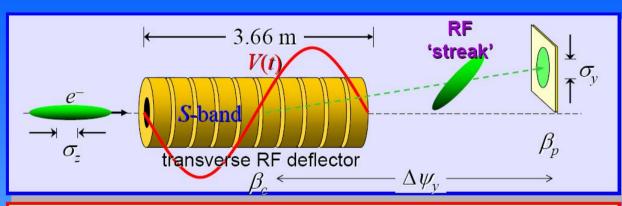
Some LOLA Results

M. Hüning, A. Bolzmann, 09.06.2005

Setup



$$\sigma_{y} = \sqrt{\sigma_{y0}^{2} + \sigma_{z}^{2} \beta_{c} \beta_{p} \left(\frac{2\pi e V_{0}}{\lambda E_{0}} \sin \Delta \psi_{y} \cos \varphi\right)^{2}}$$

$$\langle \Delta y \rangle = \frac{e V_{0}}{E_{0}} \sqrt{\beta_{c} \beta_{p}} \sin \Delta \psi_{y} \sin \varphi , \qquad V_{0} \approx \left(1.6 \text{ MV/m/MW}^{1/2}\right) L \sqrt{P_{0}}$$

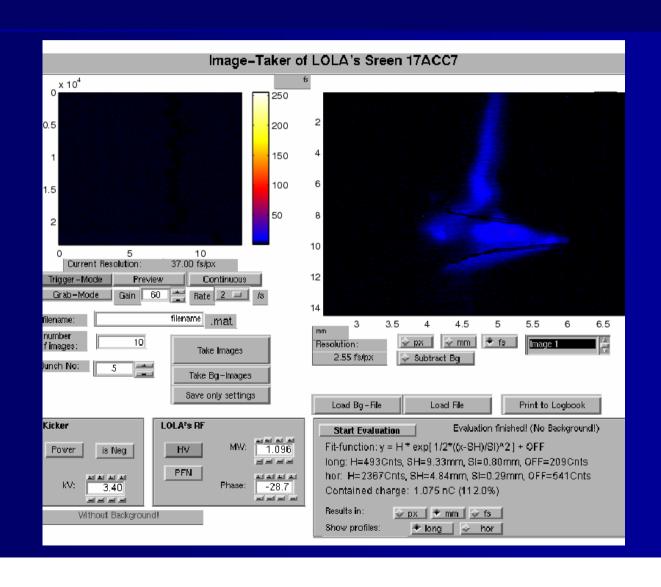
 $L \approx 3.66 \text{ m}, V_0 \approx 25 \text{ MV},$

 $P_0 \approx 18 \text{ MW}$

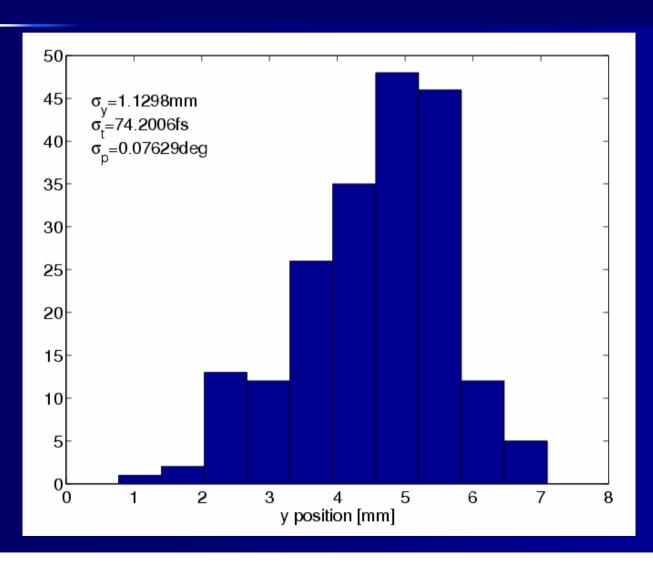
 $\sigma_{\rm v} \approx 925 \ \mu {\rm m}$

$$\sigma_z \approx 25 \ \mu \text{m}$$
 $E_0 \approx 0.6 \ \text{GeV}$
 $(\beta_c \beta_p)^{1/2} \approx 51 \ \text{m}$
 $\gamma \varepsilon_y \approx 5 \ \mu \text{m}$
 $\Delta \psi_y \approx 15.8^{\circ}$
 $\varphi \approx 0^{\circ}$
 $\lambda \approx 105 \ \text{mm}$
 $\lambda \approx 105 \ \text{mm}$

