

Unification without Doublet-Triplet Splitting — SUSY Exotics at the LHC

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W. Kilian, J. Reuter, PLB **B642** (2006), 81, and work in progress (with F. Deppisch)

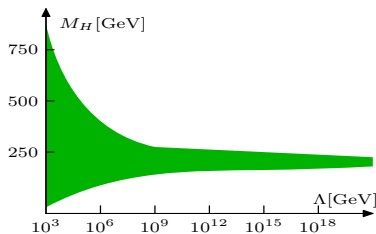
MSU, East Lansing, March 20, 2007

The Standard Model (SM) – Theorist's View

Renormalizable Quantum Field Theory (only with Higgs!) based on $SU(3)_c \times SU(2)_L \times U(1)_Y$ *non-simple* gauge group

Reducible representation:

$$\begin{aligned} & q(\mathbf{3}, \mathbf{2})_{\frac{1}{3}} \oplus \ell(\mathbf{1}, \mathbf{2})_{-1} \\ \oplus & u^c(\bar{\mathbf{3}}, \mathbf{1})_{-\frac{4}{3}} \oplus d^c(\bar{\mathbf{3}}, \mathbf{1})_{\frac{2}{3}} \\ \oplus & e^c(\mathbf{1}, \mathbf{1}) \oplus H(\mathbf{1}, \mathbf{2})_1 \end{aligned}$$



Incompleteness

- ▶ Electroweak Symmetry Breaking
- ▶ Higgs boson
- ▶ Origin of neutrino masses
- ▶ Dark Matter: $m_{DM} \sim 100$ GeV

Theoretical Dissatisfaction

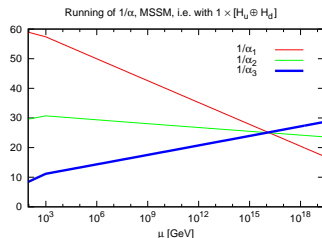
- ▶ 28 free parameters
- ▶ “strange” fractional $U(1)$ quantum numbers
- ▶ Hierarchy problem

Conventional and MSSM Unification

1971–74 Supersymmetry: consistent extrapolation to high scales

- ⇒ unification quantitatively testable (assuming a given spectrum)
- ⇒ two Higgs doublets H^u, H^d
- ⇒ superpartners for all SM particles, presumably in the TeV range

Bottom-Up Approach: *just MSSM*



1973 Unification of leptons and quarks by Pati/Salam:

$$G_{\text{SM}} \subset G_{\text{PS}} = SU(4)_c \times SU(2)_L \times SU(2)_R \times Z_2$$

Each matter family in irreducible rep. (incl. ν_R , 2nd Higgs doublet):

1974 Unification of gauge couplings by Georgi/Glashow:

$$G_{\text{SM}} \subset G_{\text{GG}} = SU(5)$$

Matter representation for $SU(5)$ is reducible (classically)

Simple-group unification: partial unification of leptons/quarks

The prime example: (SUSY) $SU(5)$

$$SU(5) \xrightarrow{M_X} SU(3)_c \times SU(2)_w \times U(1)_Y \xrightarrow{M_Z} SU(3)_c \times U(1)_{em}$$

$SU(5)$ has $5^2 - 1 = 24$ generators:

$$24 \rightarrow \underbrace{(8, 1)_0}_{G_\alpha^\beta} \oplus \underbrace{(1, 3)_0}_W \oplus \underbrace{(1, 1)_0}_B \oplus \underbrace{(3, 2)_{\frac{5}{6}}}_{X, Y} \oplus \underbrace{(\bar{3}, 2)_{-\frac{5}{6}}}_{\bar{X}, \bar{Y}}$$

$$gA^a \frac{\lambda^a}{2} = \frac{g}{\sqrt{2}} \begin{pmatrix} \sqrt{2}G^a \frac{\lambda_{GM}^a}{2} & (\bar{X}, \bar{Y}) \\ (X, Y)^T & \sqrt{2}W^a \frac{\sigma}{2} \end{pmatrix} - \frac{g}{2\sqrt{15}} B \text{diag}(-2, -2, -2, 3, 3)$$

$SU(5)$ breaking: Higgs Σ in adjoint 24 rep.

