

# News from hermes



Delia Hasch



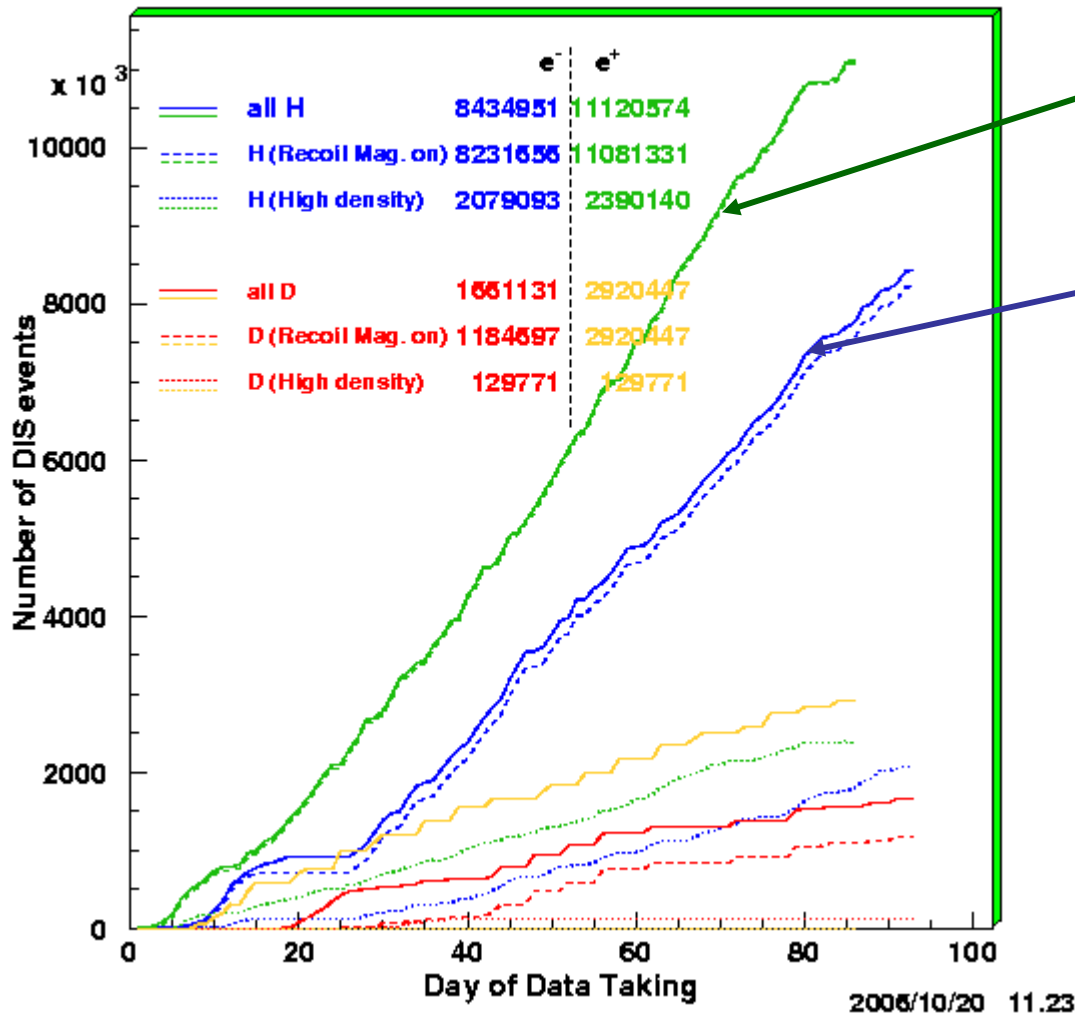
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62<sup>th</sup> Physics Research Committee, DESY-Zeuthen Oct 23/24 2006

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# data taking 2006

DIS 2006 (vs. day)

