

Construction of the BEAST II Undulator

FEL - Seminar

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[LAOLA](#). is a collaboration of



BEAST II TEAM

LUX Magnet design

- Geometry and fields of magnets and poles
- Order magnets

LUX undulator construction

- Order poles
- Design and build support structure
- Measure field

BEAST II TEAM

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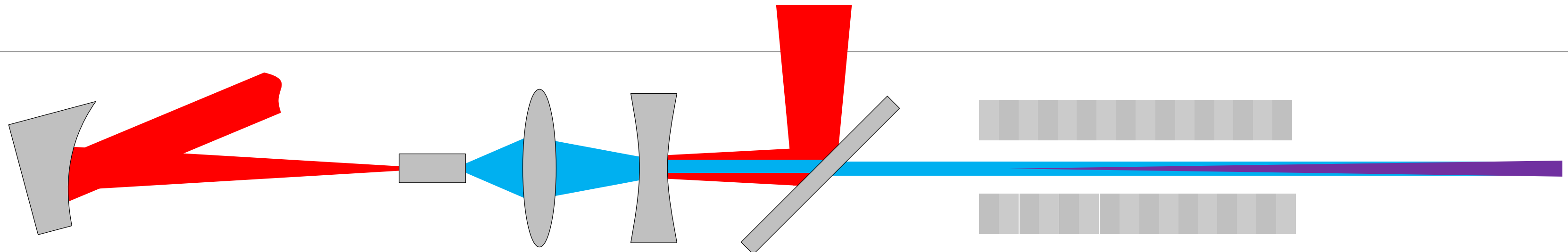


With great support from J. Bahrtdt (HZB)

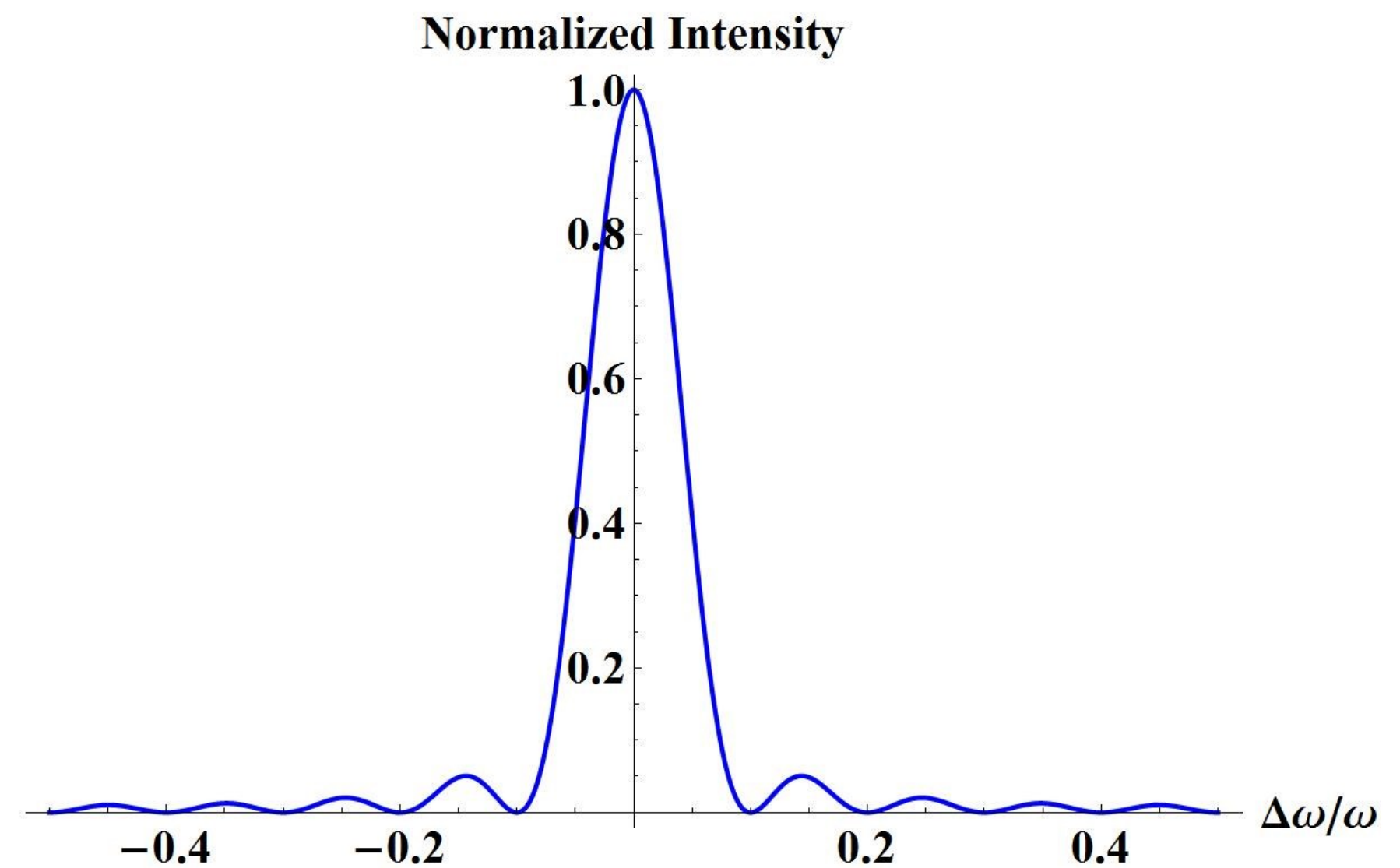
Outline

- > LUX Overview
- > Undulator Field and Trajectories
- > Design parameters & error estimation
- > Undulator Design & Construction
- > Field Quality Measurement
- > Conclusion & Outlook