$$\langle \Sigma \rangle = w \times \text{diag}(1, 1, 1, -\frac{3}{2}, -\frac{3}{2}) \quad M_X = M_Y = \frac{5}{2\sqrt{2}} g w$$

other breaking mechanisms possible (e.g. orbifold)

Quantum numbers

- ▶ Hypercharge: $\frac{\lambda_{12}}{2} = \sqrt{\frac{3}{5}} \frac{Y}{2} \quad Y = \frac{1}{3} \text{diag}(-2, -2, 3, 3, 3)$

Quantized hypercharges are fixed by non-Abelian generator

- ▶ Weak Isospin: $T_{1,2,3} = \lambda_{9,10,11}/2$
- ▶ Electric Charge: $Q = T^3 + Y/2 = \text{diag}(-\frac{1}{3}, -\frac{1}{3}, -\frac{1}{3}, 1, 0)$
- ▶ Prediction for the weak mixing angle (with RGE running):

$$\alpha^{-1}(M_Z) = 128.91(2), \alpha_s(M_Z) = 0.1176(20), s_w^2(M_Z) = 0.2312(3)$$

$$\text{non-SUSY: } s_w^2(M_Z) = \frac{23}{134} + \frac{\alpha(M_Z)}{\alpha_s(M_Z)} \frac{109}{201} \approx 0.207$$



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$$\text{SUSY: } s_w^2(M_Z) = \frac{1}{5} + \frac{\alpha(M_Z)}{\alpha_s(M_Z)} \frac{7}{15} \approx 0.231$$



New Gauge Bosons

Two colored EW doublets:

$(X, Y), (\bar{X}, \bar{Y})$ with charges $\pm\frac{4}{3}, \pm\frac{1}{3}$

Fermions (Matter Superfields)

The only possible way to group together the matter:

$$\bar{\mathbf{5}} = \begin{array}{|c|} \hline \square \\ \hline \square \\ \hline \square \\ \hline \end{array} : \begin{pmatrix} d^c \\ g^c \\ b^c \\ l \\ -\nu_l \end{pmatrix} \quad \mathbf{10} = \begin{array}{|c|} \hline \square \\ \hline \square \\ \hline \end{array} : \frac{1}{\sqrt{2}} \left(\begin{array}{ccc|cc} 0 & u^c & -u^c & -u & -d \\ -u^c & 0 & u^c & -u & -d \\ u^c & -u^c & 0 & -u & -d \\ \hline u & u & u & 0 & -e^c \\ d & d & d & e^c & 0 \end{array} \right)$$

$$\bar{\mathbf{5}} = (\bar{\mathbf{3}}, \mathbf{1})_{\frac{2}{3}} \oplus (\mathbf{1}, \mathbf{2})_{-1} \quad \mathbf{10} = (\mathbf{3}, \mathbf{2})_{\frac{1}{3}} \oplus (\bar{\mathbf{3}}, \mathbf{1})_{-\frac{4}{3}} \oplus (\mathbf{1}, \mathbf{1})_2$$

Remarks

- ▶ $\mathbf{2} = \square = \bar{\mathbf{2}}$, $(\mathbf{5} \otimes \mathbf{5})_a = \mathbf{10}$, $(\mathbf{3} \otimes \mathbf{3})_a = \bar{\mathbf{3}}$, $(\square \otimes \square)_a = \begin{array}{|c|} \hline \square \\ \hline \square \\ \hline \end{array}$
- ▶ Quarks and leptons in the same multiplet
- ▶ Fractional charges from tracelessness condition (color!)
- ▶ $\bar{\mathbf{5}}$ and $\mathbf{10}$ have equal and opposite anomalies
- ▶ ν^c must be $SU(5)$ singlet

The Doublet-Triplet Splitting Problem

MSSM Higgses included in $\mathbf{5}_H \oplus \bar{\mathbf{5}}_H$

$$\mathbf{5}_H = (\mathbf{3}, \mathbf{1})_{-\frac{2}{3}} \oplus (\mathbf{1}, \mathbf{2})_1 : \begin{pmatrix} D \\ H_u \end{pmatrix} \quad \bar{\mathbf{5}}_H = (\bar{\mathbf{3}}, \mathbf{1})_{\frac{2}{3}} \oplus (\mathbf{1}, \mathbf{2})_{-1} : \begin{pmatrix} D^c \\ \epsilon H_d \end{pmatrix}$$

