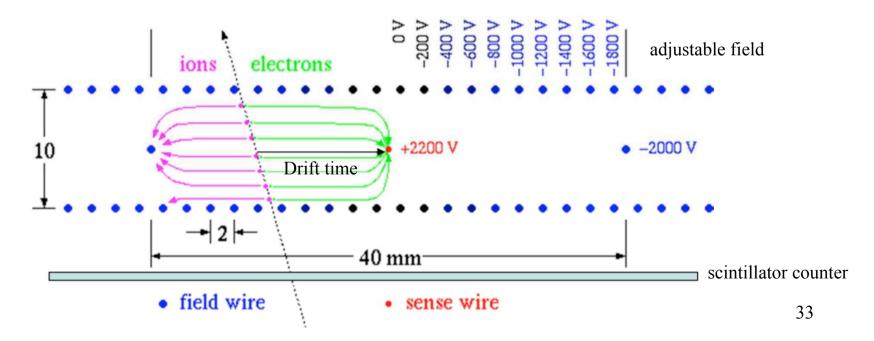


## Drift chamber

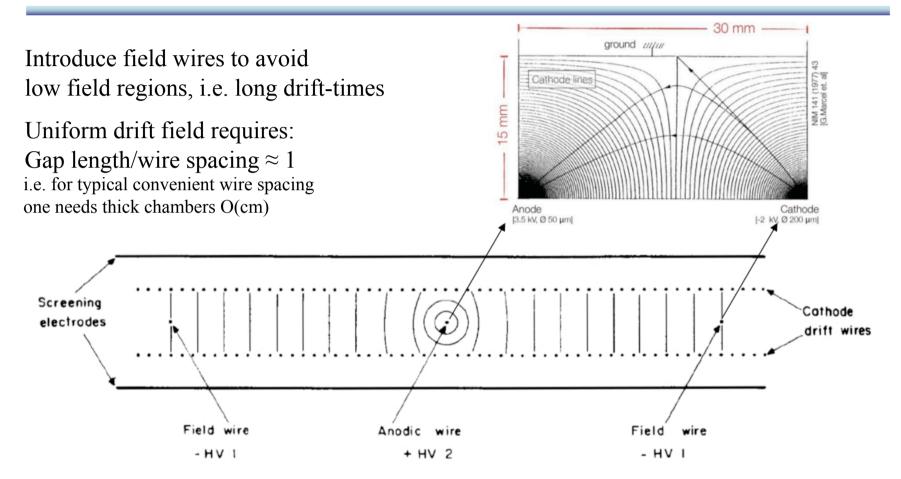
Alternative way to obtain spatial information: measure the electrons drift time

- time measurement started by an external (fast) detector, i.e. scintillator counter
- electrons drift to the anode (sense wire), in the field created by the cathodes
- the electron arrival at the anode stops the time measurement
- one-coordinate measurement:

$$x = \int_0^{t_D} v_D \, dt$$



## Drift chamber – field formation

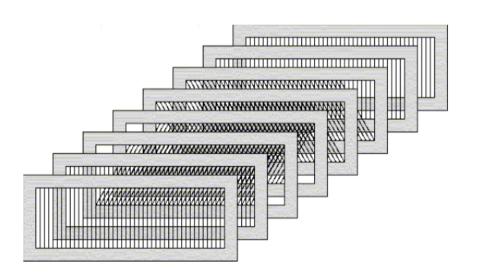


Adjustable field multi-wire drift chamber: introduction of voltage divider via cathode wire planes

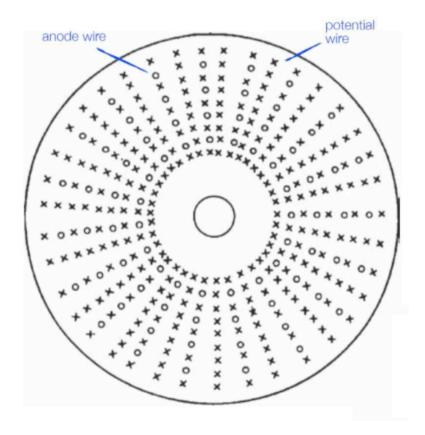
very few (or only one) anode wires space point resolution limited by mechanical accuracy [for large chambers:  $\sigma \approx 200 \ \mu m$ ] But: hit density needs to be low.

## Tracking detector

Tracking at fixed target experiments: Multi-layer MWPC or drift chamber



Tracking at collider experiments: cylindrical drift chamber



# H1 - Cylindrical drift chamber



Cylindrical Drift Chamber

[H1 Experiment]

Number of wires: ~ 15000 Total force from wire tension: ~ 6 t



## Time projection chamber

# Electronic 'bubble chamber' Full 3D reconstruction ...

xy: from wires and pads of MWPC z: from drift time measurement

Momentum measurement ... space point measurement plus B field ...

