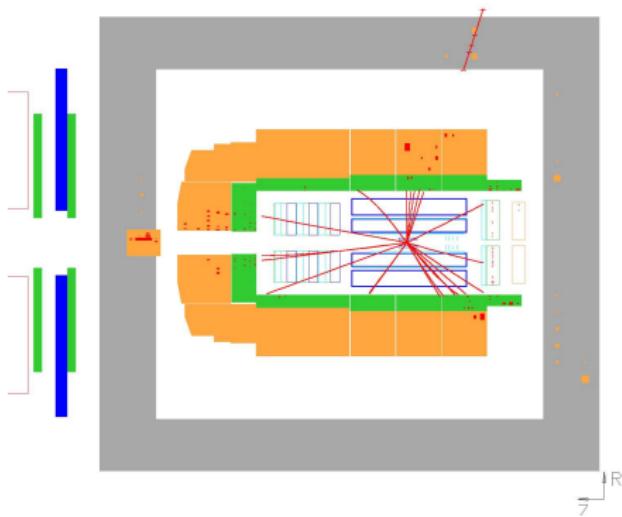


# Determination Of The Charm Fragmentation Function

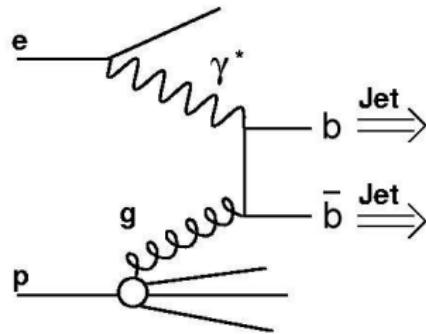
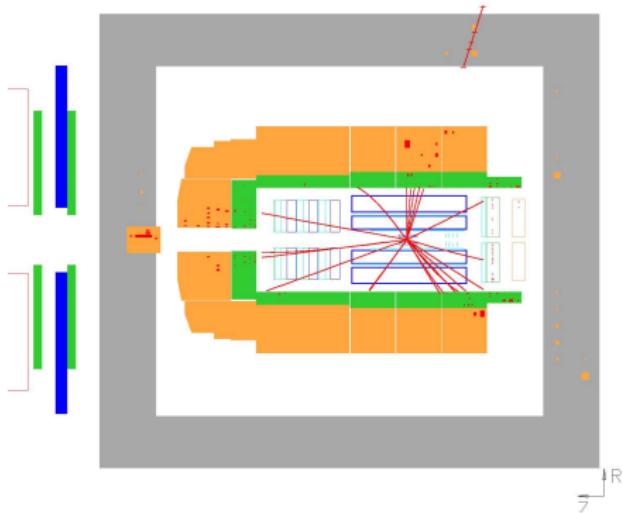
Roman Kogler  
&  
Kristoffer Menzel

September 9, 2005

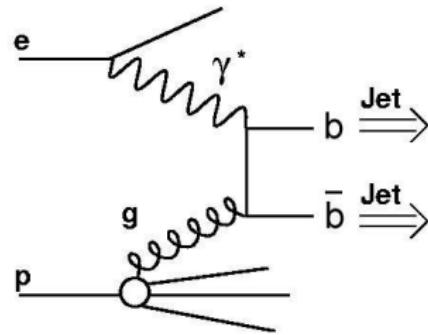
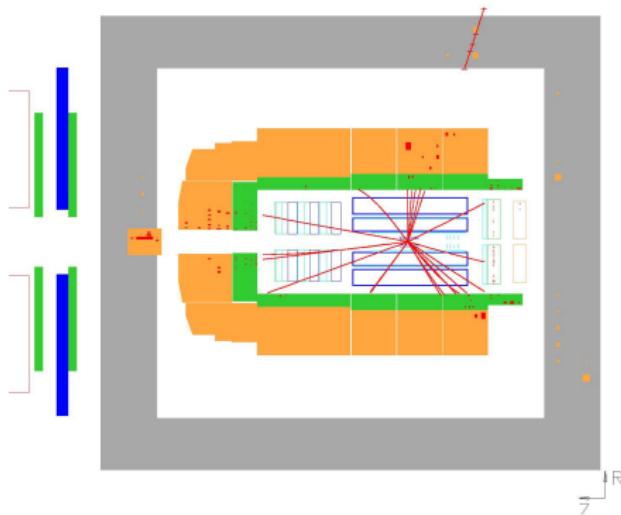
# What is fragmentation?



