

# Simplified Models for BSM Higgs searches.

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# Motivations.

We, as phenomenologists, think that it would be nice to have a reinterpretation of the experimental data into simplified models that can be easily translated into the different phenomenological models. For that reason we have developed a framework focused on simplified models for BSM Higgs searches.

It is important to clarify that when we refer to BSM Higgs searches are not the “normal” Higgs channels, i.e.  $H, A \rightarrow \tau \tau$ , but the channels with a non-SM final state involving at least one DM/invisible particle.

# Framework.

Every simplified model has:

$\phi^0$  : Heavy scalar resonance.

$\mathcal{M}_{S,V,F}$  : Mediator (scalar, vector, fermion)

$\mathcal{I}_{S,V,F}$  : Invisible particle (scalar, vector, fermion)

We want to see if the differences of the nature of the particles could play a role in the searches.

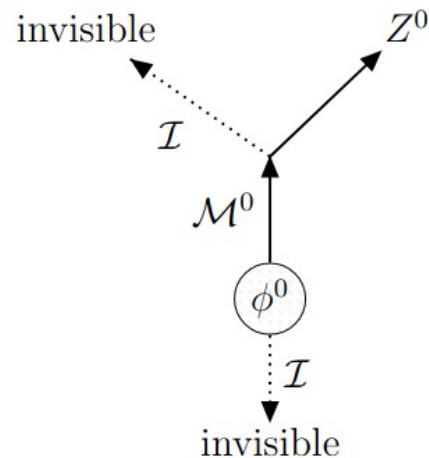
These simplified models are already in Feynrules/MadGraph.

# Signatures.

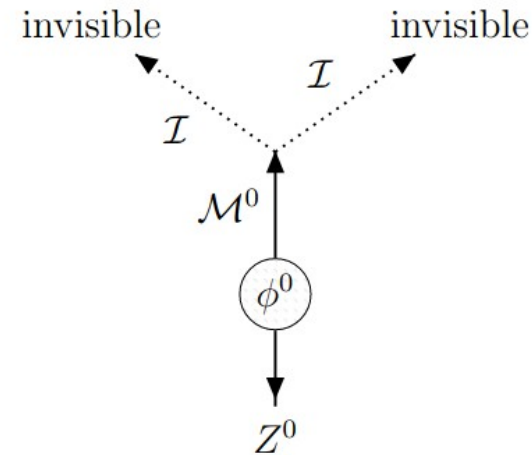
We study the following signatures:

- Dilepton + MET
- Z + MET
- ZZ + MET
- WW + MET
- H + MET
- HH + MET

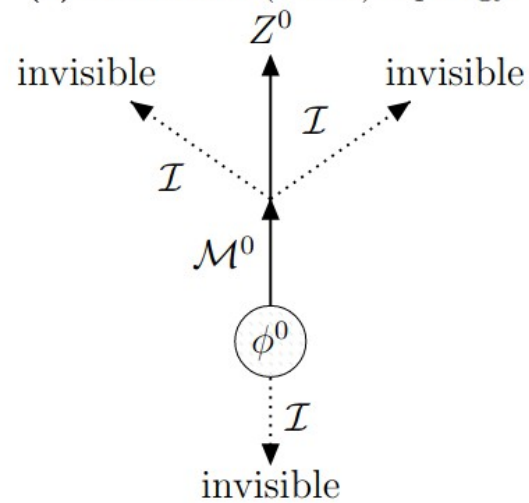
# Z + MET.



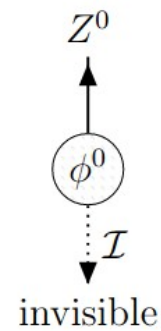
(a) Z-balanced (2-vs-1) topology.



(b) Z-unbalanced (2-vs-1) topology.

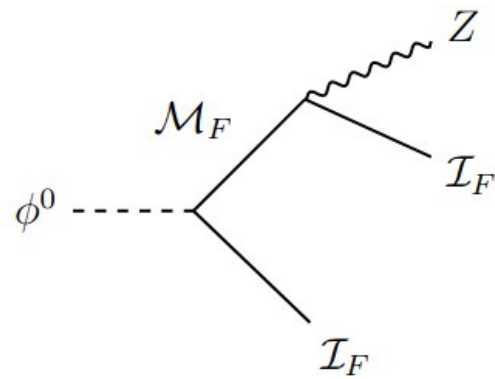


(c) Z-balanced (3-vs-1) topology.

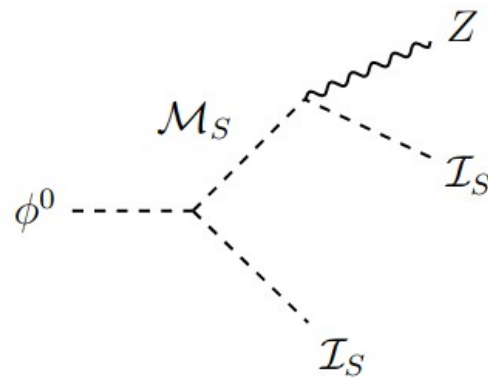


(d) Z-unbalanced (1-vs-1) topology.

