

# Laser Heater Integration into XFEL. Update.

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XFEL Beam Dynamics Meeting  
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# Outline

- **Overview about the main components and space margins**
- **Optics at the laser heater and diagnostics**
  - FODO + parabola-like  $\beta$  at the heater
  - FODO + const  $\beta$
  - Drift with parabola-like  $\beta$
  - Phase advance between the OTRs in the drift solution
  - Beam sizes at the OTRs
- **Estimations of the laser heater specifications**
  - Formulas
  - Assumptions and requirements
  - Maximum energy modulation
  - Laser peak power for different configurations
  - Energy distribution after the interaction with the laser heater
- **Summary**

# Injector Building Plan

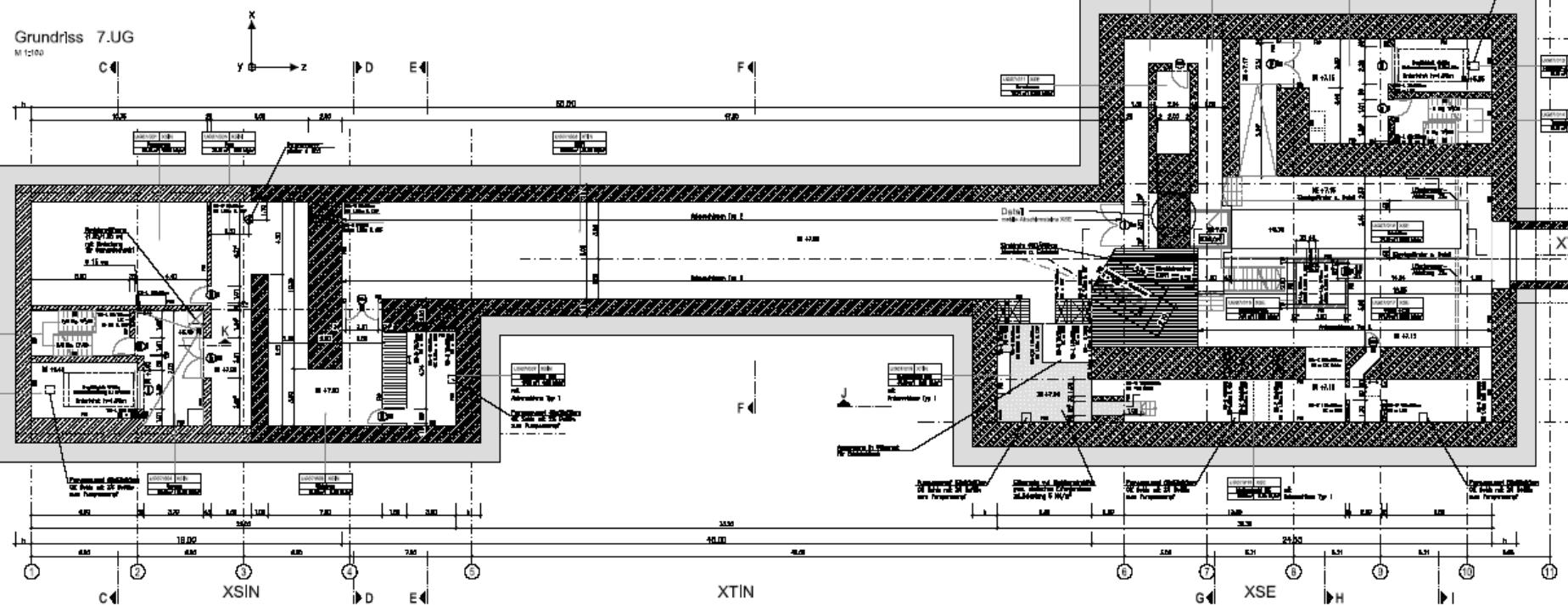
Injector is divided by reinforced concrete wall (Shielding) in two unequal parts:

- left one is used for injection tuning
  - in the right one the beam is matched by means of Dogleg into the Linac