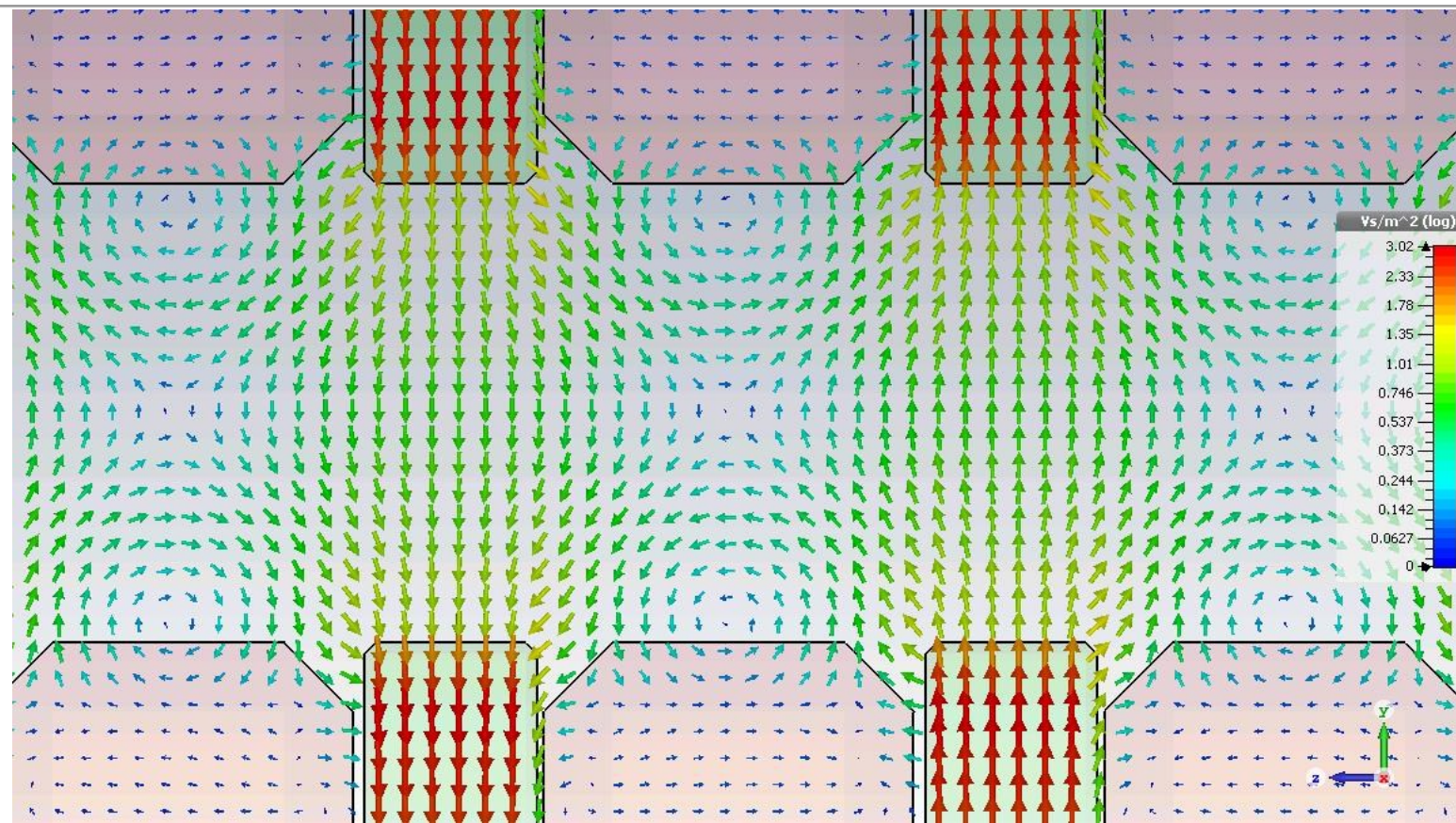
Laser plasma driven undulator light source - LUX



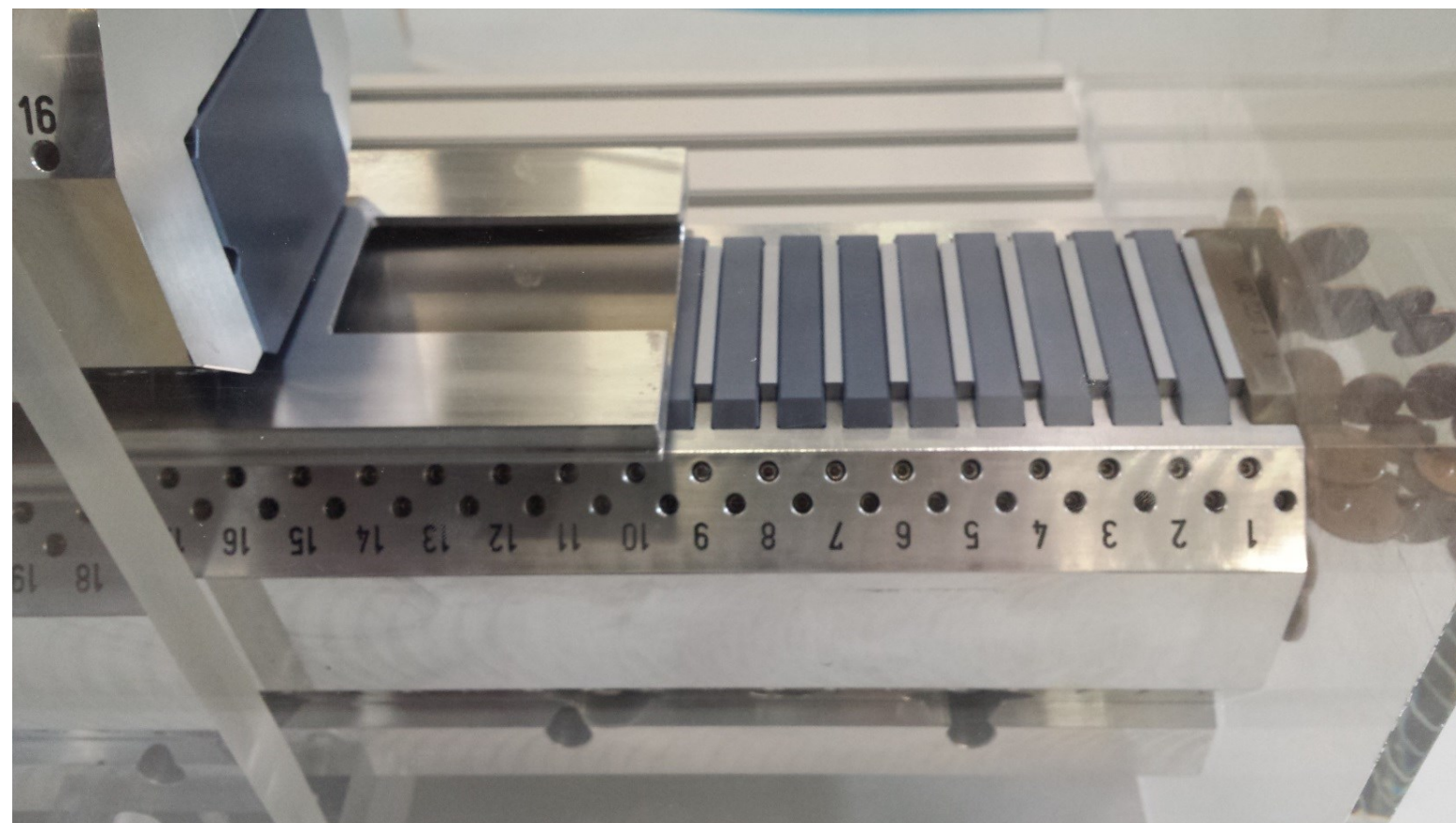
- High power laser (200 TW) focused into gas target
- creates plasma channel in which electron bunches are created & accelerated towards highly relativistic energies
- Electrons captured with quadrupole magnets
Laser outcoupled to diagnostics
- Electrons focused into alternating dipole structure called undulator
Electrons wiggle around orbit and start to radiate
- Undulators produce tunable light pulses with high Intensity in a narrow bandwidth