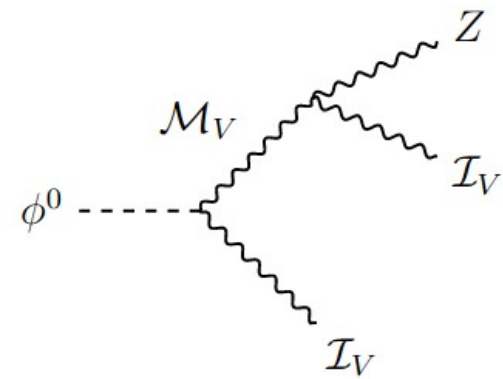
# Z + MET.



(a)  $\mathcal{M}_F \mathcal{I}_F$ -Z-balanced 2-vs-1 topology.

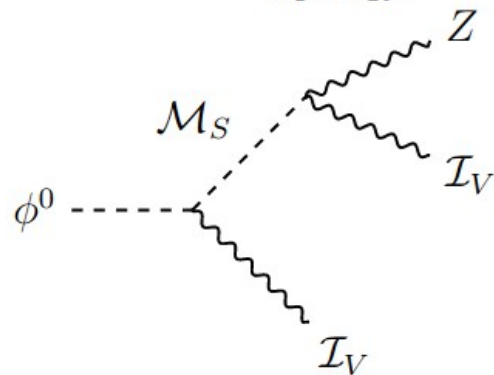
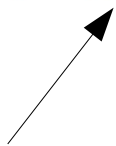


(b)  $\mathcal{M}_S \mathcal{I}_S$ -Z-balanced 2-vs-1 topology.

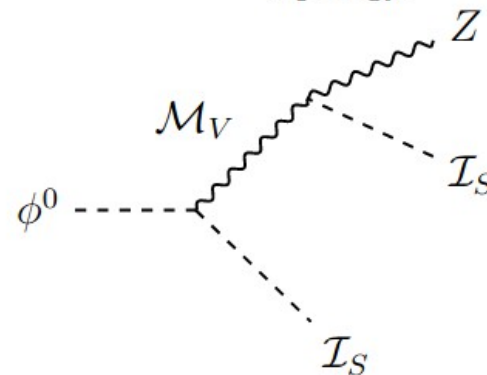


(c)  $\mathcal{M}_V \mathcal{I}_V$ -Z-balanced 2-vs-1 topology.

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(d)  $\mathcal{M}_S \mathcal{I}_V$ -Z-balanced 2-vs-1 topology.



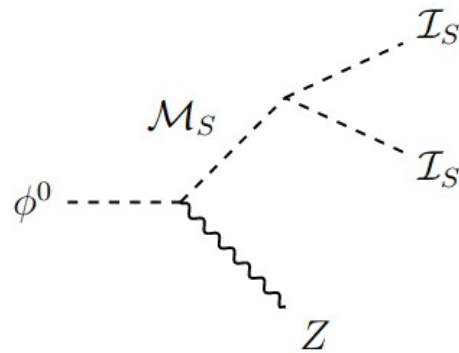
(e)  $\mathcal{M}_V \mathcal{I}_S$ -Z-balanced 2-vs-1 topology.

# Z + MET.

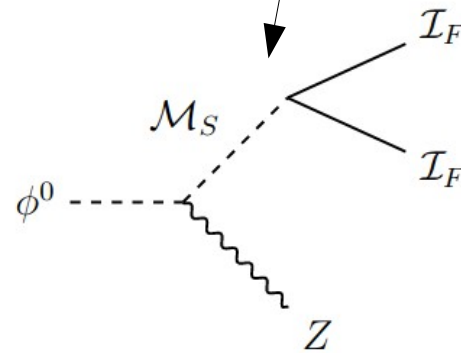
MSSM:  $H \rightarrow ZA, A \rightarrow \tilde{\chi}\tilde{\chi}$

THDMa (fermion DM)

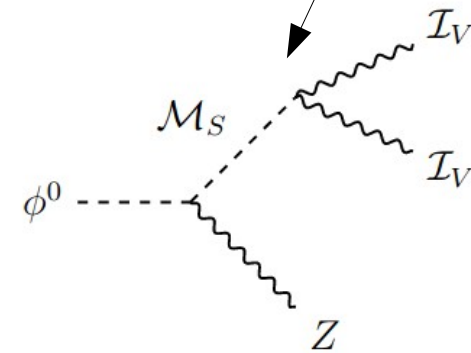
THDMa (vector DM)



(a)  $\mathcal{M}_S \mathcal{I}_S$ -Z-unbalanced 2-vs-1 topology.

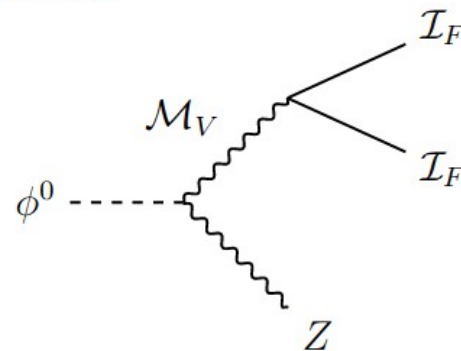


(b)  $\mathcal{M}_S \mathcal{I}_F$ -Z-unbalanced 2-vs-1 topology.



