

Unitarization in VBS and Tribosons



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work together with

S. Braß, C. Fleper, W. Kilian, T. Ohl, M. Sekulla



HELMHOLTZ SPITZENFORSCHUNG FÜR
GROSSE HERAUSFORDERUNGEN

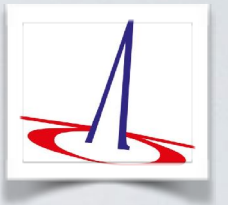


WHIZARD v2.6.3 (10.02.2018)

<http://whizard.hepforge.org>

<whizard@desy.de>

Wolfgang Kilian, Thorsten Ohl, JRR, Simon Braß/Vincent Rothe/Christian Schwinn/Marco Sekulla/So Young Shim/Pascal Stienemeier/Manuel Utsch/Zhijie Zhao + 2 Master

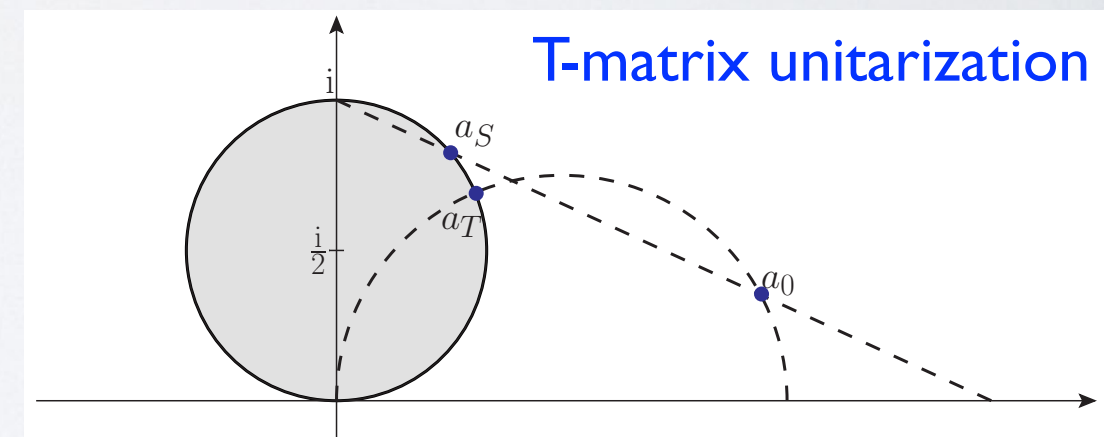


- Multi-purpose MC for pp and ee physics
- Final validation phase for NLO (QCD) automation; first test results for NLO EW
- UFO interface for SM-like models
- Completely general UFO interface: final validation phase [5-,6-pt vertices etc., MC4BSM2018?]
- Dim. 8 operators for VBS / Simplified Models for VBS / Unitarization:

$$\mathcal{L}_{S,0} = F_{S,0} \text{tr} \left[(\mathbf{D}_\mu \mathbf{H})^\dagger (\mathbf{D}_\nu \mathbf{H}) \right] \text{tr} \left[(\mathbf{D}^\mu \mathbf{H})^\dagger (\mathbf{D}^\nu \mathbf{H}) \right]$$

$$\mathcal{L}_{S,1} = F_{S,1} \text{tr} \left[(\mathbf{D}_\mu \mathbf{H})^\dagger (\mathbf{D}^\mu \mathbf{H}) \right] \text{tr} \left[(\mathbf{D}_\nu \mathbf{H})^\dagger (\mathbf{D}^\nu \mathbf{H}) \right]$$

Longitudinal dim-8 operators



$$\left| a - \frac{a_K}{2} \right| = \frac{a_K}{2} \quad \Rightarrow \quad a = \frac{1}{\text{Re}\left(\frac{1}{a_0}\right) - i}$$

Dim 8 operators and their Unitarization:

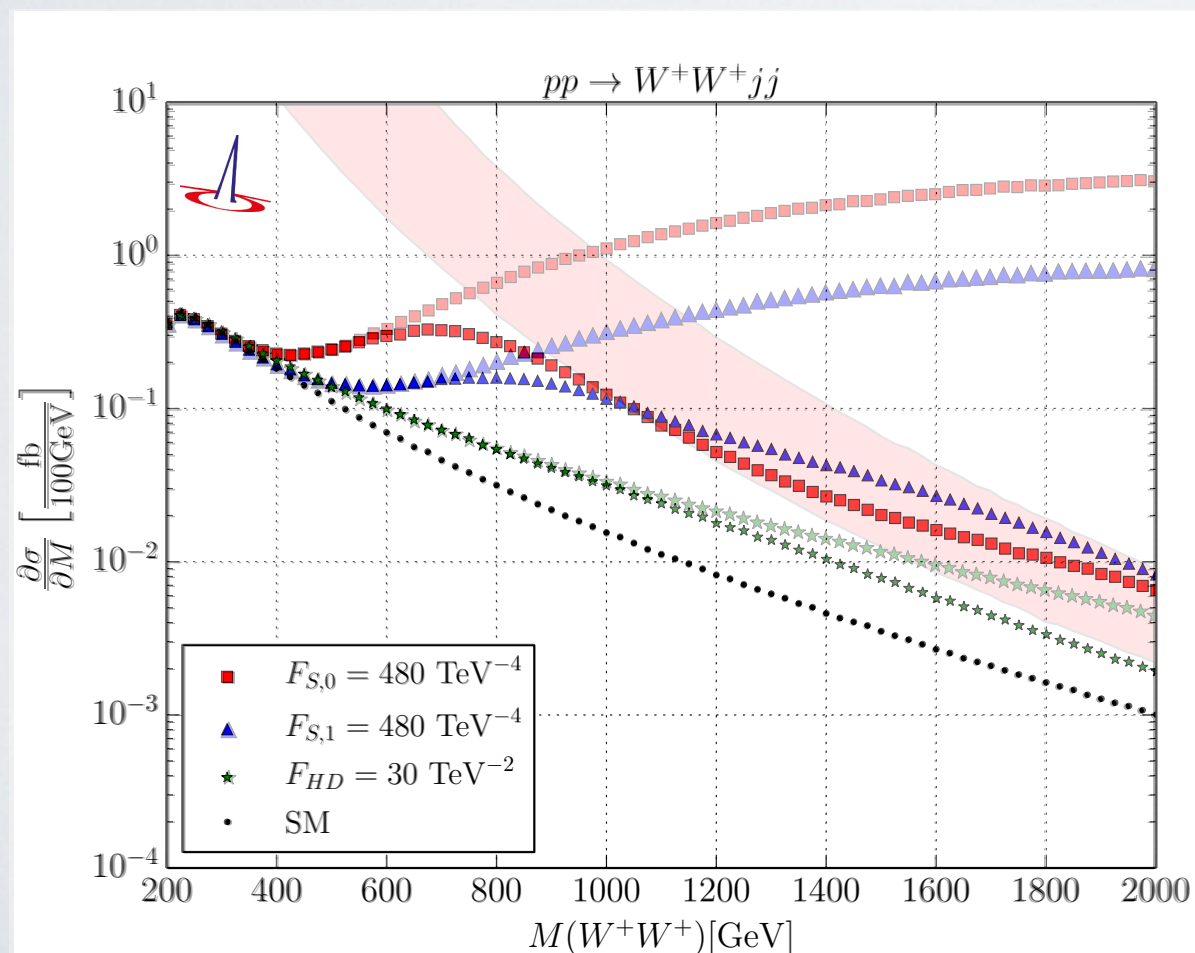
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Transversal
dim-8 operators