# What is fragmentation?



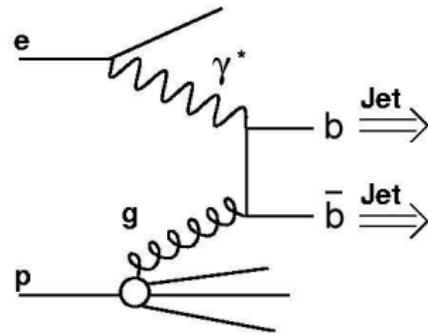
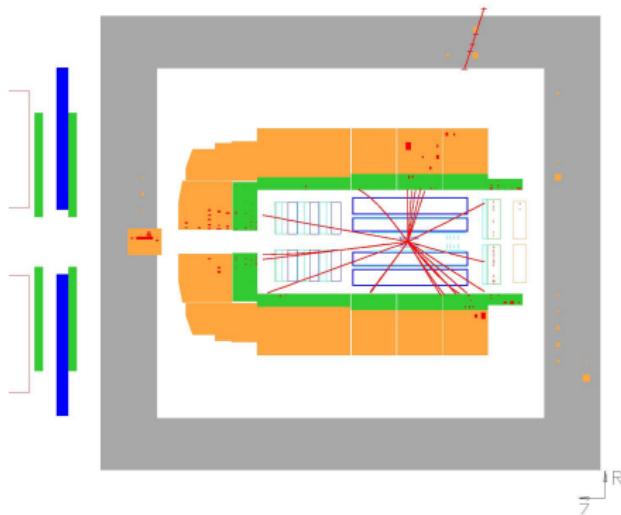
# What is fragmentation?



What do we measure?

$\pi^-$ ,  $\pi^+$ ,  $\gamma$ ,  $\mu^-$ ,  $\gamma$ ,  $K_S^0$ ,  $\gamma$ ,  $\gamma$ ,  
 $K^-$ ,  $\pi^+$ ,  $p^+$ ,  $\pi^+$ ,  $\gamma$ ,  $\gamma$ , ...

# What is fragmentation?



What do we measure?

$\pi^-$ ,  $\pi^+$ ,  $\gamma$ ,  $\mu^-$ ,  $\gamma$ ,  $K_S^0$ ,  $\gamma$ ,  $\gamma$ ,  
 $K^-$ ,  $\pi^+$ ,  $p^+$ ,  $\pi^+$ ,  $\gamma$ ,  $\gamma$ , ...

**WHAT IS MISSING?**  
the process in between:  
**HADRONIZATION / FRAGMENTATION**

# Why is it important?

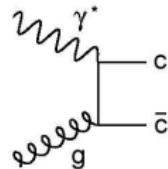
# Why is it important?

Compare experimental data with theoretical predictions.

# Why is it important?

Compare experimental data with theoretical predictions.

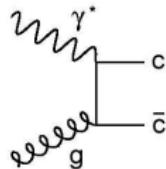
example: photon-gluon fusion:



# Why is it important?

Compare experimental data with theoretical predictions.

example: photon-gluon fusion:



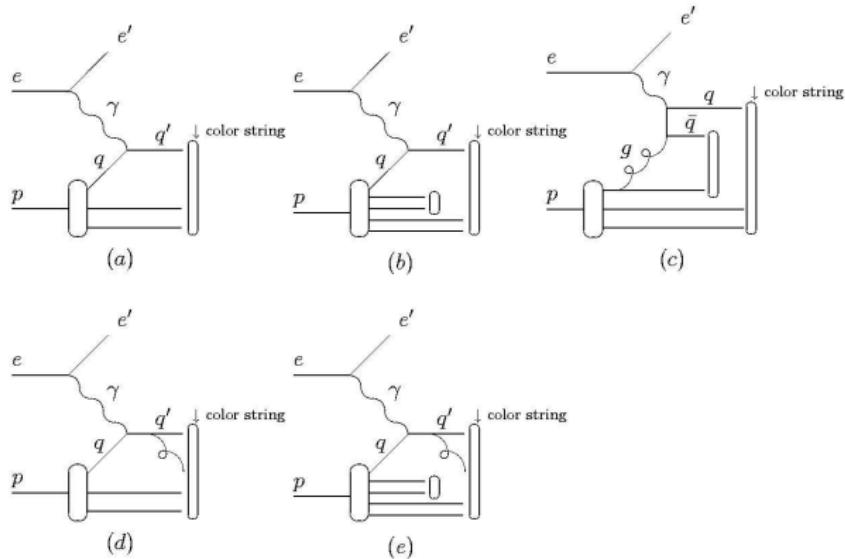
$$\sigma_{total}(\gamma^* g \rightarrow c\bar{c} \rightarrow D^{*\pm} X) = \int \left( \begin{array}{c} \text{gluon density} \\ \text{in the} \\ \text{proton} \end{array} \right) \times$$
$$\times \left( \begin{array}{c} \text{\gamma g - fusion m. e.} \\ \text{and higher order} \\ \text{corrections} \end{array} \right) \times \left( \begin{array}{c} \text{fragmentation function} \\ \text{of c quark} \\ \text{into } D^{*\pm} \text{ meson} \end{array} \right) dQ^2 dy$$

# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2

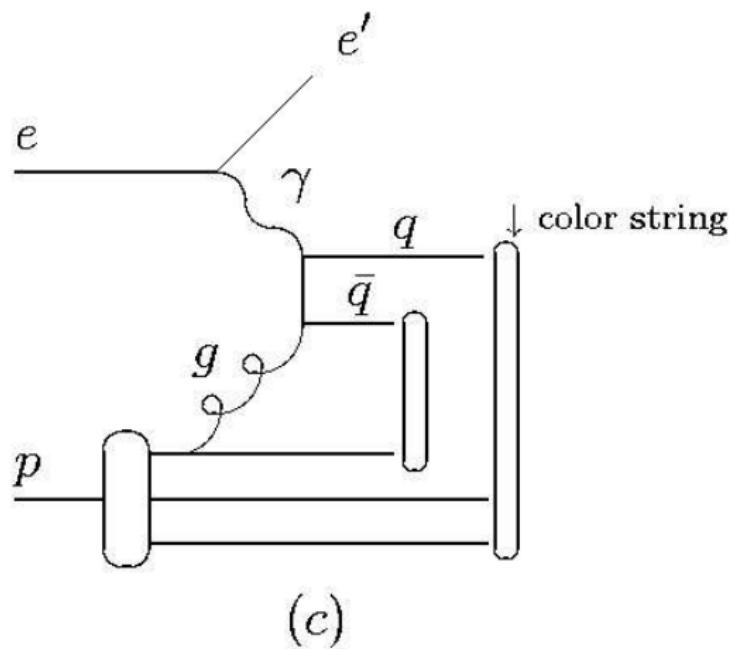
LUND fragmentation scheme: COLOR strings

# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2

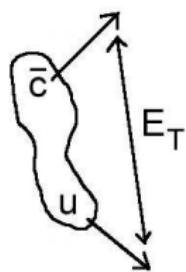
LUND fragmentation scheme: COLOR strings



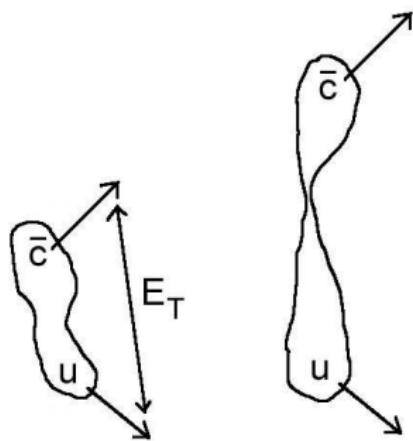
# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



