SUA N_{tr} symmetric

T_n = 

n

$$T_n^{(k)} = (-1)^{n+k} 2^{n-1} \frac{n!}{k!(n-k)!}$$

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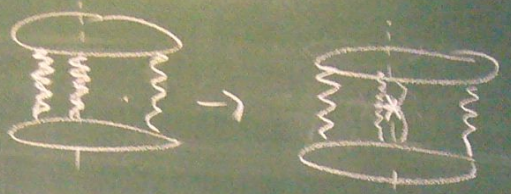
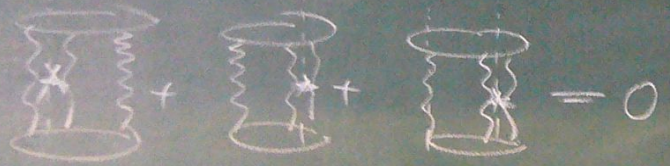
pQCD.

hard linear state 

(c) Single jet inclusive # section:

rescattering cancels:



Reggeons:

(b) 2-jet incl. # section.

rescattering cancels

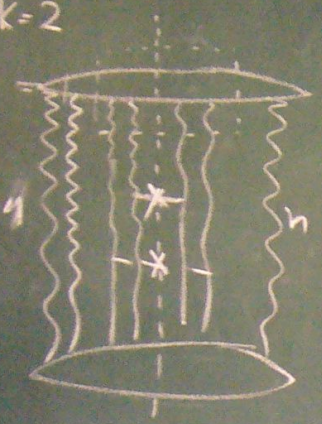
Mueller Navelet

Multi-b-jet (Triclosan)

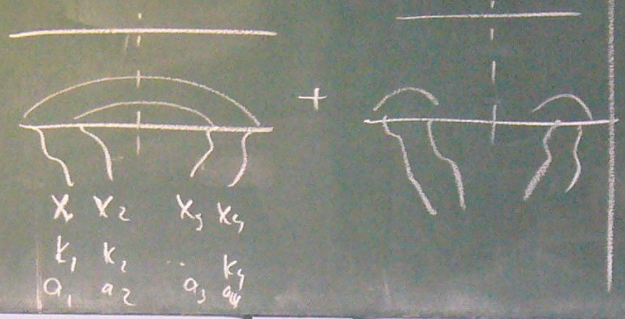
Underlying event

n exchanges, k "spared lines"

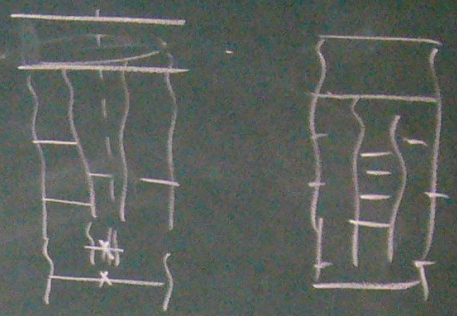
k=2 n-k uncut



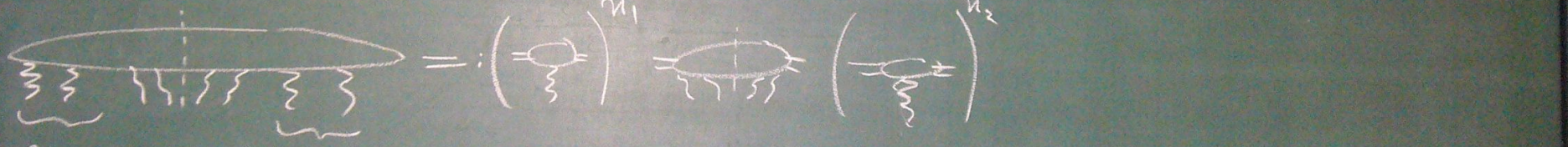
Symmetry (momentum, colour)



Evolution before



Eikonal ansatz



$(n_1 + n_2 = n-2)$

$$\sum_{n \geq k} \frac{(-1)^{n-k}}{k!\,(n-k)!} \int d^2b \left(\Omega_{soft}(s,b)\right)^{n-k} \Omega_{hard}(s,b,..)^k$$

$$= \int d^2b \, \frac{\Omega_{hard}(s,b)^k}{k!} \, e^{-\Omega_{soft}(s,b)}$$