Mixed dim-8
operators

Braß/Kilian/JRR/Sekulla, 03/18

$$\begin{aligned}\mathcal{L}_{T,0} &= g^4 F_{T_0} \text{tr} \left[\mathbf{W}_{\mu\nu} \mathbf{W}^{\mu\nu} \right] \text{tr} \left[\mathbf{W}_{\alpha\beta} \mathbf{W}^{\alpha\beta} \right], \\ \mathcal{L}_{T,1} &= g^4 F_{T_1} \text{tr} \left[\mathbf{W}_{\alpha\nu} \mathbf{W}^{\mu\beta} \right] \text{tr} \left[\mathbf{W}_{\mu\beta} \mathbf{W}^{\alpha\nu} \right], \\ \mathcal{L}_{T,2} &= g^4 F_{T_2} \text{tr} \left[\mathbf{W}_{\alpha\mu} \mathbf{W}^{\mu\beta} \right] \text{tr} \left[\mathbf{W}_{\beta\nu} \mathbf{W}^{\nu\alpha} \right], \\ \mathcal{L}_{T,5} &= g^2 g'^2 F_{T_5} \text{tr} \left[\mathbf{W}_{\mu\nu} \mathbf{W}^{\mu\nu} \right] \text{tr} \left[\mathbf{B}_{\alpha\beta} \mathbf{B}^{\alpha\beta} \right], \\ \mathcal{L}_{T,6} &= g^2 g'^2 F_{T_6} \text{tr} \left[\mathbf{W}_{\alpha\nu} \mathbf{W}^{\mu\beta} \right] \text{tr} \left[\mathbf{B}_{\mu\beta} \mathbf{B}^{\alpha\nu} \right], \\ \mathcal{L}_{T,7} &= g^2 g'^2 F_{T_7} \text{tr} \left[\mathbf{W}_{\alpha\mu} \mathbf{W}^{\mu\beta} \right] \text{tr} \left[\mathbf{B}_{\beta\nu} \mathbf{B}^{\nu\alpha} \right], \\ \mathcal{L}_{T,8} &= g'^4 F_{T_8} \text{tr} \left[\mathbf{B}_{\mu\nu} \mathbf{B}^{\mu\nu} \right] \text{tr} \left[\mathbf{B}_{\alpha\beta} \mathbf{B}^{\alpha\beta} \right], \\ \mathcal{L}_{T,9} &= g'^4 F_{T_9} \text{tr} \left[\mathbf{B}_{\alpha\mu} \mathbf{B}^{\mu\beta} \right] \text{tr} \left[\mathbf{B}_{\beta\nu} \mathbf{B}^{\nu\alpha} \right].\end{aligned}$$



Dim 8 operators and their Unitarization:

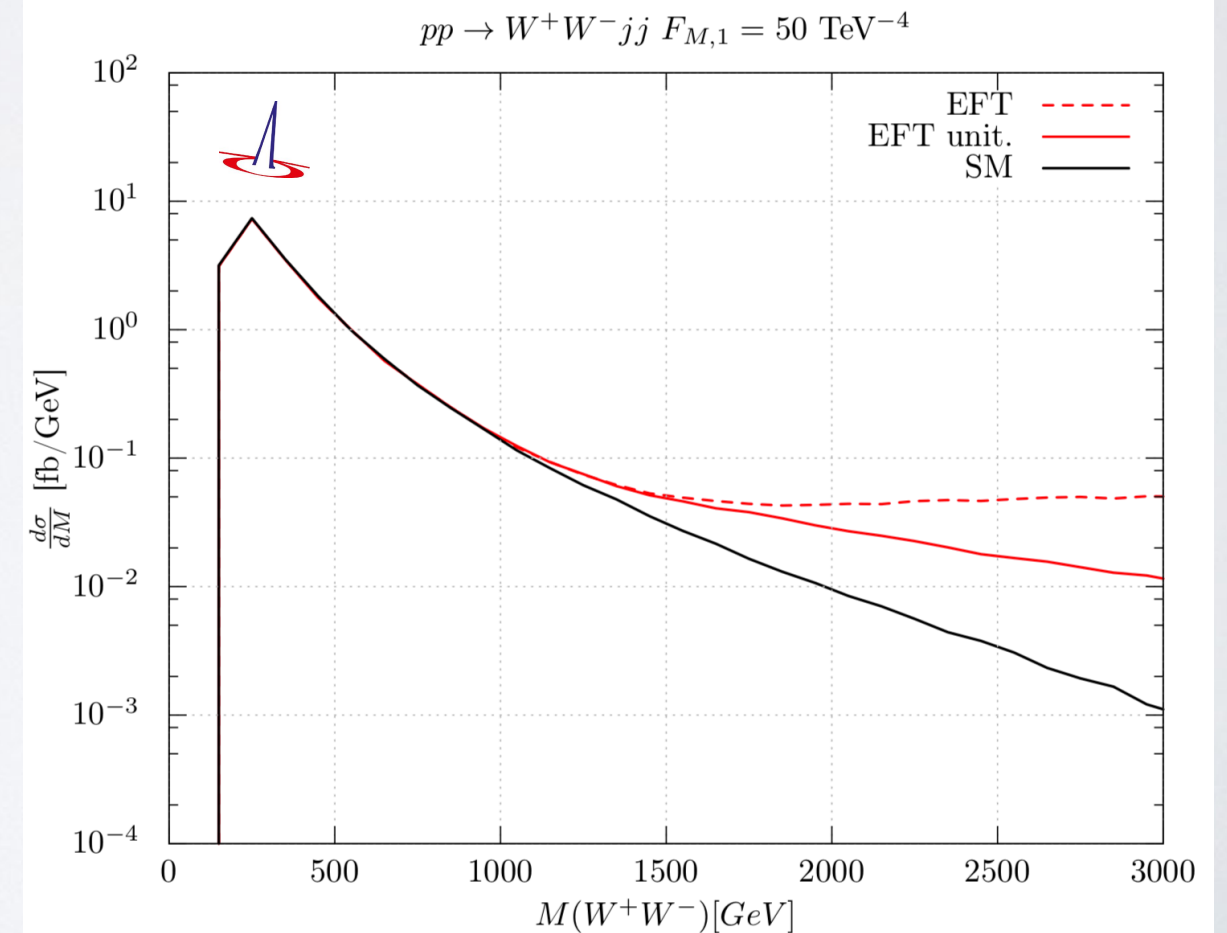
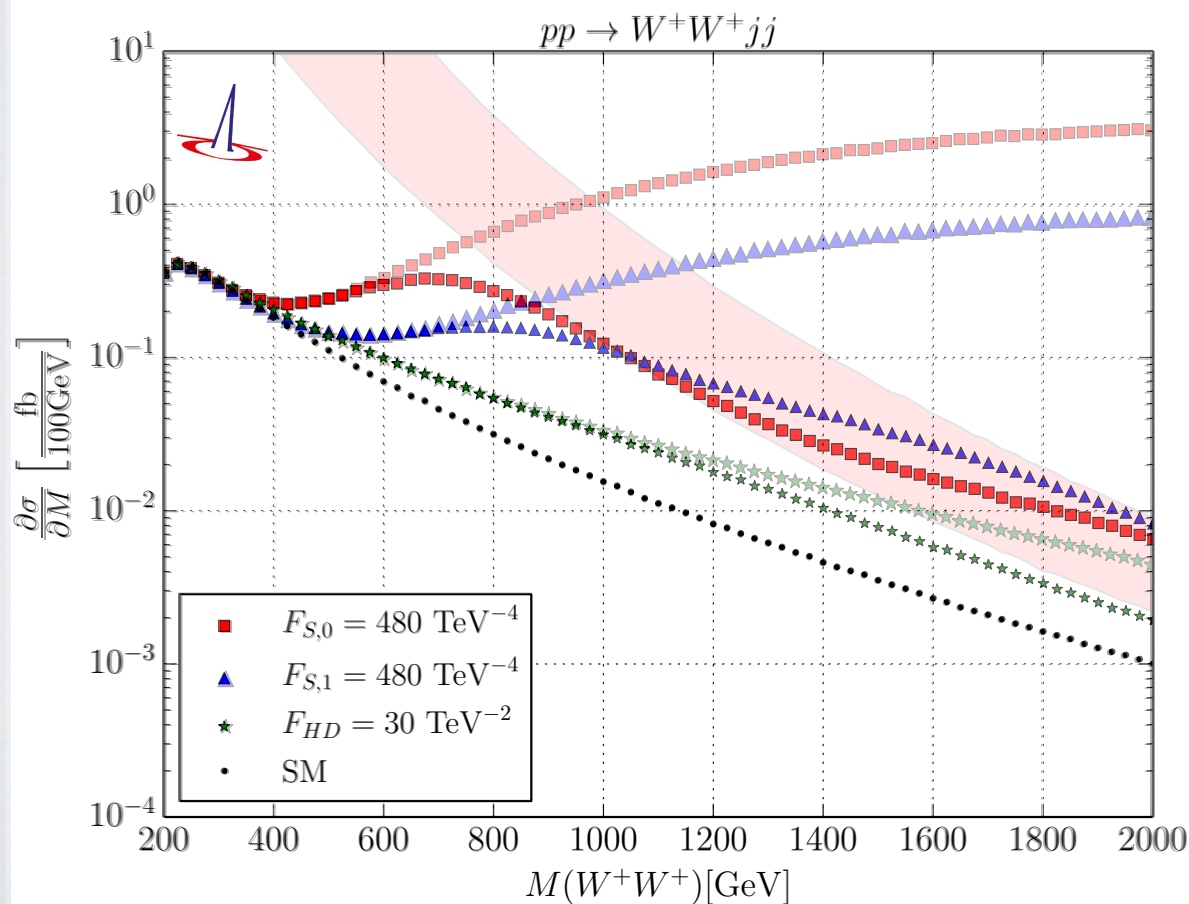
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Transversal
dim-8 operators