**Total length: 73,80m**

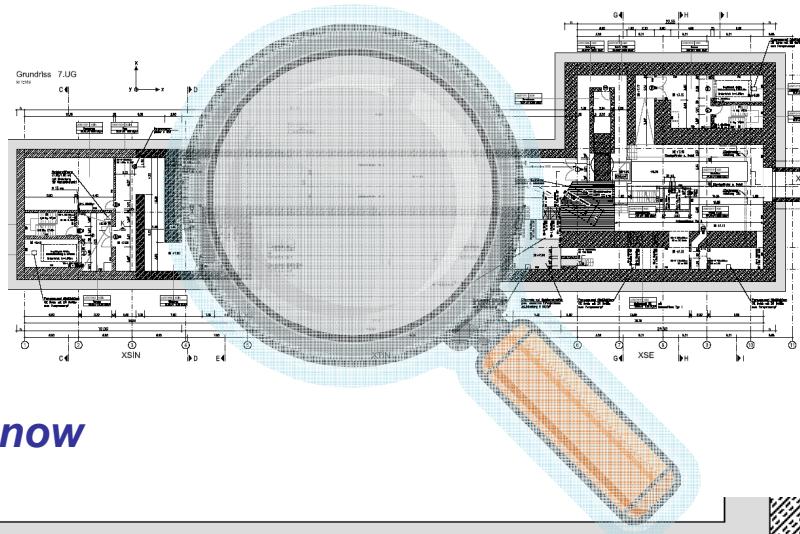
**Total beam line length: 64,50m**

**Length from left wall to dump: 42,28m**

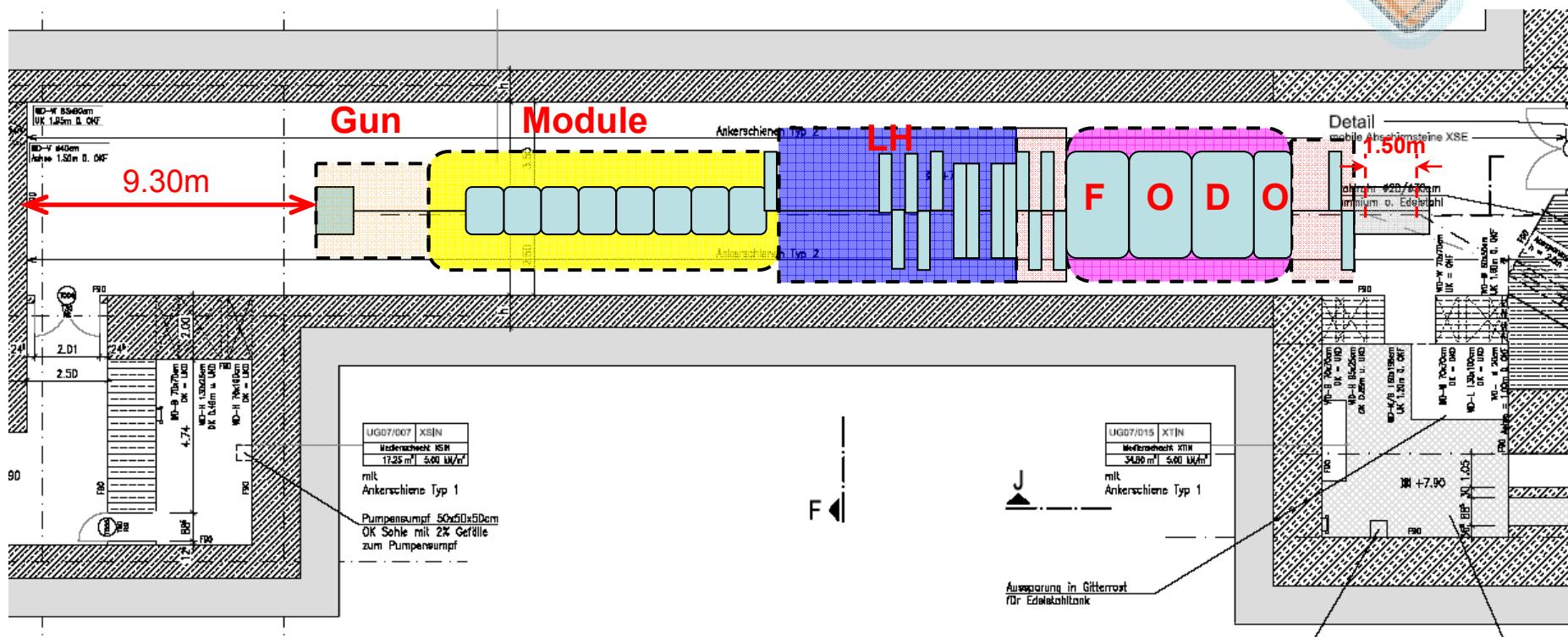


# Point of Interest: from Gun to Dump

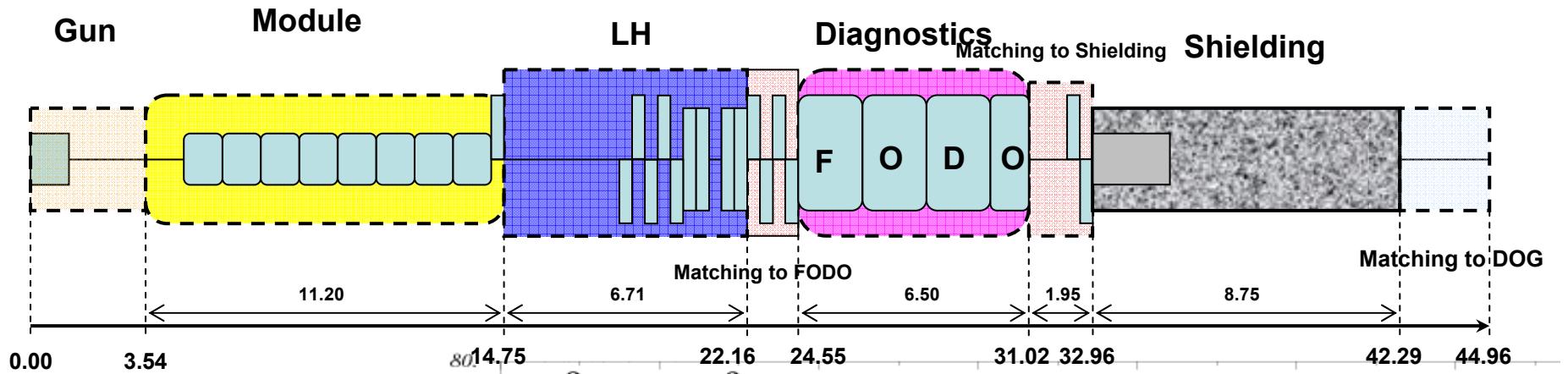
Boundary conditions:  
 The wall on the left ↔ Dump dipole on the right.  
 All diagnostics have to be placed there.