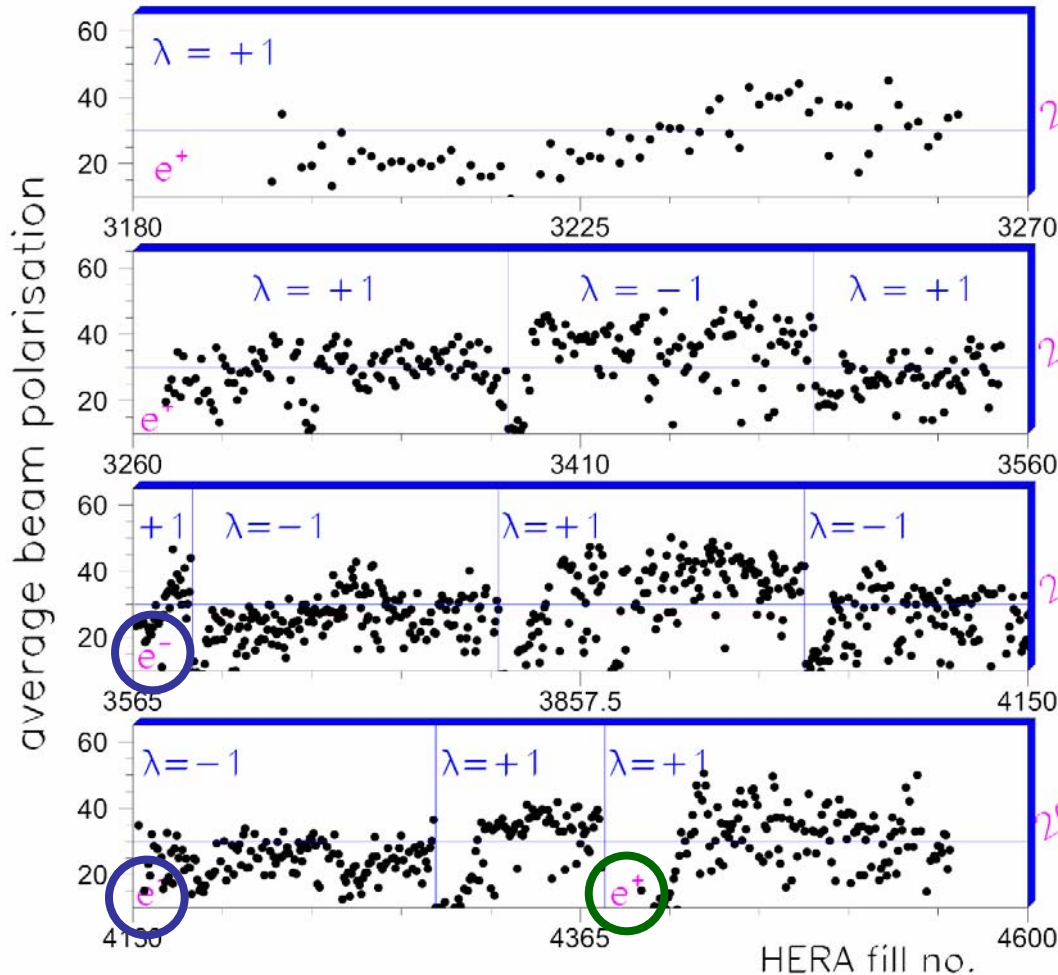


e<sup>+</sup> data

e<sup>-</sup> data

- data taking:
  - efficiency > 98%
  - spectrometer in excellent shape

# data taking 2006



$e^+$  data

$e^-$  data

- data taking: efficiency > 98%  
→ spectrometer in excellent shape

- polarisation:

