### **Andreas Ringwald**

http://www.desy.de/~ringwald



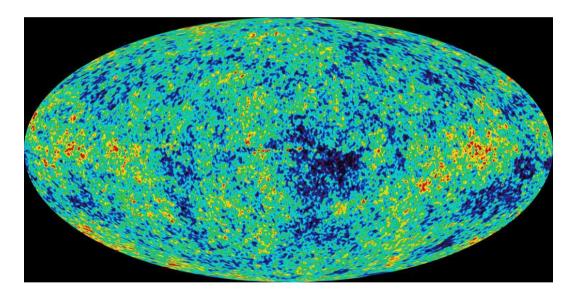
with: B. Eberle, Z. Fodor, S. Katz, L. Song, T. Weiler, Y. Wong

Theorie Seminar April 21, 2005, Aachen, Germany

### **0.** Introduction

• Progress in observational cosmology

Cosmic Microwave Background:



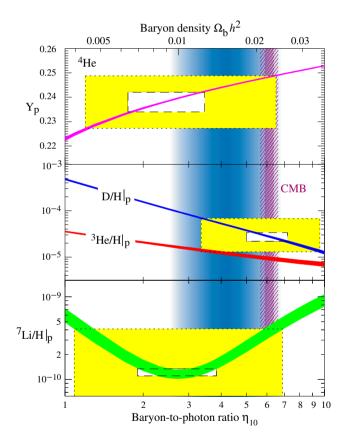


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### **0.** Introduction

• Progress in observational cosmology

Big Bang Nucleosynthesis:



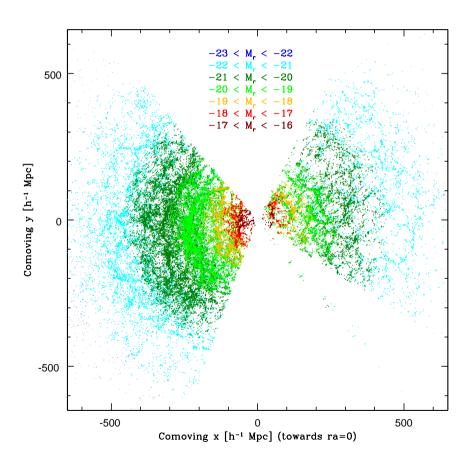
[Particle Data Group '04]

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### **0.** Introduction

• Progress in observational cosmology

Large Scale Structure:

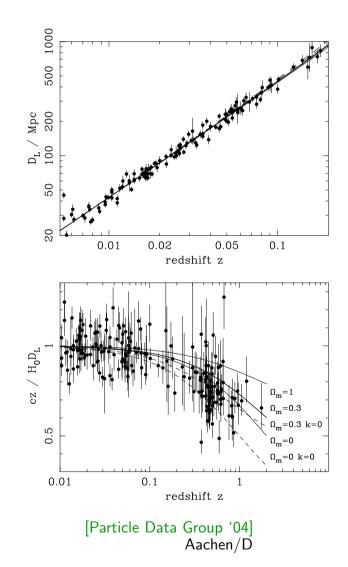


[Sloan Digital Sky Survey '04] Aachen/D

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• Progress in observational cosmology

### $\Rightarrow$ Cosmic recipe emerged:

Material	Particles	$\langle E  angle$ or $m$	N	$\langle  ho  angle /  ho_{C}$	Obs.	0.01% Cosmic Microwave Background
Radiation	$\gamma$	$0.1 \; {\rm meV}$	$10^{87}$	0.01%	CMB	0.1%-5% Neutrinos
Hot Dark Matter	Neutrinos	> 0.04  eV < 0.6  eV	$10^{87}$	> 0.1 % < 2 %	BBN CMB LSS	Cosmic Microwave Big Bang formation of light nuclei Expansion vs. time: Pattern and growth of cosmic
Ordinary Matter	p,n,e	MeV-GeV	$10^{78}$	5 %	BBN CMB	Laboratory searches Dark Energy
Cold Dark Matter	WIMPs? Axions?	$\gtrsim 100  { m GeV}$ $\lesssim  { m meV}$	$\lesssim 10^{77}$ $\gtrsim 10^{91}$	25 %	LSS CMB	[Connecting quarks cosmos]
Dark Energy	?	$10^{-33}  { m eV}$	?	70 %	SN CMB	

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Radiation	$\gamma$	$0.1 \; { m meV}$	$10^{87}$	0.01 %	СМВ	Cosmic Microwave Big Bang formation of light nuclei 3-5% Ordinary Matter 0.02% C.N., OFeU
Hot Dark Matter	Neutrinos	$> 0.04 \; \mathrm{eV}$	$10^{87}$	> 0.1 %	BBN CMB	Expansion vs. time: Pattern and growth of cosmic Expansion vs. time: Pattern and time: Cosmic Expansion vs. time: Pattern and time: Cosmic Expansion vs. time: Cosmic Expansion vs.
Ordinary		$< 0.6 \; { m eV}$		< 2 %	LSS BBN	structure Laboratory searches
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⇒ Direct, weak interaction based detection of the Cosmic Neutrino Background ( $C\nu B$ )? A. Ringwald (DESY)