**Beamline length from Gun to Dump: 32,40m  
 9.30m spare place from the wall to gun foreseen now**

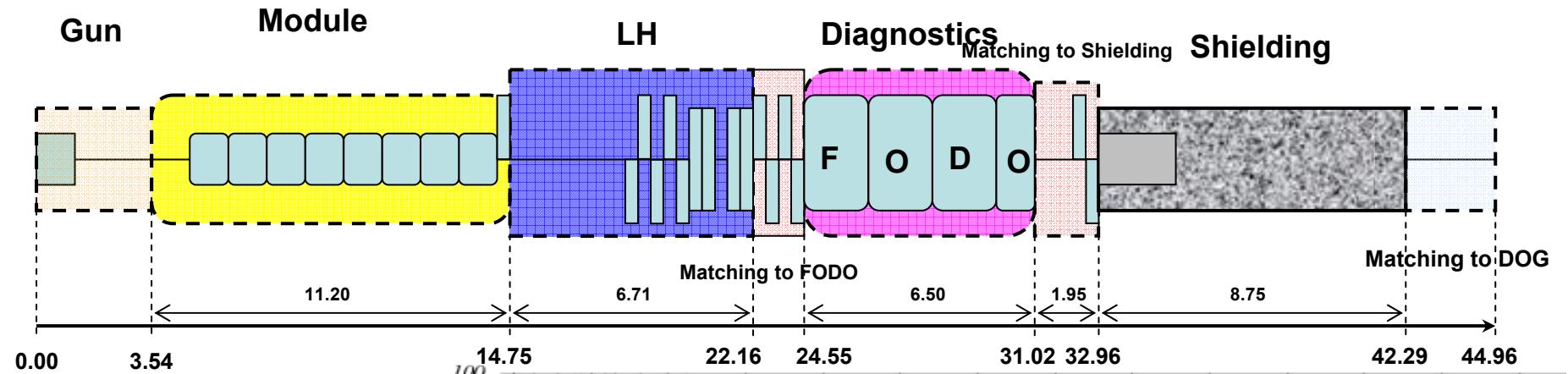


# Laser Heater Integration: FODO + Parabola-like $\beta$ at the Heater

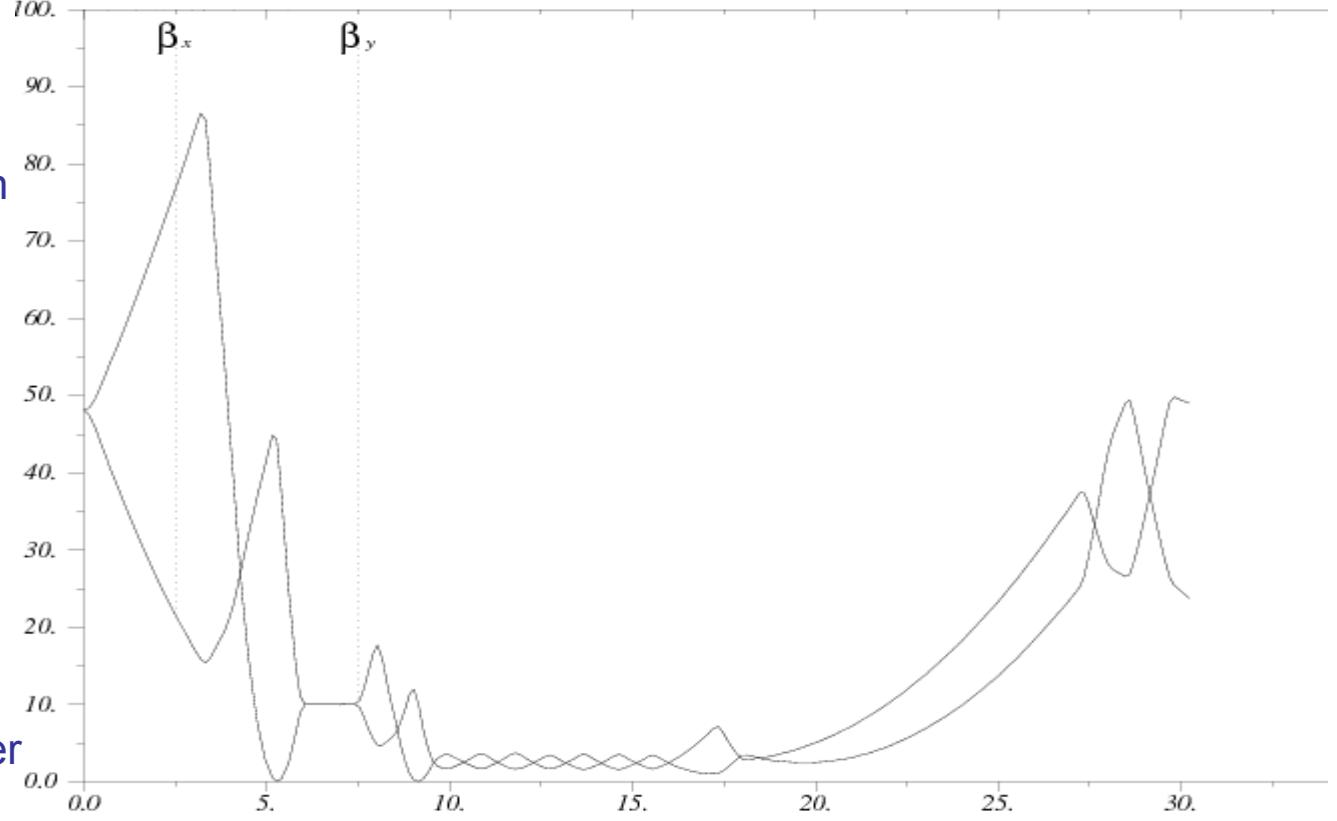


- LH requires 6.71m
- possible for a very wide range of the initial  $\beta$ -function
- no influence on the phase advance between OTR monitors from the optics in the laser heater.
- $\beta$ -function is not constant along the LH
- almost no spare place left for further improvements

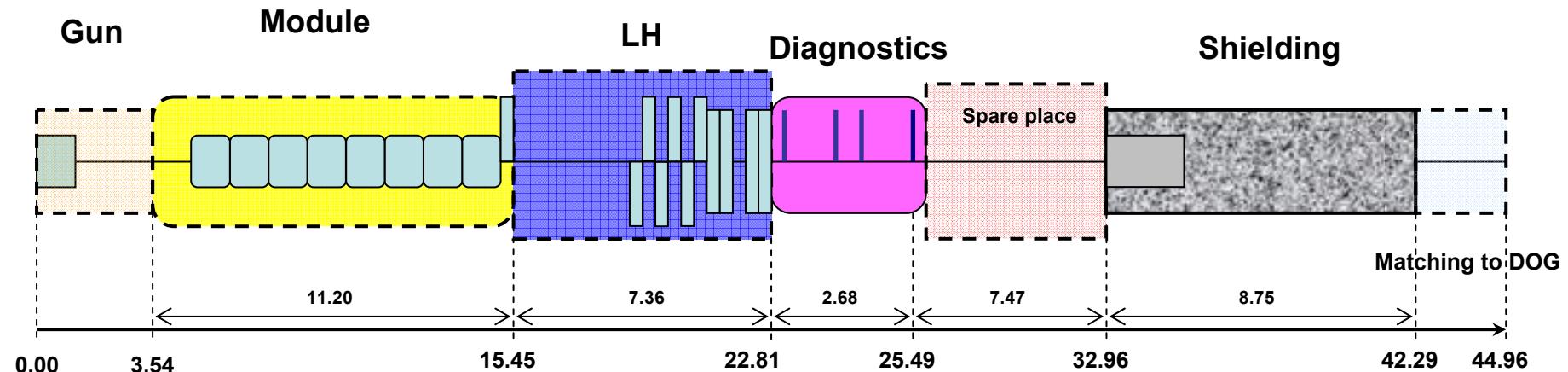
## Laser Heater Integration: FODO + const $\beta$ at the Heater



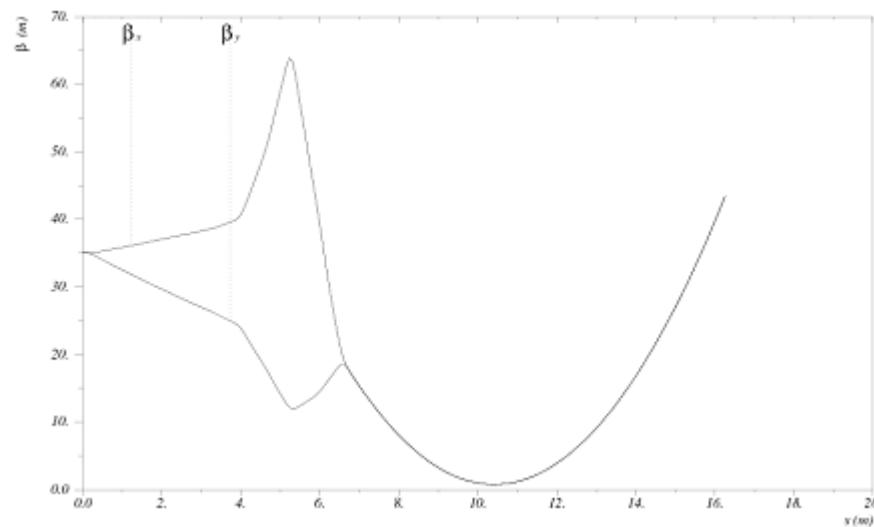
- LH requires 6.71m
- possible for a very wide range of the initial  $\beta$ -function
- no influence on the phase advance between OTR monitors from the optics in the laser heater.
- $\beta$ -function is constant along the LH
- the best conditions for operating the laser heater.
- places with extremely flat beam unavoidable.
- no spare place left for further improvements