$$P_B^{\lambda=+1} \sim 0.3-0.4 \quad \leftarrow$$

$$P_B^{\lambda=-1} \sim 0.2-0.3 \quad \leftarrow$$

# status of detectors

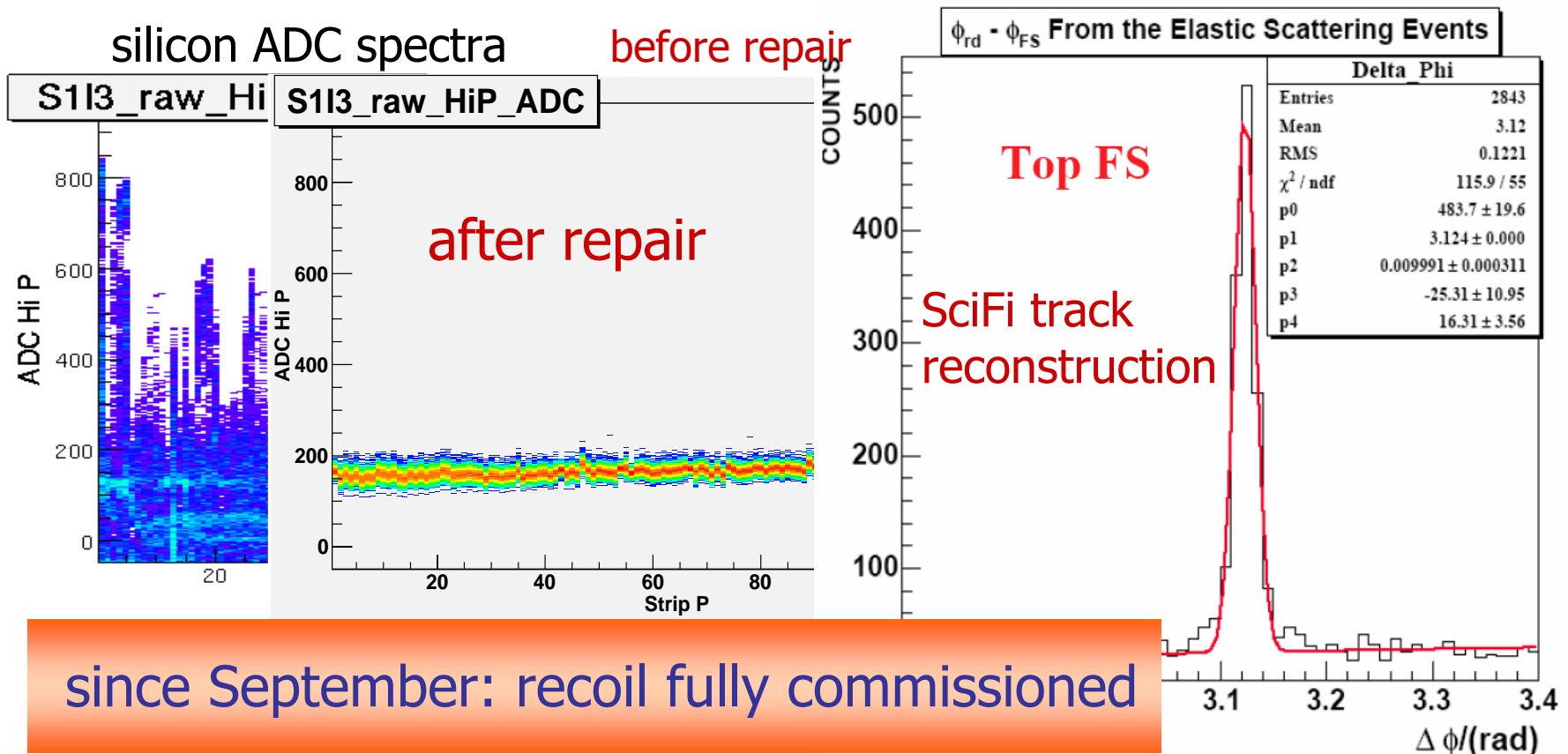
- spectrometer in excellent shape
- target cell + recoil silicon: all problems fixed !