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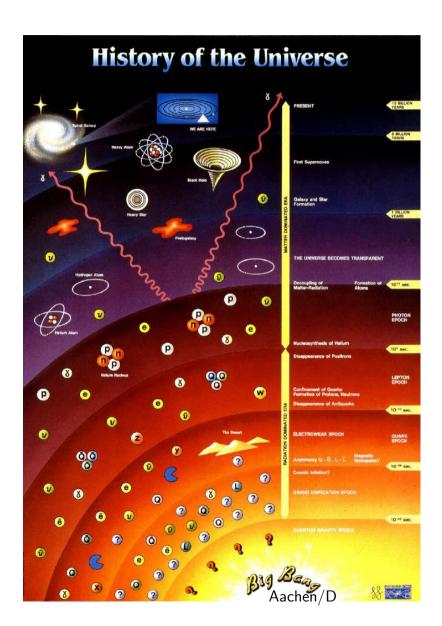
- Evidence for/inference about  $C\nu B$  from cosmological measurements:
  - **BBN**:  $1.3 \le N_{\nu} \le 7.1$
  - **CMB**:  $0.9 \le N_{\nu} \le 8.3$
  - LSS (together with CMB):  $\sum m_{\nu_i} \leq 1.8 \text{ eV}$
- $C\nu B$  has not been detected in laboratory:
  - ← Neutrinos interact only weakly
  - $\Leftrightarrow \mathsf{Smallness} \mathsf{ of neutrino mass} \Leftrightarrow \mathsf{small momentum-transfer}$
- Design of direct, weak interaction based detection experiment
  - $\leftarrow$  Need phase space distribution of relic neutrinos
  - ← Theoretically known better than ever!

#### **Further content:**

- 1. How many, how fast?
- 2. How to detect?
- 3. Conclusions

### 1. How many, how fast?

• Relic neutrinos decoupled at  $t\sim 1~{\rm s}$ 

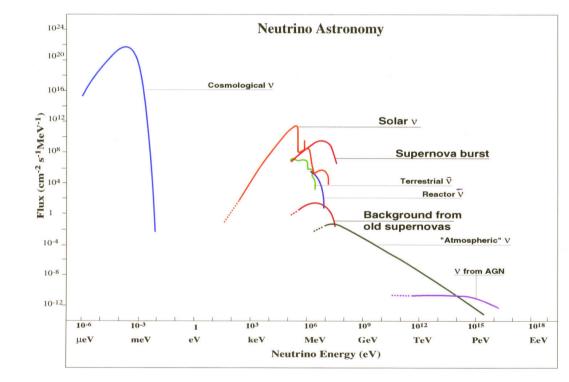


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- Firm predictions:

$$\underbrace{\bar{n}_{\nu_i \, 0} = \bar{n}_{\bar{\nu}_i \, 0}}_{C\nu B} = \frac{3}{22} \underbrace{\bar{n}_{\gamma \, 0}}_{CMB} = 56 \text{ cm}^{-3}$$

# relic neutrinos  $\approx \#$  relic photons



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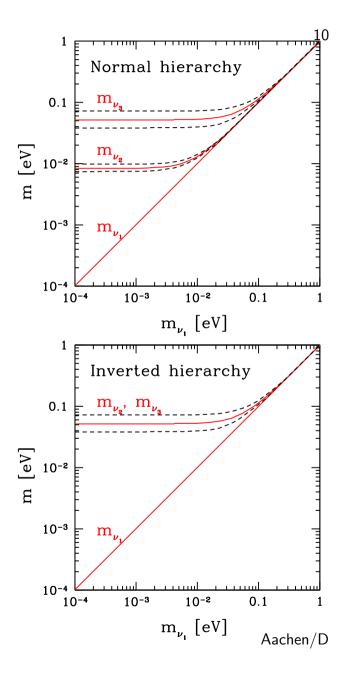
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$$\underbrace{\bar{p}_{\nu_i 0} = \bar{p}_{\bar{\nu}_i 0}}_{C\nu B} = 3\left(\frac{4}{11}\right)^{1/3} \underbrace{T_{\gamma 0}}_{CMB} = 5 \times 10^{-4} \text{ eV}$$

At least two neutrino mass eigenstates nonrelativistic ( $m_{\nu_i} \gg 5 \times 10^{-4} \text{ eV}$ )



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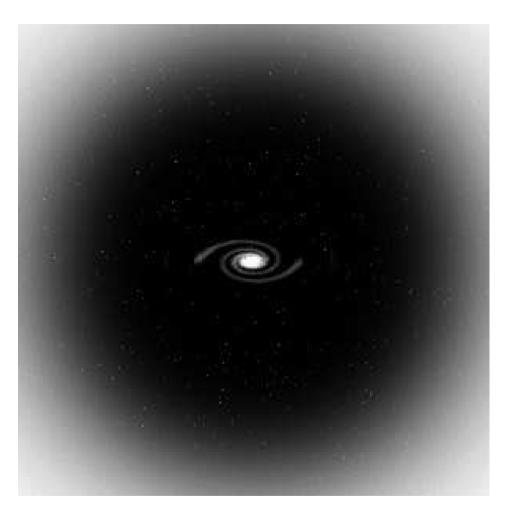
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- $\Rightarrow$  Gravitational clustering on CDM
- ⇒ Density enhanced in galactic halos
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[archive.ncsa.uiuc.edu]



**Neutrino clustering in cold dark matter halos from ACDM simulations** [Singh,Ma '03; **AR, Yvonne Y. Wong, JCAP 0412 (2004) 005 [hep-ph/0408241]**]