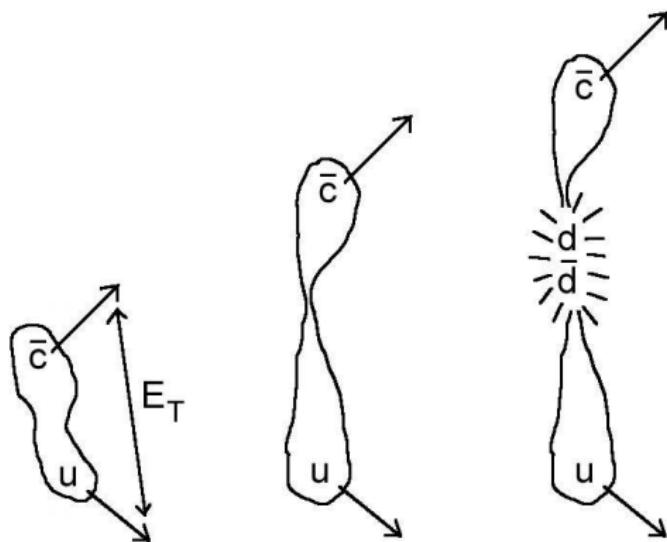
# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



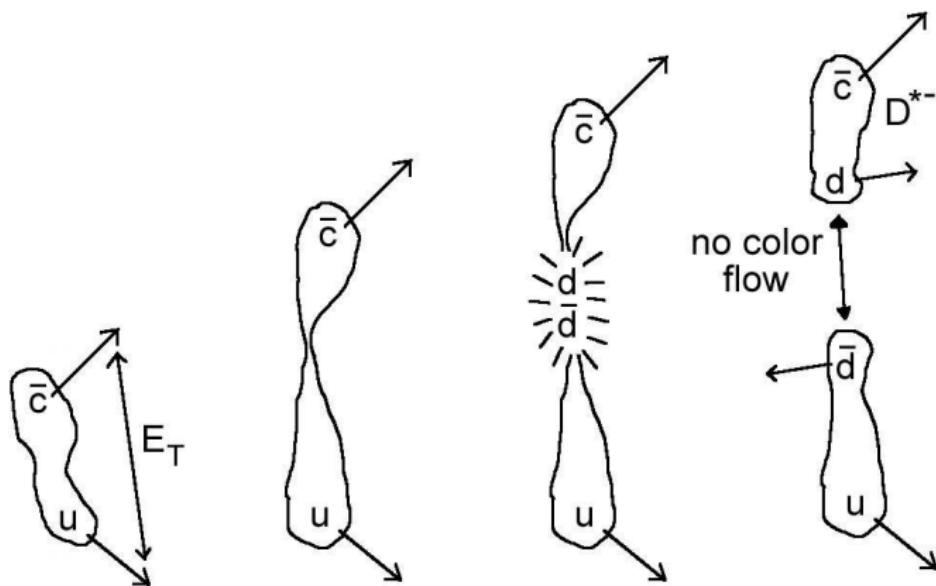
# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