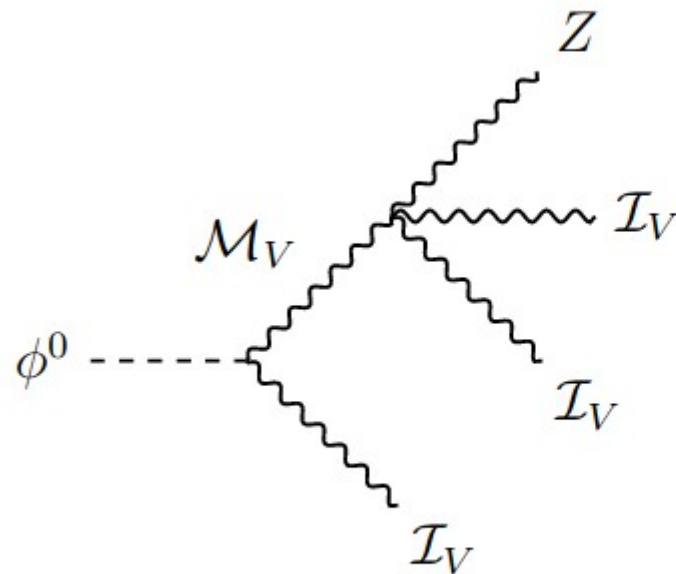
(c)  $\mathcal{M}_S \mathcal{I}_V$ -Z-unbalanced 2-vs-1 topology.

THDMa (scalar DM)

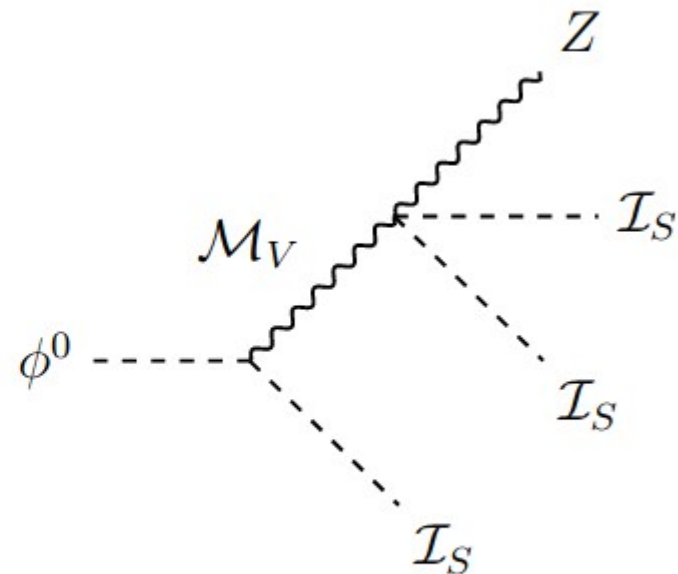


(d)  $\mathcal{M}_V \mathcal{I}_F$ -Z-unbalanced 2-vs-1 topology.

# Z + MET.



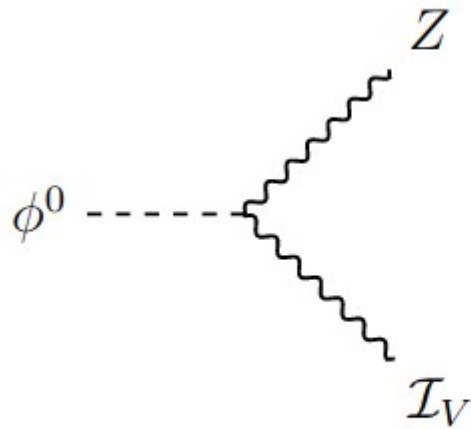
(a)  $\mathcal{M}_V \mathcal{I}_V$ -Z balanced 3-vs-1 topology.



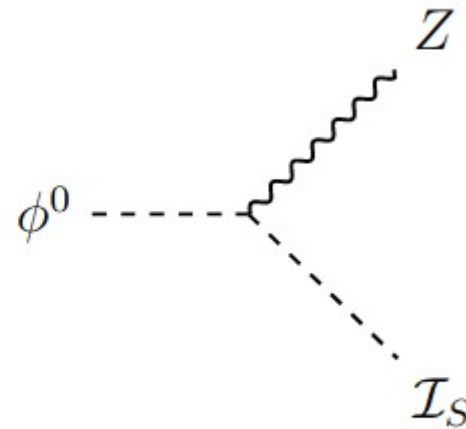
(b)  $\mathcal{M}_V \mathcal{I}_S$ -Z balanced 3-vs-1 topology.



# Z + MET.



(a)  $\mathcal{I}_V$ - $Z$ -unbalanced 1-vs-1 topology.



(b)  $\mathcal{I}_S$ - $Z$ -unbalanced 1-vs-1 topology.