D, D^c colored triplet Higgses with charges $\pm \frac{1}{3}$ (EW singlet)
 colored Dirac fermion \tilde{D} with charge $-1/3$ (EW singlet)

Unification requires omitting colored part of SU(5) Higgs $\mathbf{5}_H, \bar{\mathbf{5}}_H$

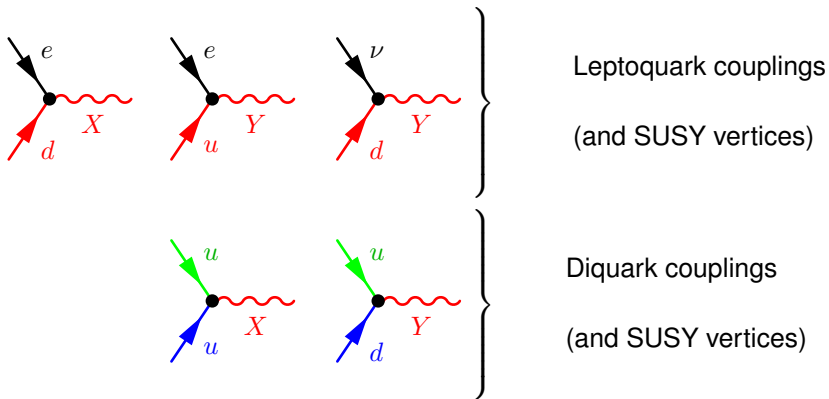
- **Doublet-triplet splitting problem** ($m_H \sim 100 \text{ GeV}, m_D \sim 10^{16} \text{ GeV}$)

Welcome, since SU(5)-symmetric Higgs interactions would read

$$\begin{aligned} \bar{\mathbf{5}} \mathbf{10} \bar{\mathbf{5}}_H &= \ell H_d e^c + q \epsilon H_d d^c + q \epsilon \ell D^c + d^c u^c D^c \\ \mathbf{10} \mathbf{5}_H \mathbf{10} &= q \epsilon H_u u^c + D u^c e^c + D q \epsilon q \end{aligned}$$

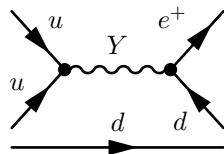
Generating SM masses \Rightarrow leptoquark *and* diquark coupl. for D, D^c
 \Rightarrow triggers **rapid proton decay**

Interactions



Vector bosons induce e.g.

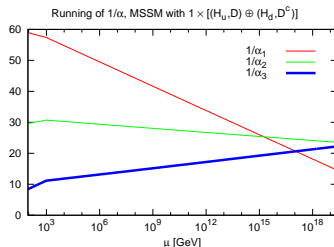
decay $p \rightarrow e^+ \pi^0$



Doublet-Triplet Splitting

Possible scenarios:

1. Colored singlets are heavy (GUT scale) = **doublet-triplet splitting**
 - ▶ enables exact unification near 10^{16} GeV and excludes rapid proton decay
 - ▶ Proton decay may still be too fast (depending on the superpotential)
 - ▶ Doublet-triplet splitting is not trivially available
2. Colored singlets are **light (TeV scale)**
 - ▶ Simple unification no longer happens near 10^{16} GeV, nor elsewhere



- ▶ Proton-decay coupl. must be excluded: consistent with GUT symmetry?

Further MSSM Issues

Even if doublet-triplet splitting is accepted,
the MSSM Higgs sector appears ad-hoc:

▶ **μ problem**

μ -term $\mu H_u H_d$ is supersymmetric, in principle not related to soft-SUSY-breaking Lagrangian:

Why is it $\mathcal{O}(100 \text{ GeV})$, not $\mathcal{O}(10^{16} \text{ GeV})$?

⇒ Possible extension as a solution: singlet Higgs S with superpotential

$$\lambda S H_u H_d \rightarrow \lambda \langle S \rangle H_u H_d = \mu H_u H_d$$

(does not change the unification prediction)

⇒ NMSSM, where $\langle S \rangle$ should be somehow related to soft-breaking Lagrangian

How?