- new target cell installed:
  - thicker cell walls
  - improved cooling
- silicon detector:
  - modules repaired
  - RF shielding installed

... more details @closed session

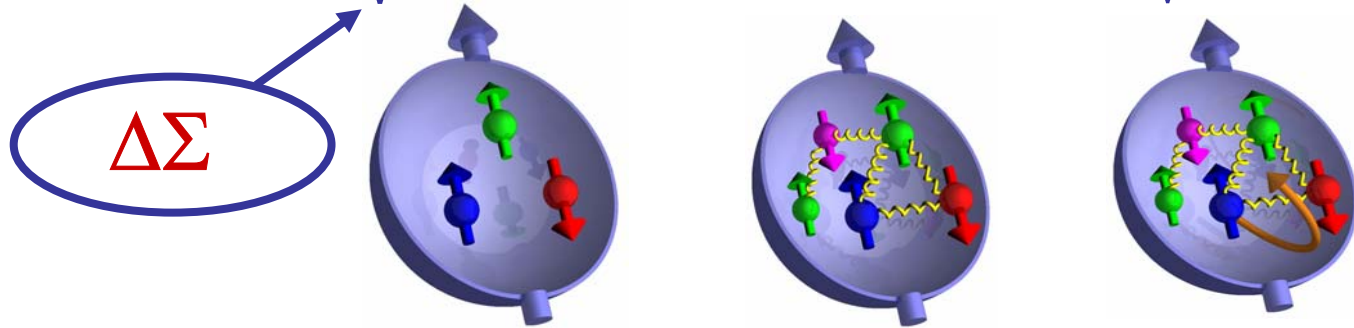
# status of detectors

- spectrometer in excellent shape
- target cell + recoil silicon: all problems fixed!
- since July taking data with all recoil components:



# HERMES @SPIN<sup>2006</sup>

$$S_z^N = \frac{1}{2} = \frac{1}{2} (\Delta u_v + \Delta d_v + \Delta q_s) + \Delta G + \Delta L_z^q + \Delta L_z^g$$