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Mixed dim-8
operators

Braß/Kilian/JRR/Sekulla, 03/18



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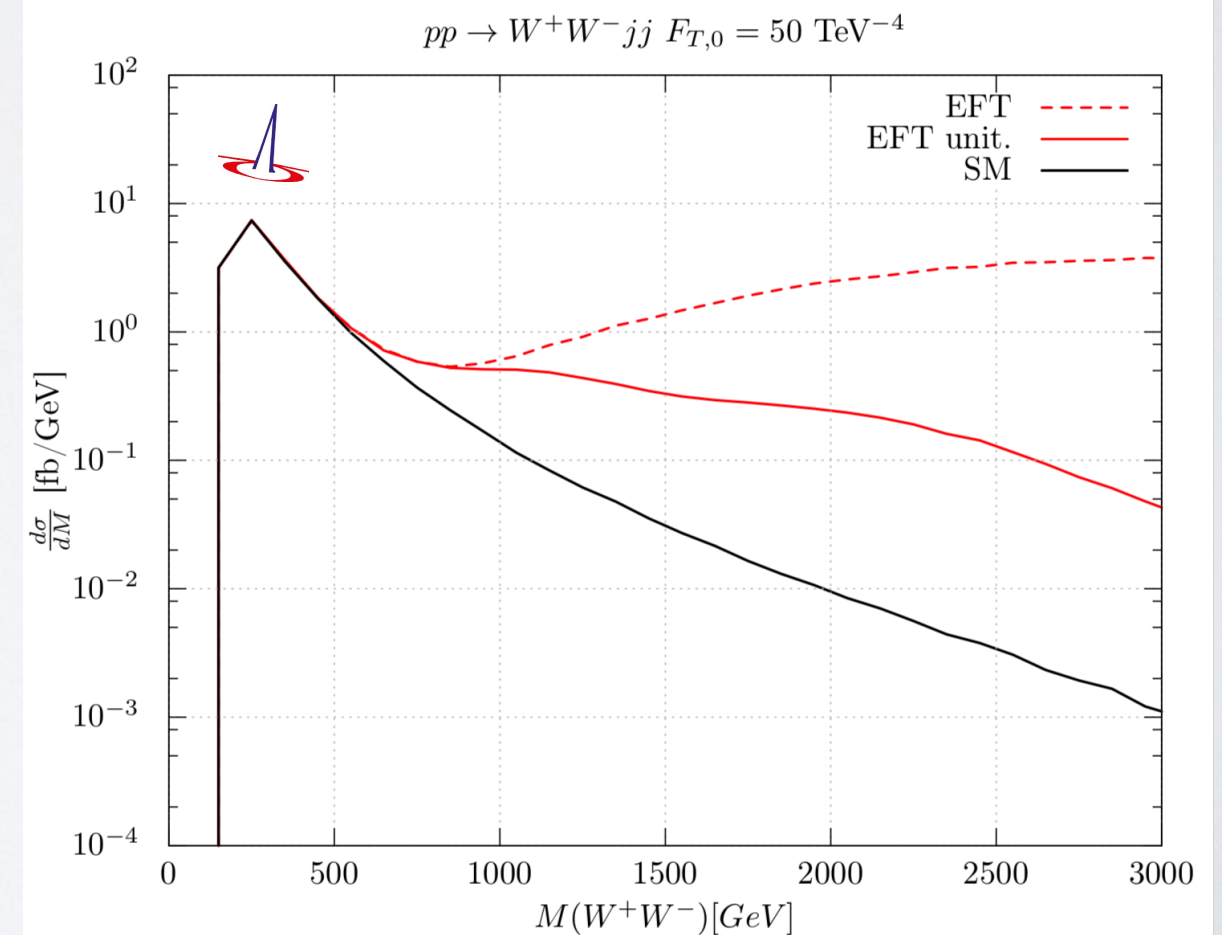
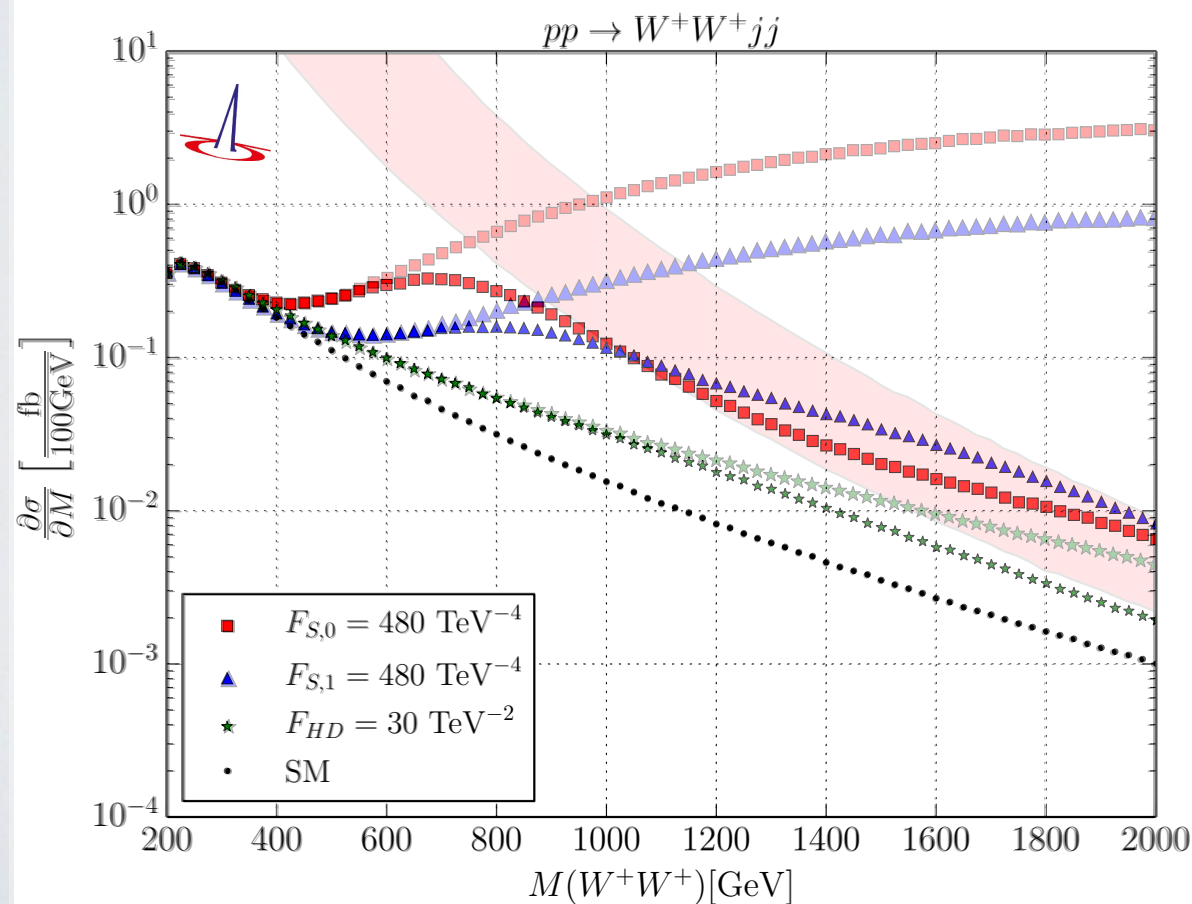
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Dim 8 operators and their Unitarization:

Transversal (&mixed) operators:
Much more room for new physics

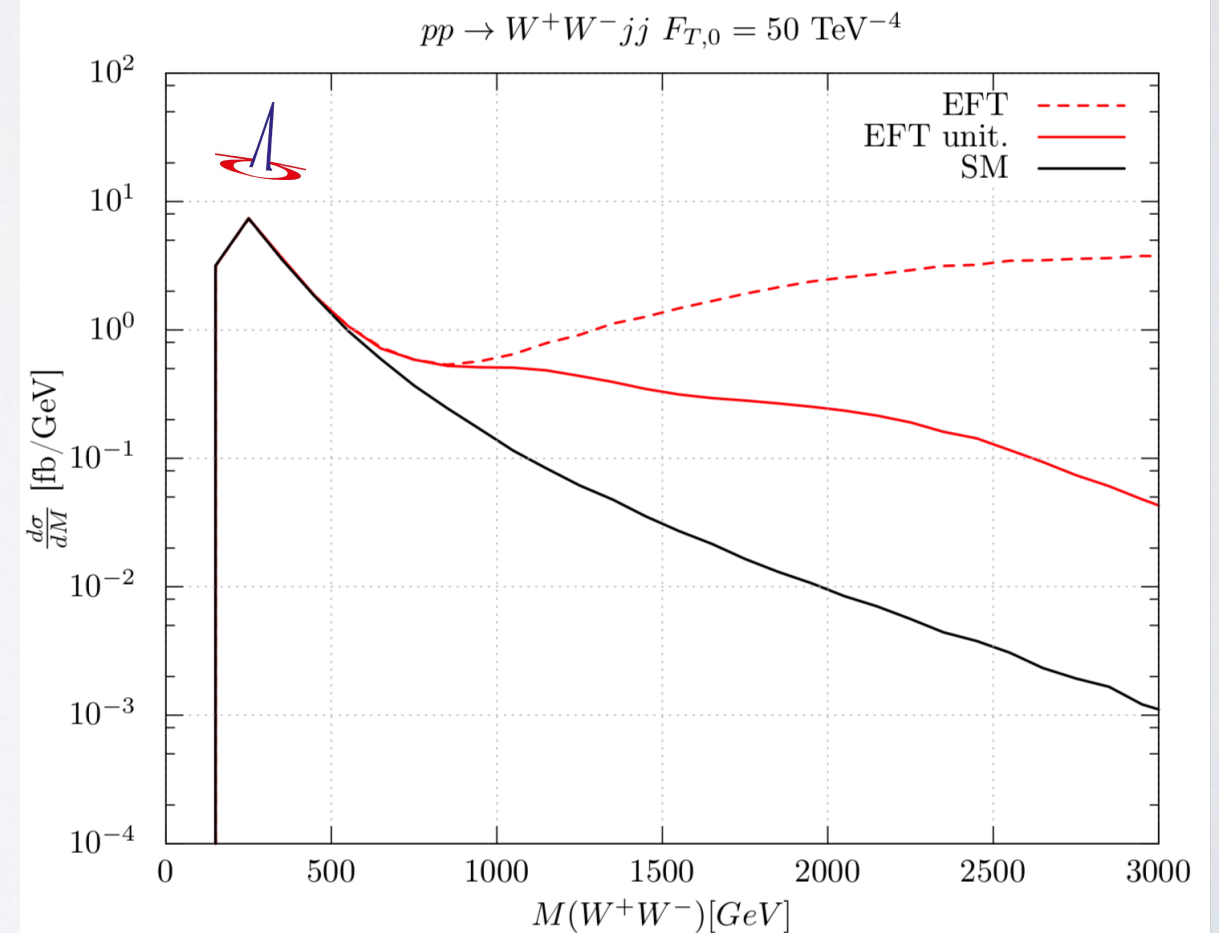
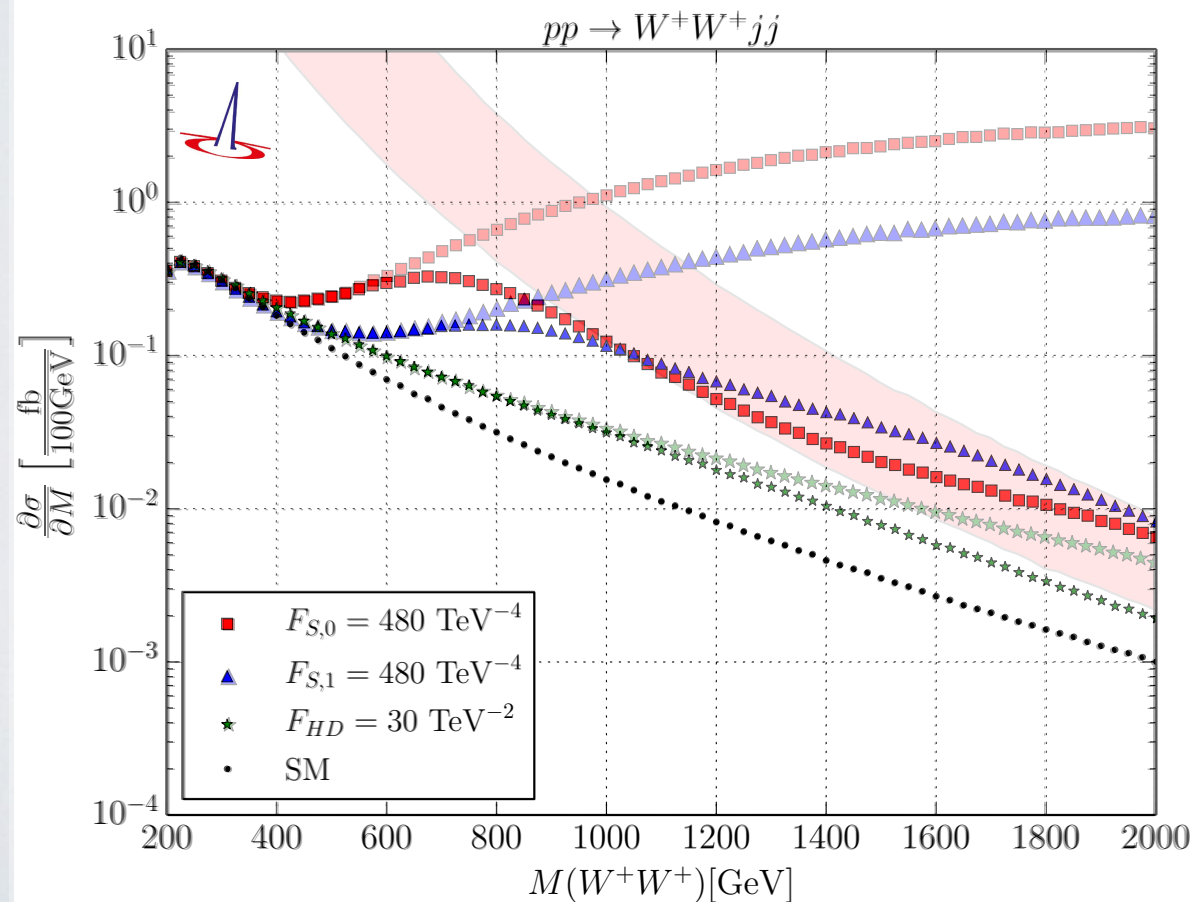
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Mixed dim-8
operators