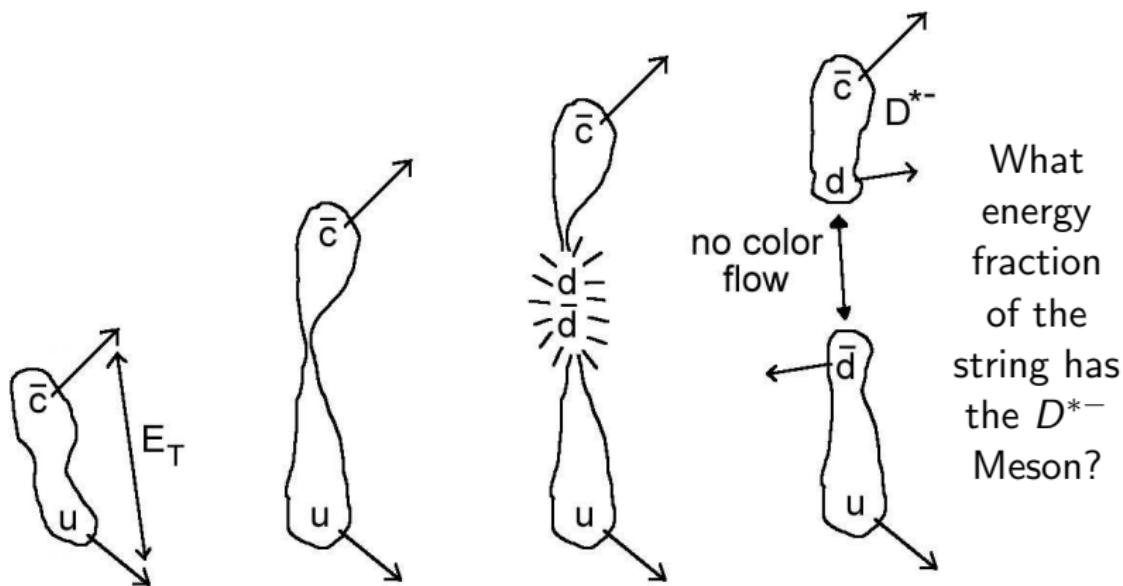
# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



# Approach in an MC event generator: RAPGAP 3.1 & PYTHIA 6.2



What is a fragmentation function?  
How does it look like?

# What is a fragmentation function?

## How does it look like?

- ▶ fraction of hadron's energy from the parton:  $z = \frac{(E+p_L)_{hadron}}{(E+p_L)_{parton}}$

# What is a fragmentation function?

## How does it look like?

- ▶ fraction of hadron's energy from the parton:  $z = \frac{(E+p_L)_{hadron}}{(E+p_L)_{parton}}$
- ▶ not calculable in perturbative QCD ( $\alpha_s$  too strong)

# What is a fragmentation function?

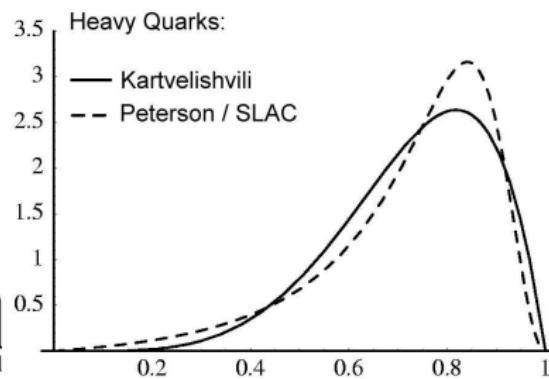
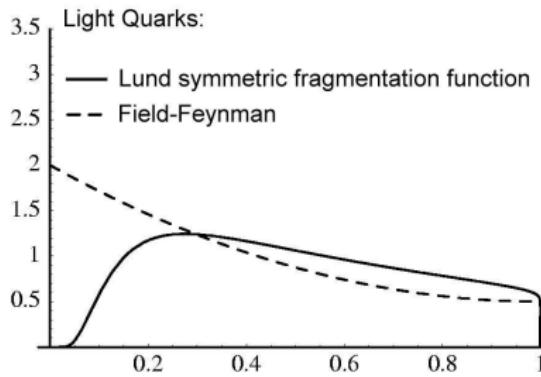
## How does it look like?

- ▶ fraction of hadron's energy from the parton:  $z = \frac{(E+p_L)_{hadron}}{(E+p_L)_{parton}}$
- ▶ not calculable in perturbative QCD ( $\alpha_s$  too strong)
- ▶  $\Rightarrow$  phenomenological parametrizations expressing the distribution of the final state energy

# What is a fragmentation function?

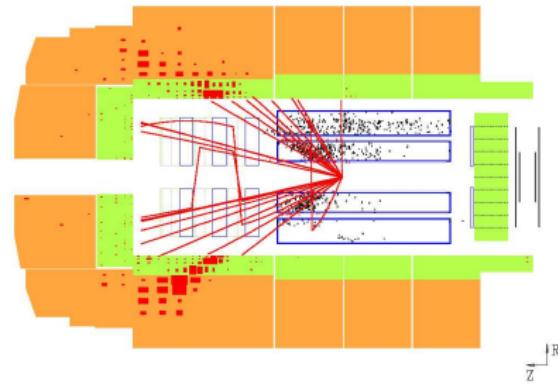
## How does it look like?