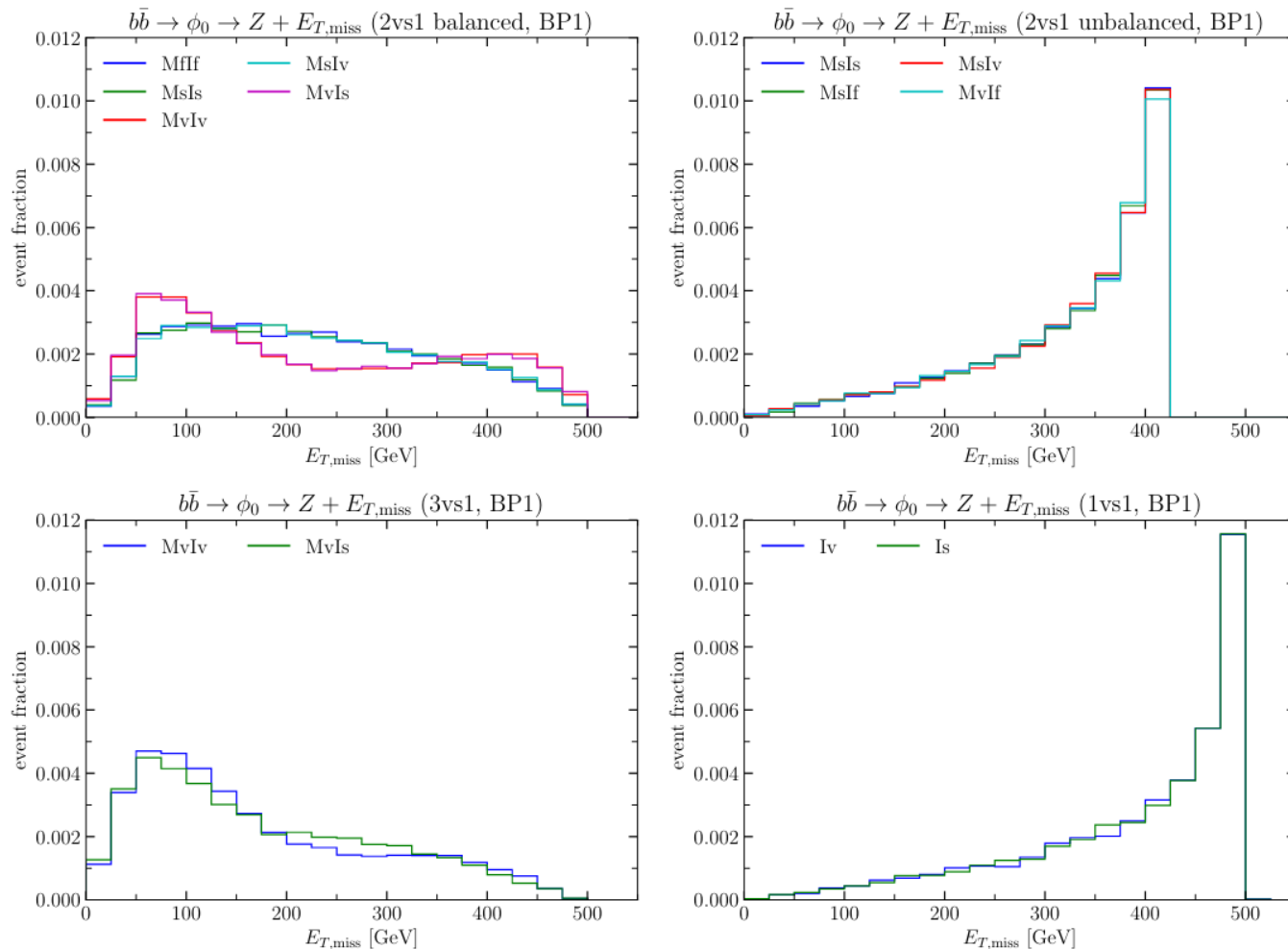
# Z + MET.

Benchmark Points:

- BP1:  $m_\phi = 1 \text{ TeV}$ ,  $m_M = 400 \text{ GeV}$ ,  $m_I = 10 \text{ GeV}$
- BP2:  $m_\phi = 1 \text{ TeV}$ ,  $m_M = 400 \text{ GeV}$ ,  $m_I = 100 \text{ GeV}$
- BP3:  $m_\phi = 1 \text{ TeV}$ ,  $m_M = 260 \text{ GeV}$ ,  $m_I = 10 \text{ GeV}$
- BP4:  $m_\phi = 1.5 \text{ TeV}$ ,  $m_M = 400 \text{ GeV}$ ,  $m_I = 10 \text{ GeV}$