## Laser Heater Integration: Drift with Parabola-like $\beta$



- LH requires 7.36m
- desired phase advance of  $45^\circ$  between OTRs for initial  $\beta$ -function between 30m and 65m achievable
- additional 7.47m of spare place.
- only OTR monitors are to be installed in the diagnostics section. no other stuff required.
- $\beta$ -function is not constant along the heater



## Phase Advances between OTRs in the Drift Solution

Phase advances between OTR monitors for different initial values of  $\beta$ -function

initial beta	min beta	phase advances
20	1.267	42.5 - 29.2 - 42.5
24	1.008	44.6 - 36.0 - 44.6
26	0.920	44.6 - 39.6 - 44.6
28	0.840	45.0 - 42.8 - 45.0
30	0.800	45.0 - 45.0 - 45.0
65	0.800	45.0 - 45.0 - 45.0
70	0.780	45.4 - 45.7 - 45.4
75	0.728	45.0 - 48.6 - 45.0

Desired phase advance of  $45^\circ$  is achievable in the range of the initial  $\beta$ -function between 30m and 65m  
Expected initial  $\beta$ -function: 20-70m → regions 20-30m and 65-70m could be critical.

## Expected beam sizes at the OTR monitors

	OTRs in the FODO solution		OTRs 1&4 in the drift solution		OTRs 2&3 in the drift solution	
Assumed emittance, mm mrad	$\beta$ , m	Beam size range, $\mu\text{m}$	$\beta$ , m	Beam size range, $\mu\text{m}$	$\beta$ , m	Beam size range, $\mu\text{m}$
1.0-1.5	2.435	98.9 - 121.2	5.50	148.7 - 182.1	0.935	61.3 - 75.1

- FODO solution provides the constant  $\beta$ -function at the OTR monitors, leading to the same beam size
- Drift solution: different betas at exterior and interior OTRs  $\rightarrow$  different beam sizes
- The smallest expected beam size at the OTR is about  $61\mu\text{m}$ , still comfortable above the tolerance limit of the OTR monitor ( $10\mu\text{m}$ ).

# Main Formulas for the Estimation of the Laser Heater Specifications

**Distribution function after  
the interaction with the laser heater**

$$f_0(z_0, \Delta\gamma_0, r) = \frac{I_0}{ec\sqrt{2\pi}\sigma_{\gamma_0}} \exp\left\{-\frac{[\Delta\gamma_0 - \Delta\gamma_L(r)\sin k_L z_0]^2}{2\sigma_{\gamma_0}^2}\right\} \frac{1}{2\pi\sigma_x^2} \exp\left(-\frac{r^2}{2\sigma_x^2}\right)$$

$$f_0(z_0, \Delta\gamma_0, r) = \frac{1}{\sqrt{2\pi}\sigma_{\gamma_0}} \frac{N\sqrt{\left(\frac{l_b}{2}\right)^2 - z_0^2}}{\pi\left(\frac{l_b}{2}\right)^2} \exp\left\{-\frac{\left[\Delta\gamma_0 - \Delta\gamma_L(0) \cdot e^{-\frac{r^2}{2\sigma_r^2}} \sin k_L z_0 (1 + q \sin k_s z_0)\right]^2}{2\sigma_{\gamma_0}^2}\right\} \frac{1}{2\pi\sigma_x^2} \exp\left(-\frac{r^2}{2\sigma_x^2}\right)$$

## Laser peak power

$$P_L = P_0 \left( \Delta\gamma_L(0) \frac{\gamma_0 \sigma_r}{KL_u} \right)^2 \left[ J_0 \left( \frac{K^2}{4+2K^2} \right) - J_1 \left( \frac{K^2}{4+2K^2} \right) \right]^{-1} \quad P_0 = \frac{I_A mc^2}{e} \approx 8.7 GW$$

$\sigma_x$  – transverse beam size

$\sigma_r$  – laser beam size rms

$\Delta\gamma_L$  – energy modulation

$\sigma_{\gamma_0}$  – initial energy spread

## Assumptions and Requirements for the Estimations

### ➤ Energy spread considerations:

- Desired uncorrelated energy spread after the acceleration: 2.5MeV rms.
- BC1 and BC2 with the compression of  $20 \times 5 = 100$

→ Uncorrelated energy spread after the laser heater should be below 25keV

→ Laser Heater should provide the uncorrelated energy spread of the beam up to 25keV.

