

Determination of the CP Quantum Numbers of the Higgs Boson

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- * Selection
- * Fit results
- * Conclusion and Outlook

Introduction

- * Spin and CP-QN can be determined in several ways at a e^+e^- collider
- * observation of
 - $H \Leftrightarrow \gamma\gamma$
 - $H \Leftrightarrow ZZ$
 - $e^+e^- \rightarrow Z^* \rightarrow ZH$ } rule out spin 1
determine $C=+$
- * but $CP=++$ (H) or $+-$ (A) or mixture?
- * angular distributions of production and decay sensitive to CP-QN
- * production $e^+e^- \rightarrow Z\phi \rightarrow f\bar{f}\phi$
described by Θ_Z 
and Θ_f^*, φ_f^* in Z rest frame
- * sensitive dist.: $\frac{d\sigma}{d\cos\Theta}$, $\frac{d\sigma}{d\varphi^*}$
- * today: analysis of $\frac{d\sigma}{d\cos\Theta}$

A little bit of theory

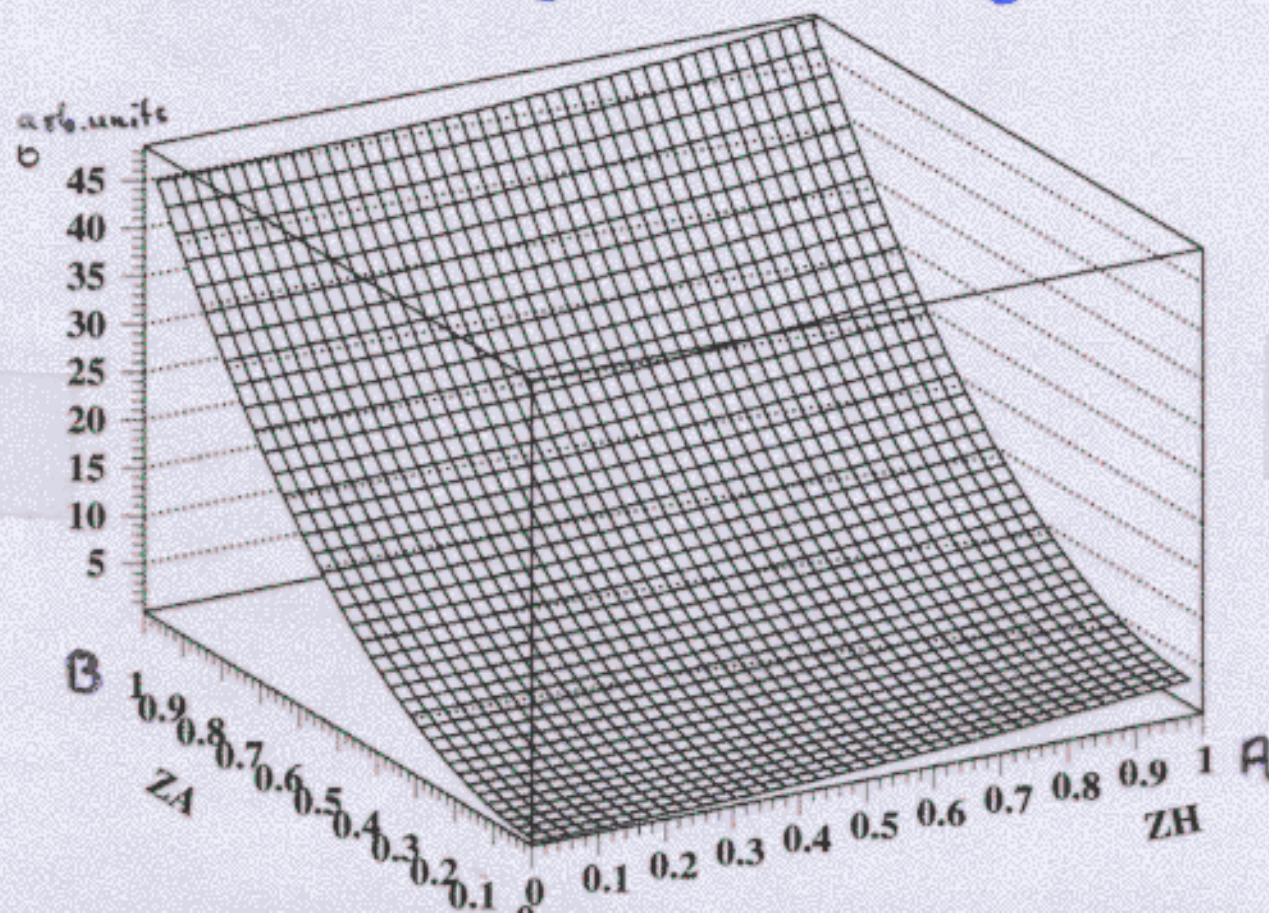
* production of $Z\phi$

$$m^2 = \left| \begin{array}{c} \text{Diagram 1: } Z^* \text{ (blue) decays to } H \text{ (pink) and } Z \text{ (blue) at vertex A (red)} \\ \text{Diagram 2: } Z^* \text{ (blue) decays to } A \text{ (pink) and } Z \text{ (blue) at vertex B (green)} \end{array} \right|^2$$

SM:
A=1 B=0

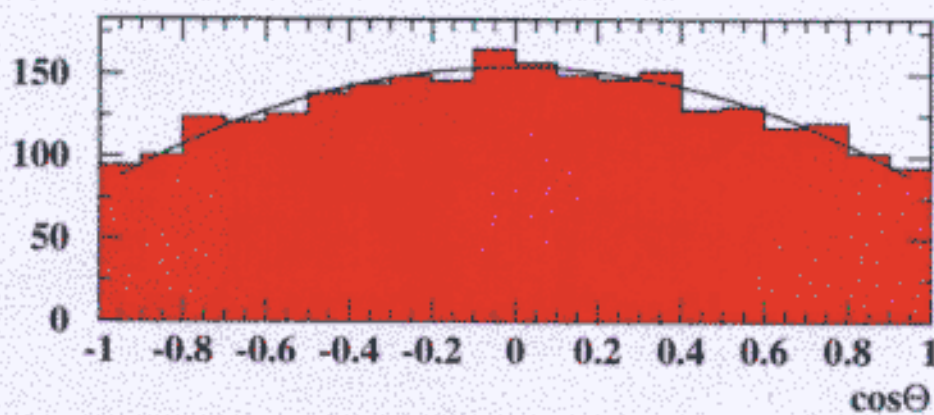
$$\begin{aligned} * \frac{d\Gamma}{d\cos\theta} &\sim A^2 \left(1 + \frac{s\beta_Z^2}{8M_Z^2} \sin^2\theta\right) && \text{"HZ"} \\ &+ 2AB \frac{v_e a_e}{v_e^2 m_e^2} \frac{s\beta_Z^2}{M_Z^2} \cos\theta && \text{interfere} \\ &+ B^2 \frac{s^2\beta_Z^2}{4M_Z^4} \left(1 - \frac{\sin^2\theta}{2}\right) && \text{"AZ"} \end{aligned}$$

$$\Gamma_{\text{tot}} \sim A^2 \left(2 + \frac{s\beta_Z^2}{6M_Z^2}\right) + B^2 \frac{s^2\beta_Z^2}{3M_Z^4}$$