Hybrid Undulator Field

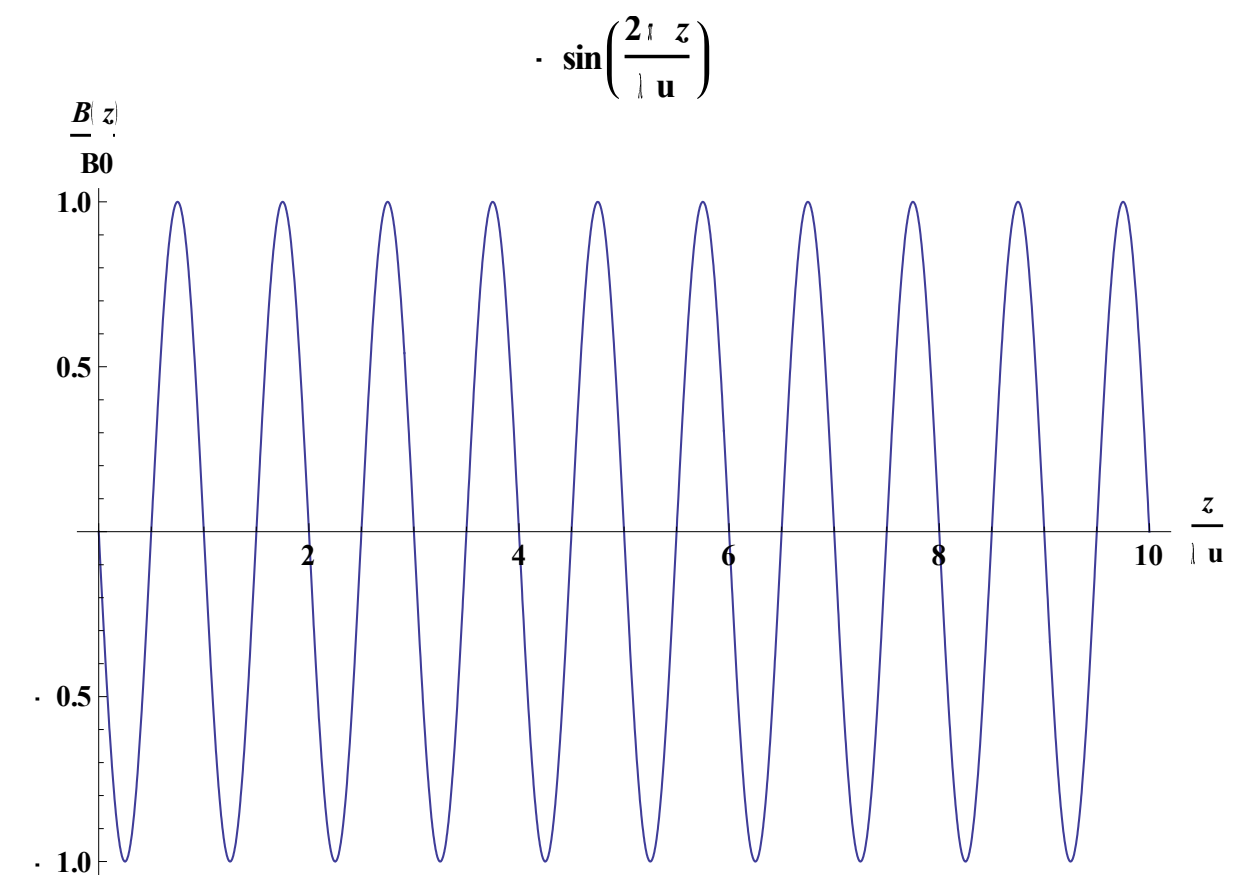


One period = λ_u = two dipole fields



Field on axis

$$B_y = -B_0 \sin\left(\frac{2\pi}{\lambda_u} z\right)$$



Undulator Trajectory - Physics

Field on axis

$$B_y = -B_0 \sin(k_u z)$$

$$k_u = \frac{2\pi}{\lambda_u}$$

Lorentz force:

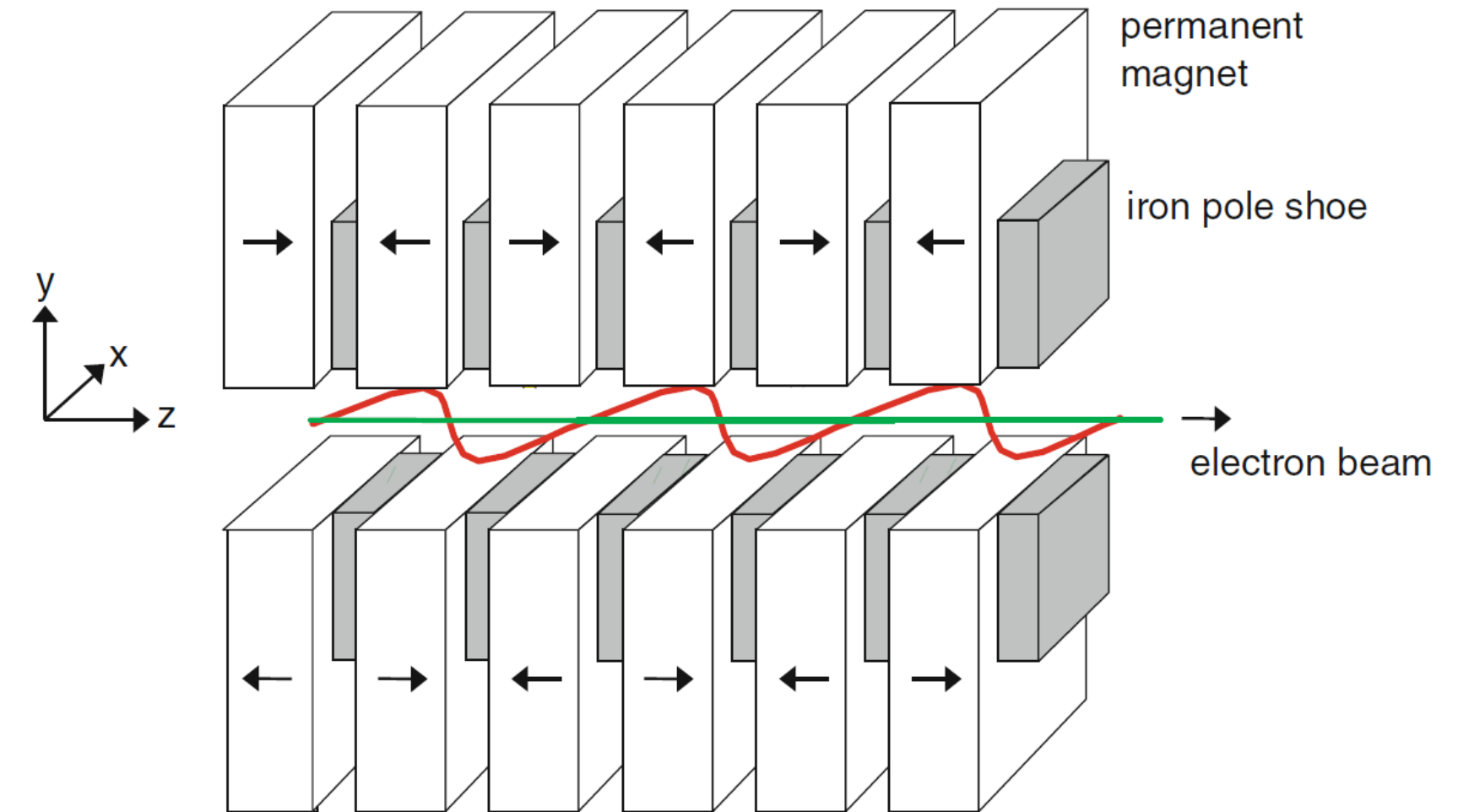
$$F = q(\vec{v} \times \vec{B})$$

Transverse velocity:

$$\beta_x(z) = \frac{K}{\gamma} \cos(k_u z)$$

Amplitude of deflection $K = \frac{\lambda_u e B_0}{2 \pi m c} = 0.934 B_0 [T] \lambda_u [cm]$

Pure machine parameter!