- In context of flat  $\Lambda CDM$  model, neutrino component  $\approx$  perturbation
  - $\Rightarrow$  CDM component  $\rho_m$  dominates in gravitational potential  $\phi$
  - $\Rightarrow$  Study clustering in  $\rho_m$  profiles from  $\Lambda CDM$  N-body simulations

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- Neutrino phase space distributions  $f_{\nu_i}(\boldsymbol{x}, \boldsymbol{p}, \tau)$ , depending on  $\boldsymbol{x} = \boldsymbol{r}/a(t)$ ,  $\boldsymbol{p} = am_{\nu_i}\dot{\boldsymbol{x}}$ ,  $d\tau = dt/a(t)$ , obey the Vlasov equation,  $\frac{Df_{\nu_i}}{D\tau} \equiv \frac{\partial f_{\nu_i}}{\partial \tau} + \dot{\boldsymbol{x}} \cdot \frac{\partial f_{\nu_i}}{\partial \boldsymbol{x}} \underbrace{-am_{\nu_i}\nabla\phi}_{\dot{\boldsymbol{x}}} \cdot \frac{\partial f_{\nu_i}}{\partial \boldsymbol{p}} = 0$

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- Poisson equation

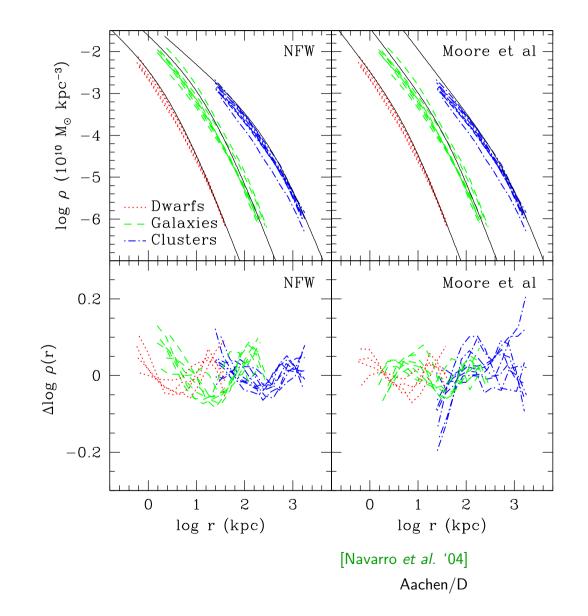
$$\nabla^2 \phi = 4\pi G a^2 \underbrace{\left(\rho_m(\boldsymbol{x},\tau) - \overline{\rho}_m(\tau)\right)}_{\delta_m(\boldsymbol{x},\tau) \, \overline{\rho}_m(\tau)}$$

relates  $\phi$  to density fluctuation  $\delta_m$  with respect to physical mean  $\bar{\rho}_m$ 

Comparative analysis for various  $\{m_{
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m vir}\}$ :