Radiative Symmetry Breaking

MSSM with cutoff $\Lambda \sim 10^{16}$ GeV: major contribution to Higgs potential comes through Coleman-Weinberg mechanism:

$$-\text{---}\times\text{---} = \text{---} + \text{---}\bigcirc\text{---} + \text{---}\bigcirc\text{---}$$

\Rightarrow Large top Yukawa coupl. drives effective H_u mass squared negative:

$$m_{\text{eff}}^2 = (m_{H,\text{soft}}^2 + \mu^2) + (\Lambda^2 \cdot 0) + m_{t,\text{soft}}^2 \frac{\lambda^2}{16\pi^2} \ln \frac{m_{t,\text{soft}}^2}{\Lambda^2}$$

Such a mechanism may also be responsible for a S vev in the NMSSM

- ▶ requires the existence of a vectorlike pair of chiral superfields
 - ▶ for instance, D and D^c (colored) with coupling SDD^c
 - ▶ ... as required by $SU(5)$, if SH_uH_d is present
 - would simultaneously give a Dirac mass to D .
- ▶ Without tree-level quartic coupling, the CW mechanism implies $\langle S \rangle \sim 4\pi m_{\text{soft}}$, so $\langle S \rangle \gg \langle H \rangle$.

Further MSSM Issues

Even if doublet-triplet splitting is accepted,
the MSSM Higgs sector appears ad-hoc:

- Why is there only one family of Higgs matter? Neither $SU(5)$, nor G_{PS} (nor $SO(10)$) does **unify Higgs fields with SM matter**...



$$\begin{aligned}
 & \int \frac{v(\xi)}{\xi^2} \sin^2 \alpha_\omega d\xi \int ds (s - M_{\tilde{H}_2}^2) \delta(e^{\tilde{H}_2} \rightarrow \nu_{\mu L}) \frac{\Lambda^{4+\epsilon}}{\Omega^4} \\
 & - \sum e^{2e\theta^2} \frac{v_\mu^2}{(s - M_{\tilde{H}_2}^2)^2 + \Gamma^2} \cdot \frac{v_\mu}{\mu} e^{i\alpha} \frac{\Omega^2}{\mu} \\
 & - \iint \frac{d^4 \omega}{d\omega^4} g(\nu_{\mu L}, \nu_{\mu L}, \mu^2) g_{\mu\nu} e^{-i\omega^2} d^4 \omega \\
 & + \prod_{i=1}^n \langle \nu_{\mu L} | \nu_{\mu L} \rangle (1 - \Gamma^2) \frac{1}{1 - \Gamma^2} \\
 & + \int \frac{x^2}{1 + x^2 - \beta x^2} F\theta^2 W(\mu^2, s) \\
 & = 115 \text{ GeV}
 \end{aligned}$$

Gluhan, 2000

“This does not necessarily mean
that this is the Higgs mass!”

Higgs-Matter Unification

1976: Trinification: Treat all interactions equally

$$G_{\text{Tri}} = SU(3)_c \times SU(3)_L \times SU(3)_R \times Z_3$$

Multiplets:

$$L(1, 3, \bar{3}) = \begin{pmatrix} H_u^+ & H_d^0 & \nu_L \\ H_u^0 & H_d^- & e_L \\ e_R^c & \nu_R^c & S \end{pmatrix} \quad \begin{pmatrix} u_L \\ d_L \\ D_L \end{pmatrix} = Q_L(3, \bar{3}, 1)$$

$$Q_R(\bar{3}, 1, 3) = (u_R^c \quad d_R^c \quad D_R^c)$$

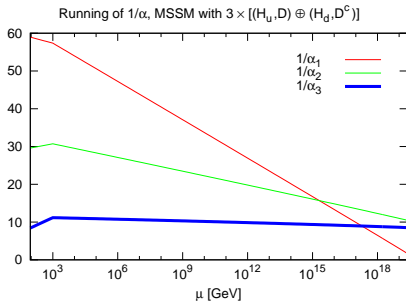
1976: E_6 as superset of trinification (and $SO(10)$)

with additional gauge bosons $X(3, 3, 3)$ and $\bar{X}(\bar{3}, \bar{3}, \bar{3}) \Rightarrow 78$