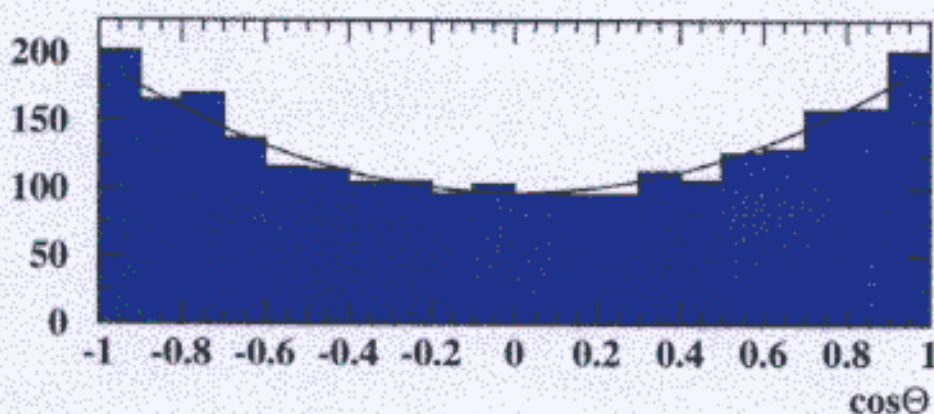


$\cos\Theta_z$ distribution at generator level

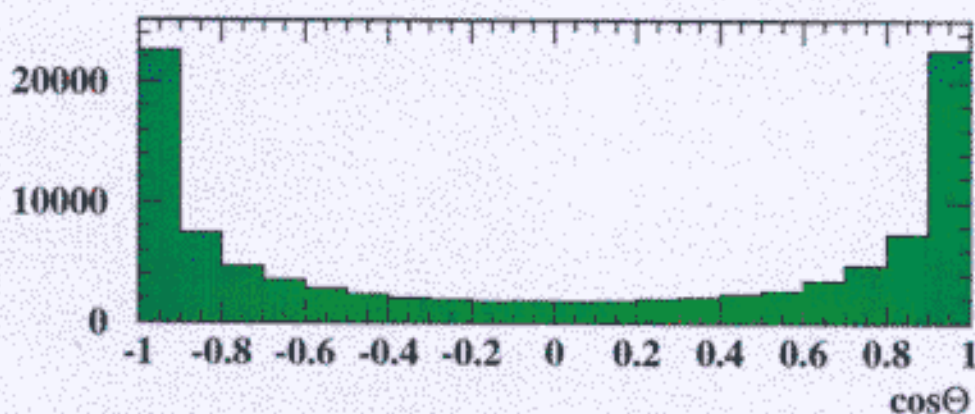
ZH



ZA



ZZ



reweighting
in
 $\frac{d\sigma}{d\cos\Theta}$
 $\frac{d\phi^*}{d\cos\Theta}$

Extraction of CP-QN

- * $Z\phi \rightarrow \mu^+ \mu^- \phi$ $\cos \Theta_Z = \cos \Theta_{\mu\mu}$
- * $\sqrt{s} = 350 \text{ GeV}$, $M_H = 120 \text{ GeV}$, $\mathcal{L} = 500 \text{ fb}^{-1}$
- * Simdet 3.1 including ISR + CIRCE

- * determine couplings A and B by two kind of fits to reference histogram

I: include dependence of σ_{tot} a. interference

$$\frac{dN_{\text{data}}}{d\cos\Theta} = \frac{dN_{Z\phi}(A, B)}{d\cos\Theta} + \frac{dN_{ZZ}}{d\cos\Theta}$$

II: just use shape of $\frac{d\sigma}{d\cos\Theta}$ from

HZ and AZ production

both reference histos normalized to σ_{ZH}^{SM}

$$\frac{dN_{\text{data}}}{d\cos\Theta} = A \star \frac{dN_{ZH}}{d\cos\Theta} + B \star \frac{dN_{ZA}}{d\cos\Theta} + \frac{dN_{ZZ}}{d\cos\Theta}$$

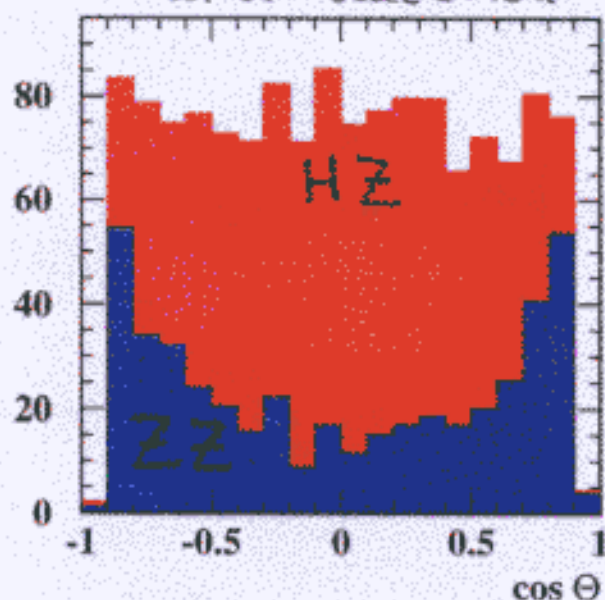
Selection

- 1) 2 isolated μ , $\Delta_{iso}=10^\circ$, $E_\mu > 15 \text{ GeV}$, perfect μ ID
- 2) $|M_{\mu\mu} - M_Z| < 5 \text{ GeV}$ 3) $|M_{rec} - M_H| < 5 \text{ GeV}$
- 4) $|P_{\mu 1}^Z + P_{\mu 2}^Z| < 125 \text{ GeV}$ 5) $E_\gamma < 40 \text{ GeV}$