### ➤ Beam size at the laser heater:

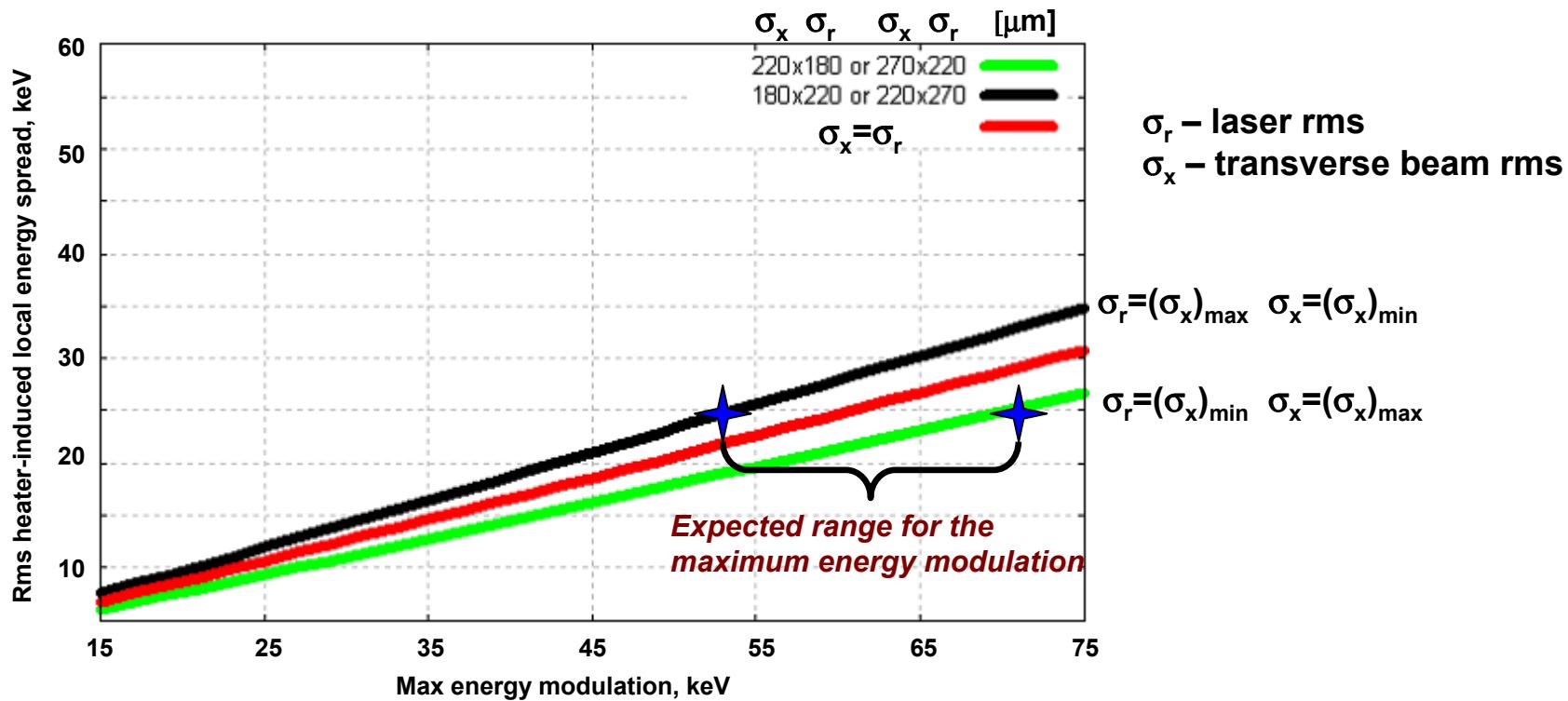
- Normalized beam emittance range: 1.0-1.5mm mrad
- Depends on the solution for the diagnostics section after the heater.
- FODO solution:  $\beta$ -function is constant along the laser heater and assumes the value of 10m.  
→ beam size rms: 200-246  $\mu\text{m}$
- Drift solution:  $\beta$ -function varies from 12 to 8m along the laser heater.  
→ beam size rms: from 180-220  $\mu\text{m}$  to 220-270  $\mu\text{m}$

### ➤ Average beam size at the heater for the drift solution:

$$\sigma_x = \sqrt{\varepsilon \beta} = \sqrt{\varepsilon \cdot \left( \beta^* + \frac{s^2}{\beta^*} \right)} \approx s \sqrt{\frac{\varepsilon}{\beta^*}}$$

→ Linear with  $s$  → varies from 200 to 245  $\mu\text{m}$

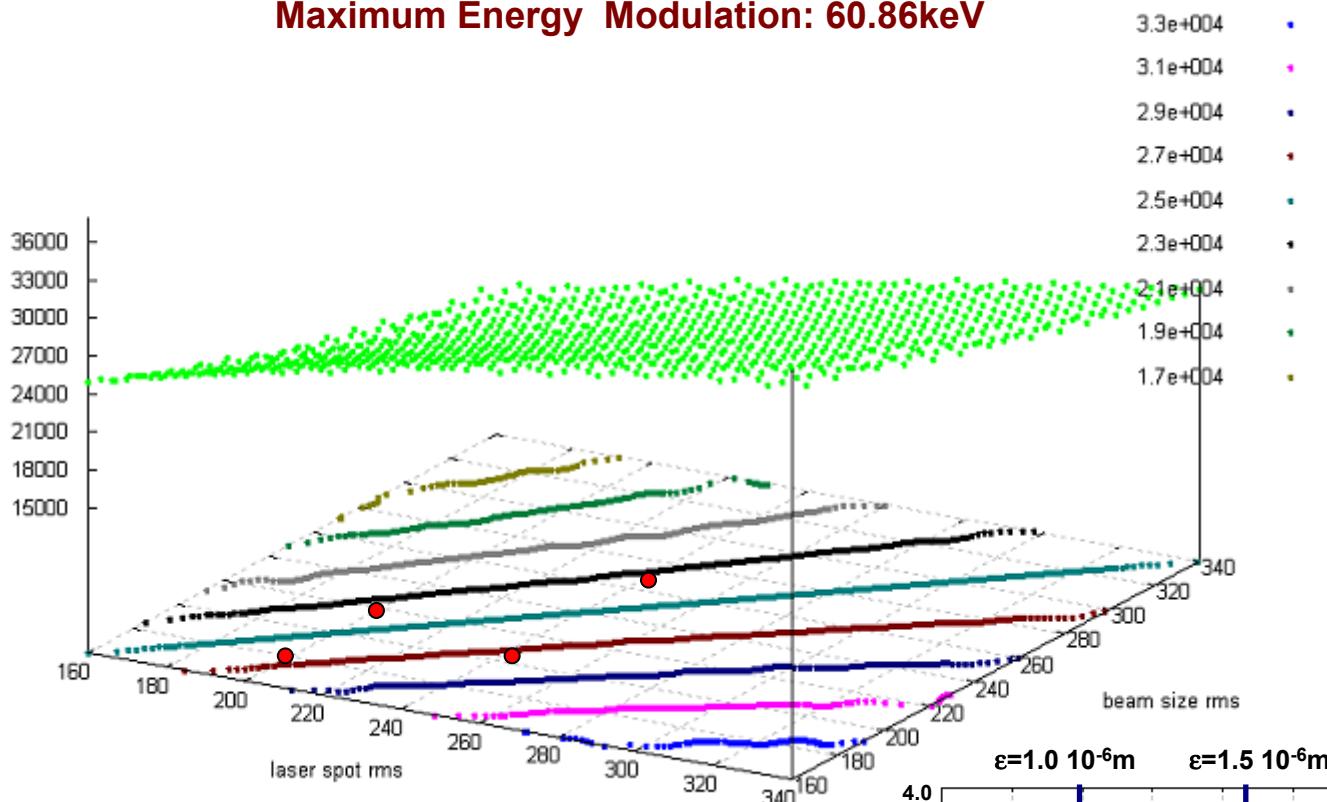
## Rms Heater-Induced Local Energy Spread



Rms heater-induced energy spread depends crucial on the ratio  $\sigma_x/\sigma_r$ .  
 Transverse beam size varies by about 20% along the laser heater.  
 If the energy spread of 25keV desired, the maximum energy modulation is expected to be in the range of 53.56 - 70.31keV.  
 For  $\sigma_x=\sigma_r$  the energy modulation of 60.86keV needed

