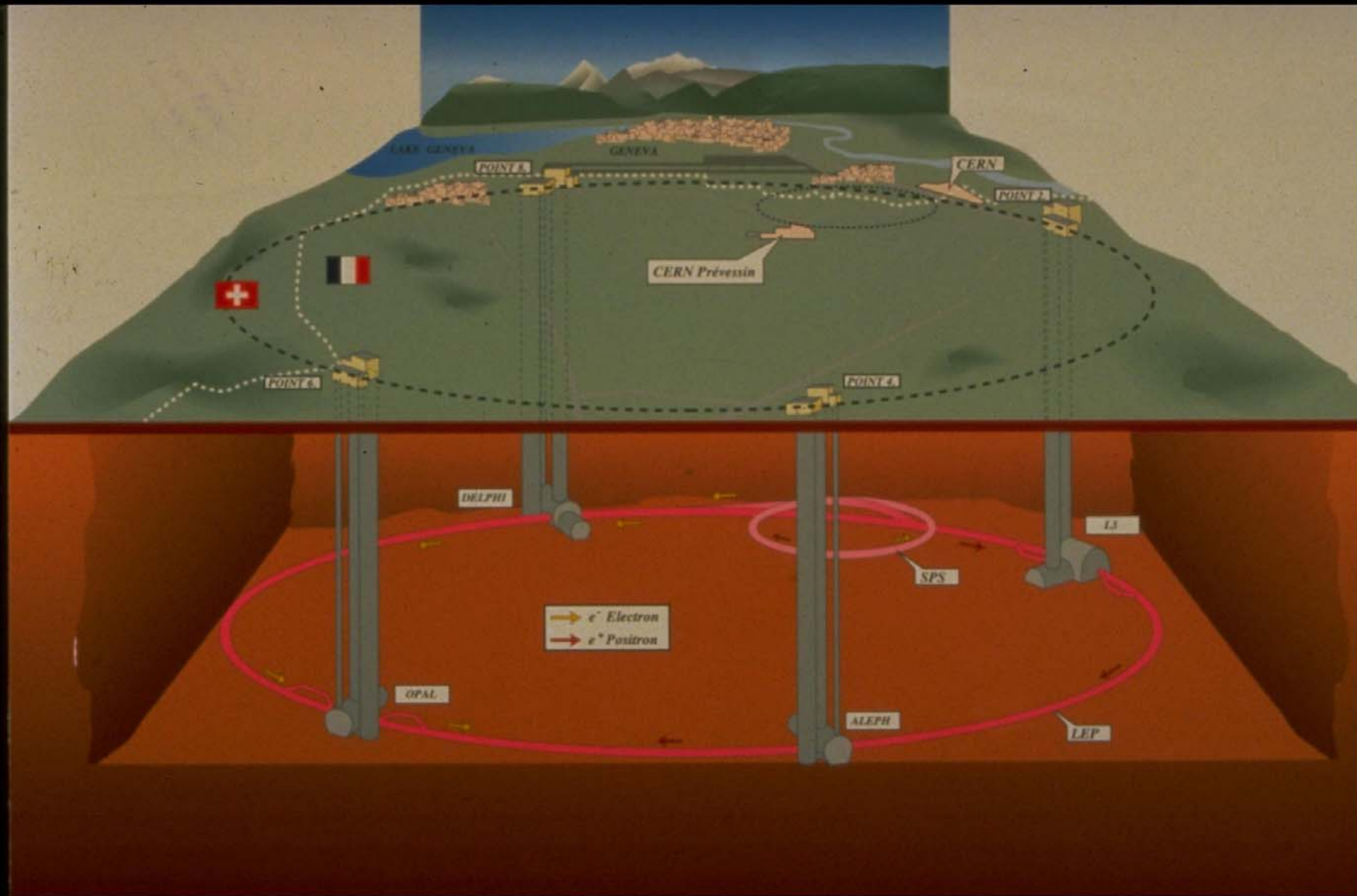


Experimentelle Tests des elektro-schwachen Standard-Modells bei LEP + SLC

Klaus Desch, 10.12.2003

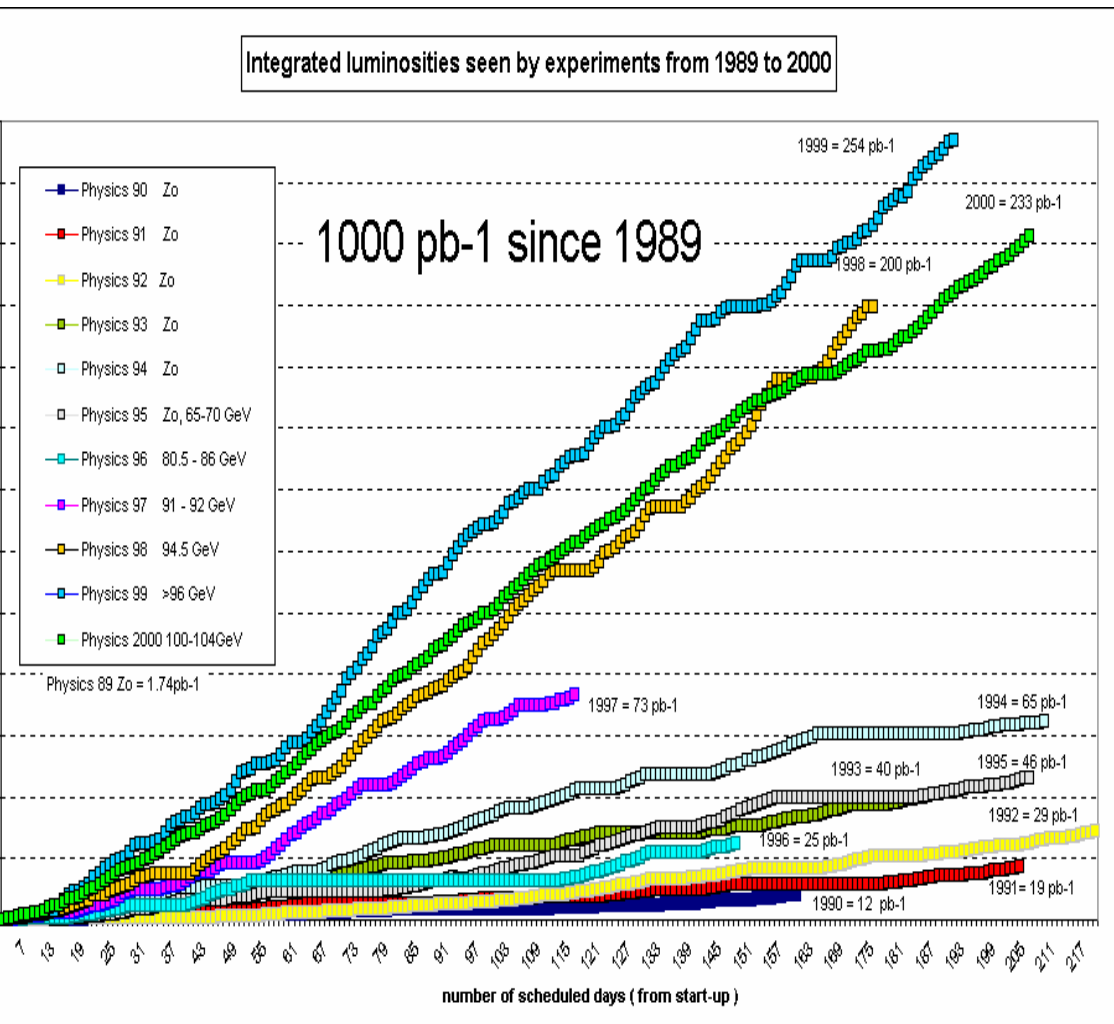
Der LEP Collider am CERN



Der LEP Collider am CERN

Umfang	~27 km
Schwerpunktsenergie	92.1 GeV(LEP1) to 209 GeV(LEP 2)
Beschleunigungs-Gradient	bis 7 MV/m (SC cavities)
Anzahl Bunches	4 x 4
Strom pro Bunch	~ 750 μ A
Luminosität (Z0)	~ $24 \times 10^{30} \text{cm}^{-2} \text{s}^{-1}$ (~1 Z0/s)
Luminosität (LEP2)	~ $50 \times 10^{30} \text{cm}^{-2} \text{s}^{-1}$ (3 WW/h)
Wechselwirkungszone	4 (ALEPH,DELPHI,L3,OPAL)
Energie-Kalibration	< 1 MeV (Z0)

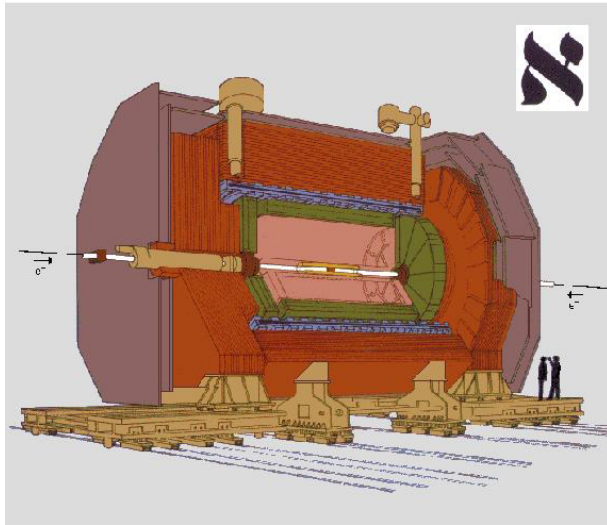
Der LEP Collider am CERN



LEP 1	1990-1995	~91 GeV 4 Millionen ZO's
	1995	Testphase für LEP2: 130 GeV
	1996	161-172 GeV: WW-Schwelle
	1997	183 GeV 1000 W-Paare
	1998	189 GeV 2500 W-Paare
	1999	192-200 GeV 3000 W-Paare
LEP 2	2000	200-209 GeV 3000 W-Paare

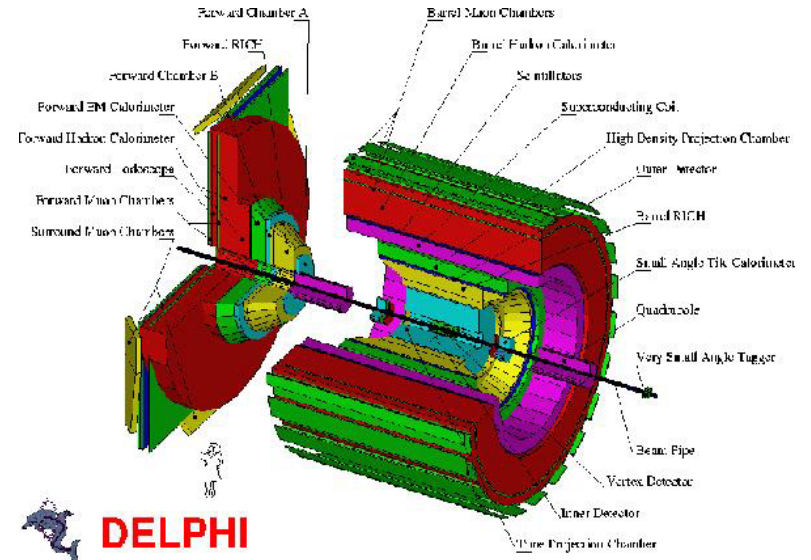
Im Nov 2000 wurde LEP abgeschaltet um für den LHC Platz zu machen

Detektoren

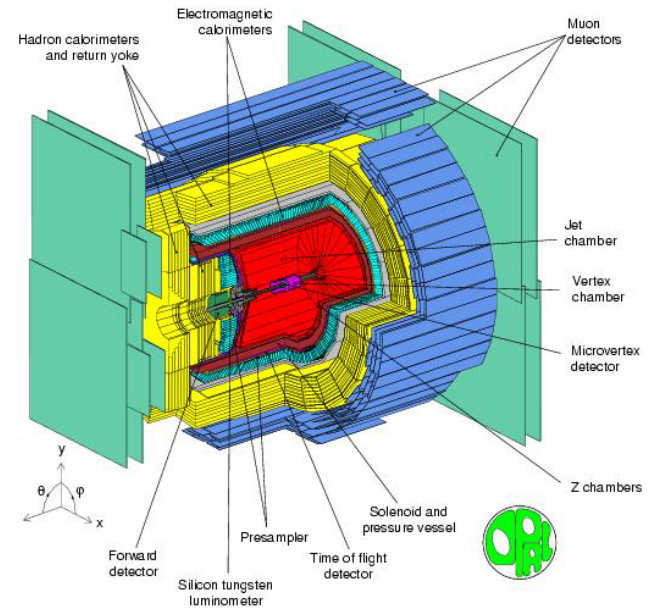
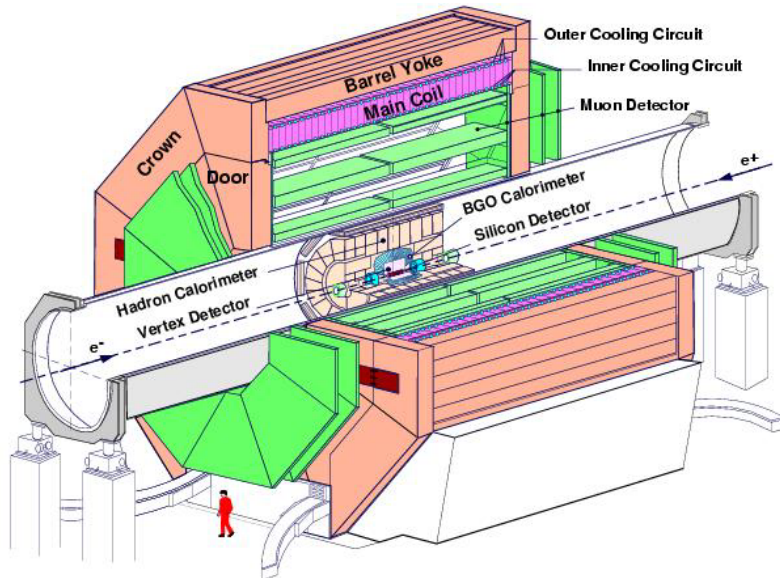