CR: Schmüser, Dohlus, Rossbach, Behrens – „Free-electron Laser in the Ultraviolet and X-Ray Regime“

Electrons oscillate, start to emit radiation

Lorentz contraction and Doppler effect:

Central wavelength of radiation cone $\lambda_{\text{obs}} = \frac{\lambda_u}{2\gamma^2} \left(1 + \frac{K^2}{2}\right)$

Interference effect:

Observed bandwidth shrinks with number of periods $N : \frac{\Delta\lambda}{\lambda} = \frac{1}{N}$

Undulator Trajectory - Engineering

Relevant for construction

Keep fabrication errors as small as possible!

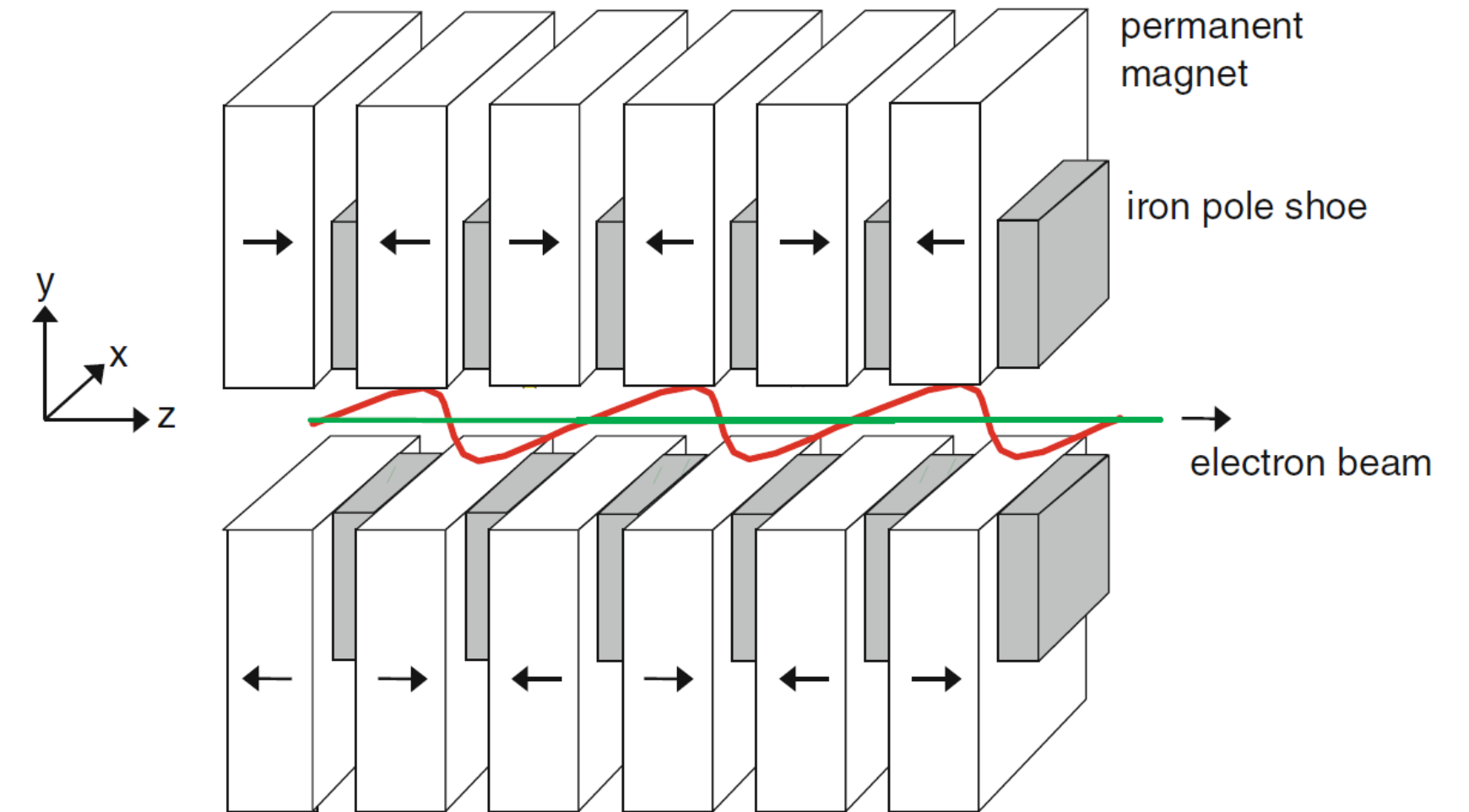
make magnetic field transparent over whole device

Field on axis: $B_y = \mathbf{B}_0 \sin\left(\frac{2\pi}{\lambda_u} z\right)$

Deflection: $\beta_x(z) \sim \int B_y dz := J_1 = 0$

Offset: $x(z) \sim \int \int B_y dz dz' := J_2 = 0$

Influence of error sources should be smaller than bandwidth



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BEAST II Design Parameters and Error Estimation

Design considerations:

In vacuum

Periods : 100

λ_u : 5 mm

Fixed gap 2 mm

Total length : 0.5 m

$B_0 = 0.67$ T

$K = 0.3$

$\gamma = 800$

$\lambda = 4.26$ nm

$E = 291$ eV

$\theta = 128$ μ rad

$$\frac{\Delta\lambda}{\lambda} = 1\%$$

All other error sources should be in the range of 1%!