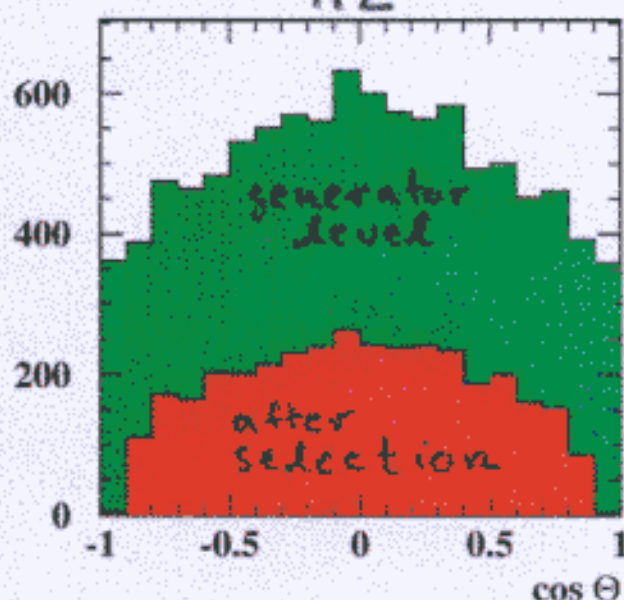
$$\epsilon = 35.5\% \hat{=} N_{HZ} = 923 \text{ evt}$$

BG: ZZ: ⁴⁵⁴ ~~800~~ evt $\mu\mu$: 0 evt

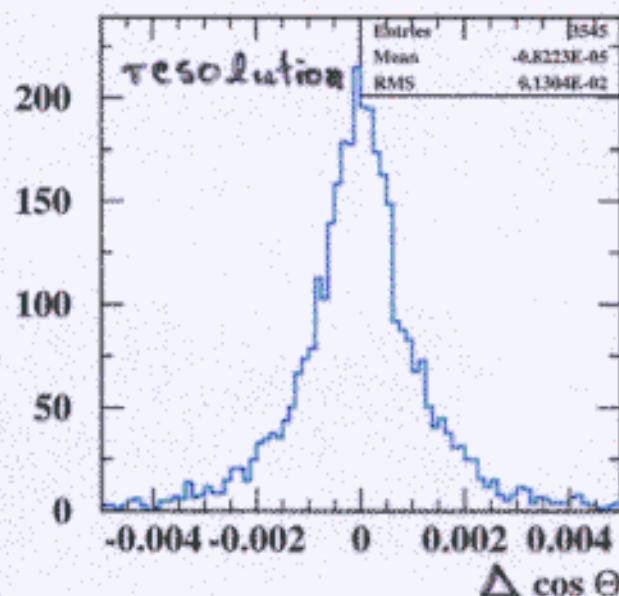
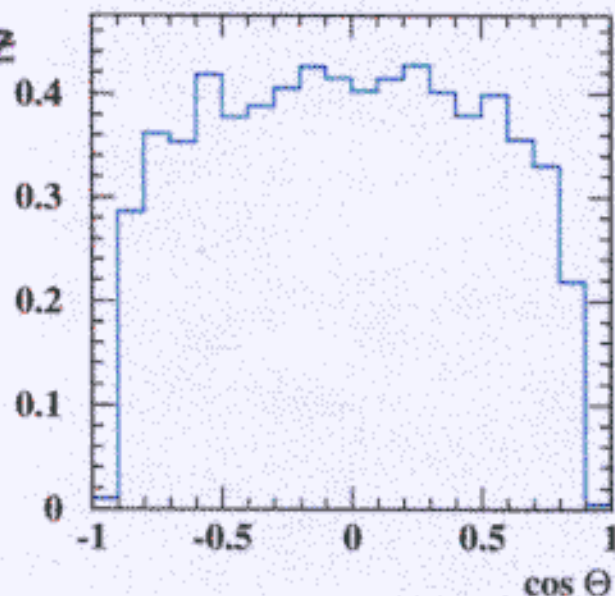
after selection