The ALEPH Detector

- Vertex Detector
- Inner Tracking Chamber
- Time Projection Chamber
- Electromagnetic Calorimeter
- Superconducting Magnet Coil
- Hadron Calorimeter
- Muon Chambers
- Luminosity Monitors



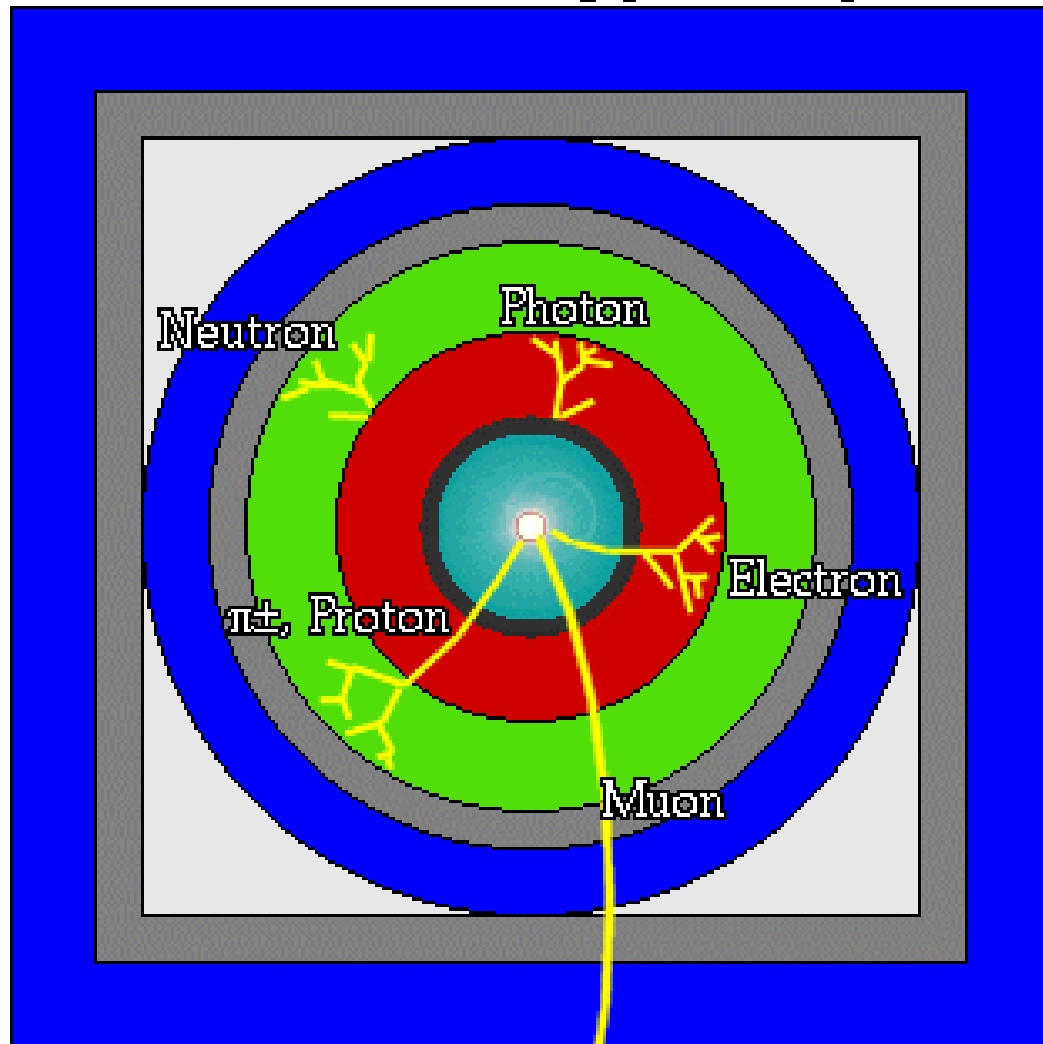
DELPHI



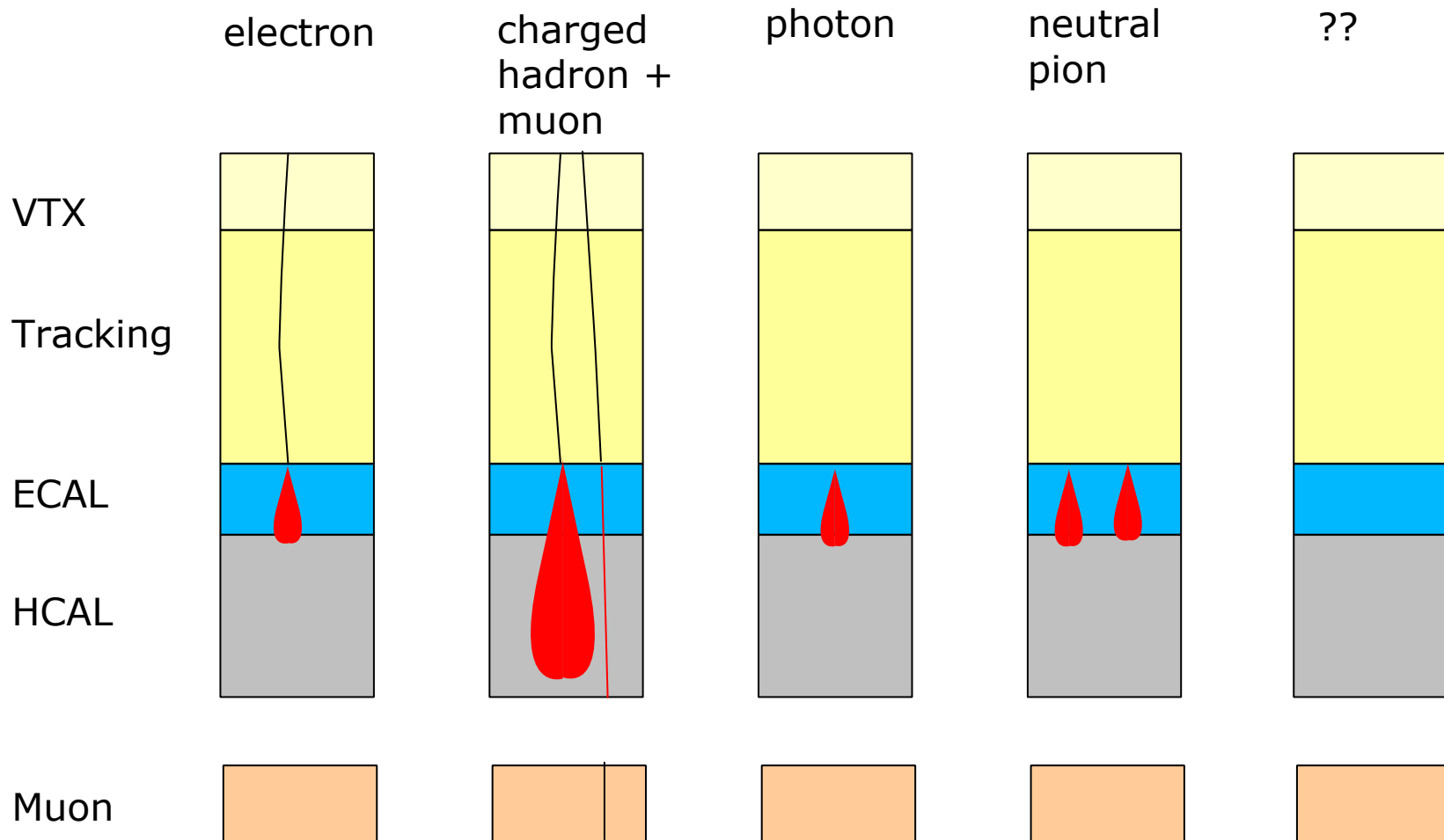
Detektoren

A detector cross-section, showing particle paths

-  Beam Pipe (center)
-  Tracking Chamber
-  Magnet Coil
-  E-M Calorimeter
-  Hadron Calorimeter
-  Magnetized Iron
-  Muon Chambers