Difference between global error and local errors

Local errors:

- errors in individual periods
- worsen performance

Global errors:

- Constant error in each period
- lead to different operation range of the whole machine

BEAST in a nutshell



Pulsed Wire Measurement

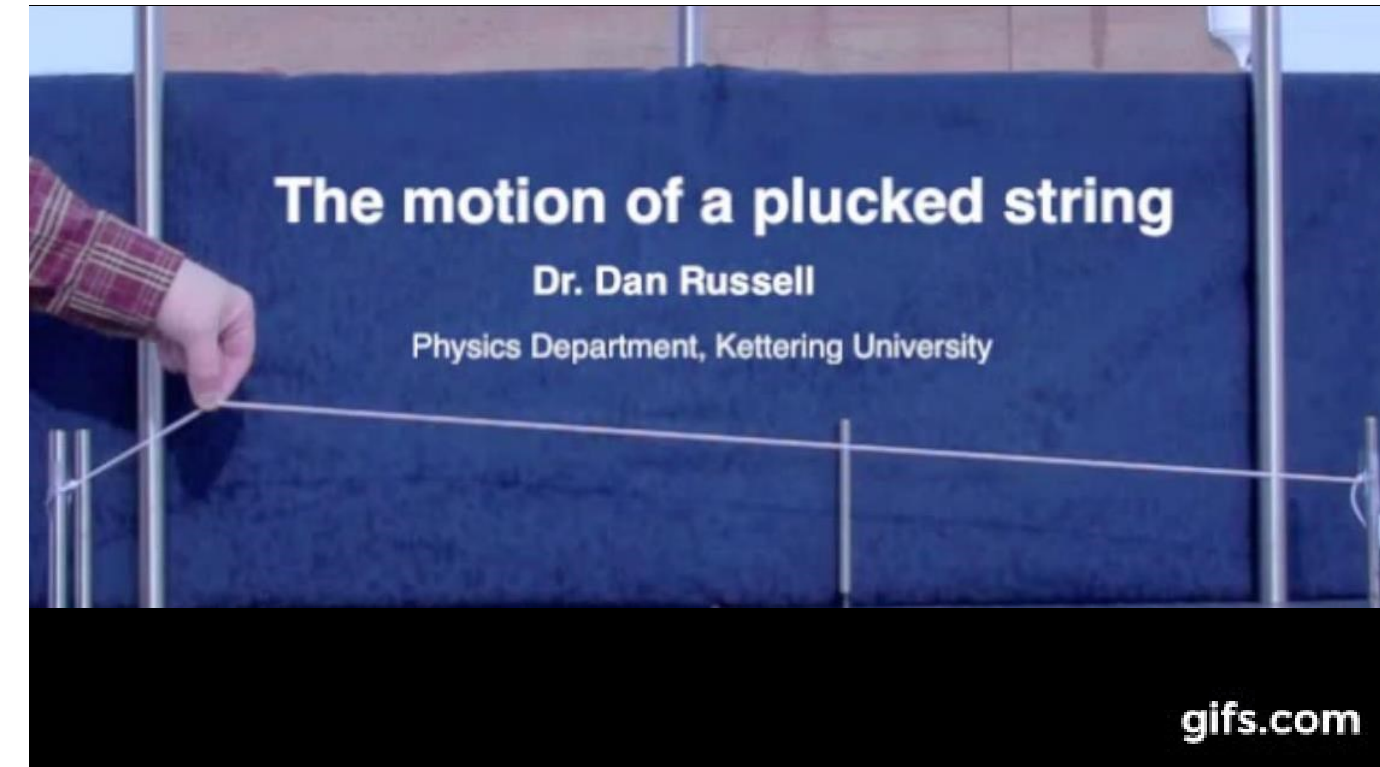
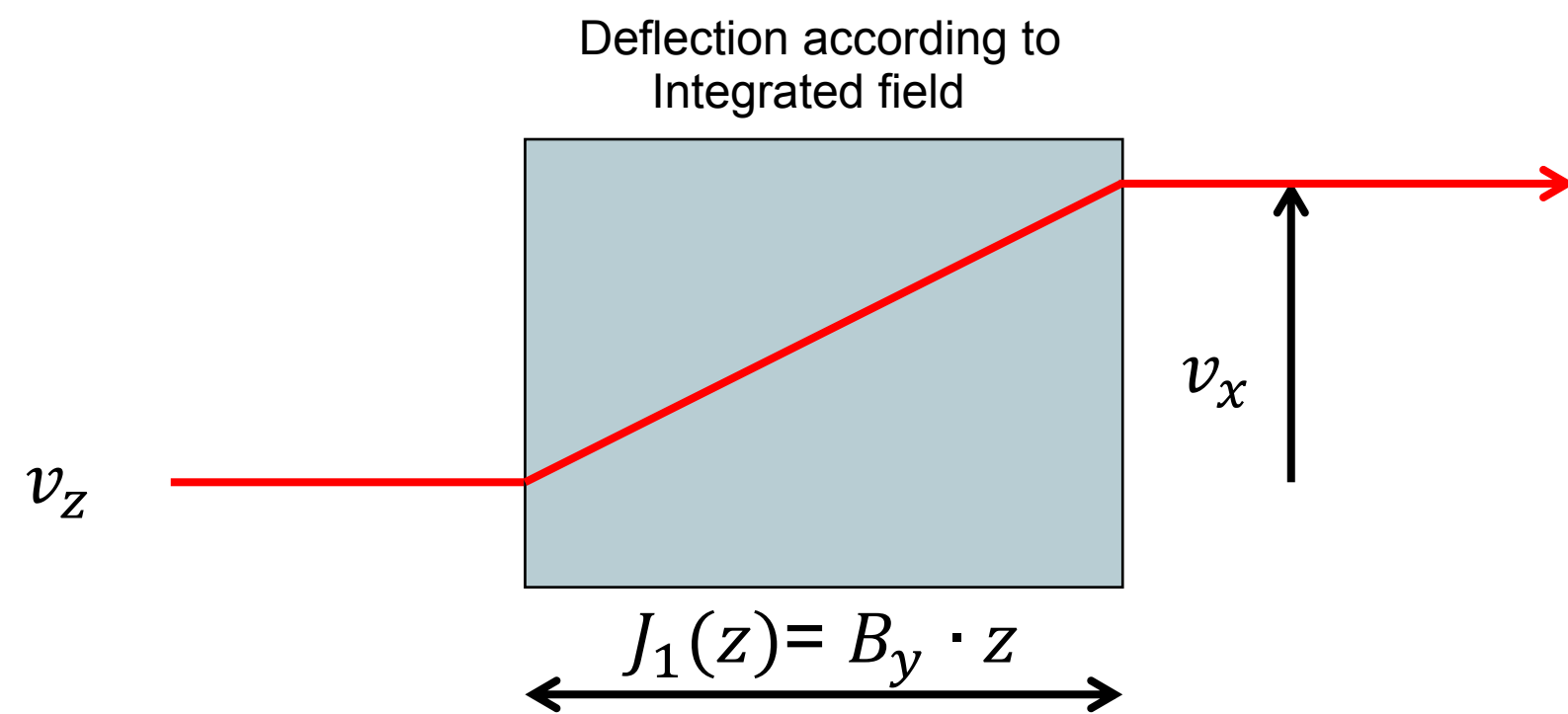
Used to measure longitudinally resolved field integrals