HZ

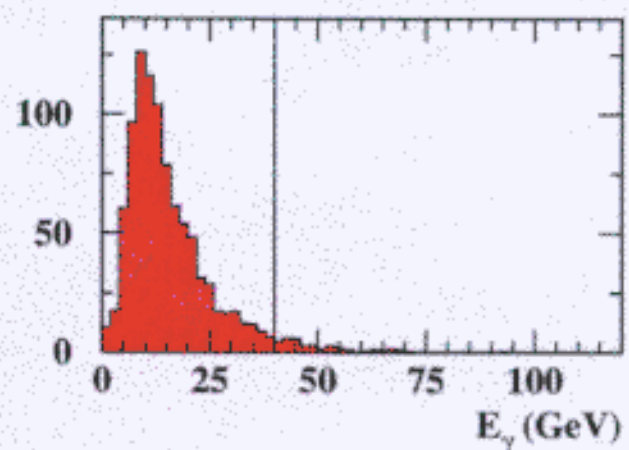
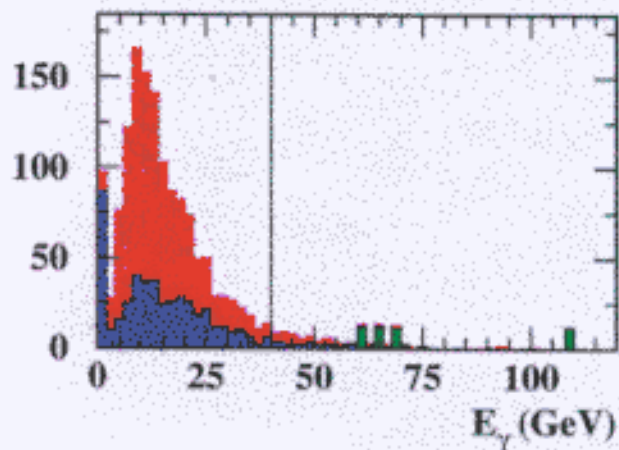
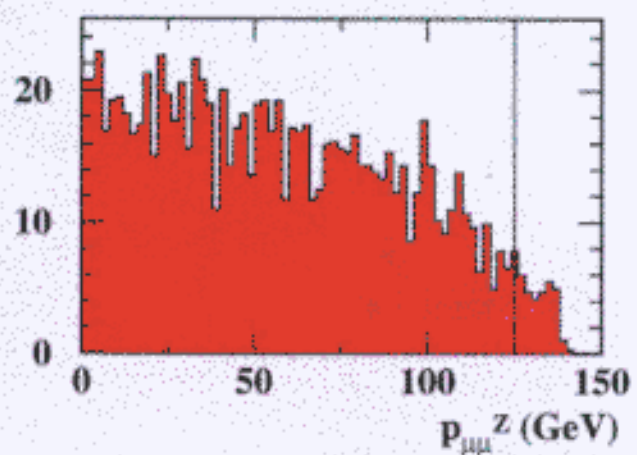
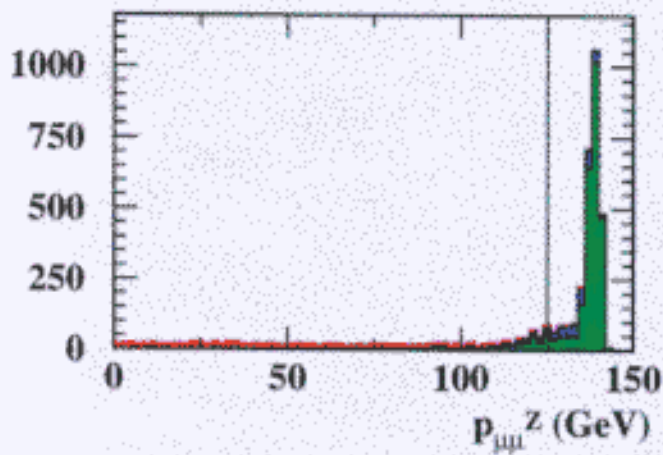