• Use Navarro Frenk White CDM halo profiles,

$$\rho_m(r) = \frac{\rho_s}{(r/r_s)(1+r/r_s)^2}$$

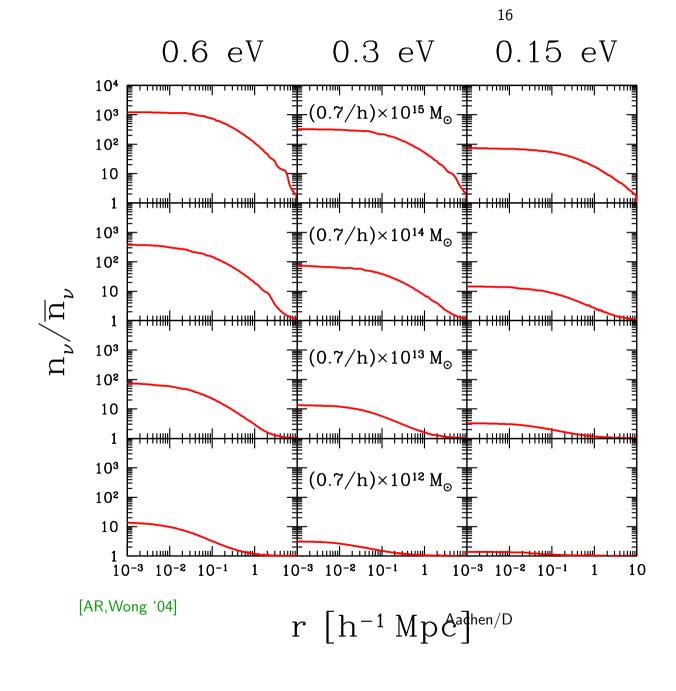


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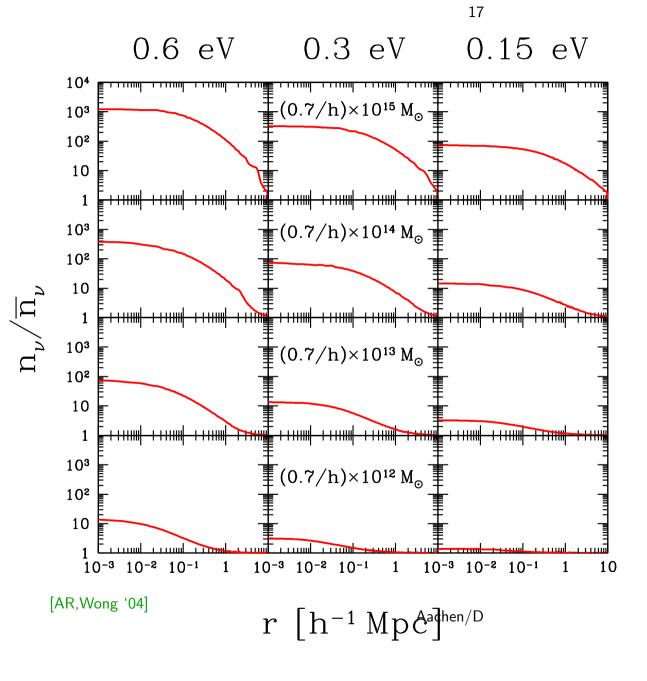
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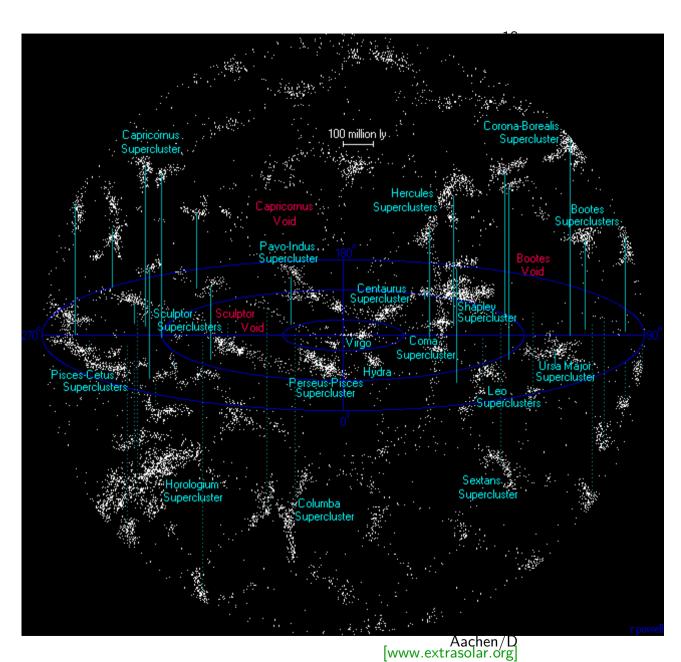
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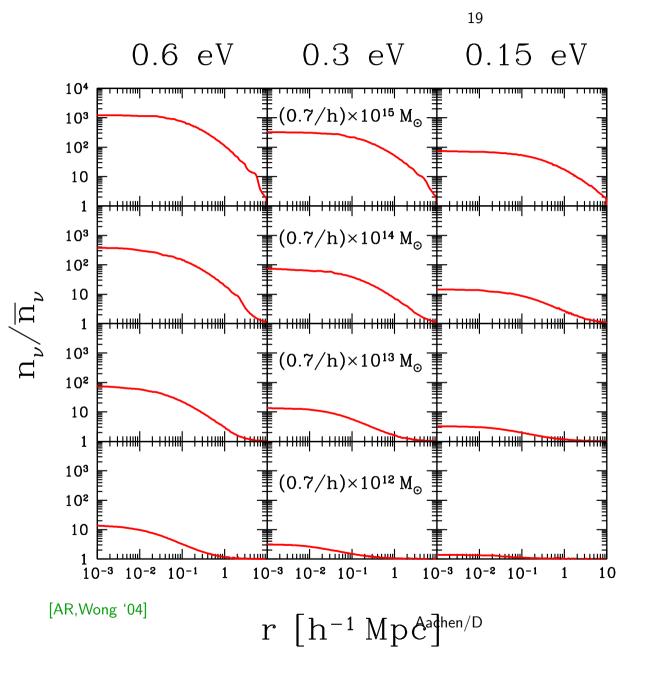
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  - Galaxies ( $10^{12} M_{\odot}$ ):

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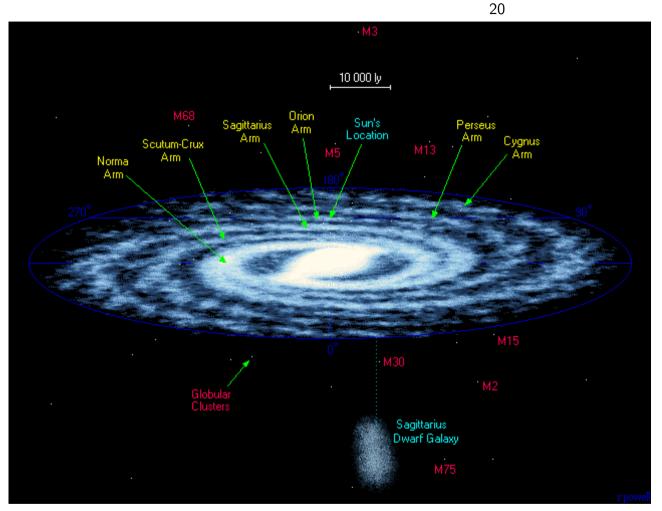
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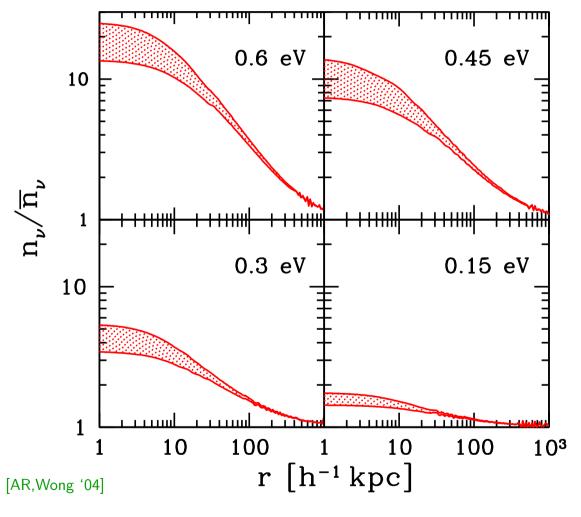
[www.extrasolar.org]