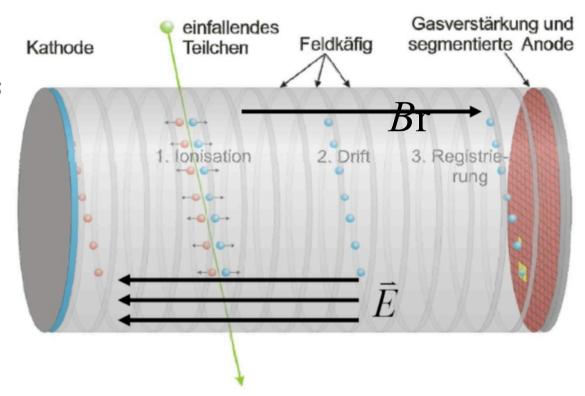
Energy measurement ... via dE/dx ...

#### TPC setup:

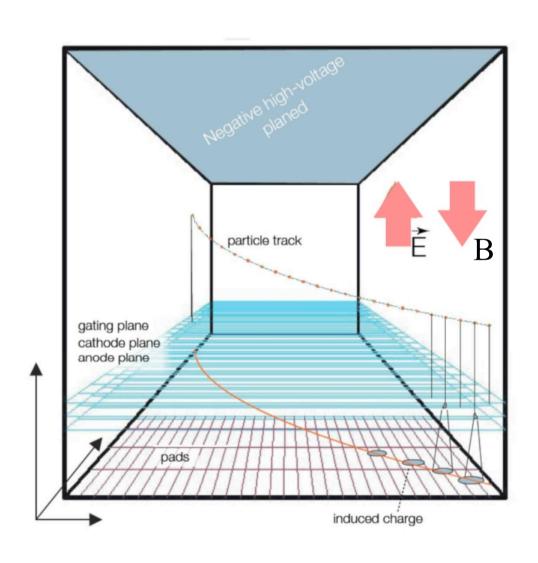
(mostly) cylindrical detector central HV cathode MWPCs at end-caps of cylinder B || to E → Lorentz angle = 0

#### Charge transport:

Electrons drift to end-caps
Drift distance several meters
Continuous sampling of induced charges in MWPC



## Time projection chamber



#### Advantages:

Complete track within one detector yields good momentum resolution

Relative few, short wires (MWPC only)

Good particle ID via dE/dx

Drift parallel to B suppresses transverse diffusion by factors 10 to 100

#### Challenges:

Long drift time; limited rate capability [attachment, diffusion ...]

Large volume [precision]

Large voltages [discharges]

Large data volume ...

Extreme load at high luminosity; gating grid opened for triggered events only ...

#### Typical resolution:

z: mm; x: 150 - 300 µm; y: mm

dE/dx: 5 - 10%

## TPC – technical solution

Difficulty: space charge effects due to slow moving ions

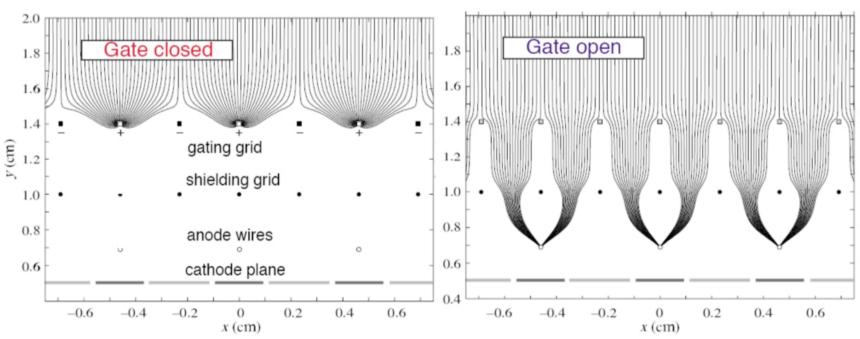
change effective E-field in drift region ....

Important: most ions come from amplification region

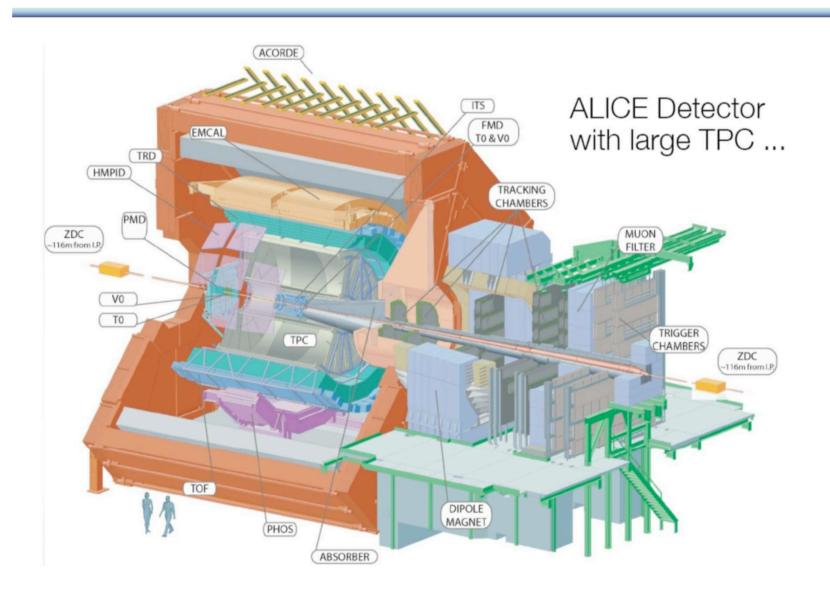
Solution: Invention of gating grid; ions drift towards grid ...