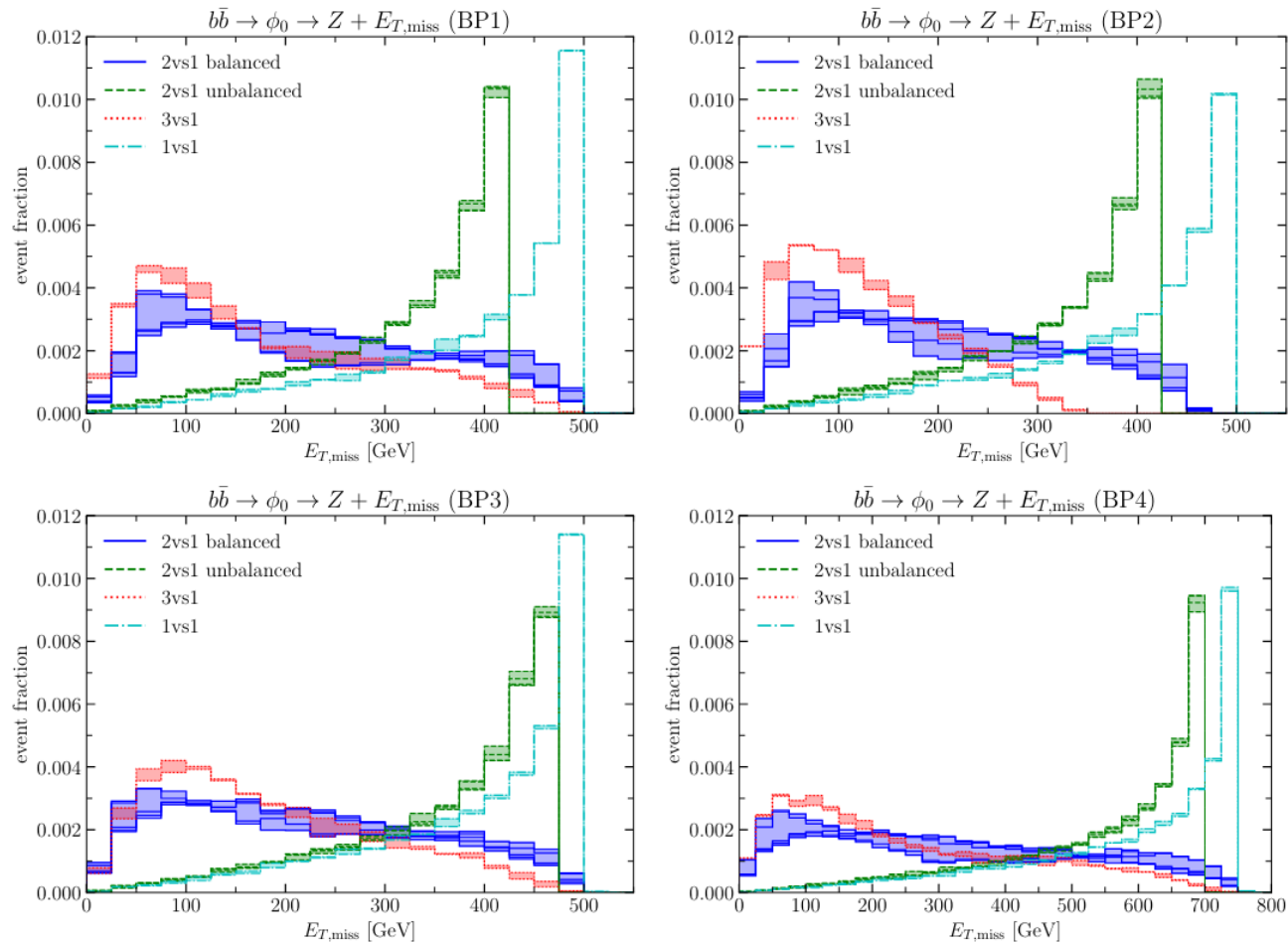
# Z + MET

Parton Level:



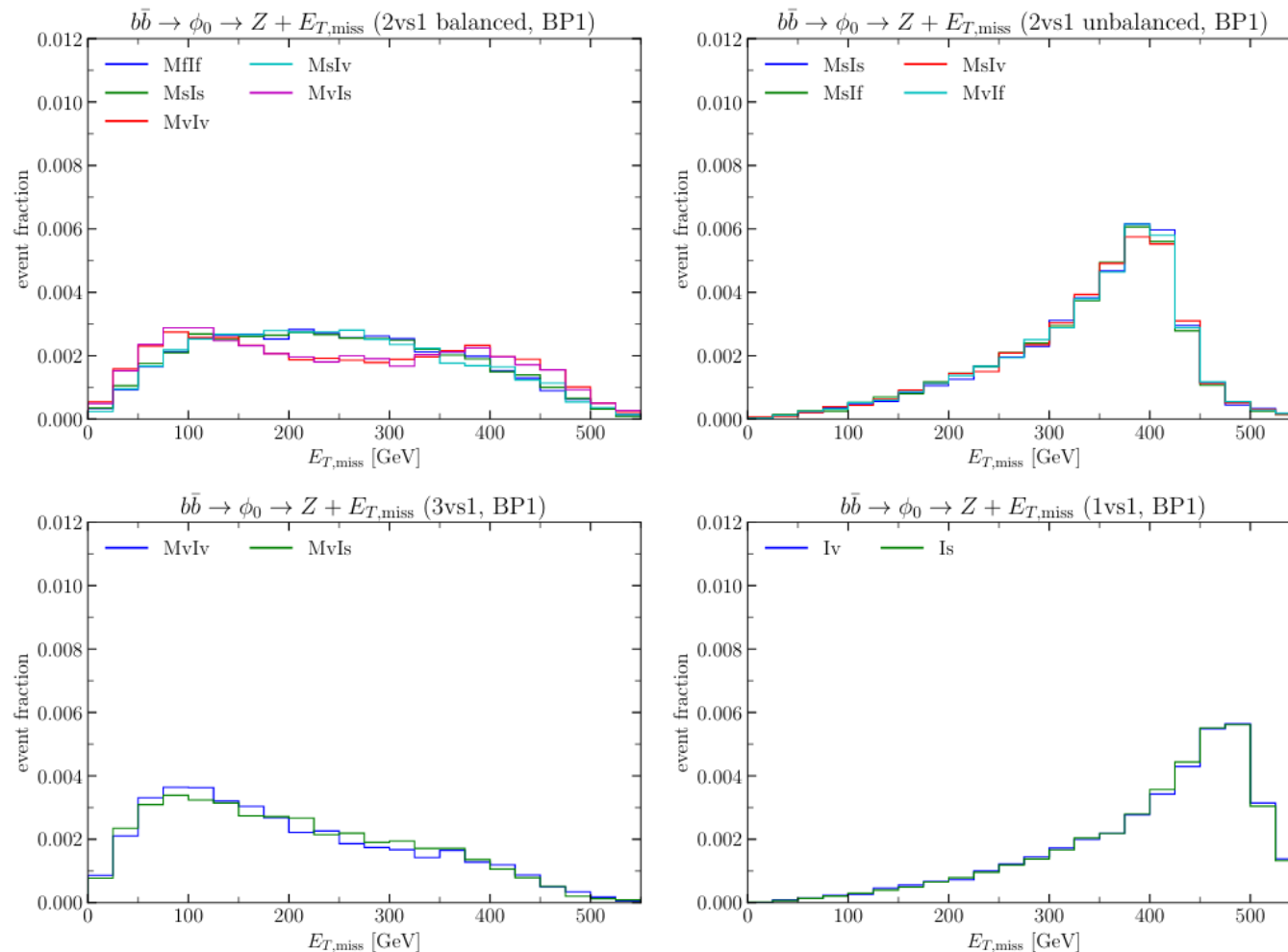
# Z + MET

Parton Level:



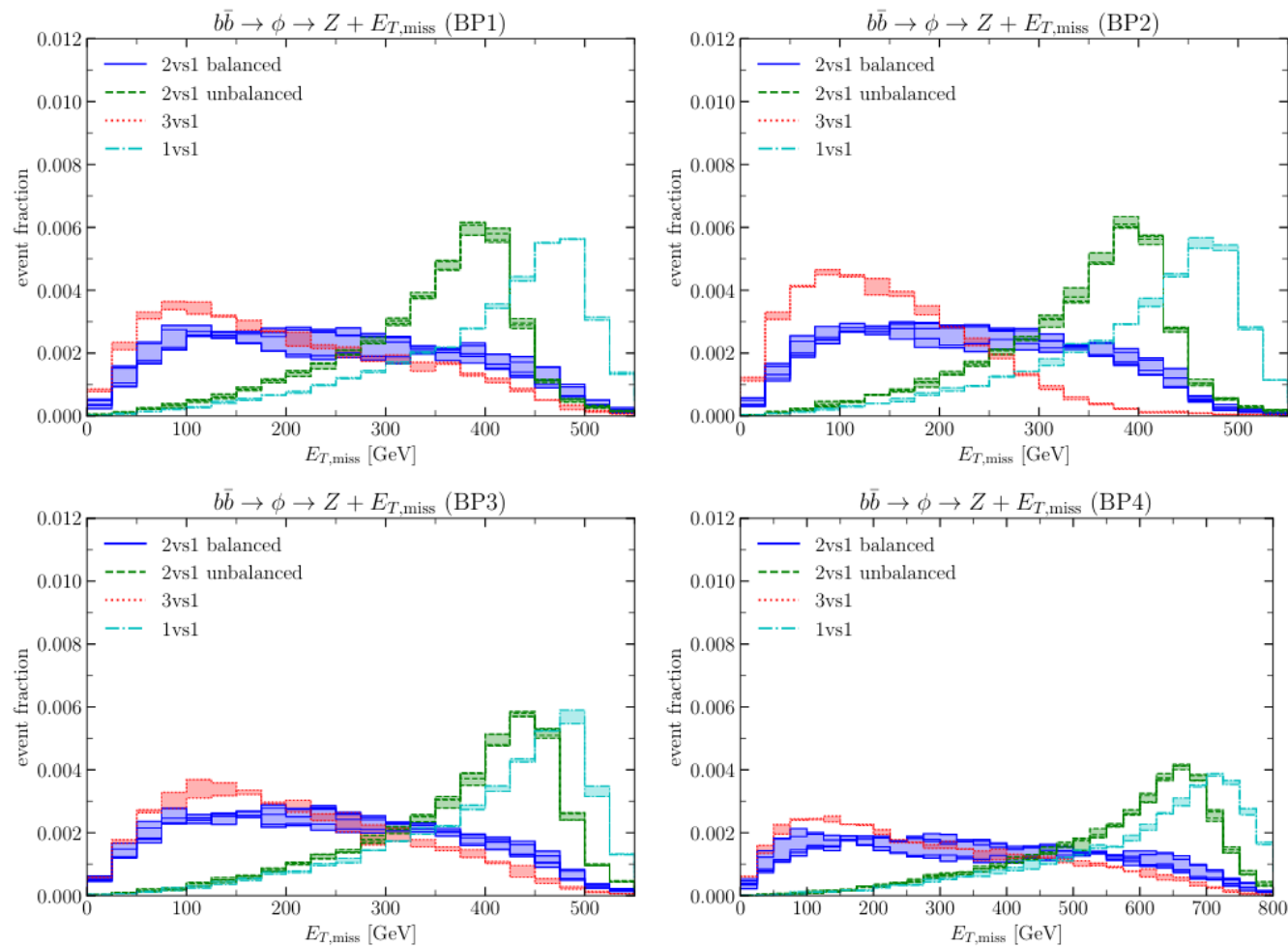
# Z + MET.