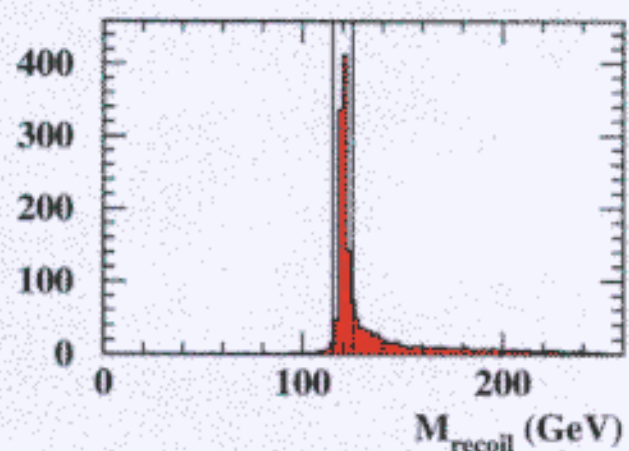
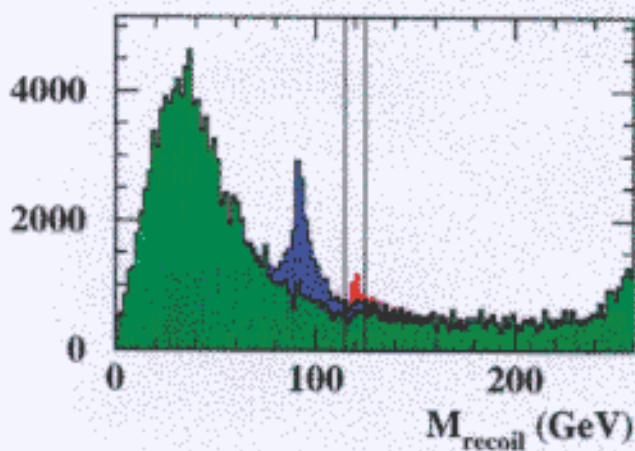
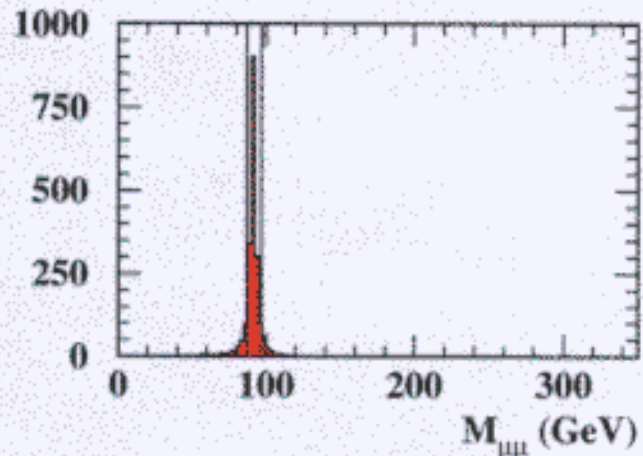
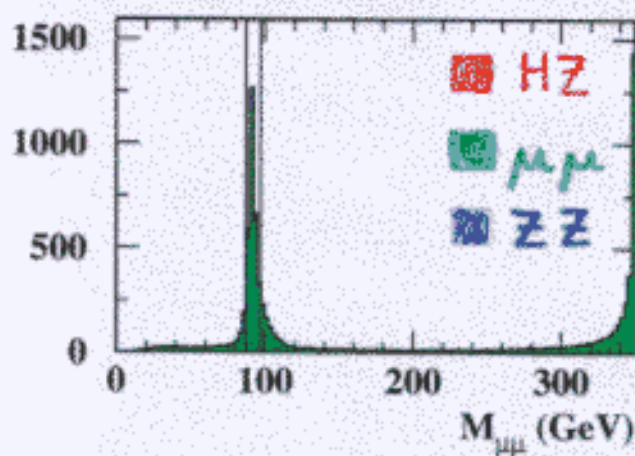