Operator's Panel



Phase Stability

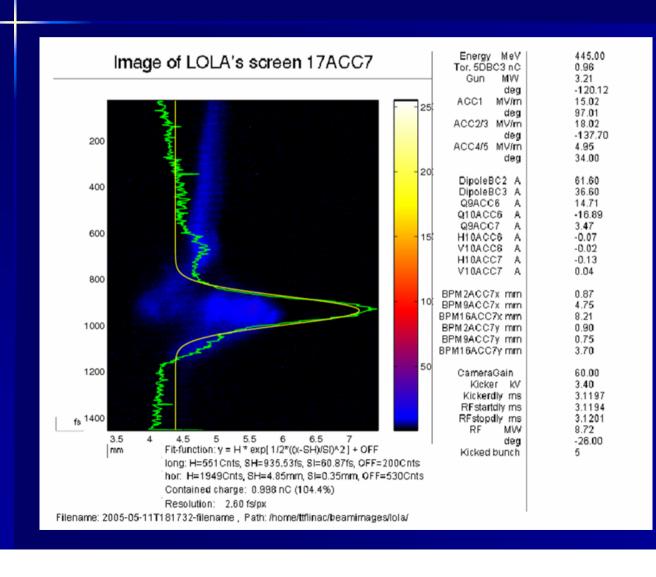


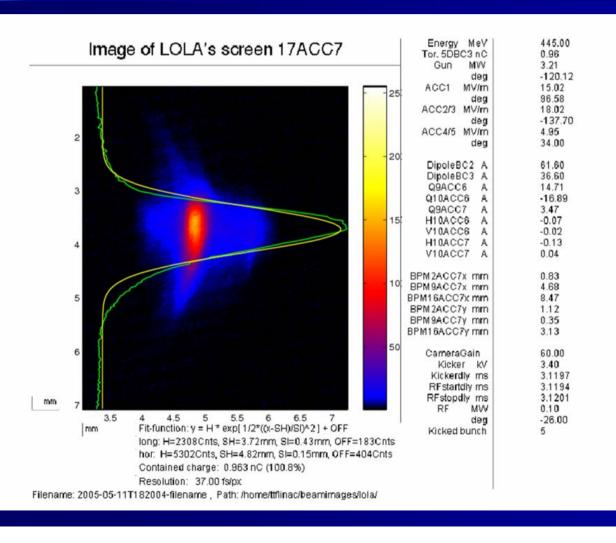
This is the jitter LOLA-beam,

The same was measured with the klystron alone,

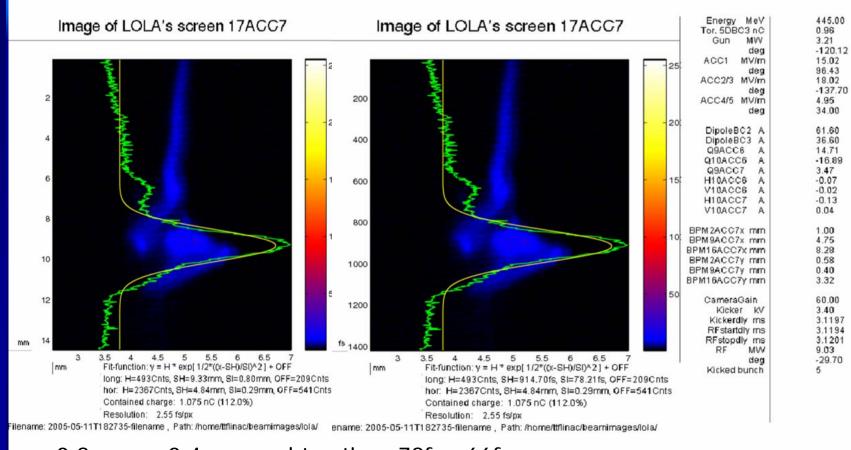
To explain these numbers the beam energy would have to be good to 10⁻⁴, which was NOT confirmed

Example: SASE conditions



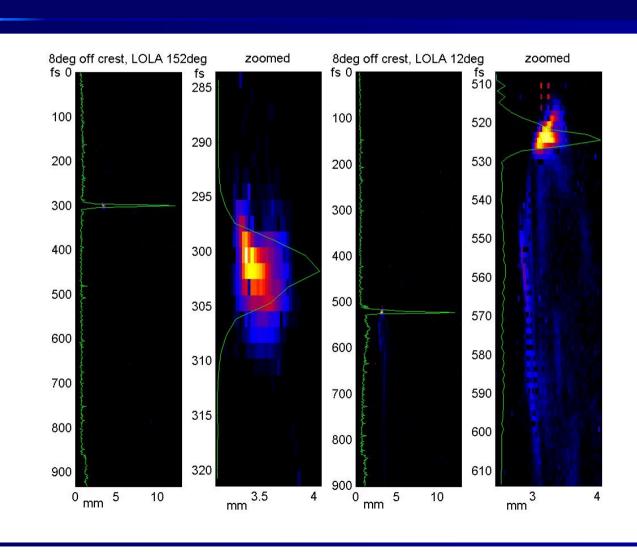


With SASE (1µJ)