Field integrals represent transverse velocity/position change due to a force

Deflection: $v_x = \int \frac{F_{Lo}}{m} dt \sim \int B_y dz := J_1$

Field integral

$$J_1(z) = \int_0^{v_z \cdot t} B_y(z) dz = B_y \cdot z$$



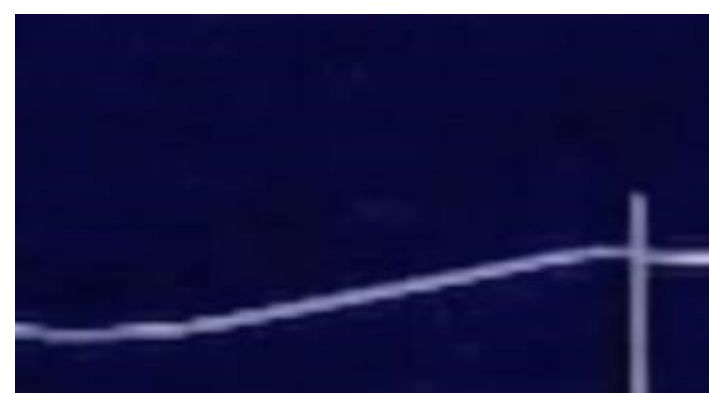
Release wire:
Short force effect $\delta\tau$

$$\frac{dx}{dt} = \frac{F\delta\tau}{m} \rightarrow dx = \frac{F\delta\tau}{m} dt$$



=> Kick travels along the wire and generates wavefront

$$dx = -\frac{F \delta\tau}{2 v_w \cdot m} dz$$



At the detector:
wavefronts sum up as a step function

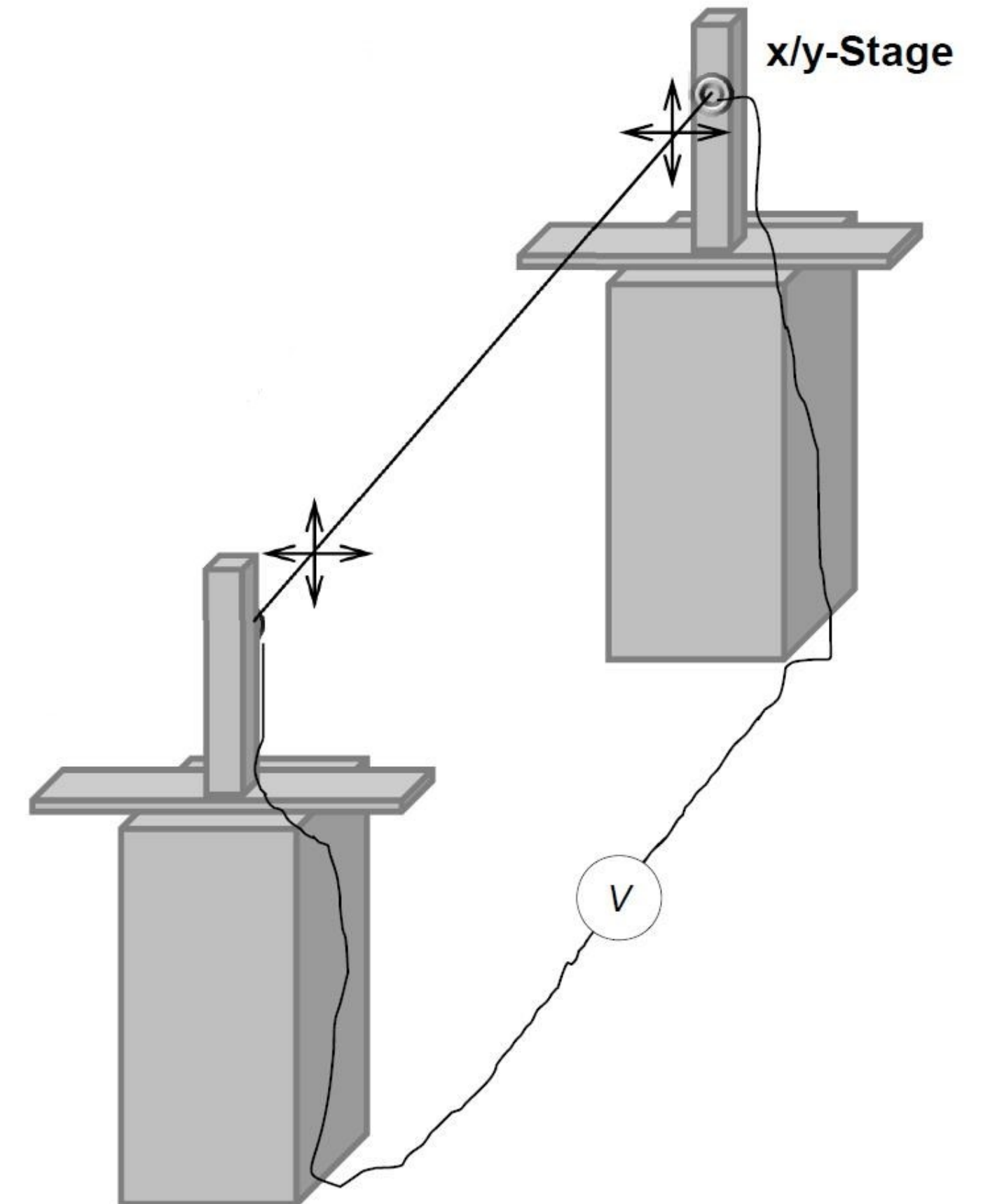
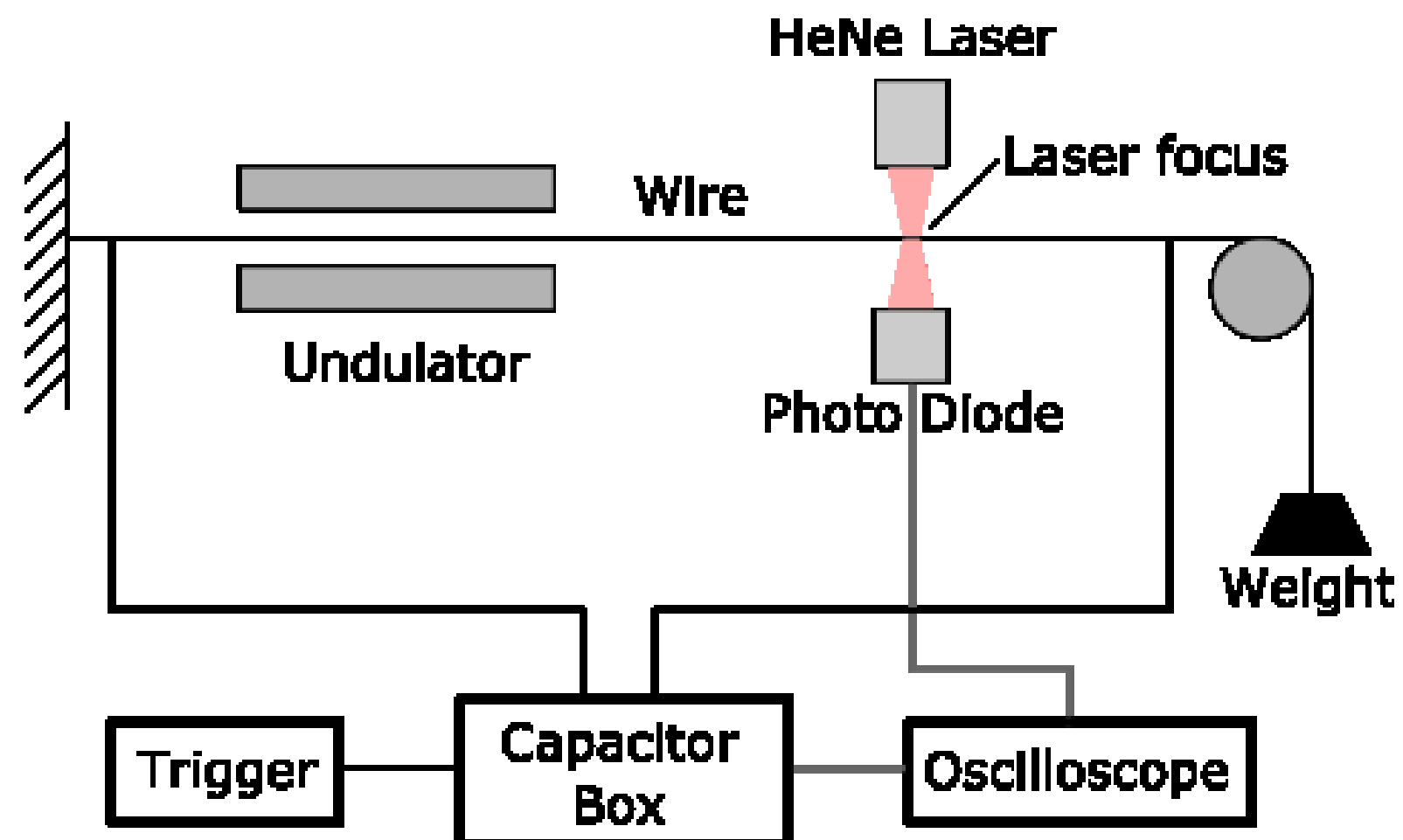
$$x(t) = -\frac{\delta\tau}{2 v_w \cdot m} \int F dz$$