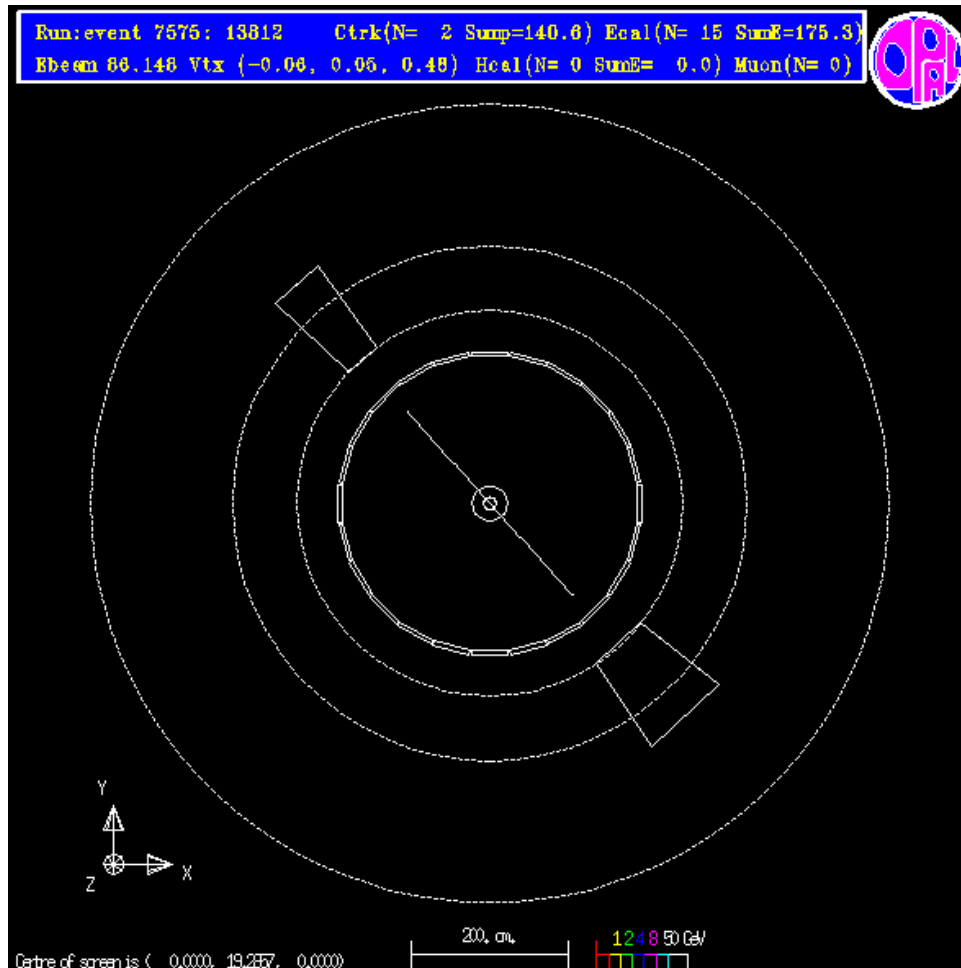


Detektoren



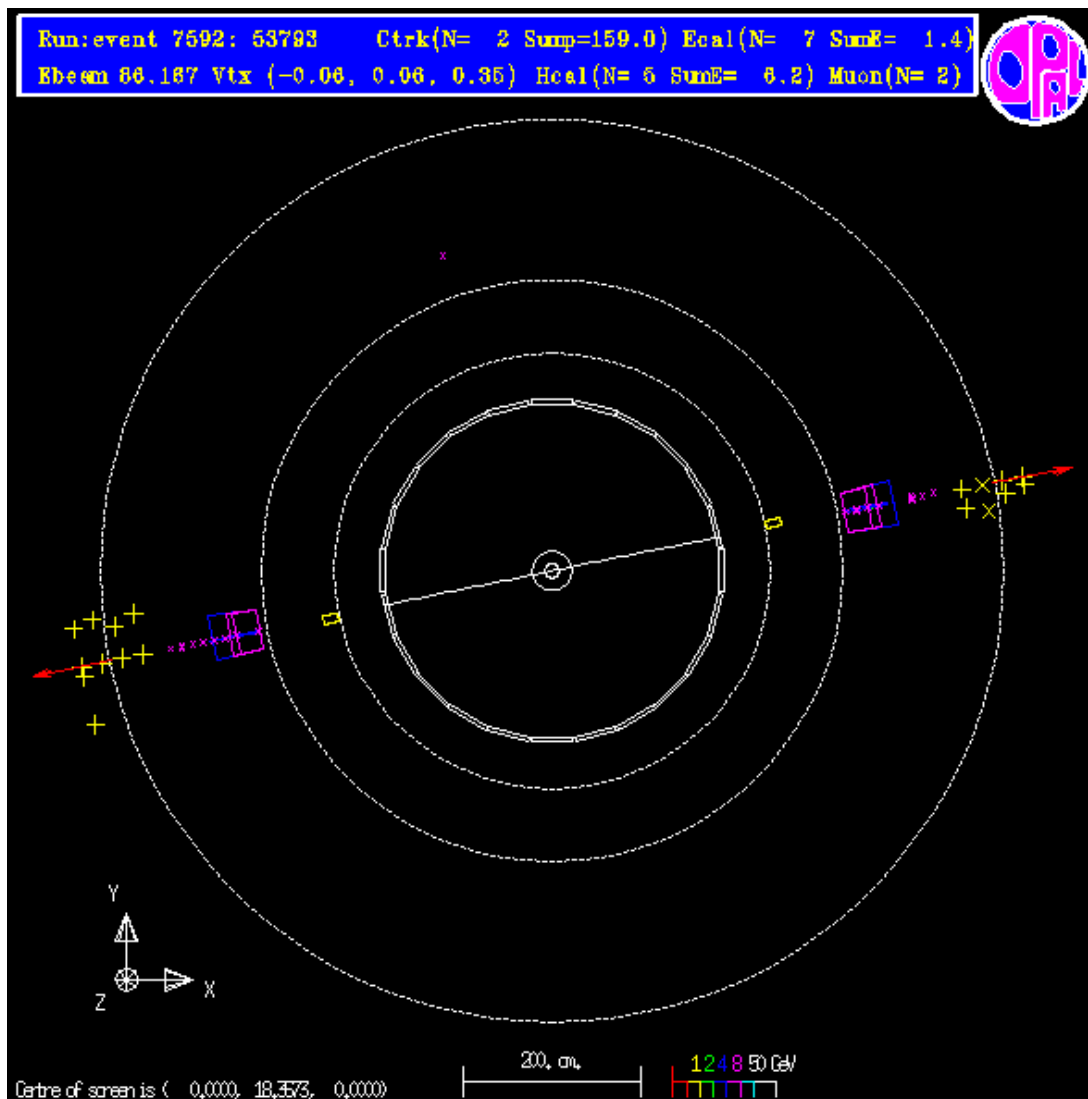
Ereignisse identifizieren

<http://www.hep.man.ac.uk/~events/home.html>



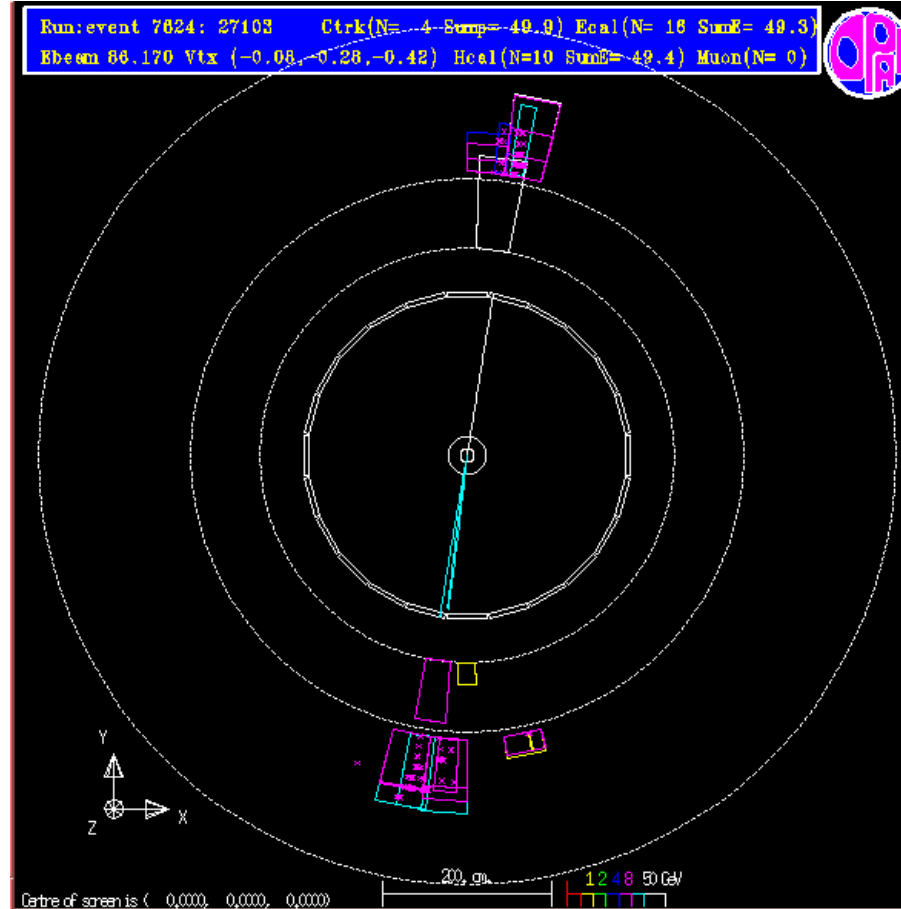
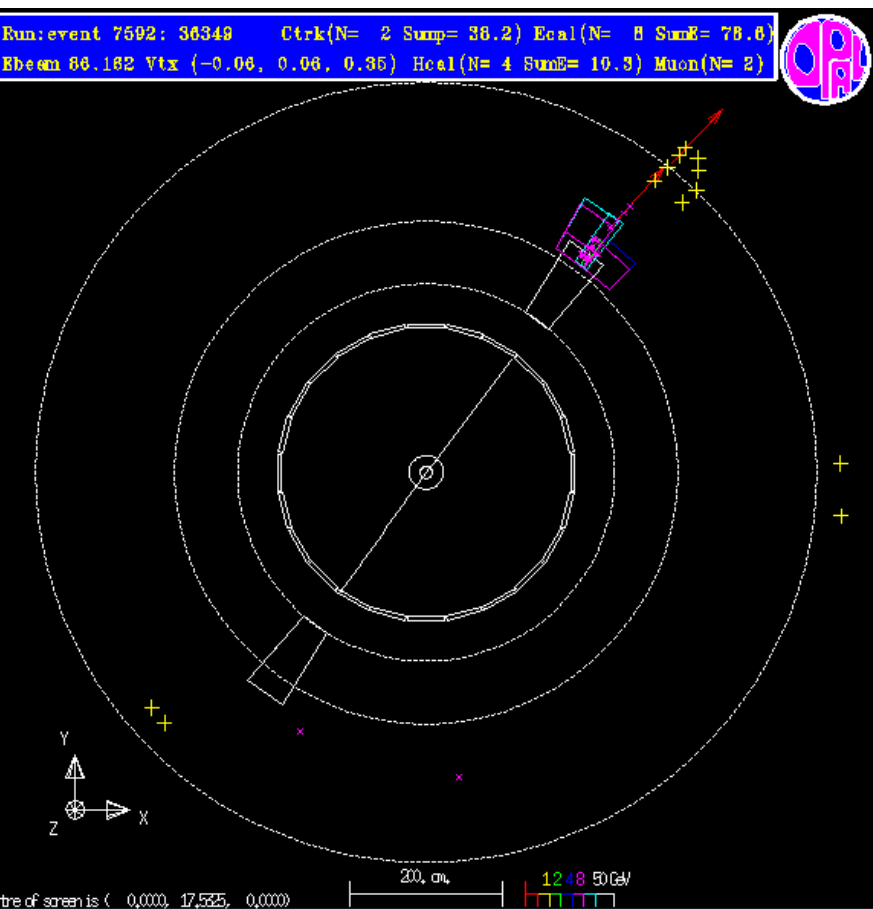
$$e^+e^- \rightarrow e^+e^-$$

Ereignisse identifizieren



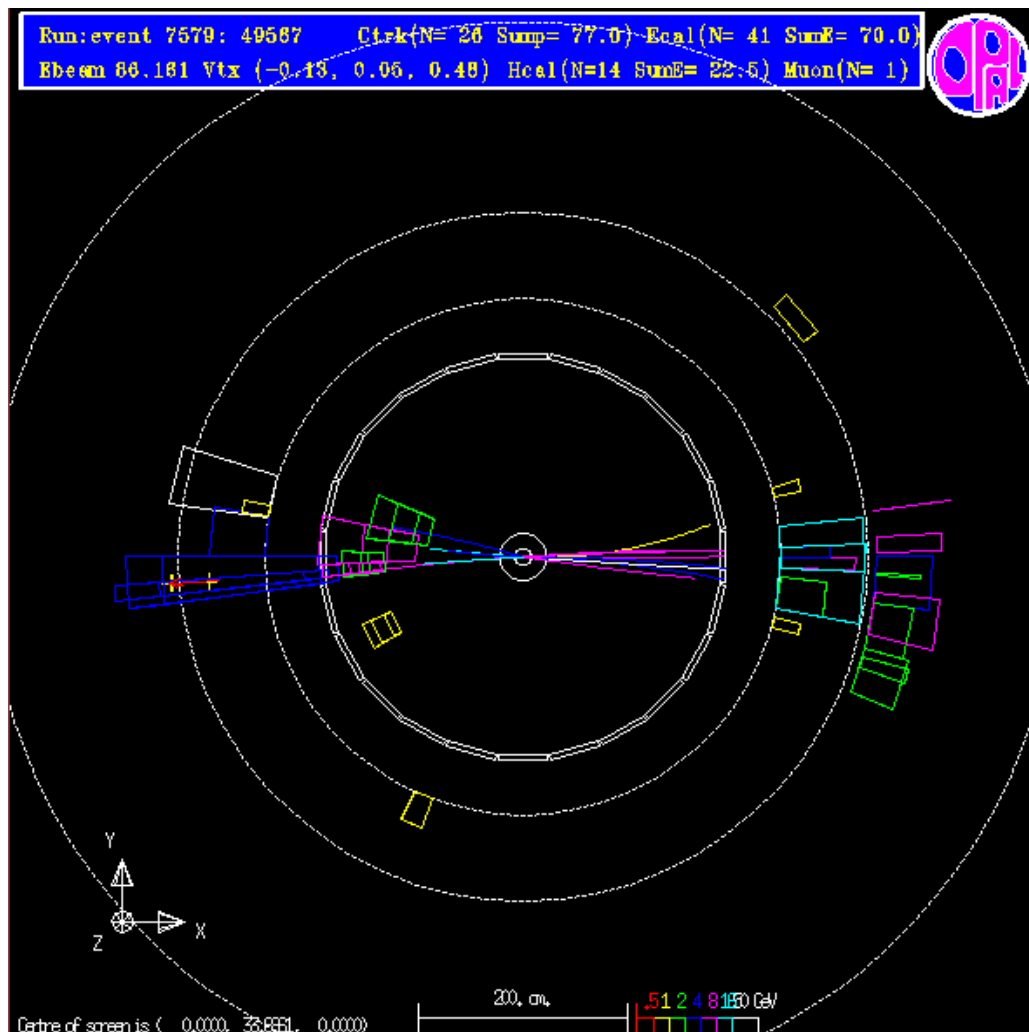
$$e^+e^- \rightarrow \mu^+\mu^-$$

Ereignisse identifizieren



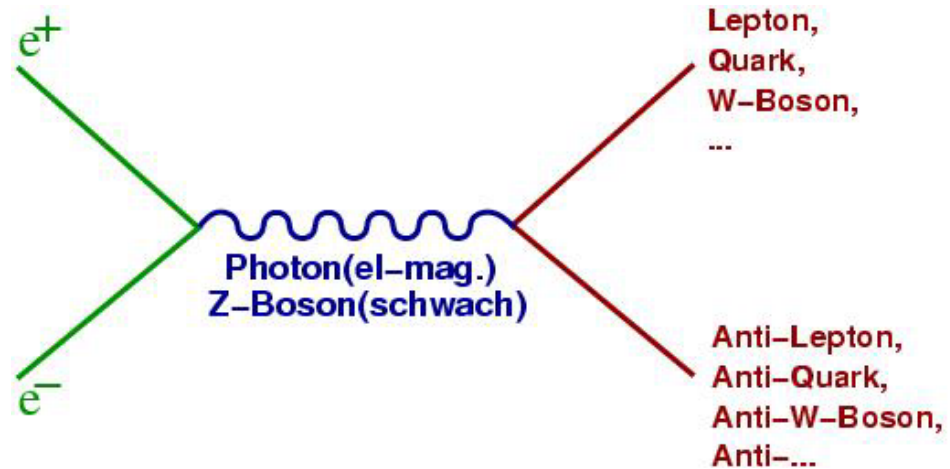
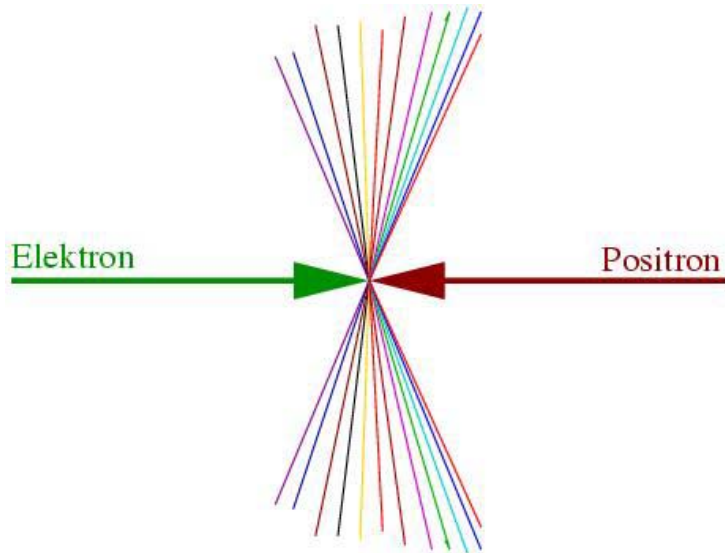
$$e^+e^- \rightarrow \tau^+\tau^-$$