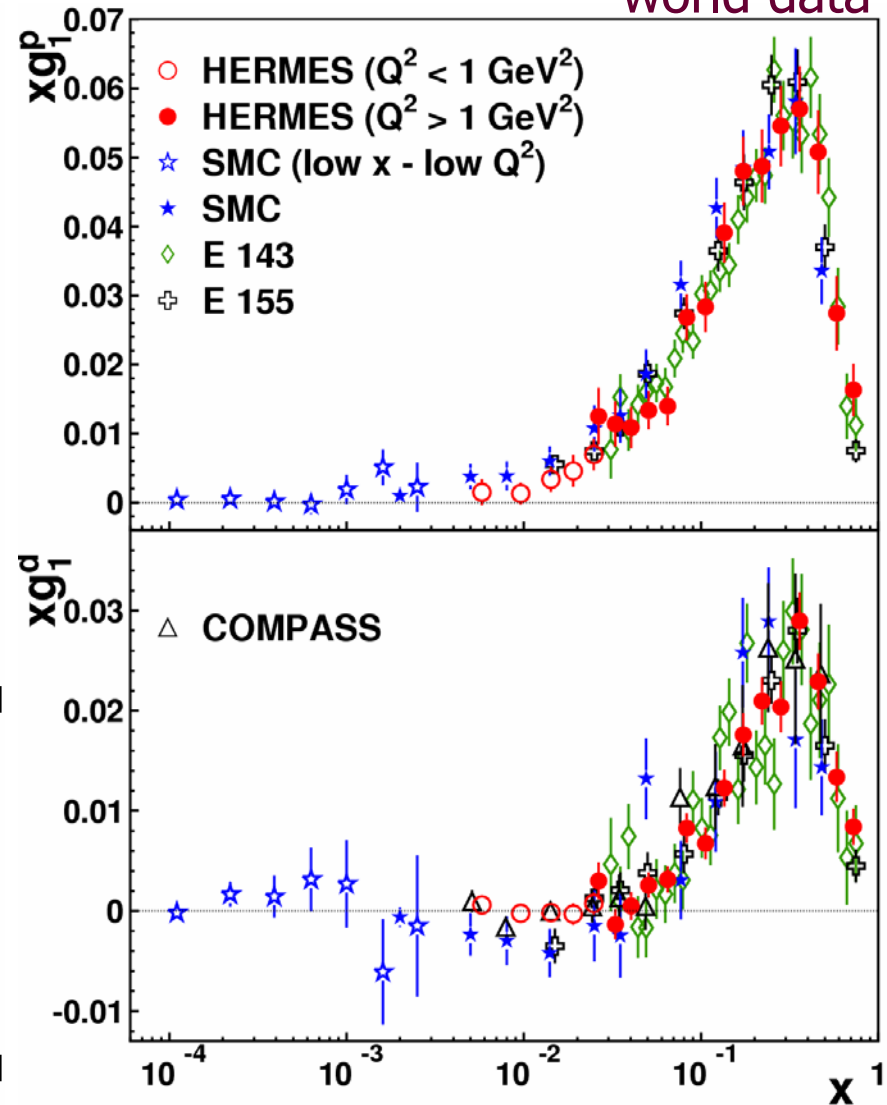
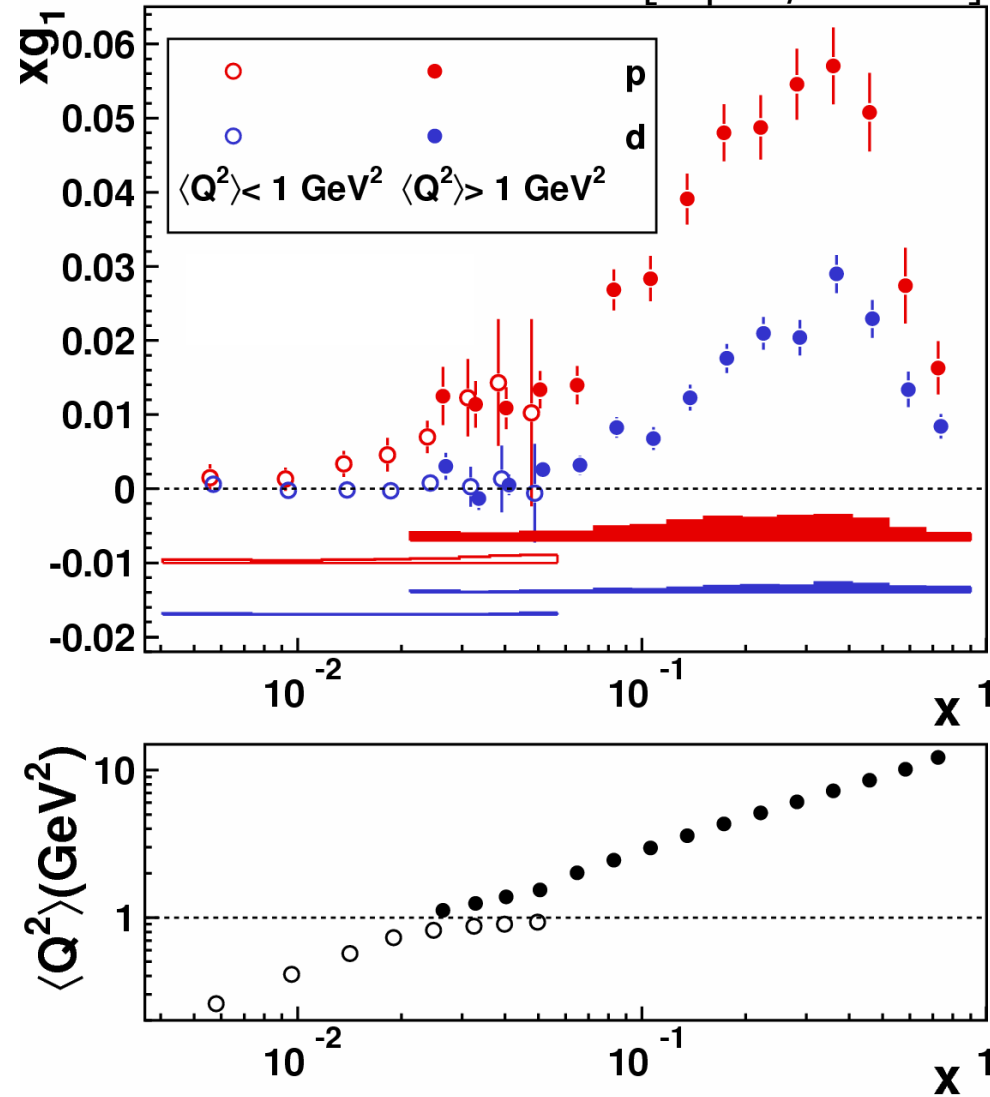