- \Rightarrow irreducible multiplet (27) unifies all matter, Higgs, colored and neutral singlets (within each family)
- \Rightarrow contains NMSSM, allows for radiative symmetry breaking in both singlet and doublet sectors

Higgs-Matter Unification

Complete G_{Tri} or E_6 multiplet: no unification

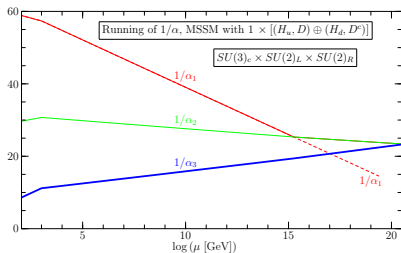


Possible scenarios:

1. Omit one bi-triplet D, D^c family \Rightarrow doublet-triplet splitting
2. Add one extra MSSM Higgs family \Rightarrow ESSM (S.King et al.)
3. Different unification pattern

Running With Triplets

Bottom-up approach: MSSM with one generation of triplets



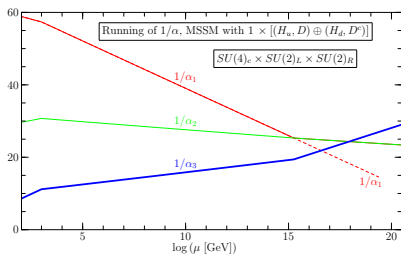
10^{15} GeV: crossing of $SU(2)_L$ and $U(1)_Y$

\Rightarrow unification to LR symmetry $SU(2)_L \times SU(2)_R$, requires ν_R^c

$SU(3)_c$ crosses at 10^{21} GeV: **too high**

Running With Triplets

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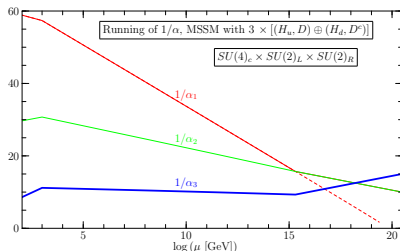
$SU(3)_c$ crosses at 10^{21} GeV: too high

⇒ extend to $SU(4)_C$: unification possible at 10^{18} GeV

Running With Triplets

Complete Model:

- ▶ Full SUSY E_6/G_{Tri} matter spectrum above 10^3 GeV, except ν^c



- ▶ PS symmetry with ν_R above 10^{15} GeV

$$\mathbf{Q}_L = (Q, L) = (\mathbf{4}, \mathbf{2}, \mathbf{1}) \quad \mathbf{D} = (D, D^c) = (\mathbf{6}, \mathbf{1}, \mathbf{1})$$

$$\mathbf{Q}_R = ((u^c, d^c), (\nu^c, \ell^c)) = (\bar{\mathbf{4}}, \mathbf{1}, \mathbf{2}) \quad \mathbf{S} = (\mathbf{1}, \mathbf{1}, \mathbf{1})$$

$$\mathbf{H} = (H_u, H_d) = (\mathbf{1}, \mathbf{2}, \mathbf{2})$$

- ▶ E_6 symmetry (and possibly extra fields) at 10^{18} GeV

Flavor Symmetry

Proton decay?

- ▶ Once triplets are included, a PS-symmetric superpotential contains leptoquark and diquark couplings simultaneously:

$$DQ_R Q_R = \epsilon_{\alpha\beta\gamma} \epsilon_{jkl} D_\alpha (Q_R)_{\beta j} (Q_R)_{\gamma k}$$

Possible solution: **extra flavor symmetry** $SU(3)_F$ (or $SO(3)_F$)

\Rightarrow D diquark coupling with $SU(2)_R, SU(3)_c, SU(3)_F$:

$$DQ_R Q_R = \epsilon^{abc} \epsilon_{\alpha\beta\gamma} \epsilon_{jkl} D_\alpha^a (Q_R)_{\beta j}^b (Q_R)_{\gamma k}^c$$

Vanishes due to total antisymmetry \Rightarrow **no proton decay**

Analogous for $\epsilon^{abc} \epsilon_{\alpha\beta\gamma} \epsilon_{jkl} (D^c)_\alpha^a (Q_L)_{\beta j}^b (Q_L)_{\gamma k}^c$

- ▶ **Leptoquark coupling of D not affected**

Eff. superpotential from (spontan.) breaking of LR and/or flavor symm.:

- ▶ Exclude spurions $\propto \epsilon_{\alpha\beta\gamma}$ (color space) \Rightarrow diquark couplings absent
- ▶ Integrating out heavy fields: **baryon number as low-energy symmetry, flavor symmetry not**

Sample Implementation

Toy Model (no dynamics!)