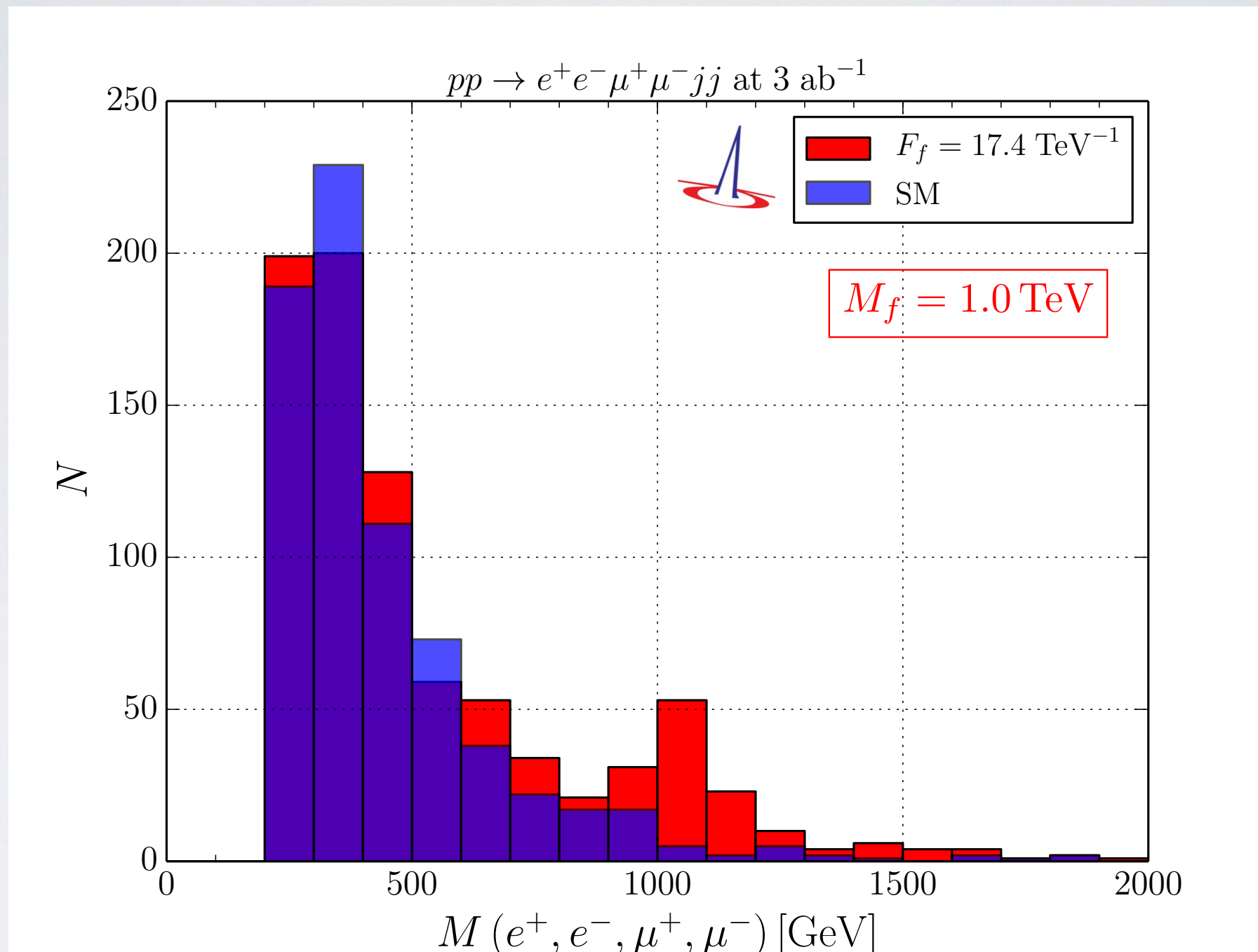
Braß/Kilian/JRR/Sekulla, 03/18

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Complete LHC process at 14 TeV



EFT, Unitarization, and Simplified Models

- Rise of amplitude: Taylor expansion below a resonance
- Resonances might be in direct reach of LHC
- EFT framework EW-restored regime: $SU(2)_L \times SU(2)_R, SU(2)_L \times U(1)_Y$ gauged
- Include EFT operators in addition (more resonances, continuum contribution)
- Apply T -matrix unitarization beyond resonance (“UV-incomplete” model)

Spins 0, 2 considered, Spin 1 has different physics (mixing with W/Z)

	isoscalar	isotensor
scalar	σ^0	$\phi_t^{--}, \phi_t^-, \phi_t^0, \phi_t^+, \phi_t^{++}$ $\phi_v^-, \phi_v^0, \phi_v^+$ ϕ_s^0
tensor	f^0	$(X_t^{--}, X_t^-, X_t^0, X_t^+, X_t^{++})$ X_v^-, X_v^0, X_v^+ X_s^0
...