[Also: shielding grid to avoid sense wire disturbance when switching]

Requires external trigger to switch gating grid ...



## **ALICE - TPC**



## **ALICE - TPC**

Length: 5 meter Radius: 2.5 meter Gas volume: 88 m<sup>3</sup>

Total drift time: 92 µs High voltage: 100 kV

End-caps detectors: 32 m<sup>2</sup> Readout pads: 557568

159 samples radially 1000 samples in time

Gas: Ne/CO<sub>2</sub>/N<sub>2</sub> (90-10-5) Low diffusion (cold gas)

Gain: > 104

Diffusion:  $\sigma_t$  = 250  $\mu m$ Resolution:  $\sigma \approx$  0.2 mm

 $\sigma_p/p \sim 1\% p$ ;  $\epsilon \sim 97\%$ 

 $\sigma_{\text{dE/dx}}/(\text{dE/dx}) \sim 6\%$ 

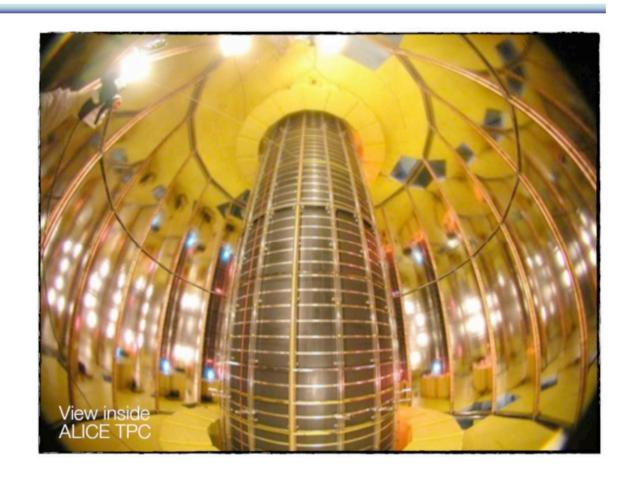
Magnetic field: 0.5 T

Pad size: 5x7.5 mm<sup>2</sup> (inner)

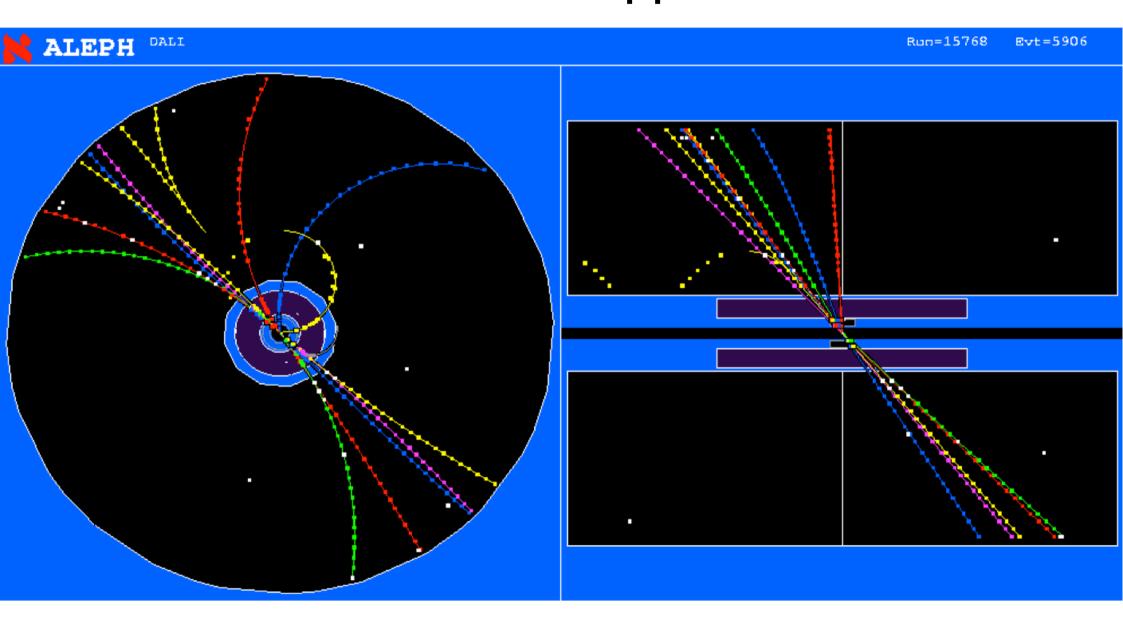
6x15 mm<sup>2</sup> (outer)

Temperature control: 0.1 K

[also resistors ...]



# ALEPH event: $e^+e^- \rightarrow qq$ , $E_{CMS} = 91$ GeV



Alice TPC event: Pb-Pb interaction,  $E_{CMS} = 2.57 \text{ GeV}$ 