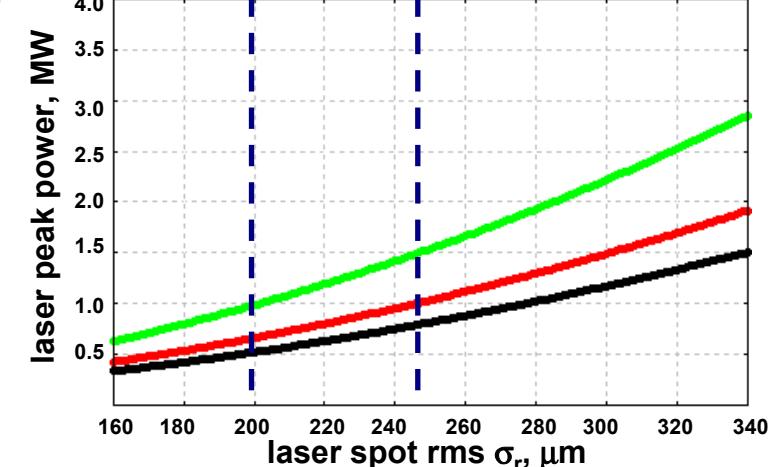
# Uncorrelated Energy Spread after the Interaction with the Laser Beam

Maximum Energy Modulation: 60.86keV



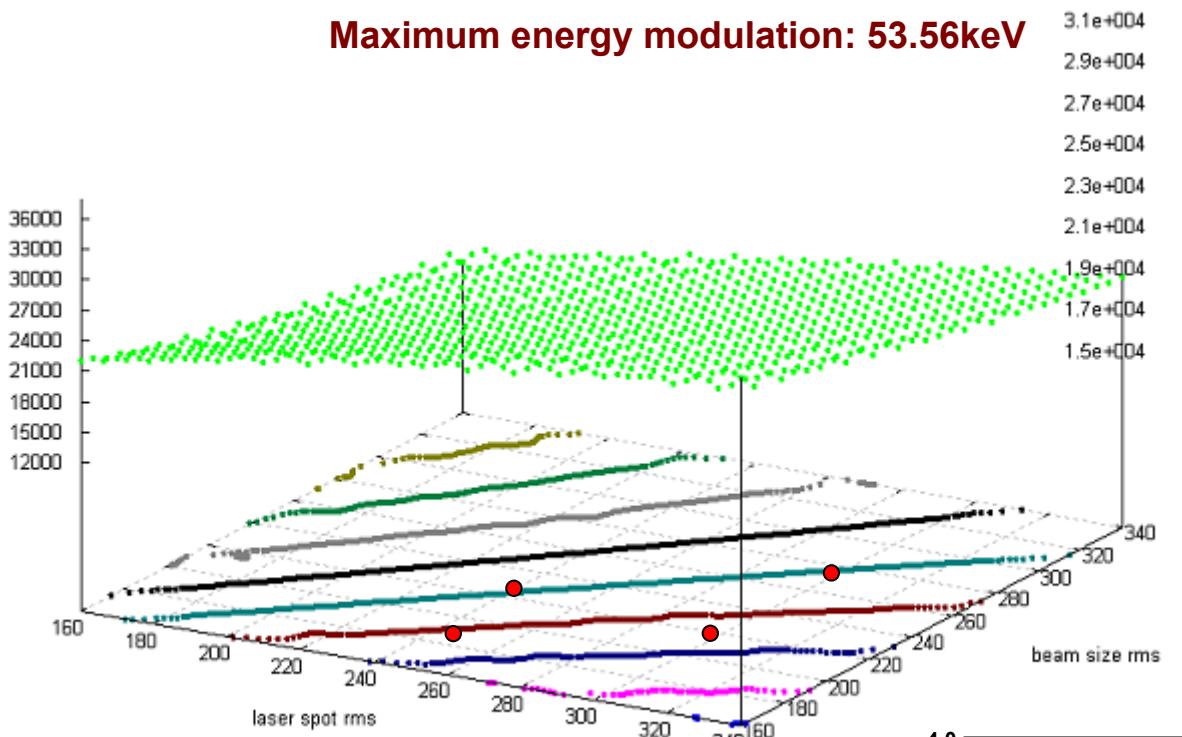
Laser peak power for different wave lengths, MW (undulator field 0.33T)

$\lambda$ , nm	$\lambda_u$	K	peak power for $\sigma_r=200\mu\text{m}$ ( $\varepsilon=1.0\text{mm mrad}$ )	peak power for $\sigma_r=245\mu\text{m}$ ( $\varepsilon=1.5\text{mm mrad}$ )
527	0.0383	1.18	0.99	1.48
800	0.0476	1.47	0.66	0.99
1054	0.0543	1.67	0.52	0.78



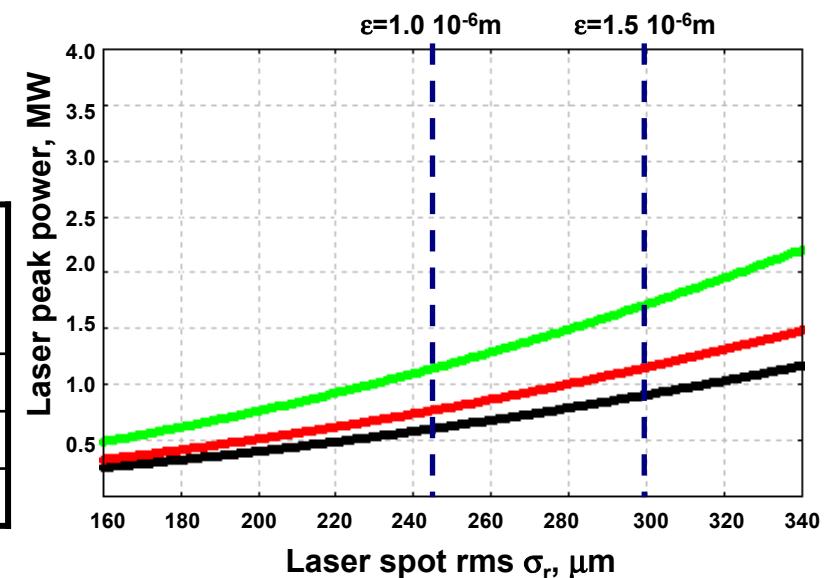
# Uncorrelated Energy Spread after the Interaction with the Laser Beam