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Relic neutrinos in neighbourhood of Earth ( $r_{\oplus} \approx 8 \text{ kpc}$ ):

• Overdensity  $\approx 1-20$ 



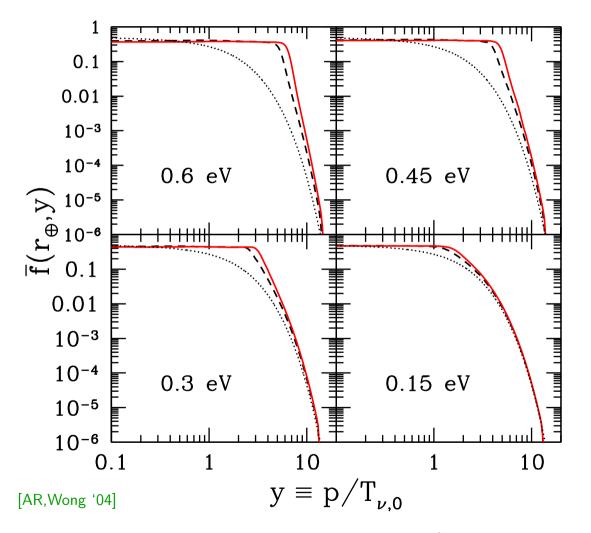
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Relic neutrinos in neighbourhood of Earth ( $r_{\oplus} \approx 8 \text{ kpc}$ ):

- Overdensity  $\approx 1-20$
- Momentum distribution:
  - almost isotropic
  - flat at low momenta
  - turning point at  $\simeq$

$$p_{\rm esc} \equiv m_{\nu} v_{\rm esc} \equiv m_{\nu} \sqrt{2|\phi(r_{\oplus})|}$$

 matches Fermi-Dirac at high momenta



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### 2. How to detect?

- Gravitational clustering of relic neutrinos significant for their detection?
- Consider detection methods based on **scattering processes**, involving the relic neutrinos either as a **beam** or as a **target**:
  - Coherent elastic scattering of the relic neutrino flux off target matter in a terrestrial detector (flux detection)
  - Scattering of extremely energetic particles (accelerator beams or cosmic rays) off the relic neutrinos as a target (target detection)

### **Flux detection**

 Low average momentum of relic neutrinos corresponds to a (reduced) de Broglie wavelength of macroscopic dimension,

 $\dot{\mathbf{x}} = 1/\langle p \rangle = 0.12 \ \mathrm{cm}/\langle y \rangle$ 

 $\Rightarrow$  Envisage scattering processes in which many target atoms act coherently over a macroscopic volume  $\lambda^3 \Rightarrow$  elastic scattering rate enhanced by

$$\frac{N_A}{A} \rho_{\rm t} \, \dot{\lambda}^3 \simeq 6 \times 10^{18} \, \left(\frac{100}{A}\right) \left(\frac{\rho_{\rm t}}{\rm g/cm^3}\right) \left(\frac{\dot{\lambda}}{0.1 \, \rm cm}\right)^3$$

compared to case where neutrinos are elastically scattered coherently only on the individual nuclei of the target [Shvartsman *et al.* '82; Smith,Lewin '83]

 Test body will experience neutrino wind force through random neutrino scattering:

[Shvartsman et al. '82; Smith,Lewin '83; ...; Duda et al. '01]

$$a_{\rm t} \simeq \sum_{\nu,\bar{\nu}} \underbrace{n_{\nu} v_{\rm rel}}_{\rm flux} \frac{4\pi}{3} N_A^2 \rho_{\rm t} r_{\rm t}^3 \sigma_{\nu N} \underbrace{2 m_{\nu} v_{\rm rel}}_{\rm mom. \, transfer}$$
$$\simeq 2 \times 10^{-28} \left(\frac{n_{\nu}}{\bar{n}_{\nu}}\right) \left(\frac{10^{-3} c}{v_{\rm rel}}\right) \left(\frac{\rho_{\rm t}}{g/{\rm cm}^3}\right) \left(\frac{r_{\rm t}}{\lambda}\right)^3 \frac{{\rm cm}}{{\rm s}^2}$$