Extend $E_6 \times SU(3)_F$ to E_8

... by implementing $N = 2$ supersymmetry:

- ▶ We have: matter 27_3 and gauge $78_1 + 1_8$.
- ▶ Add: mirror matter $\overline{27}_3$
- ▶ supersymmetrize by adding *matter* $78_1 + 1_8$ and *gauge* $27_3 + \overline{27}_3$.

Decomposition of reps. in $E_8 \rightarrow E_6 \times SU(3)_F$:

$$248 = 27_3 \oplus \overline{27}_3 \oplus 78_1 \oplus 1_8$$

Result: matter 248 and gauge 248 (fundamental = adjoint)

Sample Implementation

Top-down

1. Somewhat below M_{Planck}

- ▶ $N = 2 \rightarrow N = 1$ breaking removes mirror matter, leaving E_6 zero mode of chiral matter $\mathbf{27}_3$, maybe adjoint matter $\mathbf{78}_1$ and $\mathbf{1}_8$
- ▶ Flavor $SU(3)$ on the zero modes (would be anomalous) is broken by colorless spurions, e.g., condensate $\langle \mathbf{1}_8 \rangle$.
- ▶ E_6 is broken to G_{PS} by colorless spurions, e.g., bilinear = Higgs 'μ term' $\langle \bar{H}_u \bar{H}_d \rangle$ in the $\overline{\mathbf{27}}_3$ mirror representation
- ▶ Additional allowed spurion = Singlet $\langle \mathbf{1}_1, \mathbf{1} \rangle = \langle \bar{S} \rangle$ (3. gen.)

Note: all spurions so far break flavor as well

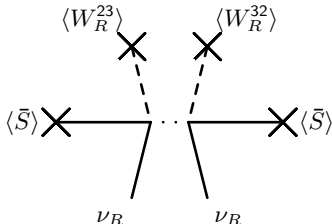
Result:

- ▶ PS symmetry
- ▶ all MSSM superpotential terms allowed, but subject to PS symmetry and flavor constraints (no quark mixing)
- ▶ Flavor dynamics in higher-dim. superpotential due to $\mathbf{1}_8$ matter exchange

Sample Implementation

2. At 10^{15} GeV

Condensate in adjoint matter representation: $\langle \mathbf{78}_1 \rangle = \langle W_R^{23} \rangle$
 + higher-dimensional terms $(\mathbf{27} \mathbf{78} \mathbf{27})^2$



$\Rightarrow \nu_R$ Majorana mass

\Rightarrow PS symmetry broken to SM

\Rightarrow Leptoquark couplings possible for D, D^c , but no diquark couplings

Sample Implementation

3. At 10^3 GeV

Soft-breaking terms (hidden sector) induce radiative symmetry breaking $\langle S \rangle$ via D/D^c loops

- $\Rightarrow \mu_D$ -term $D^c \langle S \rangle D$ (Dirac masses)
- $\Rightarrow \mu_H$ -term $H_u \langle S \rangle H_d$
- $\Rightarrow Z'$ mass if the extra $U(1)$ broken by $\langle S \rangle$ was gauged

... with flavor mixing

4. At 10^2 GeV

Soft-breaking + effective μ -term induce radiative symmetry breaking $\langle H_u \rangle$ via t/t^c loops

- $\Rightarrow \langle H_d \rangle$ due to Higgs superpotential + soft-breaking terms
- \Rightarrow Dirac masses for all charged MSSM matter
- \Rightarrow Majorana masses (see-saw) for ν_L