Ereignisse identifizieren

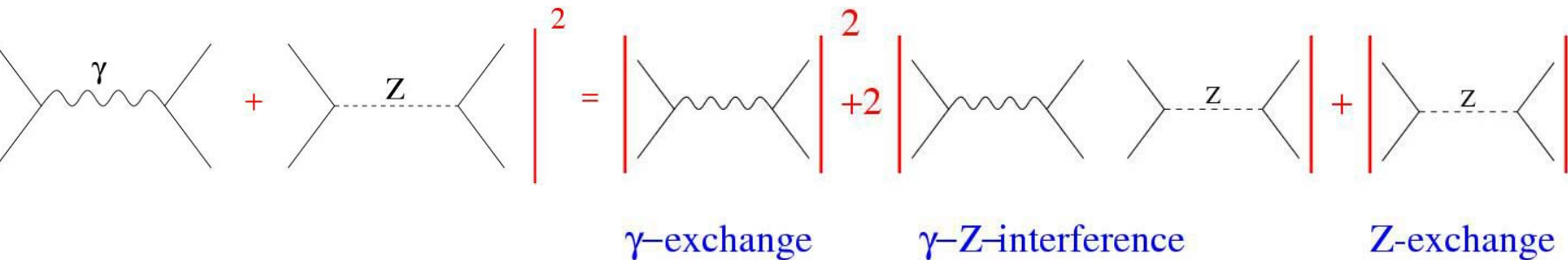


$$e^+ e^- \rightarrow q \bar{q}$$

Der wichtigste Prozess bei LEP1



Der Wirkungsquerschnitt



$$\frac{d\sigma}{d\Omega} = N_c \frac{\alpha^2}{4s} \left\{ (1 + \cos^2 \theta) [Q_f^2 - 2\chi_1 v_e v_f Q_f - \chi_2 (a_e^2 + v_e^2) (a_f^2 + v_f^2)] \right. \\ \left. + 2 \cos \theta [-2\chi_1 a_e a_f Q_f + 4\chi_2 a_e a_f v_e v_f] \right\}$$

$$\chi_1 = \frac{1}{16 \sin^2 \theta_W \cos^2 \theta_W} \frac{s(s - M_Z^2)}{(s - M_Z^2)^2 + M_Z^2 \Gamma_Z^2}$$

$$\chi_2 = \frac{1}{256 \sin^4 \theta_W \cos^4 \theta_W} \frac{s^2}{(s - M_Z^2)^2 + M_Z^2 \Gamma_Z^2}$$

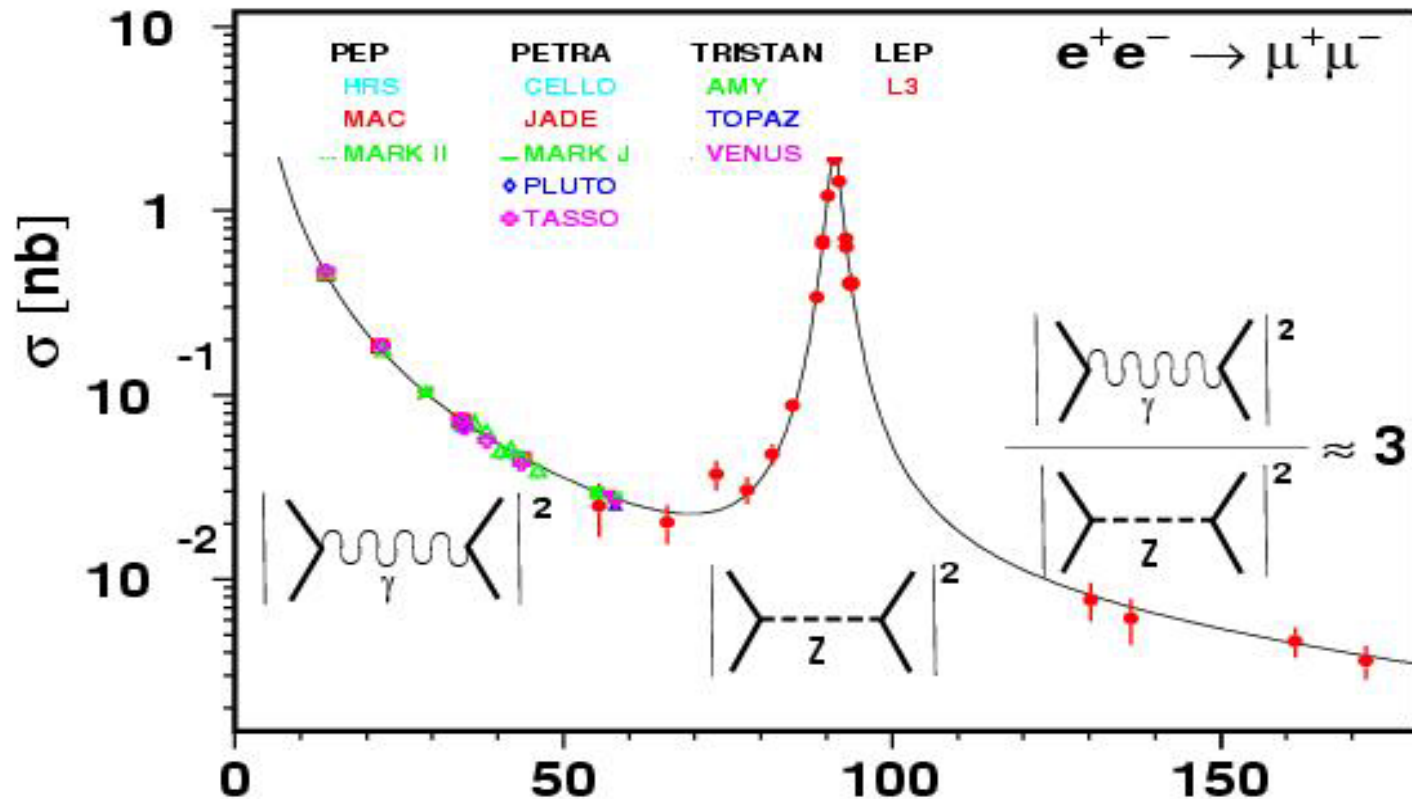
$$a_e = -1$$

$$v_e = -1 + 4 \sin^2 \theta_W$$

$$a_f = 2T_{3f}$$

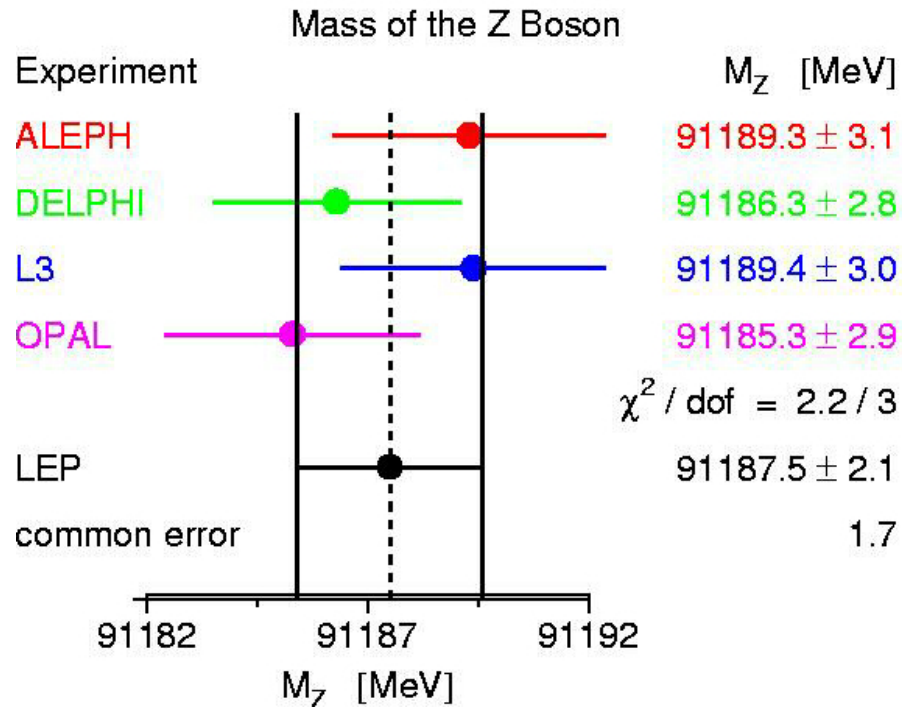
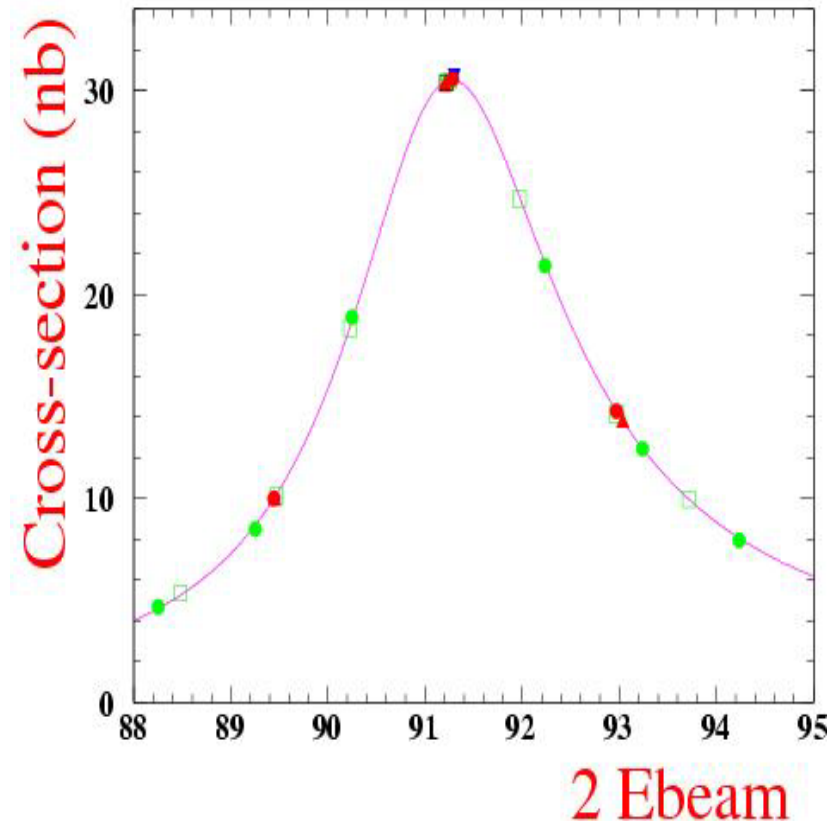
$$v_f = 2T_{3f} - 4Q_f \sin^2 \theta_W$$

Der Wirkungsquerschnitt



- γ -exchange dominant for low $\sqrt{s}$
- Z^0 is a dramatic resonance !
- Theory curve describes the data extremely well
- Theory curve is not the one from previous page but includes **higher-order corrections**

Die Masse des Z-Bosons

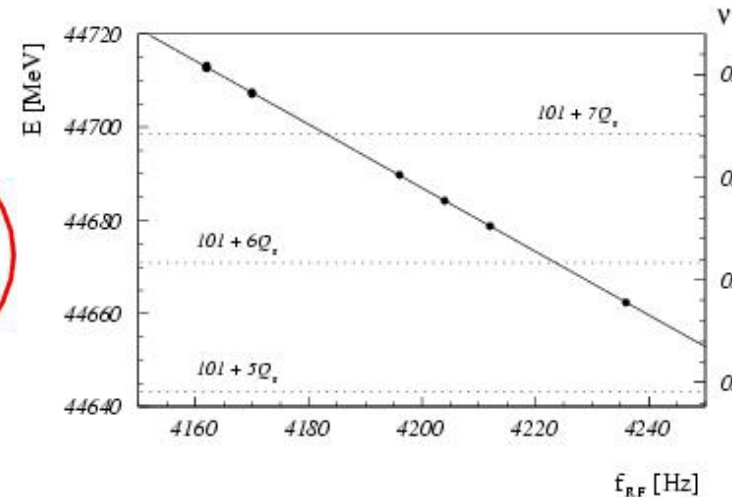
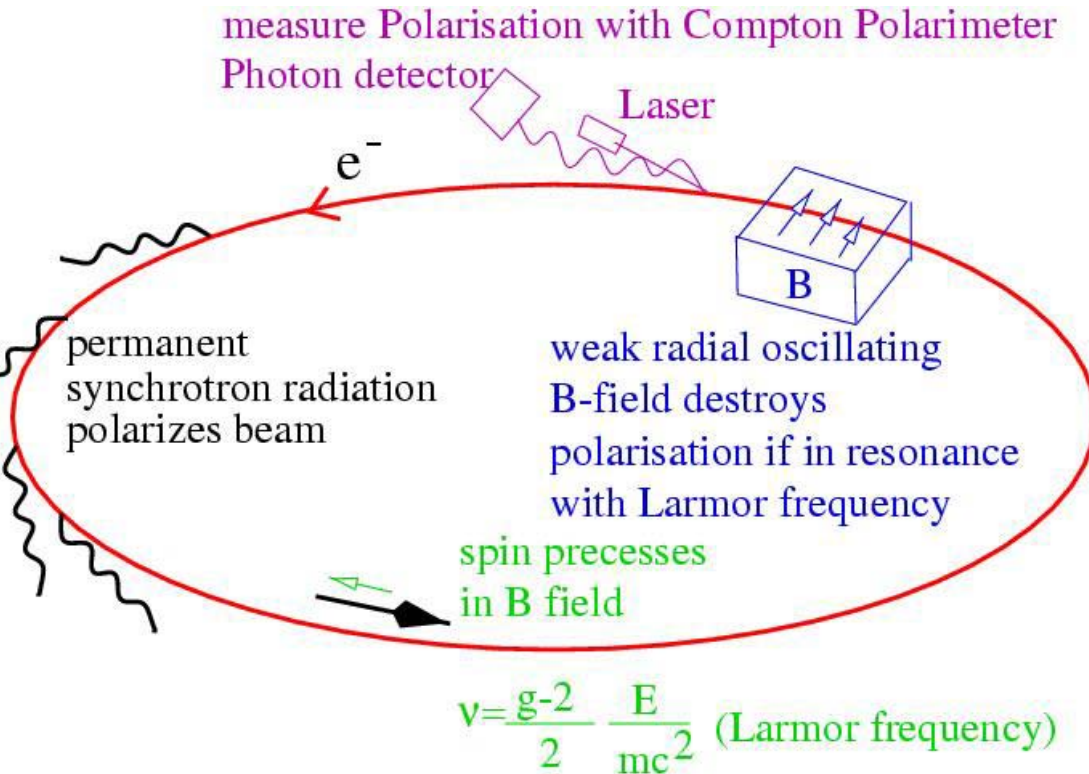


Fehler nur 2.1 MeV!