## Detector Level:



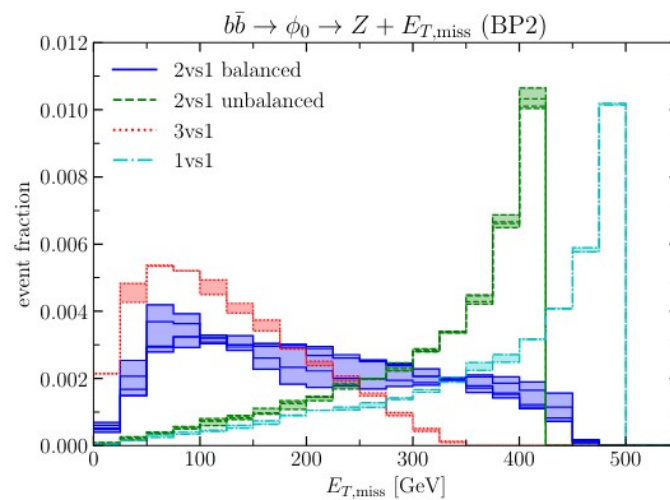
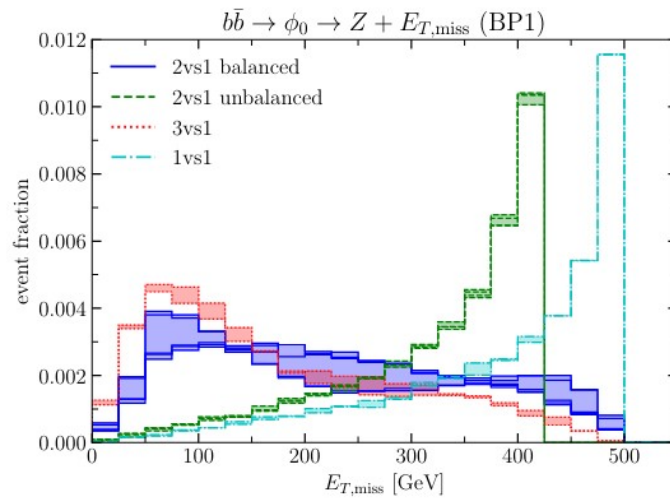
# Z + MET.

Detector Level:

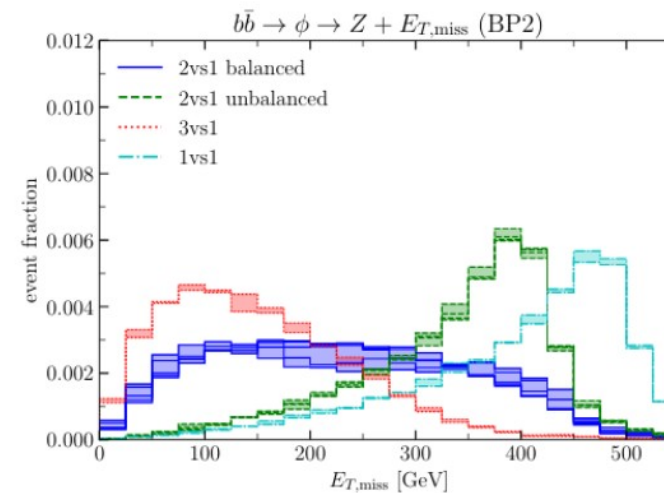
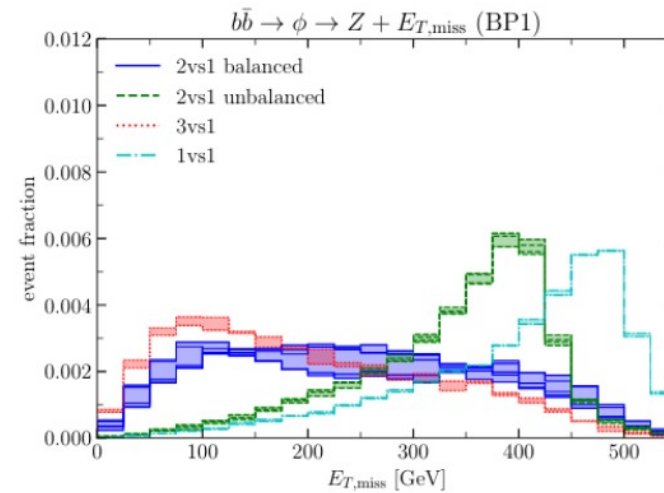