... again, with flavor mixing

Dark Matter

MSSM Higgses: H_u^f, H_d^f with $f = 1, 2, 3$

- * VEV selects single direction (taken as $f = 3$) in family space
 \Rightarrow 1 gen. MSSM Higgses, 2 gen. “unhiggses”

(2 bi-doublets = 8 charged and 8 neutral scalars + fermion superpartners)

In gauge interactions, unhiggses are pair-produced, thus suppressed in precision data, but also Yukawa interactions

- 1) FCNC
- 2) resonant single production in $q\bar{q}$ or e^+e^- annihilation

Unhiggses very heavy *or* artificially aligned *or* suppressed

\Rightarrow (approximate?) H parity: odd for unhiggses, even otherwise

And why not? Flavor symmetry removes the need for R parity anyway.

If H parity is exact:

- ▶ lightest unhiggs: H parity protected dark matter
- ▶ Pair production of unhiggses/unhiggsinos, cascade decays

... *and R parity is exact:*

- ▶ dark matter mix: interesting relic abundance
 (relaxes all neutralino bounds!)

A little bit of Pheno

Deppisch/Kilian/JR

Next step: **Provide a viable low-energy spectrum**

At LHC:

1) 1 – 3 pairs of scalar leptoquarks D_L, D_R .

- ▶ probably heavy $\gtrsim 1$ TeV (but hierarchy is possible)
- ▶ pair-produced in gg fusion at LHC
- ▶ decay into ℓu and νd :
 - generation-diagonal, or just third-generation: τt and νb or
 - generation-crossed (flavor symmetry!): $e c, e b, \mu d, t e, t \mu \dots$
 - $gq \rightarrow D\ell$ production enhanced
 - or, if R -parity is violated, may mix with down-type squarks.

2) 1 – 3 fermionic leptoquarkinos \tilde{D}

- ▶ are probably heavy as well, but somewhat lighter than scalars (because $m^2 = \lambda \langle S \rangle^2 + m_{\text{soft}}^2$)
- ▶ are also pair produced (maybe singly if R -parity is violated)
- ▶ decay into $\tilde{\ell} j$, or $\ell \tilde{q}$, or $\nu \tilde{q}$
 - rich signatures!
 - spin measurement distinguishes from ordinary squarks

A little bit of Pheno

3) (non)"standard" MSSM Higgs

- ▶ Relaxed Higgs bounds (like in NMSSM)
- ▶ Possibly large invisible decay ratio ($\tilde{\chi}^0, a$)

4) 2 – 4 doublets of unhiggses

- ▶ probably only pair-produced: Drell-Yan, maybe Higgs decays (singlets involved)
- ▶ missing-energy signatures, unique identification could be difficult: ILC?

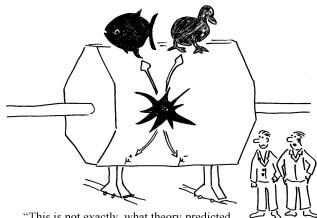
5) 1 – 3 singlet scalars + pseudoscalars

- ▶ masses, properties?

6) and all associated neutralinos (≤ 11) and charginos (≤ 4)

- ▶ large and complicated chargino/neutralino mixing matrices. Decay chains at LHC become difficult to understand.

7) Either heavy Z' (gauged NMSSM) or light pseudo-axion(s) η corresponding to extra $U(1)$



"This is not exactly, what theory predicted for the Higgs decay!"

Conclusion: LHC phenomenology rich

...

and confusing

Summary

3 independent building blocks for exotic SUSY phenomenology

Color-triplet 'leptoquark' scalars/fermions are present in the low-energy spectrum

- ▶ leads to a different unification pattern
- ▶ favoring PS symmetry above the R-neutrino mass scale

Flavor symmetry prohibits proton decay

- ▶ instead of (or in addition to) R parity
- ▶ Superpotential terms are due to GUT- and flavor-breaking
- ▶ therefore do not exhibit GUT relations

Higgs sector is flavored

- ▶ Unhiggses (1st and 2nd generation) carry conserved quantum number
- ▶ Unhiggses dark matter candidates
- ▶ Ordinary MSSM stuff might decay via R -parity violation

Confusing LHC pheno, but handle to GUT scale

Some Unification needs time