Benötigt Verständnis vieler kleiner theoretischer + experimenteller Effekte

Wichtig: Strahlenergie

Strahlenergiemessung

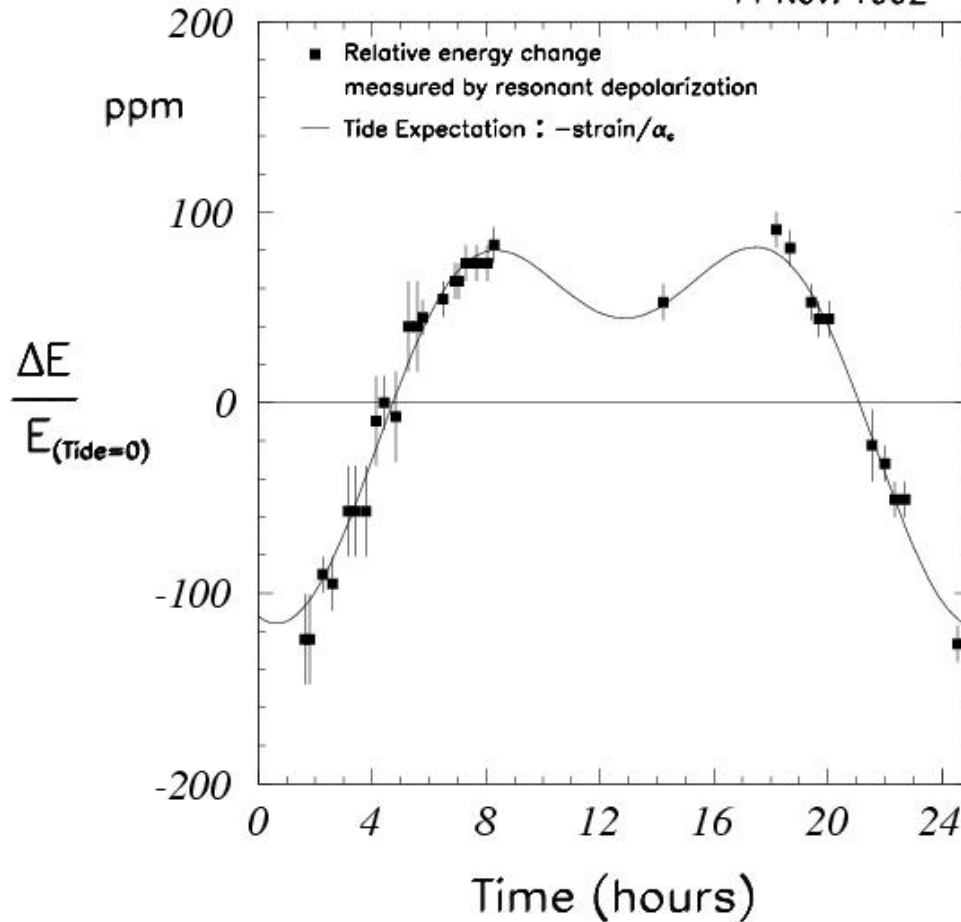


Erreichte Präzision: ~ 1 MeV !

Strahlenergiemessung: kleine Effekte

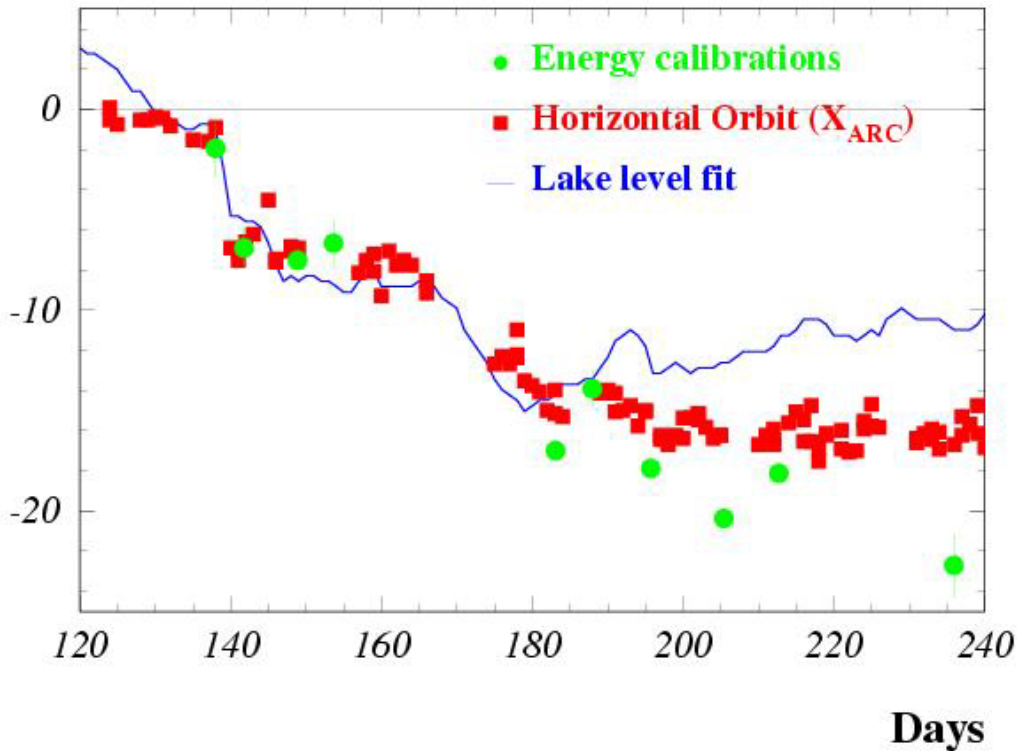
LEP TidExperiment

11 Nov. 1992



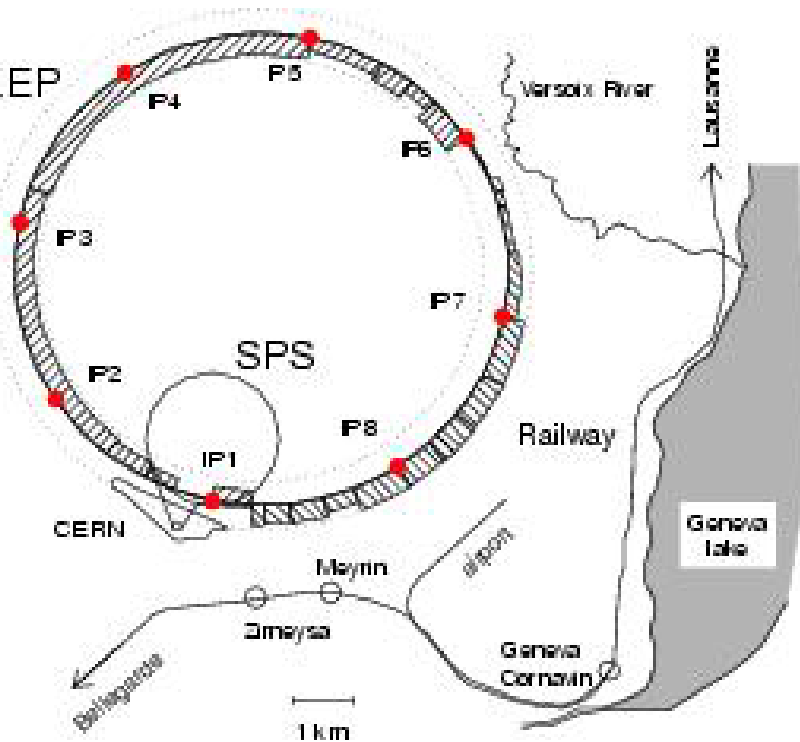
**Moon pulls the LEP ring
→ change ring radius
by 1 mm
→ 10 MeV energy
change**

Strahlenergiemessung: sehr kleine Effekte

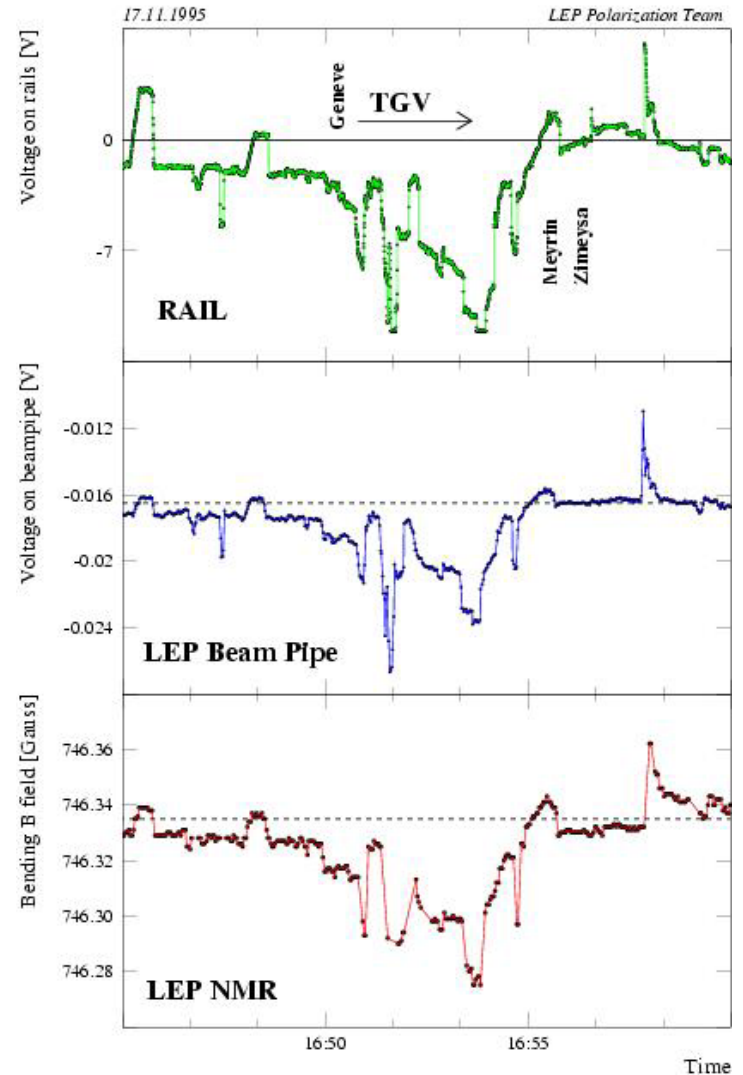


Water level in lake
Geneva causes deformation of LEP ring
→ up to 20 MeV energy change

Strahlenergiemessung: sehr kleine Effekte



Correlation between trains and LEP



Nächster Schritt: Ereignisse klassifizieren

SM macht genaue Vorhersagen der Z-Verzweigungsverhältnisse:

$$\Gamma_{\nu\nu} = \frac{G_F M_Z^3}{12\pi\sqrt{2}} \approx 167 \text{ MeV} \quad \text{für jede Neutrinofamilie}$$

$$\Gamma_{ee} = \Gamma_{\mu\mu} = \Gamma_{\tau\tau} = 4x_W^2 \Gamma_{\nu\nu} \approx 84 \text{ MeV}$$

$$\Gamma_{uu} = \Gamma_{cc} = 3 \left(\frac{32}{9} x_W^2 - \frac{8}{3} x_W + 1 \right) \Gamma_{\nu\nu} \approx 287 \text{ MeV}$$

$$\Gamma_{dd} = \Gamma_{ss} = \Gamma_{bb} = 3 \left(\frac{8}{9} x_W^2 - \frac{4}{3} x_W + 1 \right) \Gamma_{\nu\nu} \approx 370 \text{ MeV}$$