Pulsed Wire Measurement

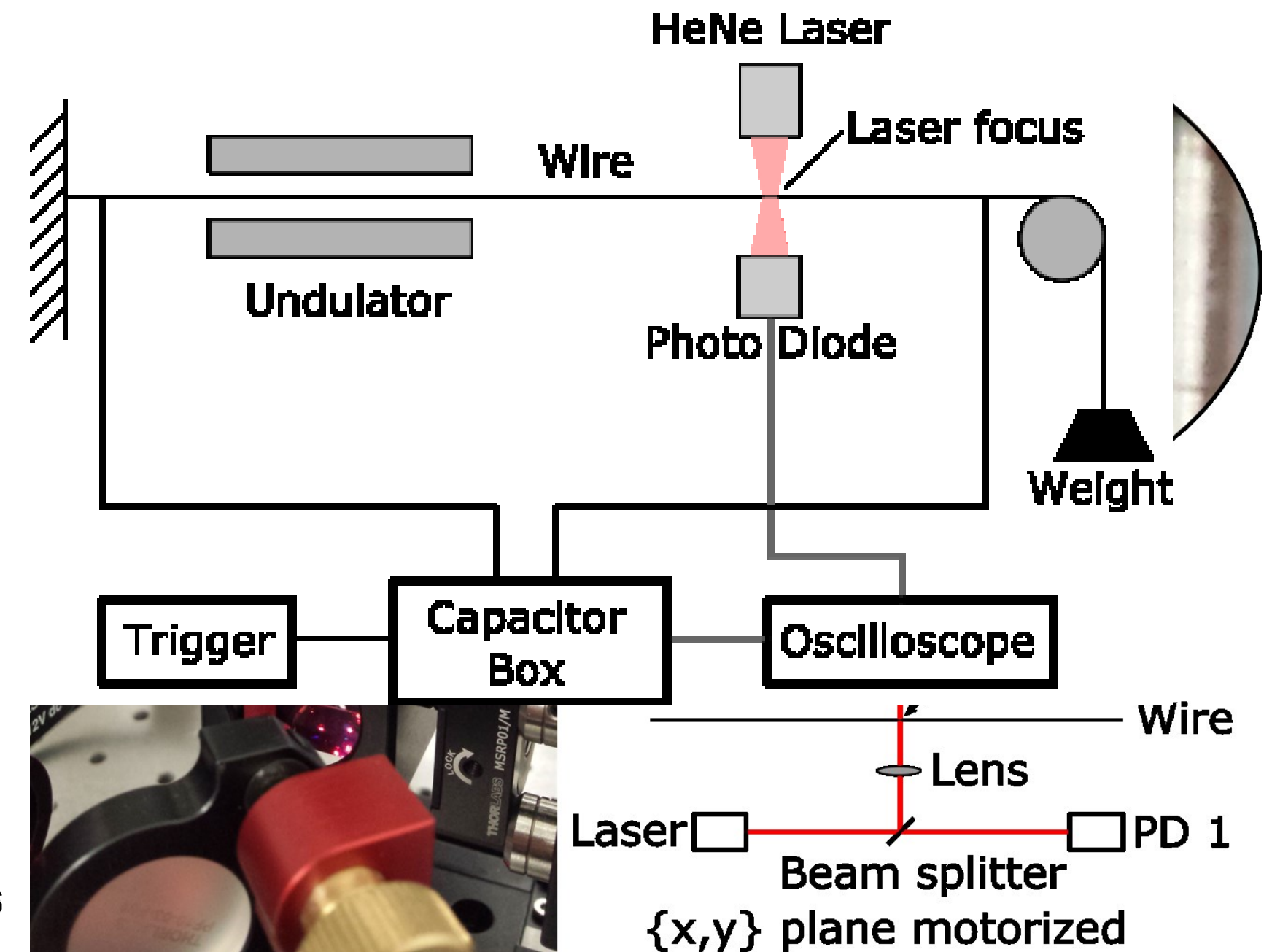
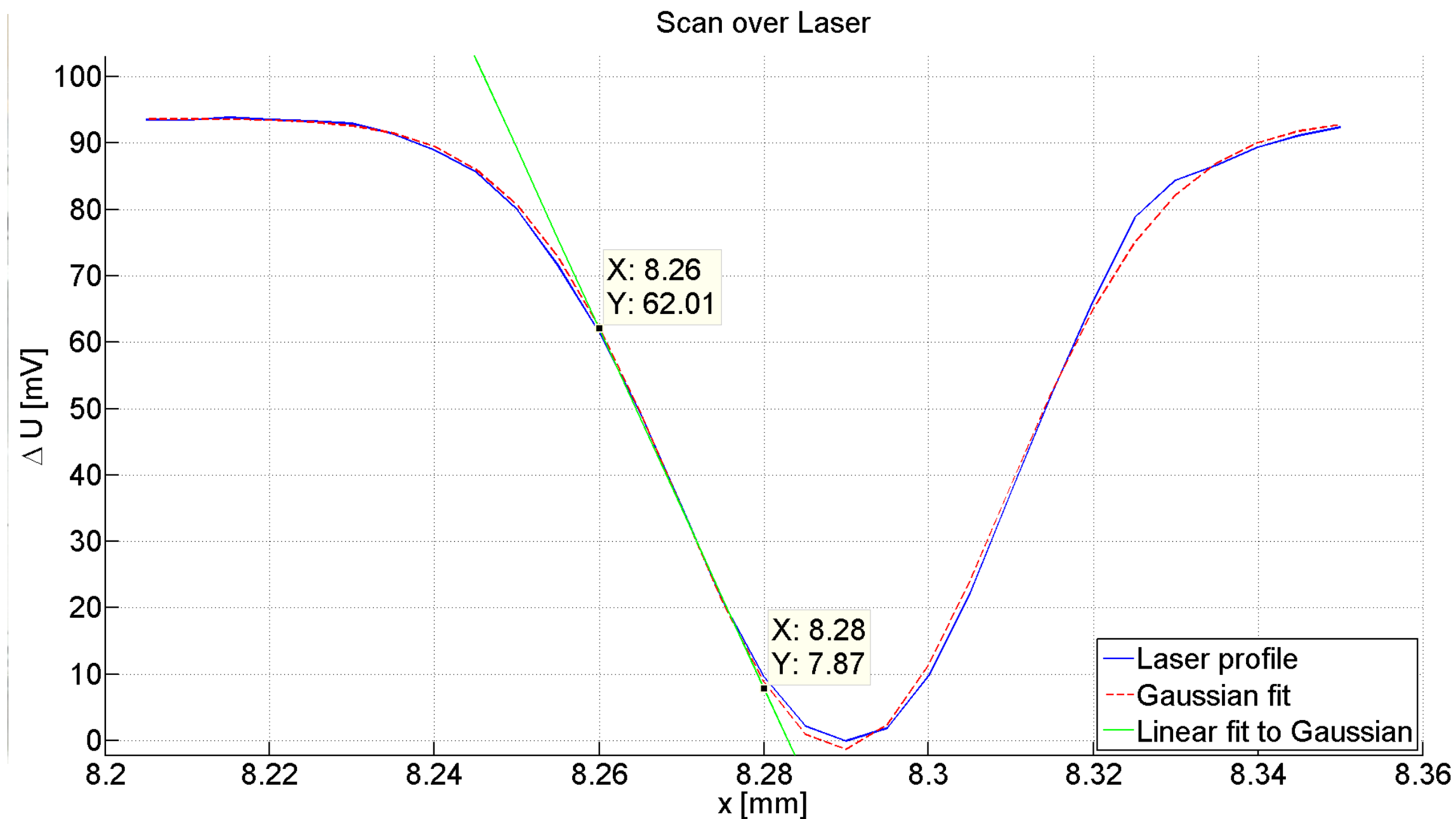
Wire: current circuit!