Maximum energy modulation: 53.56keV



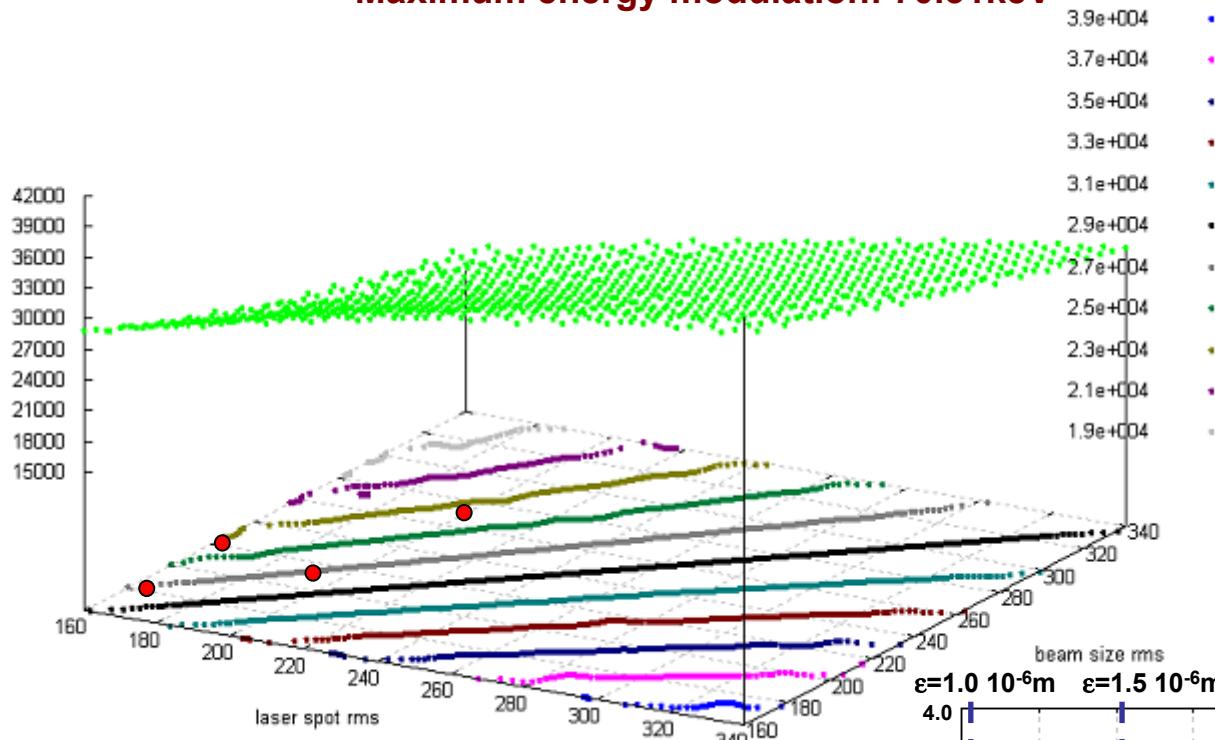
Laser peak power for different wave lengths, MW (undulator field 0.33T)

$\lambda$ , nm	$\lambda_u$	K	peak power for $\sigma_r=245\mu\text{m}$ ( $\epsilon=1.0\text{mm mrad}$ )	peak power for $\sigma_r=300\mu\text{m}$ ( $\epsilon=1.5\text{mm mrad}$ )
527	0.0383	1.18	1.15	1.72
800	0.0476	1.47	0.77	1.15
1054	0.0543	1.67	0.61	0.91



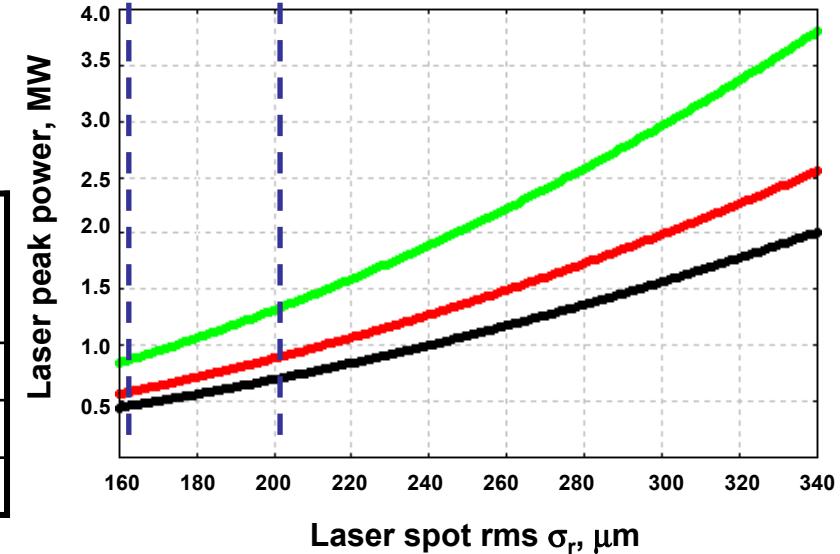
# Uncorrelated Energy Spread after the Interaction with the Laser Beam