Majorana neutrinos: suppressed by factor  $(v_{
m rel}/c)^2$ 

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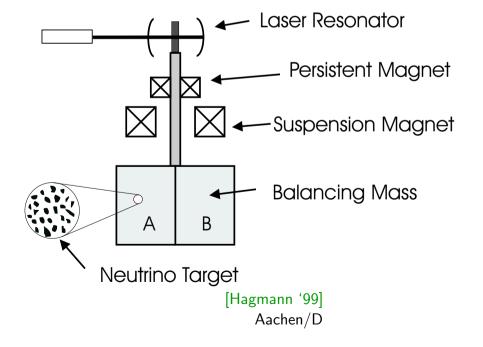
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Majorana neutrinos: suppressed by factor  $(v_{
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• At present, smallest measurable acceleration  $\gtrsim 10^{-13} \text{ cm/s}^2$ , using conventional **Cavendish-type torsion balance**. Improvements to  $\gtrsim 10^{-23} \text{ cm/s}^2$  proposed

[Hagmann '99]



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- ⇒ Detection possible in 30-40 years, if neutrinos are Dirac particles [Smith '03]

	$\frac{n_{\nu}}{\bar{n}_{\nu}}$	$\lambda = \frac{1}{\langle p \rangle}$	$\langle v  angle$
MWnow			
$m_{\nu} =$			
0.6  eV	20	$2.3  imes 10^{-2}$ cm	$1.4 \times 10^{-3}$
$0.45~{\rm eV}$	10	$2.9 imes10^{-2}$ cm	$1.5 \times 10^{-3}$
$0.3 \ \mathrm{eV}$	4.4	$3.7 imes10^{-2}~{ m cm}$	$1.8 \times 10^{-3}$
$0.15 \ \mathrm{eV}$	1.6	$4.1  imes 10^{-2}$ cm	$3.2 \times 10^{-3}$
NFWhalo			
$m_{\nu} =$			
0.6  eV	12	$2.7 imes10^{-2}~{ m cm}$	$1.2 \times 10^{-3}$
$0.45~{\rm eV}$	6.4	$3.4  imes 10^{-2}$ cm	$1.3 \times 10^{-3}$
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$0.15 \ \mathrm{eV}$	1.4	$5.9 imes10^{-2}~{ m cm}$	$2.2 \times 10^{-3}$

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### **Target detection**

• For center-of-mass energies below W- and Z-resonances, cf.

$$\sqrt{2 m_{\nu} E} \simeq 4.5 \left(\frac{m_{\nu}}{\text{eV}}\right)^{1/2} \left(\frac{E}{10 \text{ TeV}}\right)^{1/2} \text{MeV}$$

weak interaction cross sections grow rapidly with energy

- $\Rightarrow\,$  Exploit a flux of extremely energetic particles
  - accelerator beams
  - from cosmic rays

for scattering on relic neutrinos as target

#### **Exploit** accelerator beams:

• Scattering rate [B. Müller '87; Melissinos '99, Weiler '01]

$$R_{\nu \frac{A}{Z}N} \simeq \sum_{\nu,\bar{\nu}} n_{\nu} \sigma_{\nu \frac{A}{Z}N} L I/(Z e)$$
  
$$\simeq 2 \times 10^{-8} \left(\frac{n_{\nu}}{\bar{n}_{\nu}}\right) \left(\frac{m_{\nu}}{eV}\right) \frac{A^{2}}{Z} \left(\frac{E_{N}}{10 \text{ TeV}}\right) \left(\frac{L}{100 \text{ km}}\right) \left(\frac{I}{0.1 \text{ A}}\right) \text{ yr}^{-1}$$

 $\Rightarrow \text{ Too small to give rise to an observable effect}$ in the foreseeable future (LHC, VLHC)

#### ⇒ Need Ultimate Large Hadron Collider

- Few elastic scattering events per year; hard to detect, due to small momentum transfers ( $\sim 1 \text{ GeV}$  at  $E_N \sim 10^7 \text{ TeV}$ )
- Alternative: exploit inverse beta decay

$${}^{A}_{Z}N + \nu_{e} \rightarrow {}^{A}_{Z+1}N + e^{-}$$

$$\Rightarrow$$
 detect  ${}^{A}_{Z+1}N$  on exit of machine

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[Melissinos '99; Zavattini unpubl]

accel.	N	$E_N$	L	Ι	$\frac{R_{\nu A}}{\left[\frac{n_{\nu}}{\bar{n}_{\nu}}\frac{m_{\nu}}{\text{eV}}\right]}$
		[TeV]	[km]	[A]	[yr <sup>-1</sup> ]
LHC	p	7	26.7	0.6	$2 \times 10^{-8}$
_	Pb	574	26.7	0.006	$1 \times 10^{-5}$
VLHC	p	87.5	233	0.06	$2 \times 10^{-7}$
	Pb	7280	233	0.0006	$1 \times 10^{-4}$
ULHC	p	$10^{7}$	40000	0.1	10

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#### **Exploit cosmic rays:**

 Before ULHC: target detection only via extremely energetic cosmic rays

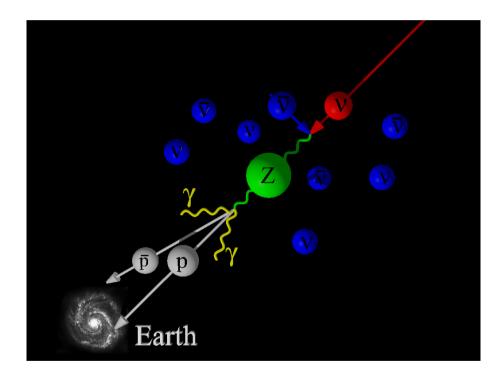
#### **Exploit cosmic rays:**

- Before **ULHC**: target detection only via extremely energetic cosmic rays
- Unique: resonant annihilation of extremely energetic cosmic neutrinos (EHEC $\nu$ )

$$E_{\nu}^{\mathrm{res}} = rac{m_Z^2}{2m_{
u}} \simeq 4 imes 10^{21} \left(rac{\mathrm{eV}}{m_{
u}}
ight) \,\,\mathrm{eV}$$

with relic  $\bar{\nu}$  into Z-bosons

[Weiler '82]