$$F_{Lo} = I \cdot l \cdot B$$

-) Current pulse I flows simultaneously
-) Magnetic fields act simultaneously
-) Wire gets deflected => acoustic waves!



Pulsed Wire Measurement – Setup



Calibration $c_{cal} = -2707 \frac{V}{m}$
 Linear regime: $\delta U_{cal} = \pm 26mV$

Conclusion - Manufacturing

Challenge:

Mass production of high precision elements!

Project was rejected by over 30 companies

Solution:

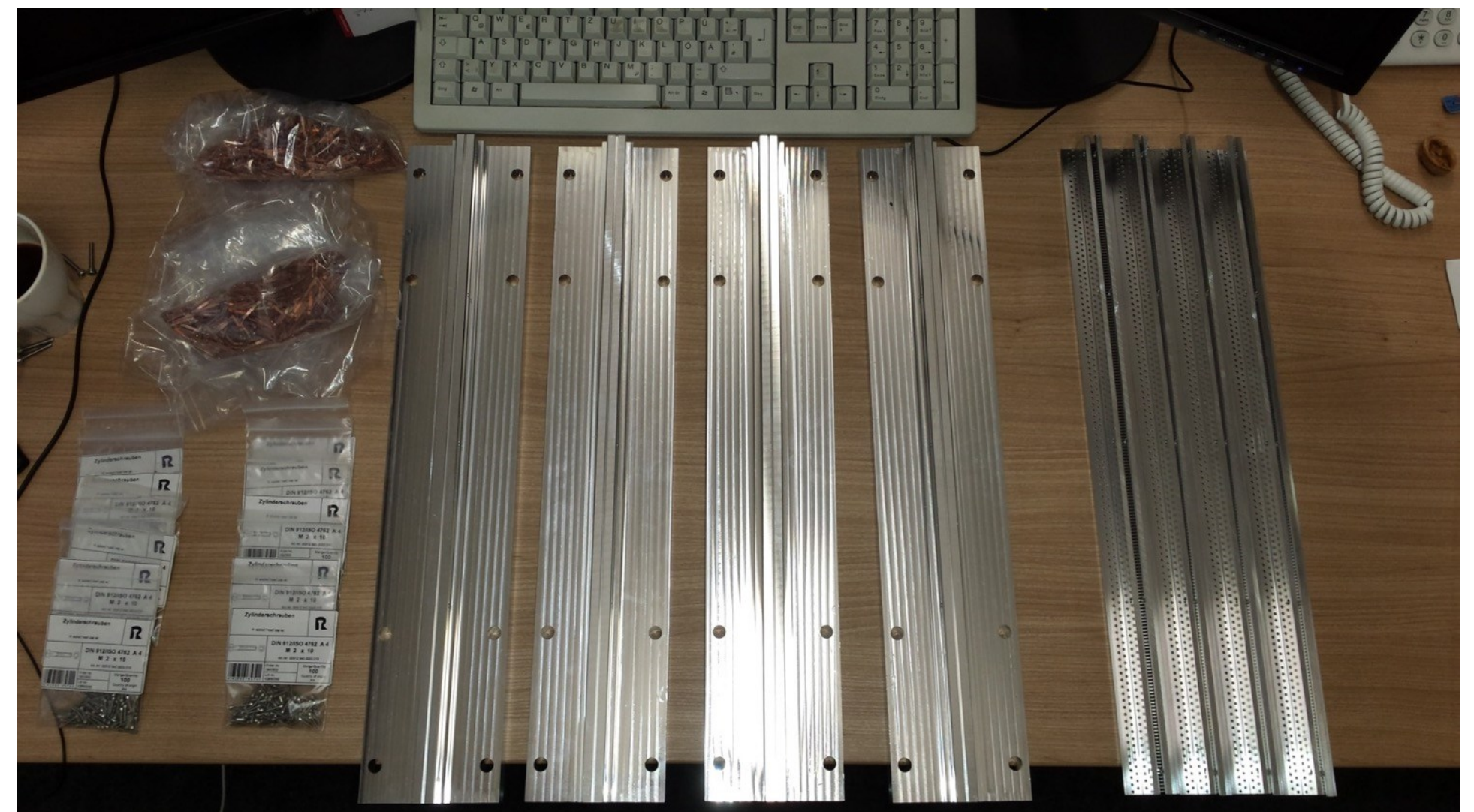
University Workshop!

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