- ▶ fraction of hadron's energy from the parton:  $z = \frac{(E+p_L)_{hadron}}{(E+p_L)_{parton}}$
- ▶ not calculable in perturbative QCD ( $\alpha_s$  too strong)
- ▶  $\Rightarrow$  phenomenological parametrizations expressing the distribution of the final state energy
- ▶ some widely used ones:



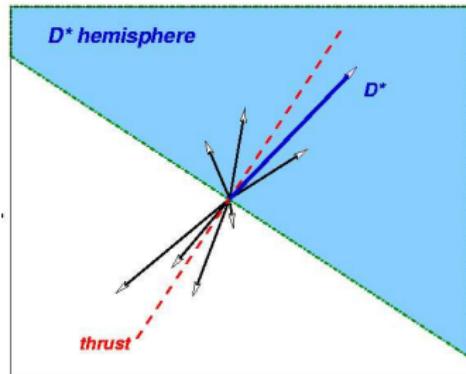
# How to measure $z$

## JET METHOD



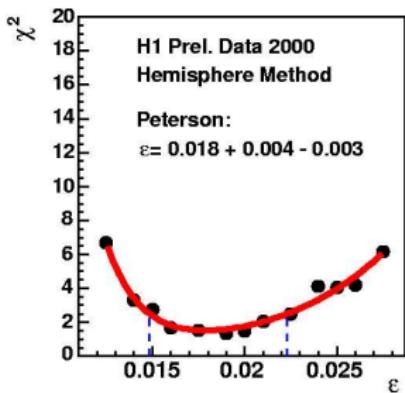
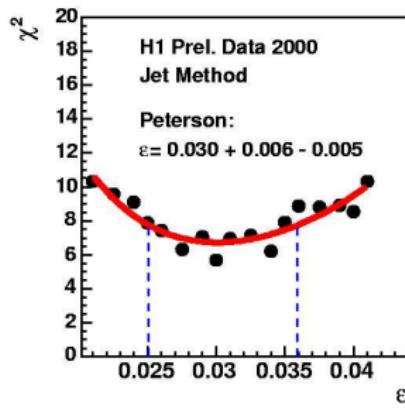
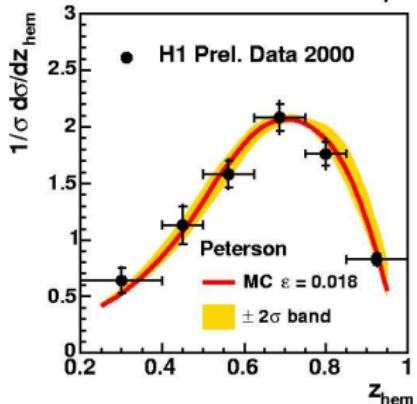
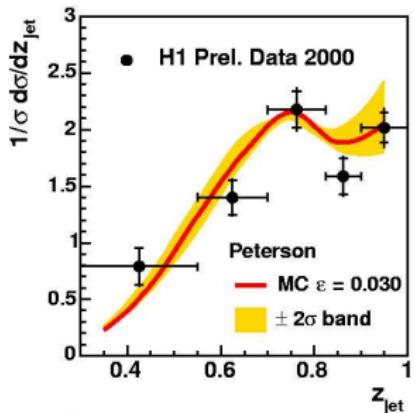
$$z = \frac{(E + p_L)_{\text{hadron}}}{(E + p_L)_{\text{jet}}}$$

## HEMISPHERE METHOD



$$z = \frac{(E + p_L)_{\text{hadron}}}{\sum_{\text{hemisphere}} (E + p_L)}$$

# RESULTS FOR PETERSON



# IMPROVEMENTS

- ▶ Fitting: change free parameters of fragmentation function ⇒ new MC simulation needed for each parameter!!  
**TIMECONSUMING!!**

# IMPROVEMENTS

- ▶ Fitting: change free parameters of fragmentation function ⇒ new MC simulation needed for each parameter!!  
**TIMECONSUMING!!**
- ▶ can we do better? rescale distributions?