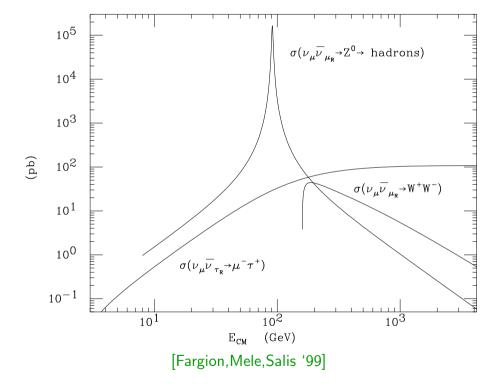
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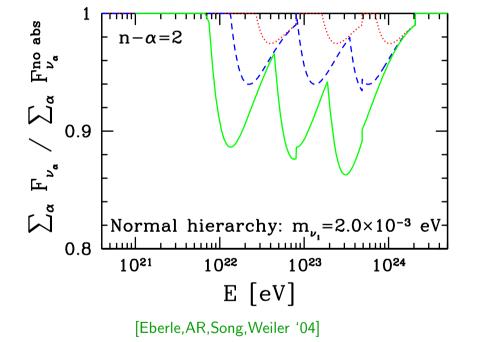
with relic  $\bar{\nu}$  into **Z**-bosons

[Weiler '82]



Absorption dips in  ${\sf EHEC}\nu$  spectrum

[Weiler'82;...;Eberle,AR,Song,Weiler'04;Barenboim,Requejo,Quigg'04]



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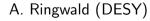
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- Unique: resonant annihilation of extremely energetic cosmic neutrinos (EHECv)

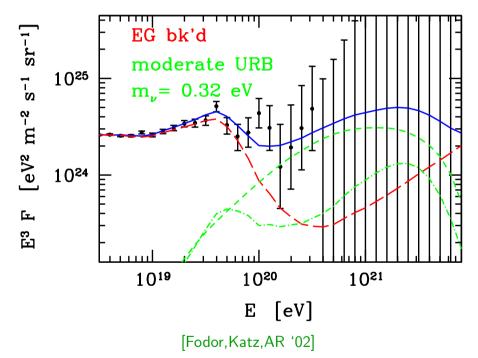
$$E_{\nu}^{\rm res} = \frac{m_Z^2}{2m_{\nu}} \simeq 4 \times 10^{21} \left(\frac{\rm eV}{m_{\nu}}\right) \ \rm eV$$

with relic  $\bar{\nu}$  into **Z**-bosons

[Weiler '82]

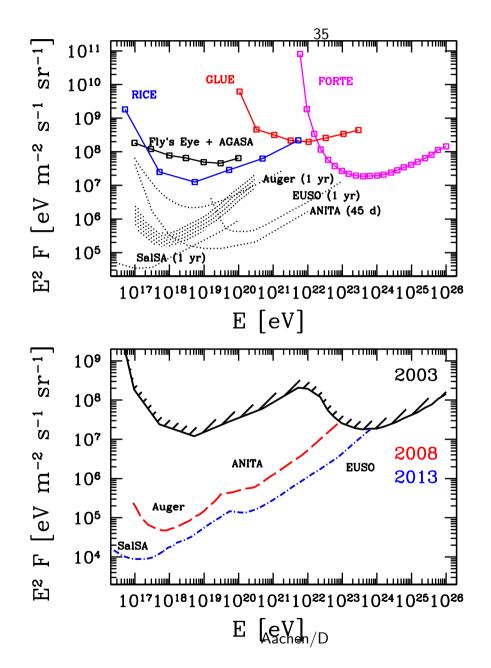
♦ Absorption dips in EHEC $\nu$  spectrum [Weiler '82;...; Eberle, AR, Song, Weiler '04]
♦ Emission features (Z-bursts): [Fargion et al. '99; Weiler '99;...; Fodor, Katz, AR '01, '02]
protons and photons with energies above the predicted Greisen–Zatsepin–Kuzmin (GZK) cutoff at  $E_{GZK} \simeq 4 \times 10^{19}$  eV [Greisen '66; Zatsepin, Kuzmin '66]