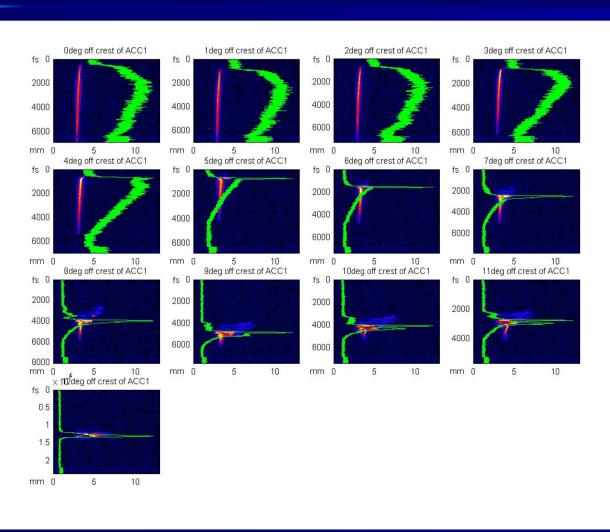


0.8mm vs 0.4 mm, subtraction: 78fs→66fs

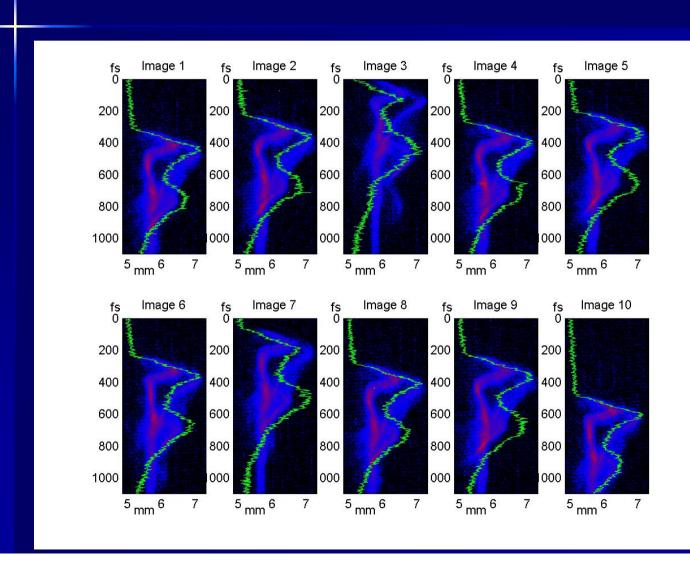
BC3 off



Scan ACC1



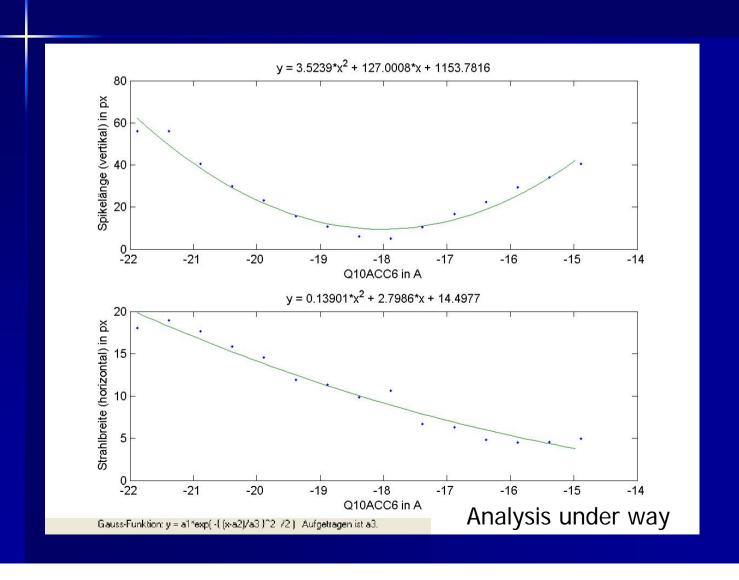
Stable SASE conditions



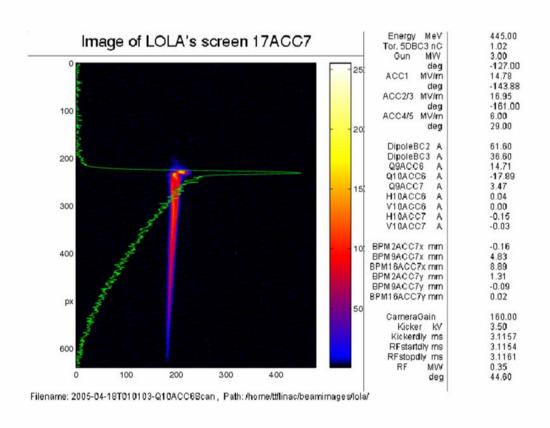
A Word on Dispersion

- The screen is off from the center (10mm), we use a kicker to get the beam there
- The dispersion created is 10mm
- To explain a horizontal beam size of 0.5mm (RMS) the energy spread would have to be 20MeV (RMS)

Quadrupole Scan on Spike



One corresponding picture



Max Compression