# Z + MET

## Parton Level

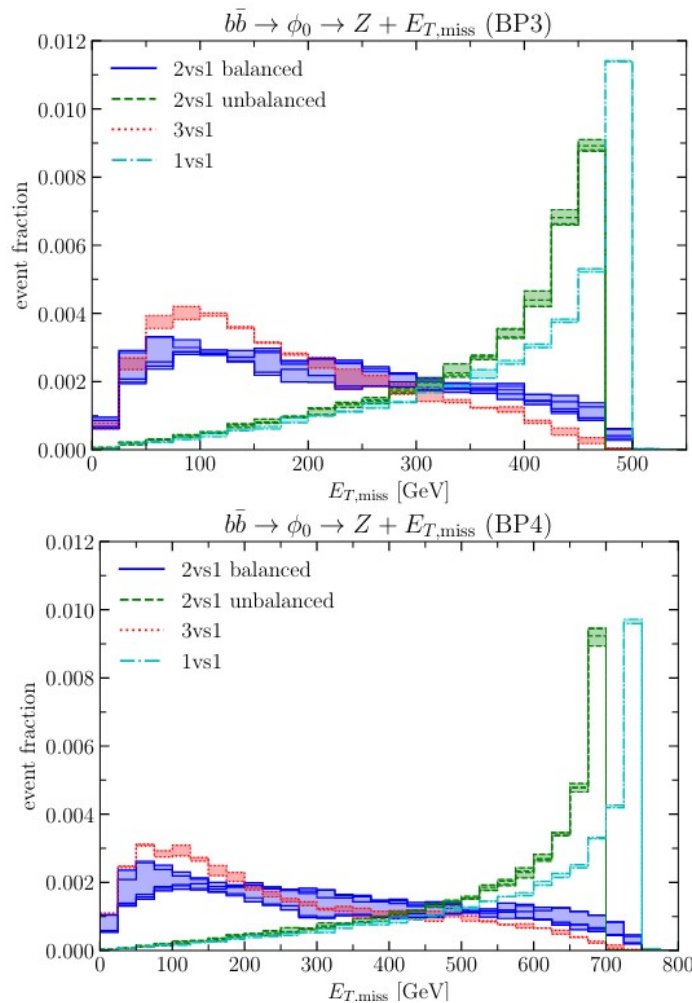


## Detector Level

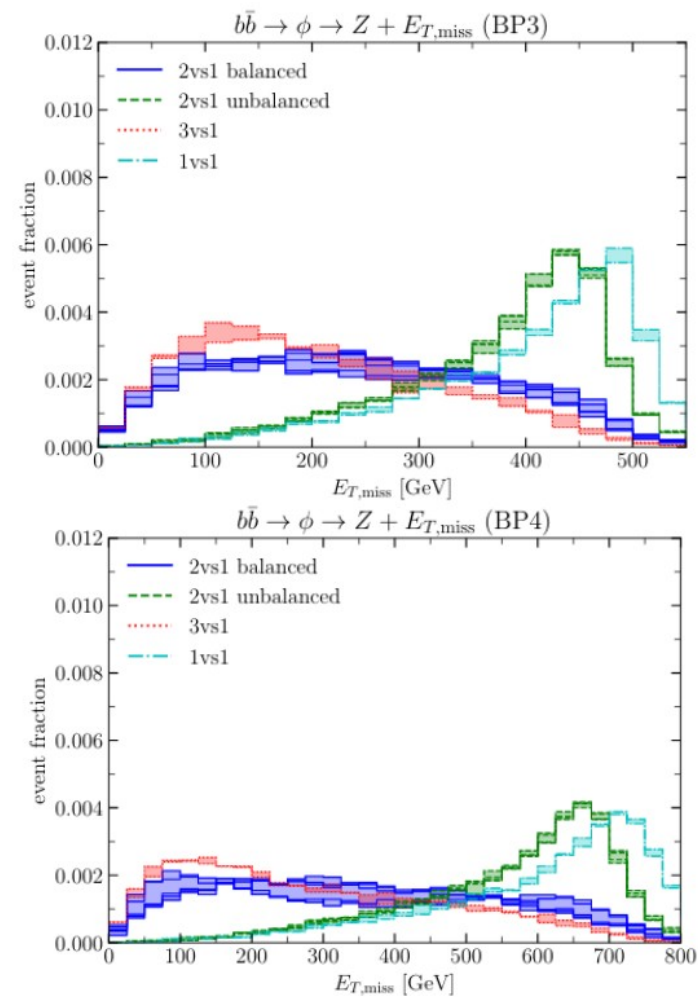


# Z + MET

## Parton Level



## Detector Level





# Z + MET.

Limits on the  $(m_\phi, m_M)$  for fixed values of  $m_I$   
(like SUSY searches)