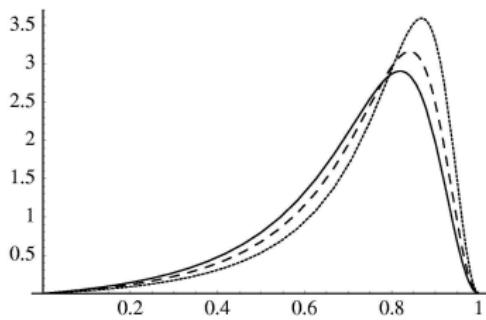
$$\text{weight}(z) = \frac{f_{\epsilon new}(z)}{f_{\epsilon old}(z)}$$

# IMPROVEMENTS

- ▶ Fitting: change free parameters of fragmentation function  $\Rightarrow$  new MC simulation needed for each parameter!!  
**TIMECONSUMING!!**
- ▶ can we do better? rescale distributions?

$$\text{weight}(z) = \frac{f_{\epsilon \text{new}}(z)}{f_{\epsilon \text{old}}(z)}$$

- ▶ needed to write out 'real' fractions  $z$  generated at MC simulation to obtain weights

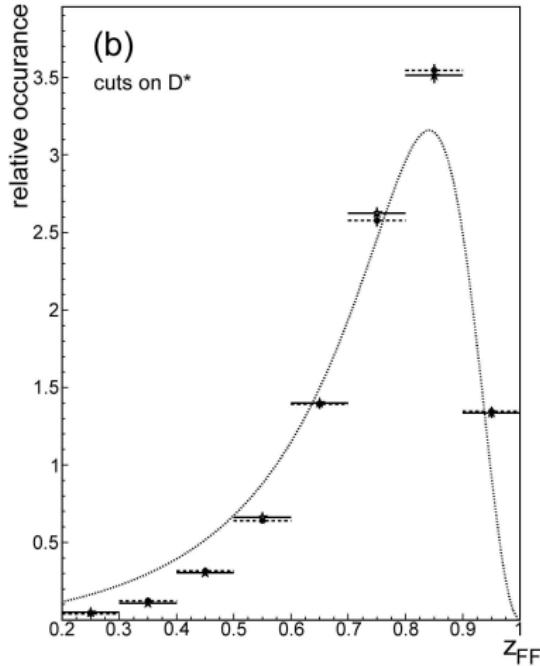
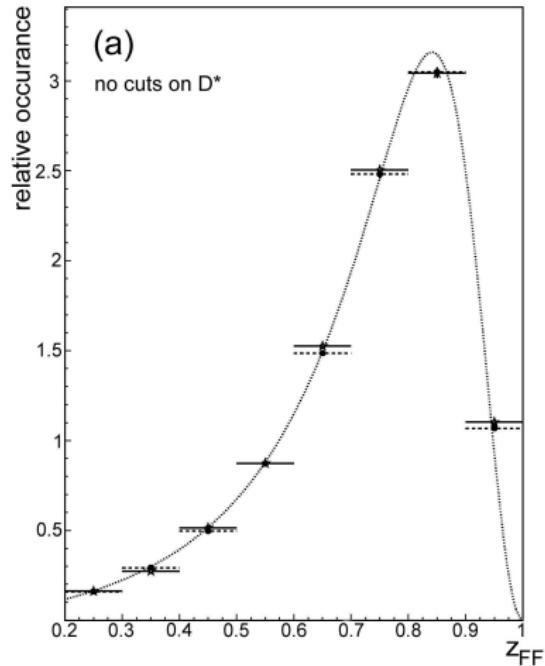