ϵ_{HZ}

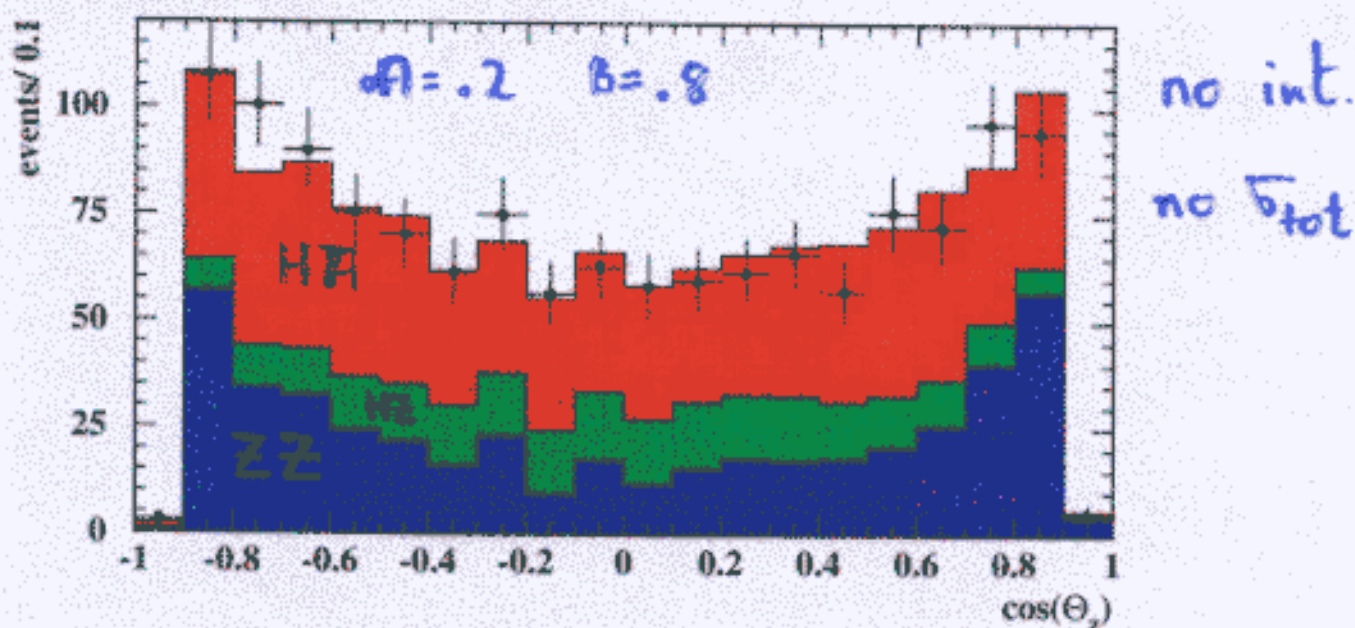


Selection Variables

$\times 10^2$



Fit Results



i) only shape, no interference, no σ_{tot}

A	B	ΔA	ΔB
1.0	.0	.12	.13
1.0	.3	.13	.14
1.0	.6	.14	.15
.5	.5	.12	.12
.2	.8	.12	.13
.0	1.0	.12	.14
.2	.2	.10	.11
.7	.3	.13	.14

ii) including interference, $\sigma_{\text{tot}}(A, B)$

A	B	ΔA	ΔB	A	B	ΔA	ΔB
1.0	0.	.02	.003	.5	.3	.51	0.07
1.0	0.3	.08	.02	.5	1.0	.22	0.005
1.0	0.6	.11	.02	.0	1.0	.02	0.006
.5	0.1	.45	.18	.0	.4	.06	0.006

Conclusion

- * $CP = ++$ and $+-$ can be distinguished very clearly
- * two kind of fits performed
- * using only shape of $\cos\Theta$ distribution

$$\Delta A = \Delta B \approx 0.14$$

- * including $G_{tot}(A, B)$ improves sensitivity

Outlook

- * do study for $M_H = 140, 160$ GeV
 $\sqrt{s} = 500$ GeV
- * check pull distributions of fits
- * use 2nd distr.: $\frac{dG}{d\phi_\mu^*}$
- * investigate directly CP
 - asymmetry in $\frac{dG}{d\cos\Theta}$
 - "optimal observable"