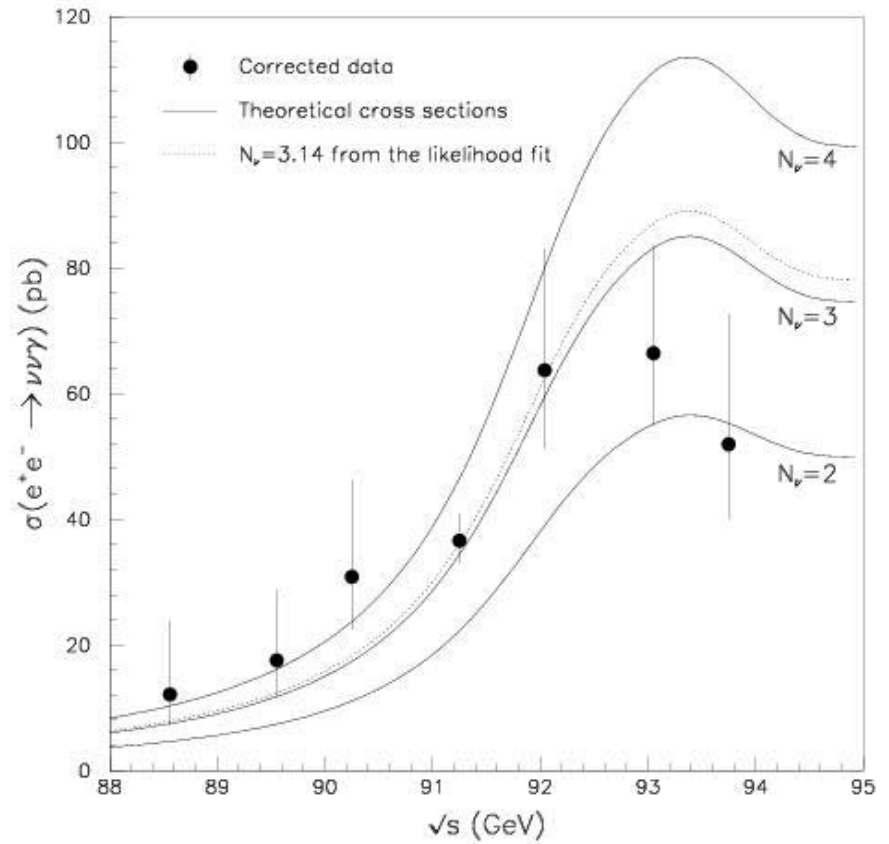
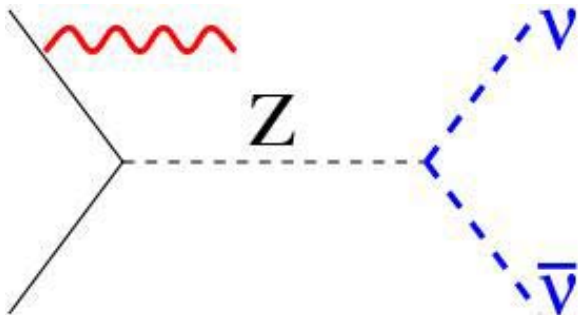
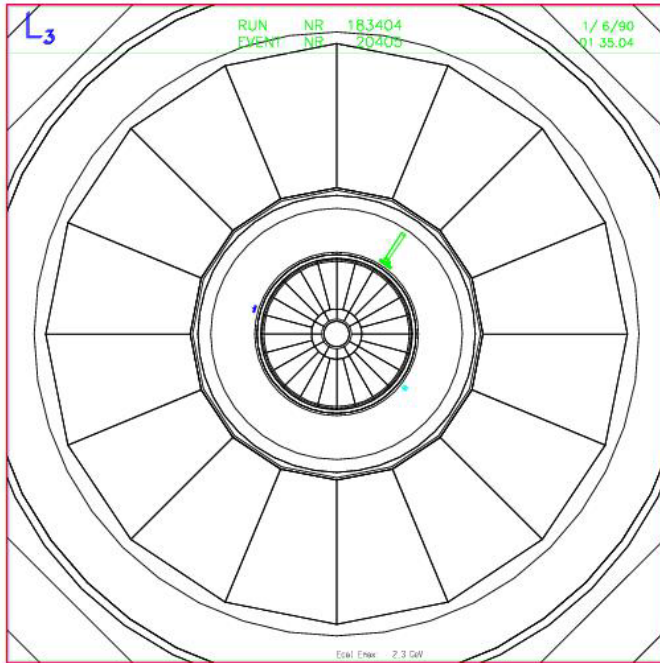
(Quarkmassen vernachlässigt)

Wie kann man $\Gamma_{\nu\nu}$ messen ?

$$(x_W = \sin^2 \theta_W)$$

$$BR(Z \rightarrow X) = \frac{\Gamma_X}{\Gamma_{tot}}$$

Neutrinos zählen

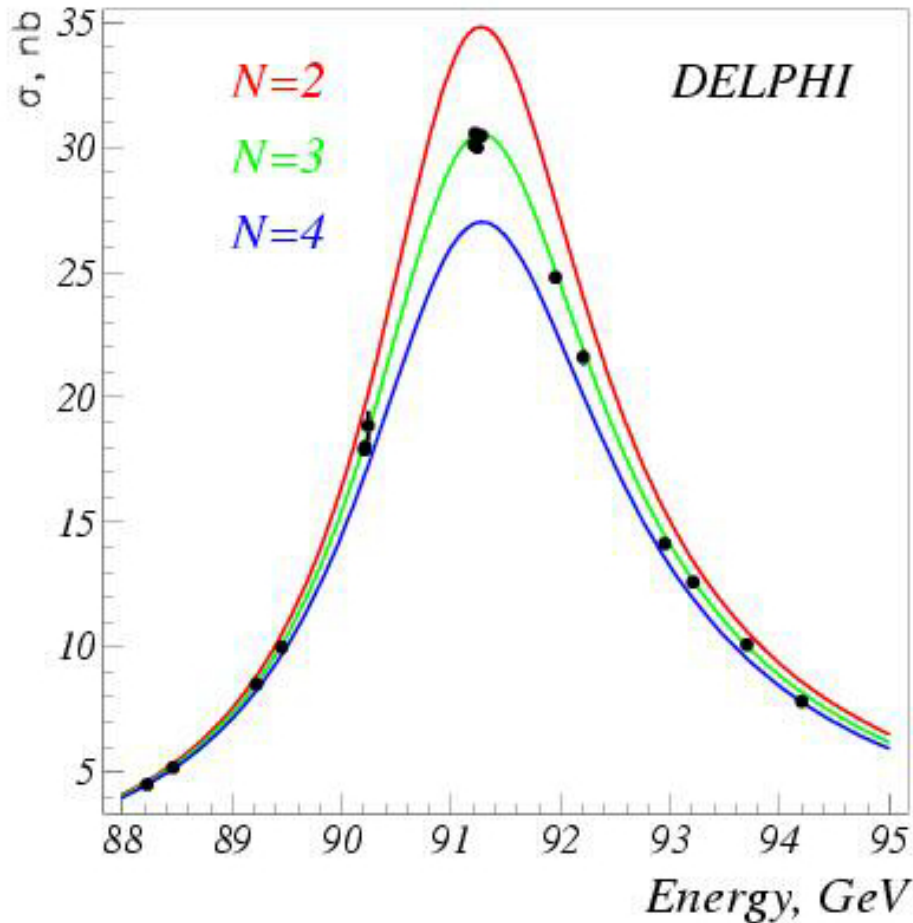


3 Familien bevorzugt,
aber großer Fehler...

Neutrinos zählen – etwas schlauer...

$$\Gamma_{tot} = \Gamma_{ee} + \Gamma_{\mu\mu} + \Gamma_{\tau\tau} + \Gamma_{qq} + N_{families} \Gamma_{\nu\nu}$$

d.h. die Anzahl der Familien hängt von der totalen Breite ab



Ergebnis:

$$N_{families} = 2.9841 \pm 0.0083$$

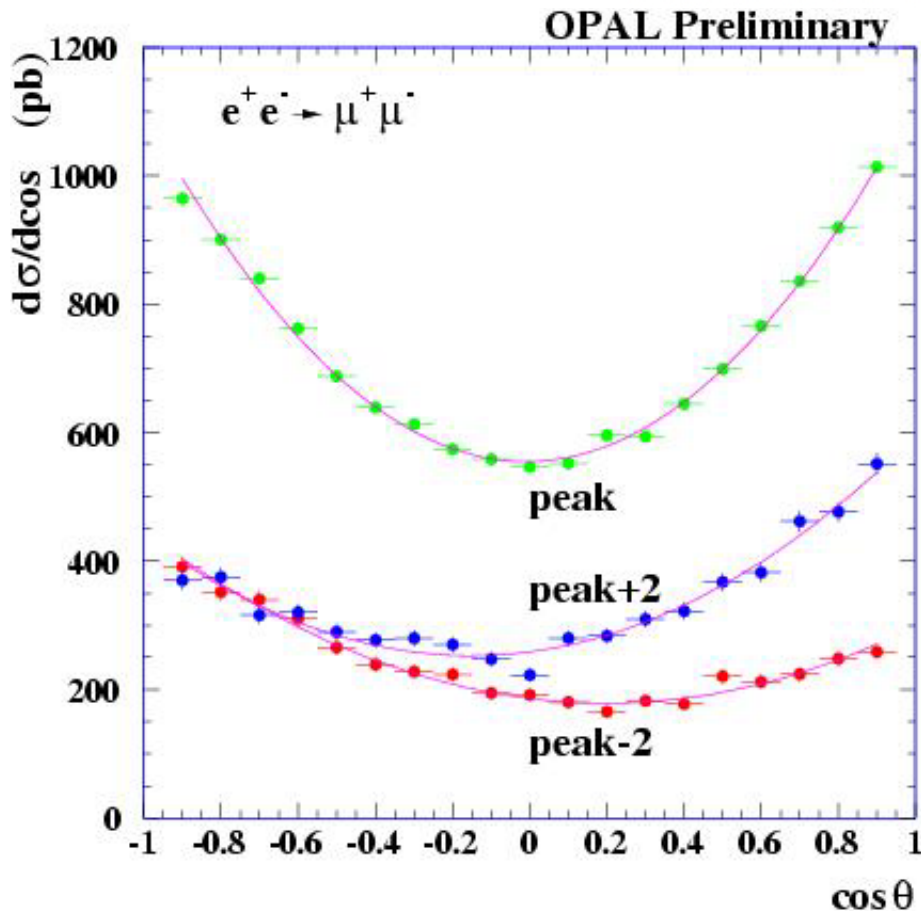
vor LEP:

$$N_{families} < 5.9$$

Noch ein Schritt weiter: Winkelverteilungen

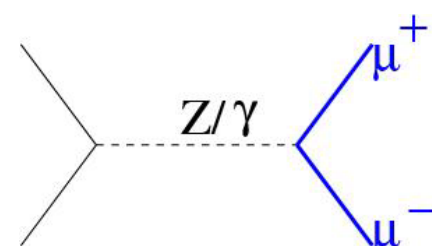
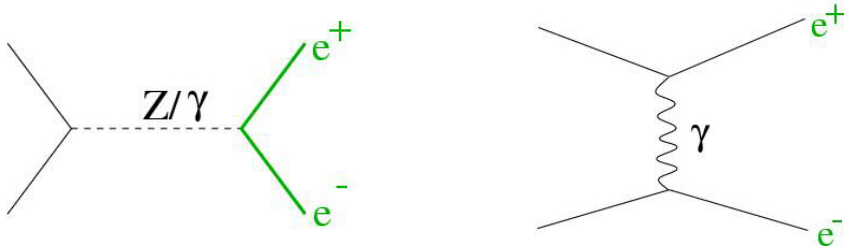
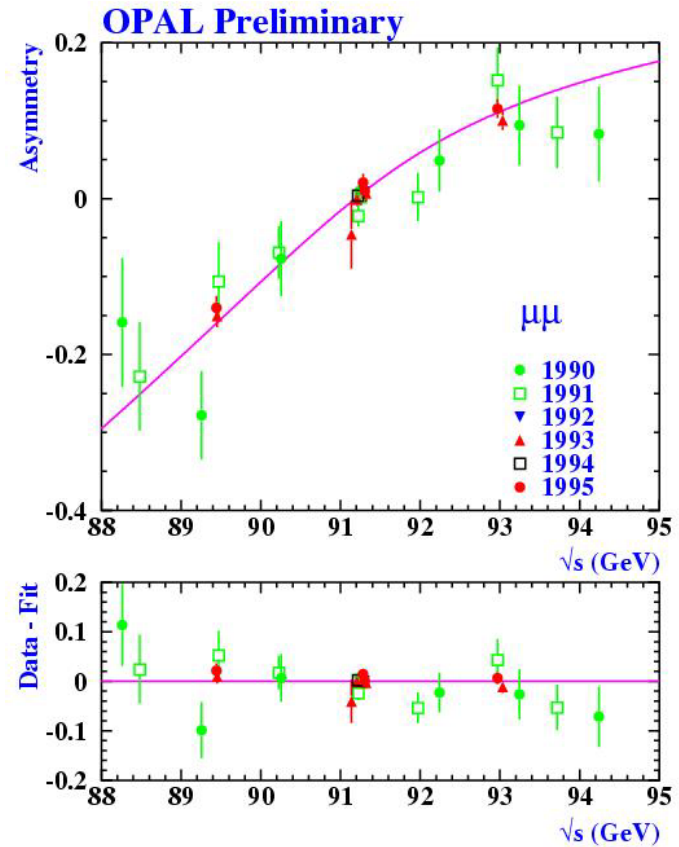
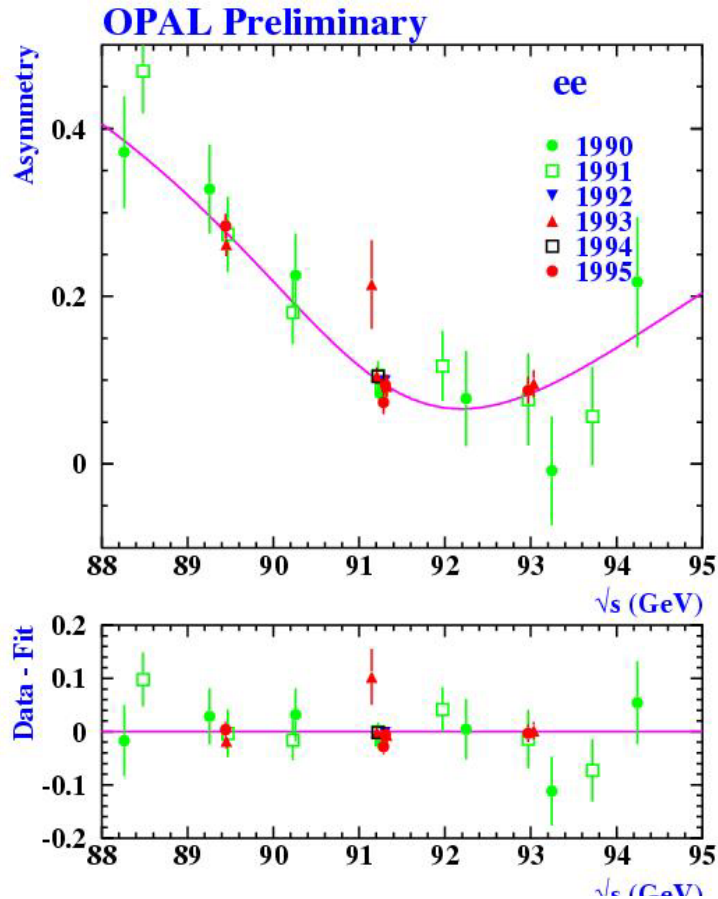
Linearer Term in $\cos(\theta)$ führt zu Vorwärts-Rückwärtsasymmetrie:

$$A_{FB} = \frac{\sigma(\cos \theta > 0) - \sigma(\cos \theta < 0)}{\sigma(\cos \theta > 0) + \sigma(\cos \theta < 0)}$$



besser
(kleinere Systematik) als
fit der ganzen Verteilung
da die Detektoreffizienz
keine Rolle spielt
(nur vorwärts-rückwärts-
symmetrischer Detektor)