# Our work

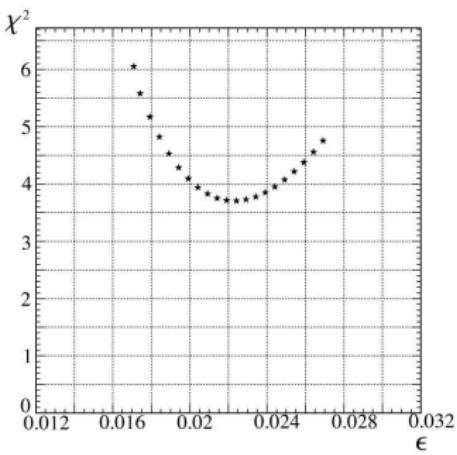
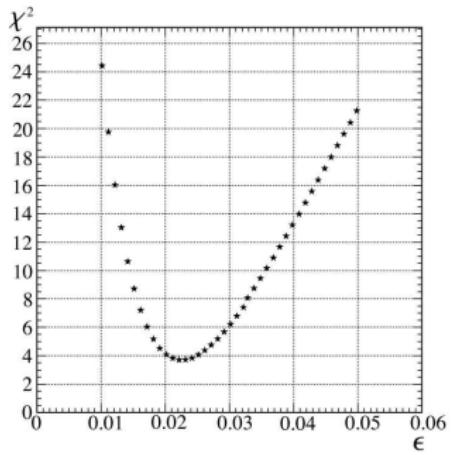
What was necessary for this rescaling?

- ▶ Generating data with the same detector cuts  
 $(Q^2, y, \eta(D^{*\pm}), \dots)$
- ▶ Writing out only interesting events:  
 $D^{*\pm} \rightarrow D^0 \pi_s^\pm \rightarrow K^\pm \pi^\mp \pi_s^\pm$
- ▶ Obtain generated 'real' values  $z$
- ▶ Reweighting
- ▶ Cross check with generated data
- ▶ Implement Jet and Hemisphere Method
- ▶ Writing a routine to calculate  $\chi^2$

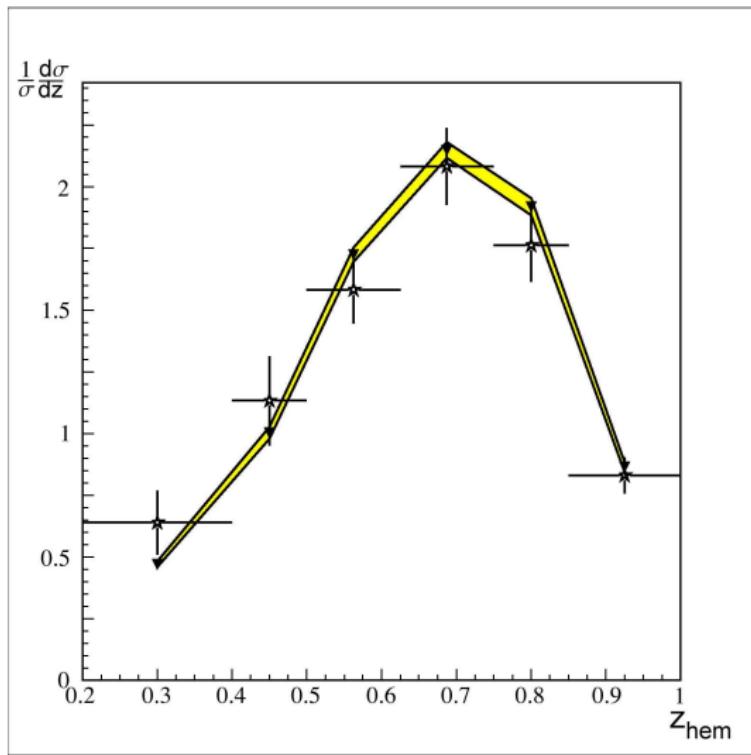
# RESULT



# RESULT



# RESULT



# CONCLUSION

- ▶ The reweighing worked
- ▶ Fitting can be done much faster now

# CONCLUSION

- ▶ The reweighing worked
- ▶ Fitting can be done much faster now

NOT ONLY OUR WORK WAS EXCITING, BUT THE PEOPLE  
HERE WERE GREAT!