$$32\pi\Gamma/M^5$$

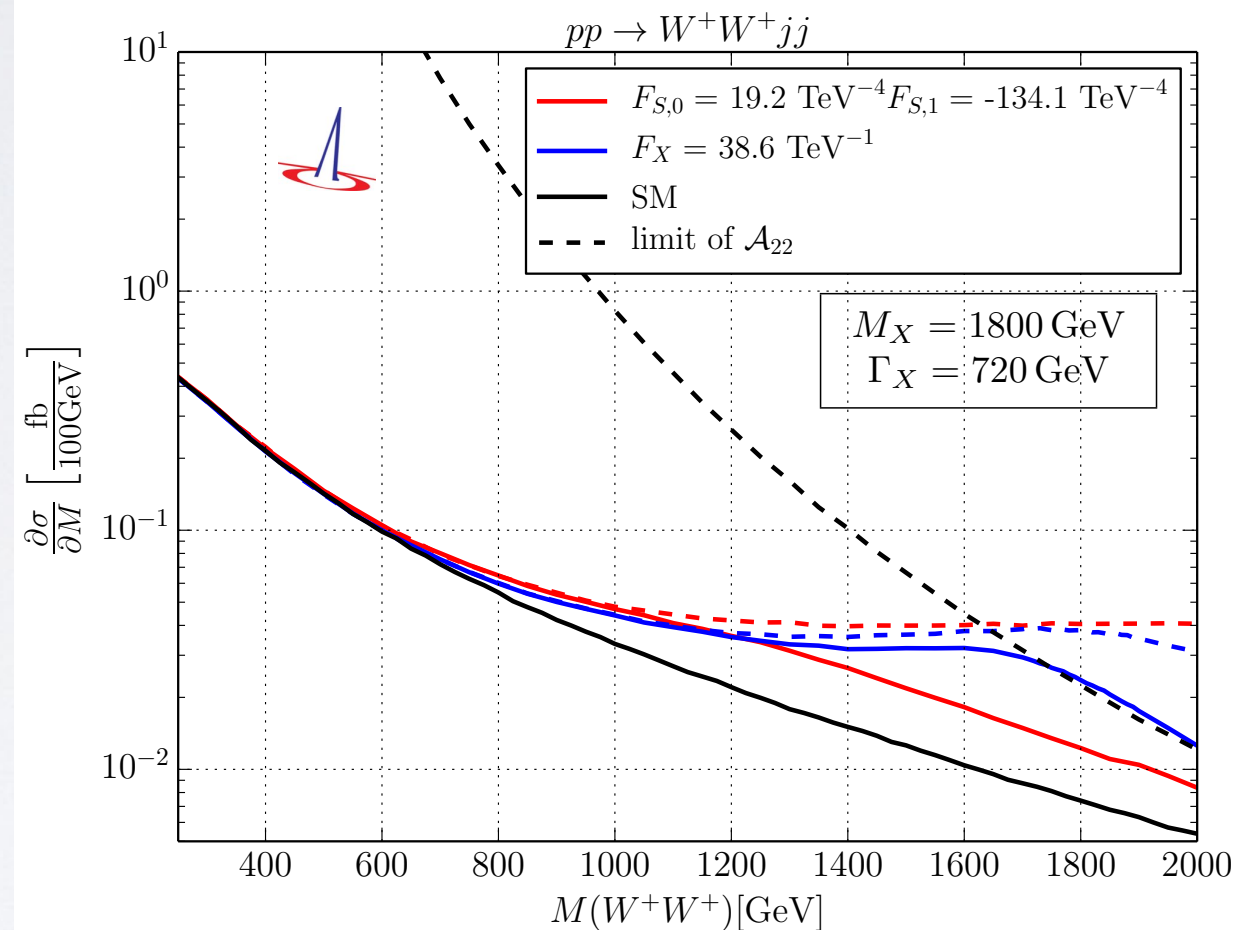
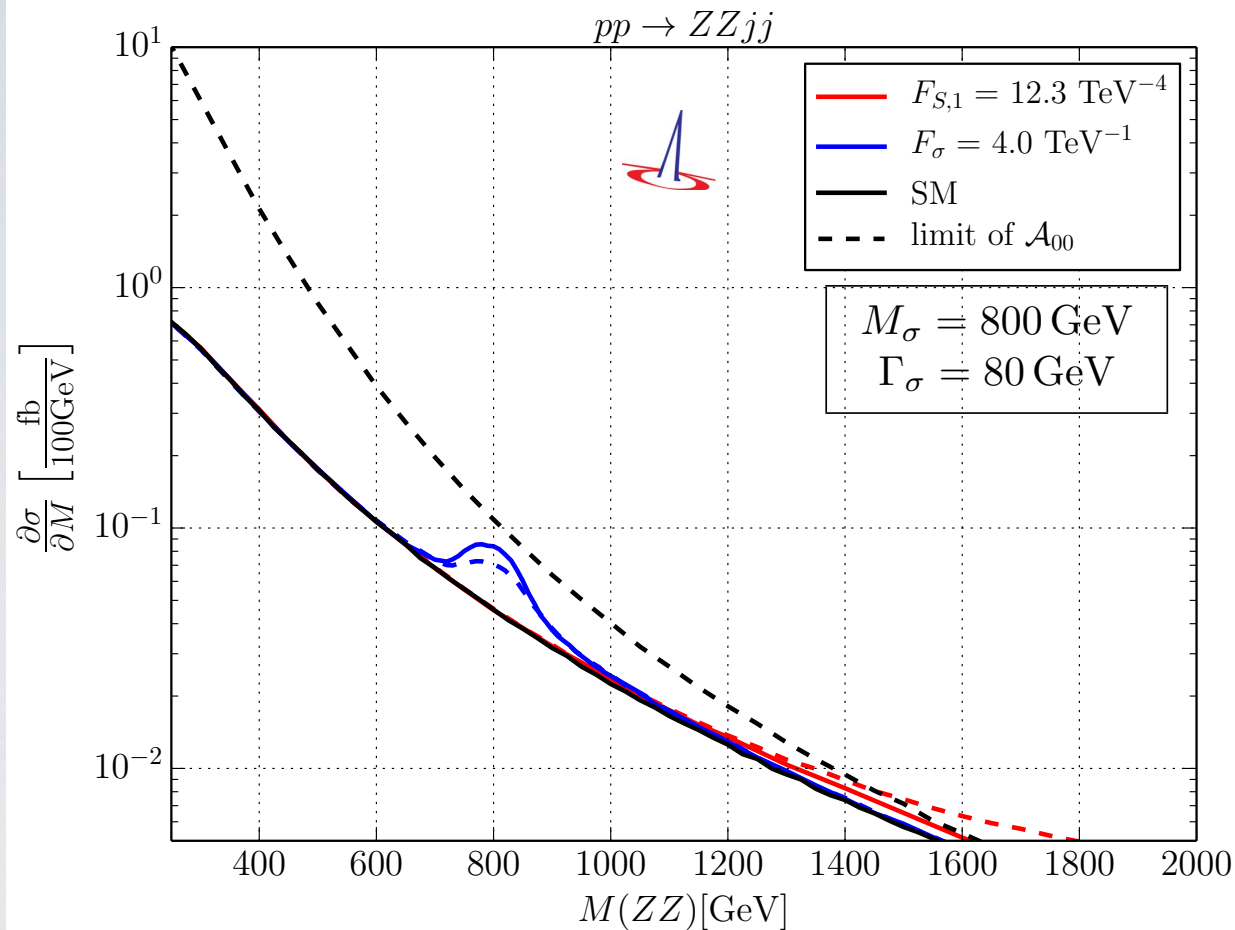
	σ	ϕ	f	X
$F_{S,0}$	$\frac{1}{2}$	2	15	5
$F_{S,1}$	–	$-\frac{1}{2}$	-5	-35