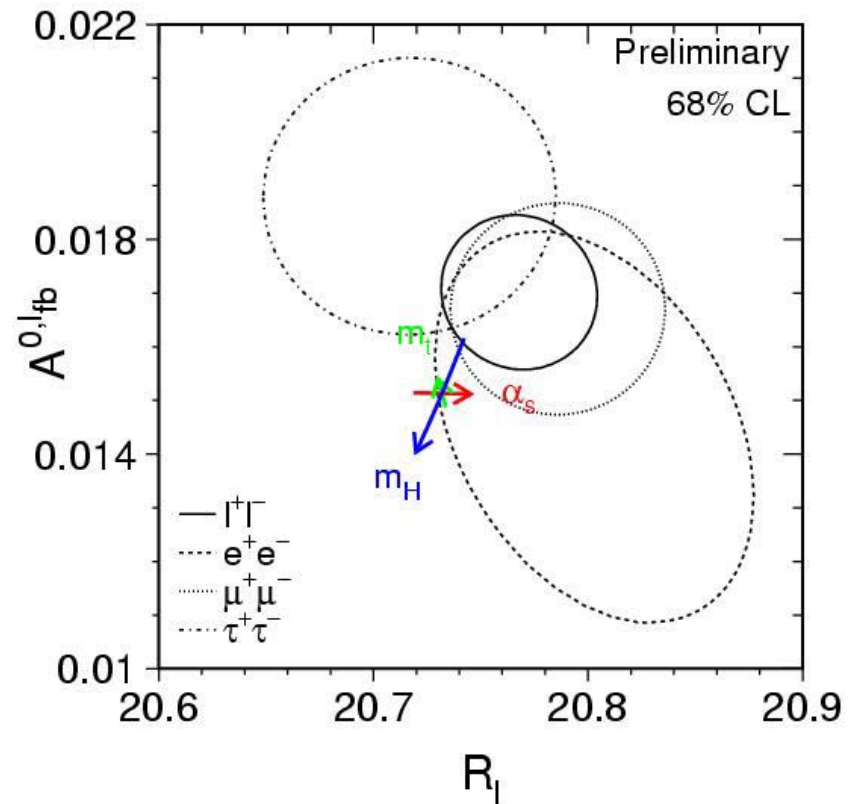
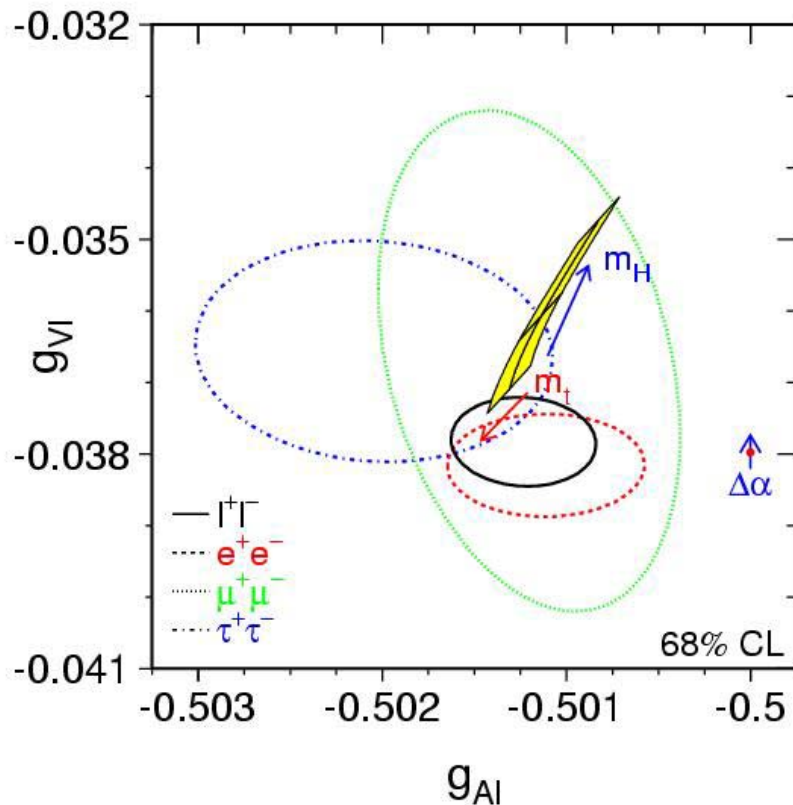
Noch ein Schritt weiter: Winkelverteilungen



Noch ein Schritt weiter: Winkelverteilungen

FB Asymmetrien ermöglichen Bestimmung der Vektor- und Axialvektor
Kopplungen der Fermionen an das Z.

Test der Leptonuniversalität!



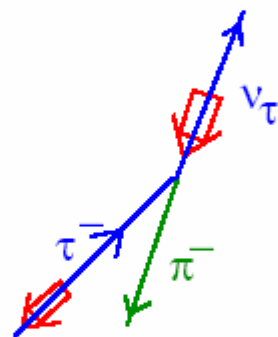
Another degree of freedom: polarisation

Measure polarisation of final state:

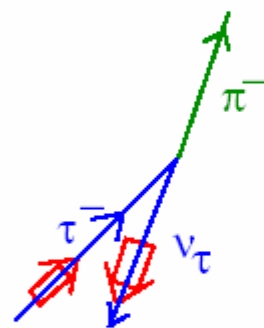
Need a spin analyser: impossible for e^+e^- , $\mu^+\mu^-$

→ would need a "4 π -Stern-Gerlach-Exp."

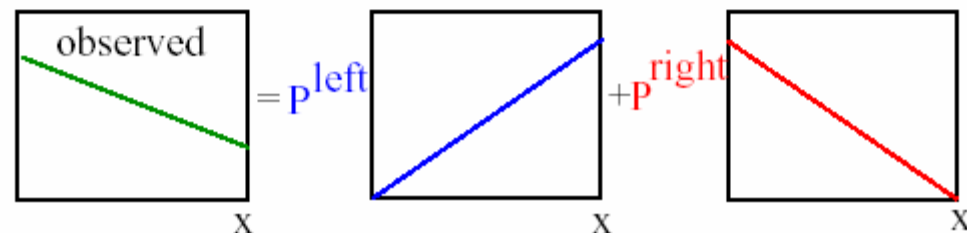
→ but τ -leptons are their own spin analyser, through their decay:



left-handed tau:
neutrino emitted
in tau flight direction



right-handed tau:
neutrino emitted
against tau flight direction



Tau polarisation

$$P_\tau = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L}$$

From the $\cos \theta$ dependence of P_τ the so called Asymmetry Parameters A_e and A_τ can be calculated:

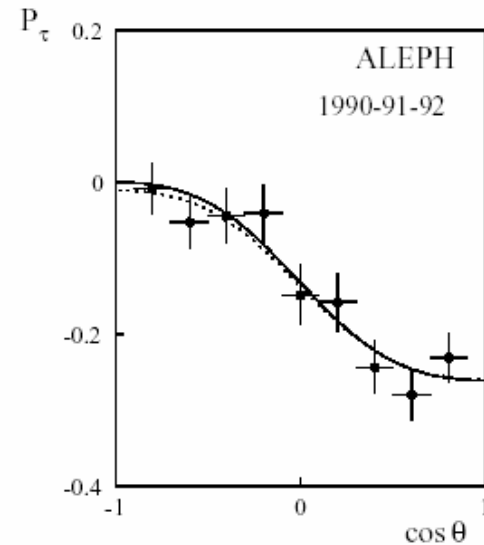
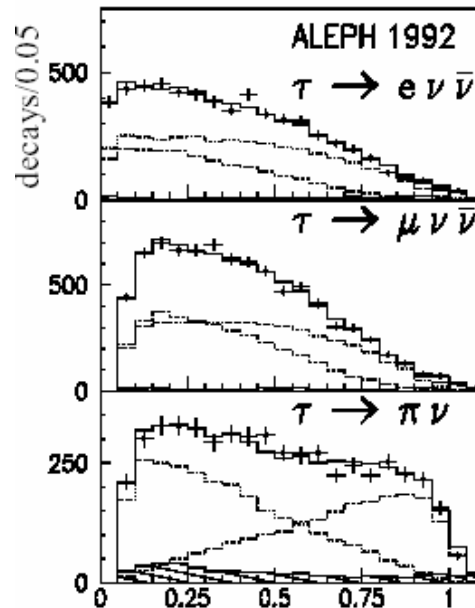
$$P_\tau(\cos \theta) = -\frac{A_\tau(1 + \cos^2 \theta) + A_e(2 \cos \theta)}{(1 + \cos^2 \theta) + A_\tau A_e(2 \cos \theta)}$$

which in turn are functions of the axial- and vector coupling to the Z^0 :

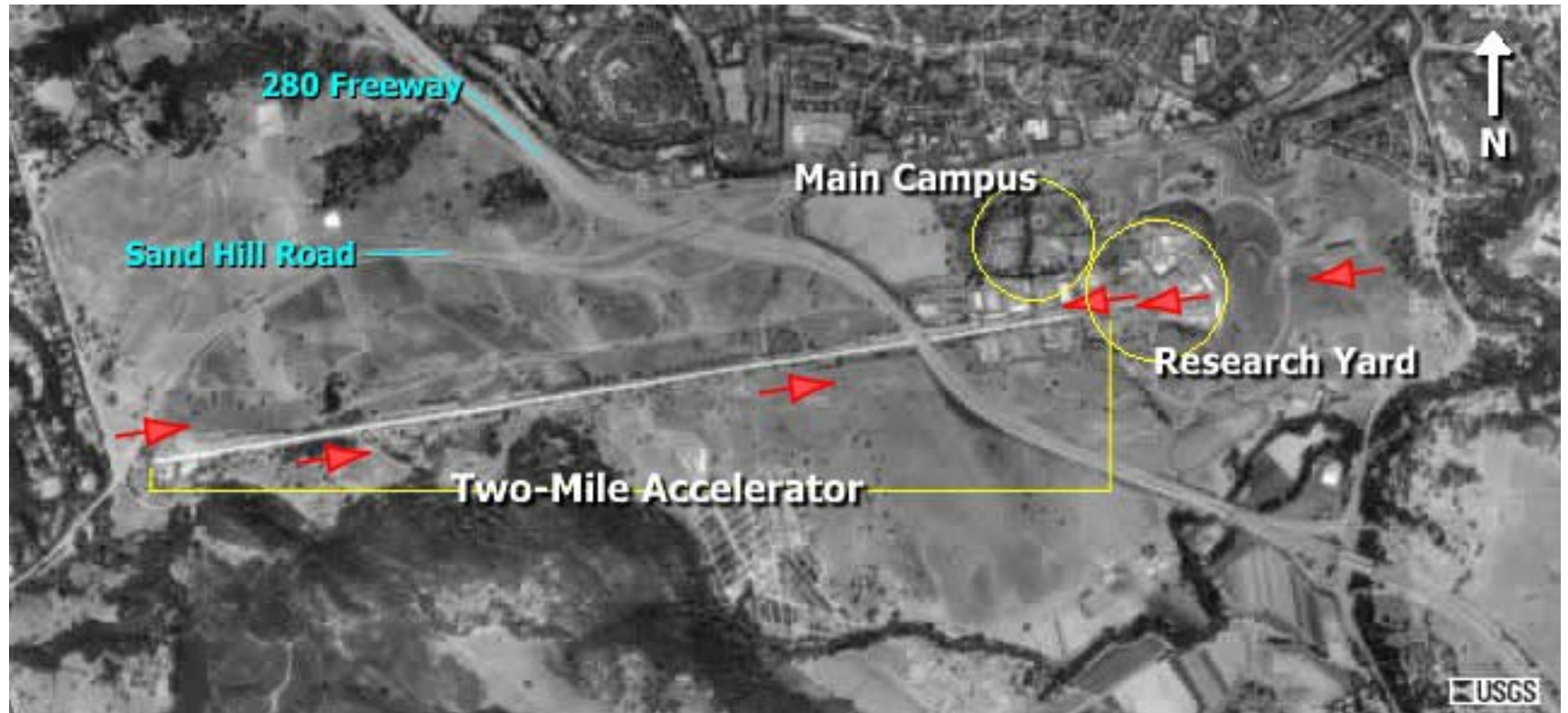
$$A_\ell = \frac{2v_\ell a_\ell}{v_\ell^2 + a_\ell^2}$$

which measure the electro-weak mixing angle:

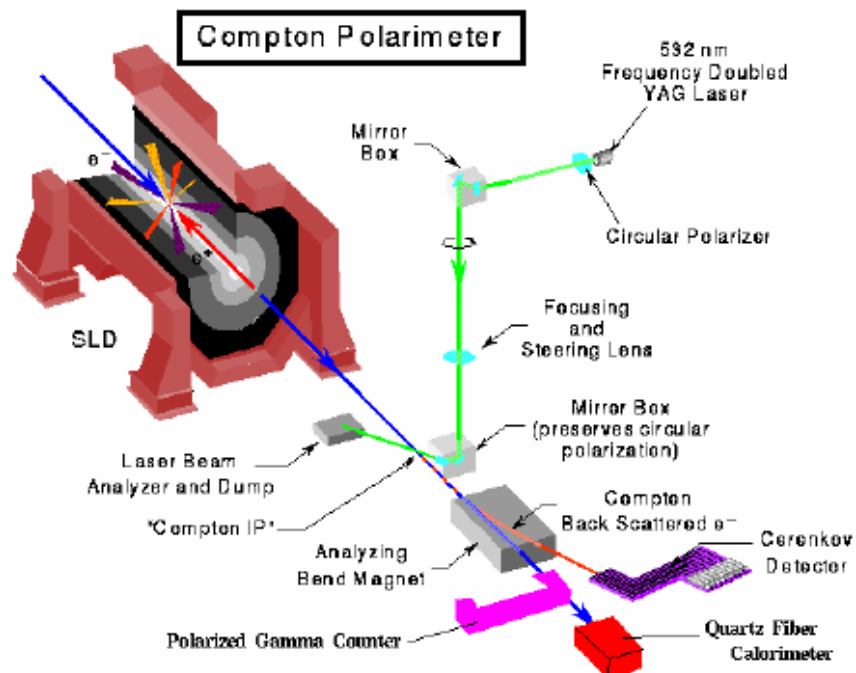
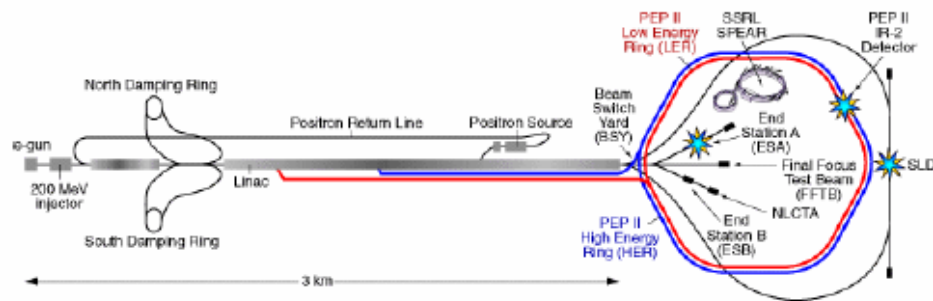
$$\sin^2 \theta_W^{eff} = \frac{1}{4} \left(1 - \frac{v_\ell}{a_\ell} \right)$$



Excursion across the Atlantic



Excursion across the Atlantic



Left-Right Asymmetry

With longitudinally polarised e^- beam, the **left-right Asymmetry** can be measured:

$$A_{LR} = \frac{\sigma(e_L^- e_R^+) - \sigma(e_R^- e_L^+)}{\sigma(e_L^- e_R^+) + \sigma(e_R^- e_L^+)}$$

Note that $\sigma(e_L^- e_L^+) = \sigma(e_R^- e_R^+) = 0$ for annihilation!
It is again directly related to the electroweak mixing angle:

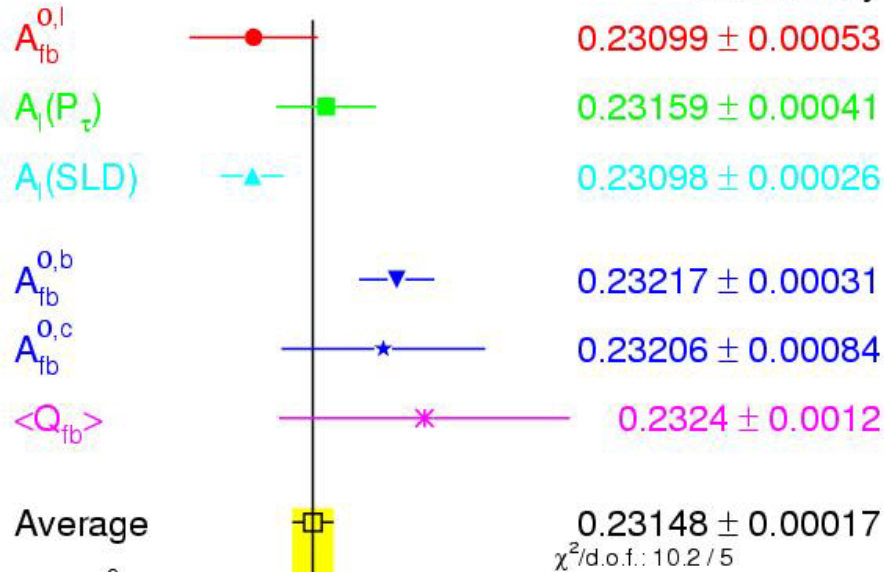
$$A_{LR}(m_Z) = \frac{2(1 - 4\sin^2 \theta_W^{eff})}{1 + (1 - 4\sin^2 \theta_W^{eff})^2}$$

The result:

$$A_{LR}(m_Z) = 0.1656 \pm 0.0071(\text{stat.}) \pm 0.0028(\text{syst.})$$

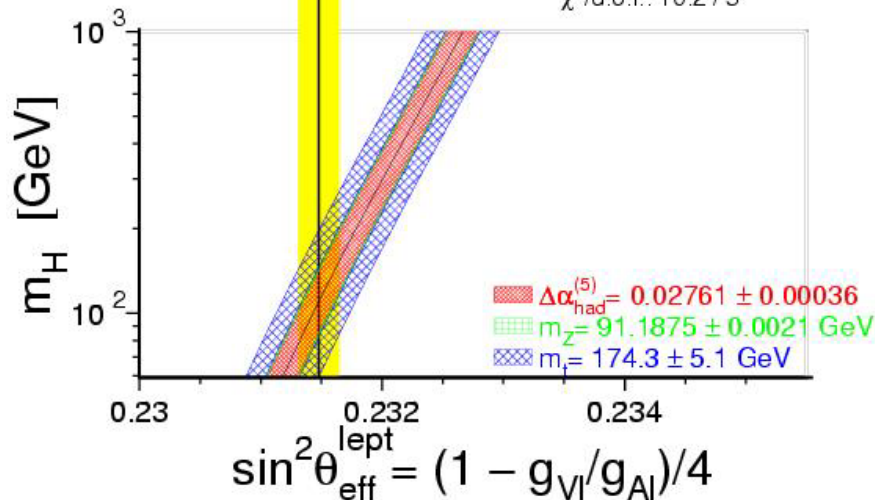
Interpretation of the Asymmetries

Preliminary



Asymmetry measurements
Can be interpreted as
Measurement of the
Electro-weak mixing angle

$$\sin^2 \theta_W$$



Too precise measurements! – Radiative corrections

The measured observables can be predicted in the SM as a function Of the following parameters:

$$\mathcal{O} = \mathcal{O}(m_Z, m_t, m_H, \alpha(m_Z), \alpha_s(m_Z); G_F)$$

LEP

- Lineshape $m_Z, \Gamma_Z, \sigma_h^0, R_\ell, A_{\text{FB}}^{0,\ell}$
- $P(\tau)$ $\mathcal{A}_e, \mathcal{A}_\tau$
- b, c $R_b, R_c, A_{\text{FB}}^{0,b}, A_{\text{FB}}^{0,c}$
- Q_{FB} $\sin^2 \theta_{\text{eff}}^{\text{lept}}$

SLD

- b, c $R_b, R_c, A_{\text{FB}}^{0,b}, A_{\text{FB}}^{0,c}$
- L-R asym $\mathcal{A}_\ell, \mathcal{A}_b, \mathcal{A}_c$

p $\bar{p}$, LEP2

- m_t, m_W

νN

- $\sin^2 \theta_W$

$$R_\ell = \Gamma_{\text{had}} / \Gamma_\ell$$

$$A_{\text{FB}}^{0,f} = \frac{3}{4} \mathcal{A}_e \mathcal{A}_f$$

$$\mathcal{A}_f = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2}$$

$$g_{V\ell}/g_{A\ell} = 1 - 4 \sin^2 \theta_{\text{eff}}^{\text{lept}}$$

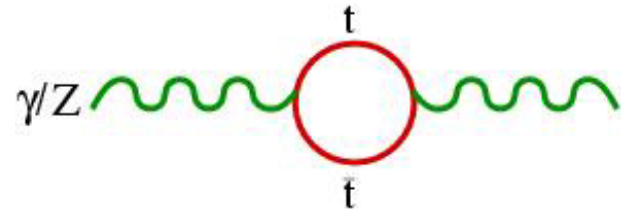
$$\sin^2 \theta_W = 1 - \frac{m_W^2}{m_Z^2}$$

Too precise measurements! – Radiative corrections

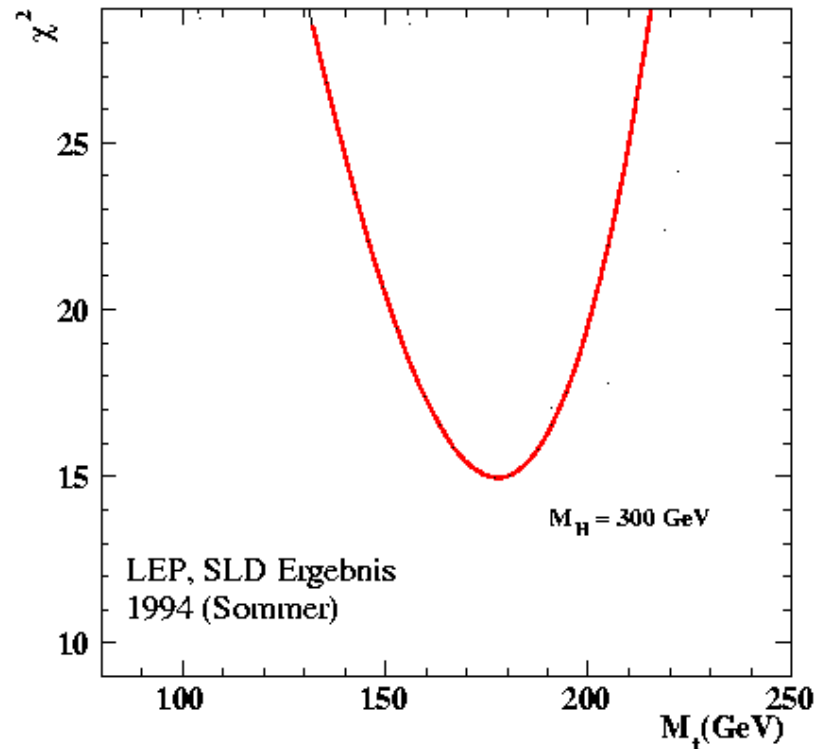
They depend on the unknown parameters

m_{top} linearly

m_{Higgs} only logarithmically

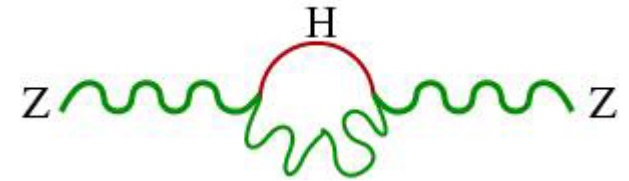
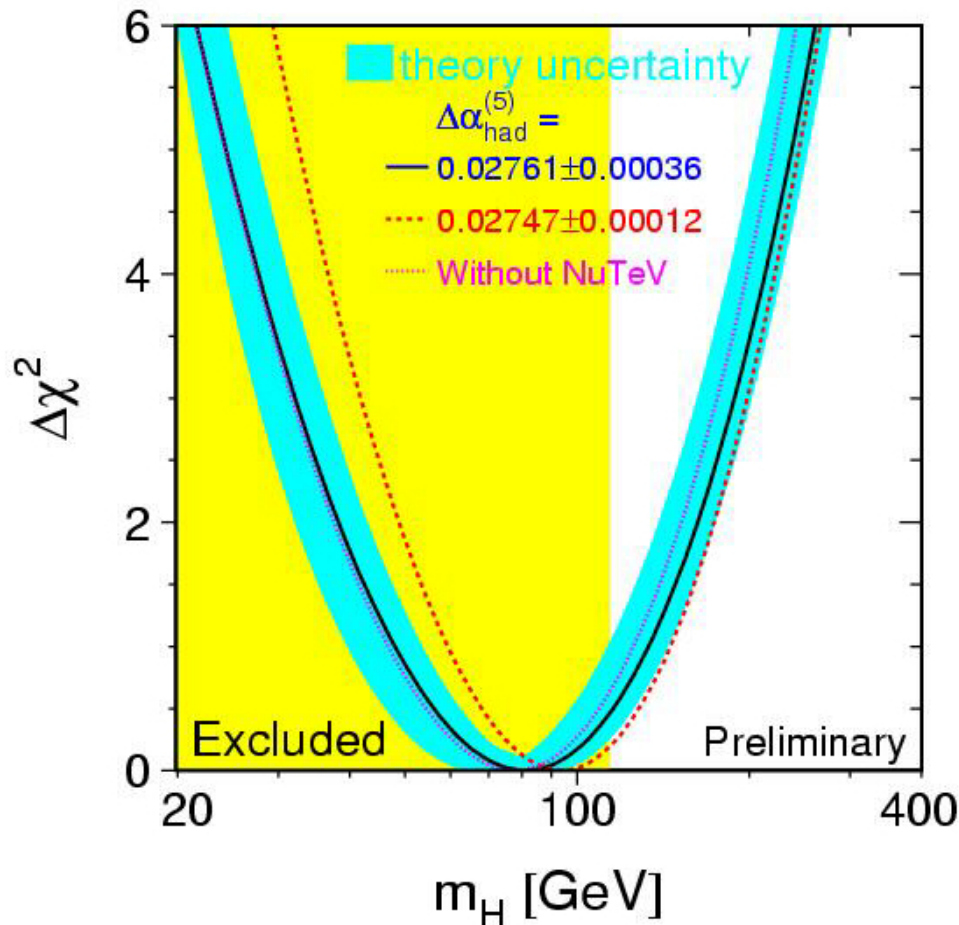


Lead to prediction of top-mass **before** its discovery:



Sensitivity to the last SM particle: the Higgs

Perform a global fit to all measurements within the SM to obtain the most likely Higgs mass:



$M(\text{Higgs}) < \sim 200 \text{ GeV}$ at 95% C.L.

What is the yellow bar?

Particle Physics Today

Winter 2002

excellent:

Impressive agreement
between
experimental results and
theoretical predictions:

A major part of these
Results comes from LEP
and SLD!