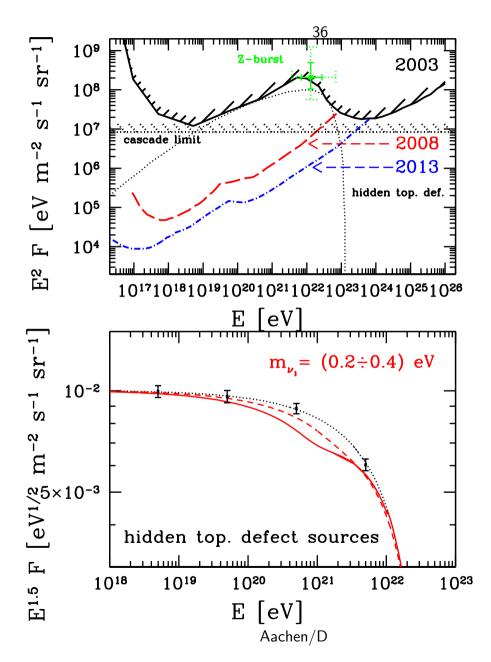


#### Absorption spectroscopy: [Eberle, AR, Song, Weiler '04]

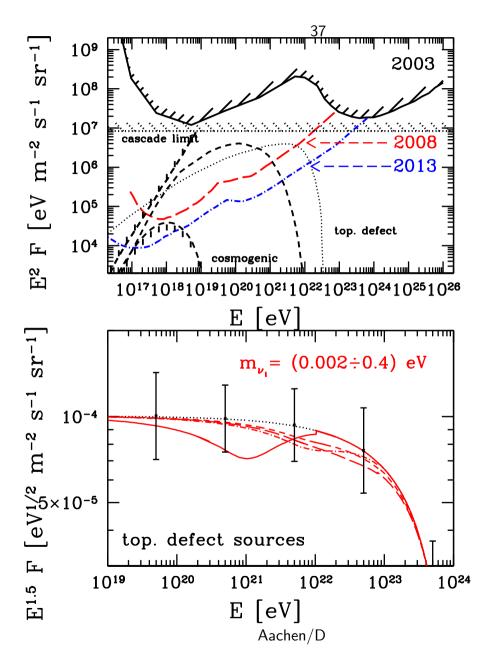
 Presently planned EHEC
 v detectors appear to be sensitive enough to lead us, within the next decade, into an era of relic neutrino absorption spectroscopy, provided



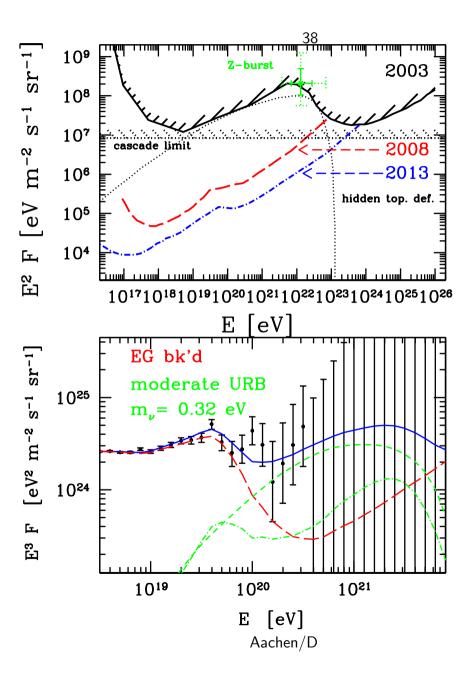
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  - $\Leftrightarrow \begin{array}{l} \textbf{EHEC} \nu \ \text{flux at resonant energies close} \\ \text{to current observational bounds} \end{array}$
  - $\diamond$  neutrino mass sufficiently large,  $m_{
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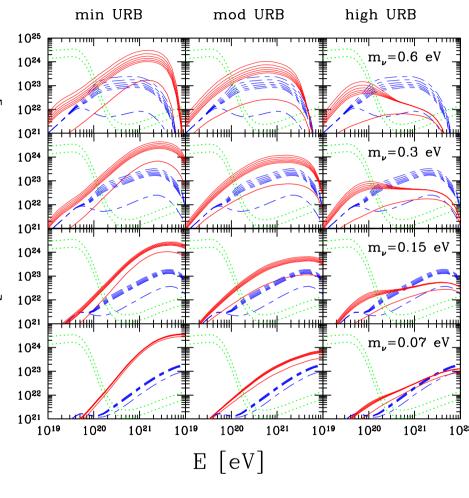


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- In this case, the associated Z-bursts likely to be seen as post-GZK events at the planned cosmic ray detectors



#### Absorption spectroscopy: [Eberle, AR, Song, Weiler '04]

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[AR,Weiler,Wong '05]

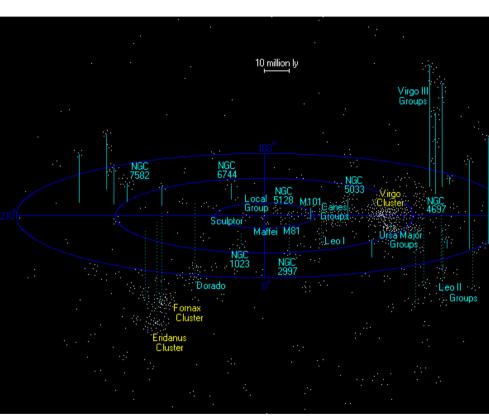
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### **3.** Conclusions

- **BBN** and **CMB** provide presently the only evidence for the  $C\nu B$
- Roadmap for Big Bang Relic Neutrino Detection

A more more direct, weak interaction based detection of the big bang relic neutrinos may proceed by measuring

- Z-bursts in cosmic ray and absorption dips in cosmic neutrino spectra Remarks: not guaranteed (need  $\nu$  flux at resonance energies); now!
- coherent elastic scattering of relic  $\nu$ 's off nucleons in terrestrial detector Remarks: current technology 3 orders of magnitude off; > 30 yr?
- interactions of very high energy particles from terrestrial accelerator beams with the relic neutrinos as target Remarks: need ULHC;