Translation into Wilson coefficients
below resonance

Comparison: Simplified Models & EFT

Kilian/Ohl/JRR/Sekulla: PRD93(16),3. 036004 [1511.00022]

Black dashed line:
saturation of $\mathcal{A}_{22}(W^+W^+)/\mathcal{A}_{00}(ZZ)$



$$M_{jj} > 500 \text{ GeV}; \Delta\eta_{jj} > 2.4; p_T^j > 20 \text{ GeV}; |\Delta\eta_j| < 4.5$$

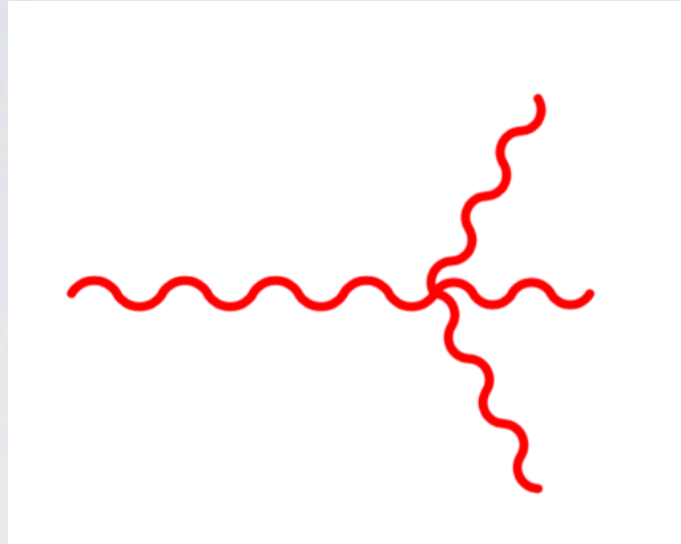
Resonances with transversal operators: *in preparation*

Braß/Kilian/JRR/Sekulla, 03/18

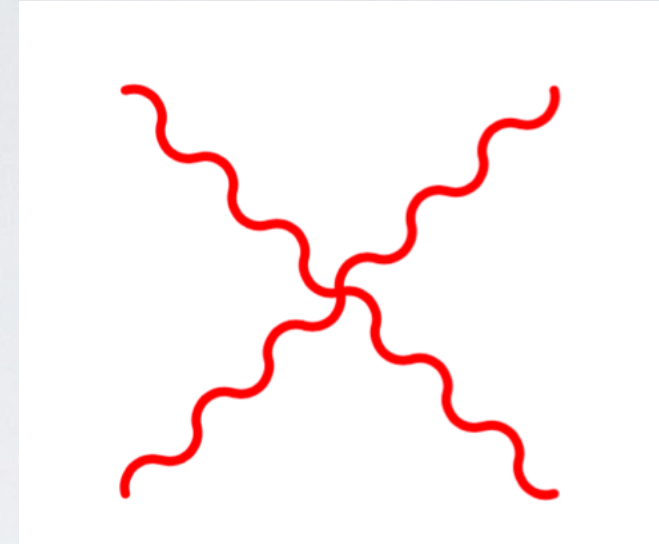
Triple [multiple] Vector Boson Production ?

7 / 08

Relate



to



?

- ▶ Yes, same Feynman rule as in VBS, but ...
- ▶ one external $W/Z/\gamma$ always far off-shell
- ▶ Unitarization formalism: work in progress (needs $2 \rightarrow 3$ unitarizations)
(using scattering matrix with elastic & inelastic channels [Kilian/JRR/Sekulla in prep.](#))
- ▶ Different Wilson coefficients dominate (particularly for resonances)
- ▶ Important physics (partially) independent from VBS (“different fiducial vol.”)

- Better treatment of on-/off-resonance transitions at kinematic edge
- How much do luminosity and energy buy us?
- Investigate other potentially strongly coupled channels like: $pp \rightarrow jjVV \rightarrow jj tt$
- Study connections of Wilson coefficient dependence between VBS and tribosons
- Sensitivity of triboson channels & unitarity bounds
- Relations between $pp \rightarrow VVV [\dots]$ and $pp \rightarrow HHH [\dots]$
- Importance of QCD (+ EW) corrections on signal for limit setting

MBI 2018 [6th Multi-Boson Interactions]

University of Michigan, Ann Arbor, Aug. 28-30 2018



Multi-Boson Interactions (MBI) 2018

August 28-30, 2018

<https://indico.cern.ch/event/700961/>



BACKUP SLIDES