Maximum energy modulation: 70.31keV

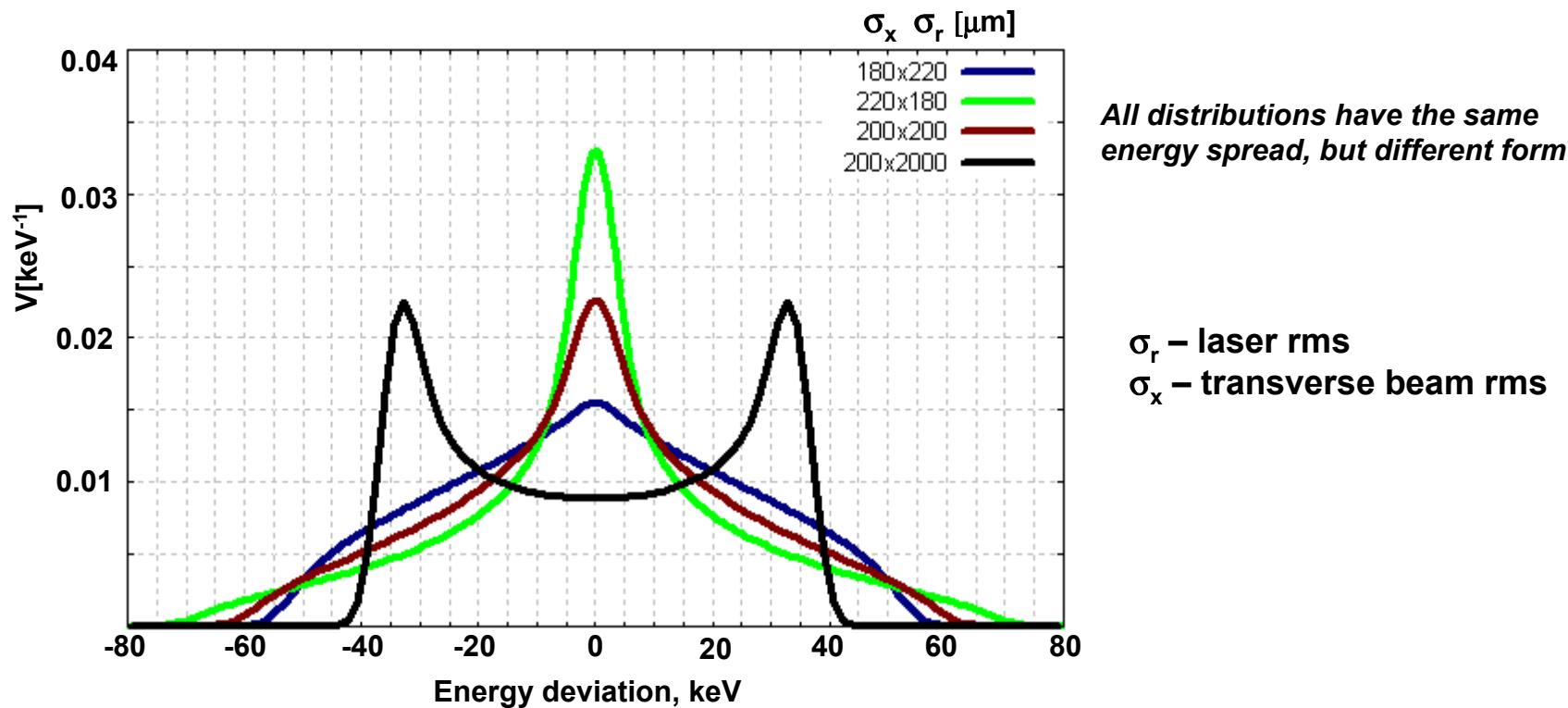


Laser peak power for different wave lengths, MW (undulator field 0.33T)

$\lambda$ , nm	$\lambda_u$	K	peak power for $\sigma_r=164\mu\text{m}$ ( $\varepsilon=1.0\text{mm mrad}$ )	peak power for $\sigma_r=200\mu\text{m}$ ( $\varepsilon=1.5\text{mm mrad}$ )
527	0.0383	1.18	0.88	1.32
800	0.0476	1.47	0.59	0.88
1054	0.0543	1.67	0.47	0.70



## Energy Distribution after the Interaction with the Laser Beam



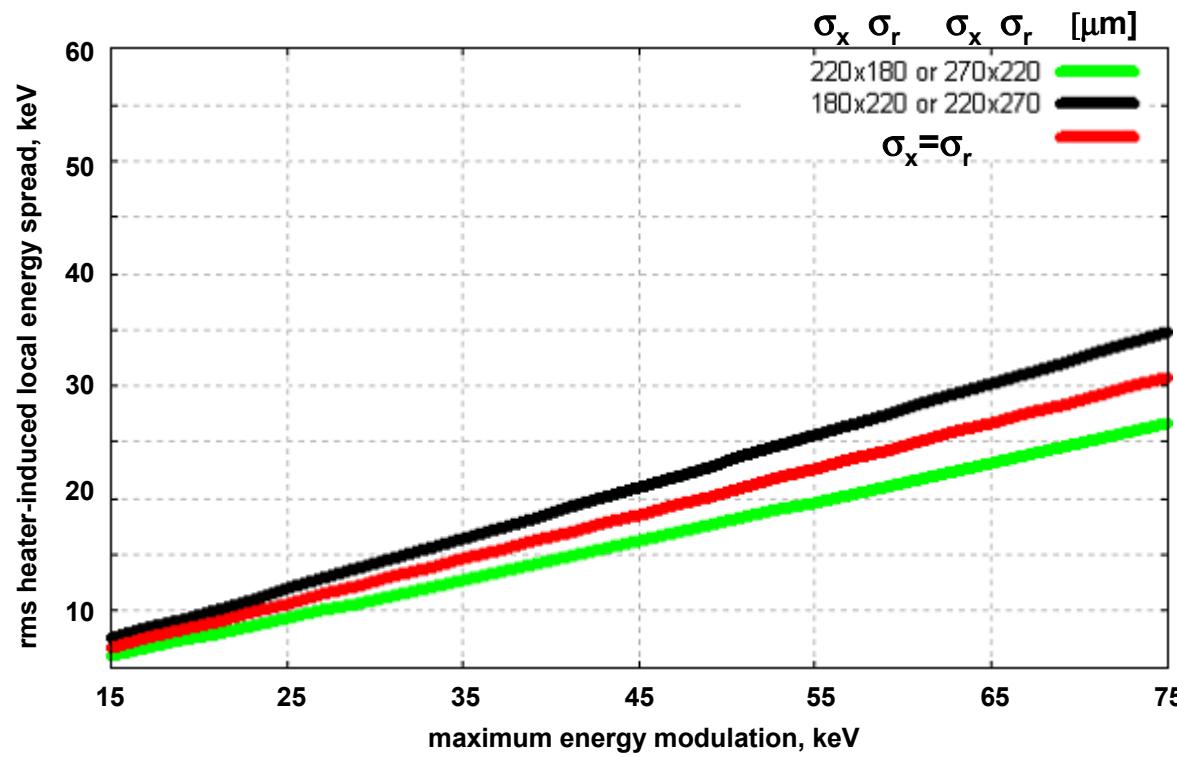
The ratio  $\sigma_x/\sigma_r$  has impact on the final form of the energy distribution:

- Case one:  $\sigma_r < \sigma_x$  → sharp spike with long tails
- Case two:  $\sigma_r = \sigma_x$  → more or less gaussian distribution
- Case three:  $\sigma_r > \sigma_x$  → approx. like a water bug
- Case four:  $\sigma_r >> \sigma_x$  → double horn structure.

Perfectly matched laser beam size or slightly above the electron beam rms provides the most convenient form of the energy distribution.

# Summary

- Three different optics have been calculated for the implementation of the laser heater and the diagnostics.
- Optics with the drift solution for the diagnostics allows to save about 7m space. Constant phase advance between OTRs can be provided, however, only for a range of initial  $\beta$  30-65m.
- Optics with the FODO solution for the diagnostics requires more place, but makes the phase advances between OTRs independent from the initial  $\beta$ .
- Beam sizes at the OTRs are well above the tolerance limits of the monitors.
- Laser heater specifications have been calculated for the laser wave lengths of 527, 800 and 1054 nm.
- Uncorrelated energy spread of the bunch after the interaction with the laser heater has been calculated for different ratios  $\sigma_r/\sigma_x$ .
- Perfectly matched laser beam size or laser beam slightly larger than the electron beam provides the most preferable energy distribution.



*Expected range for 1  
maximum energy mod*