- • final results on  $g_1$  for the proton and deuteron  
• flavour decomposition of  $\Delta q$  → talks by L.DeNardo, H.Jackson
- • new result on  $\Delta G$  → talk by P. Liebing
- • news on transversity & friends → talks by M.Diefenthaler, M.Contalbrigo
- • hunting  $\Delta L$ : DVCS, excl.  $\rho^0$  → talks by W.D.Nowak, H.Guler, E. Kinney

# final HERMES result on $g_1$

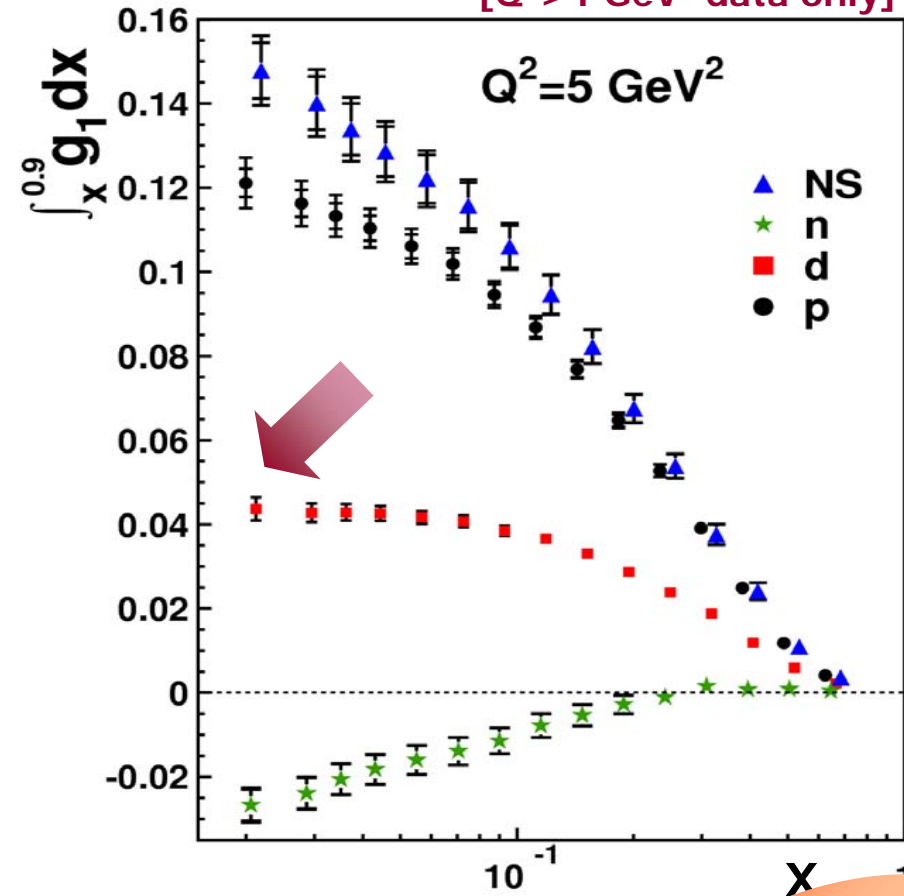
[hep-ex/0609039]

world data



# the integral of $g_1$

[ $Q^2 > 1 \text{ GeV}^2$  data only]



→ assume *saturation* of  $\Gamma_1^d$ :

$$a_0^{\overline{\text{MS}}} = \Delta\Sigma \quad \begin{matrix} \text{(theory)} & \text{(exp)} & \text{(evol)} \end{matrix}$$

$$= 0.330 \pm 0.011 \pm 0.025 \pm 0.028$$

**COMPASS:** [hep-ex/0609038]

$$a_0^{\overline{\text{MS}}} = \Delta\Sigma$$

$$= 0.35 \pm 0.03^{\text{(stat)}} \pm 0.05^{\text{(sys+evol)}}$$

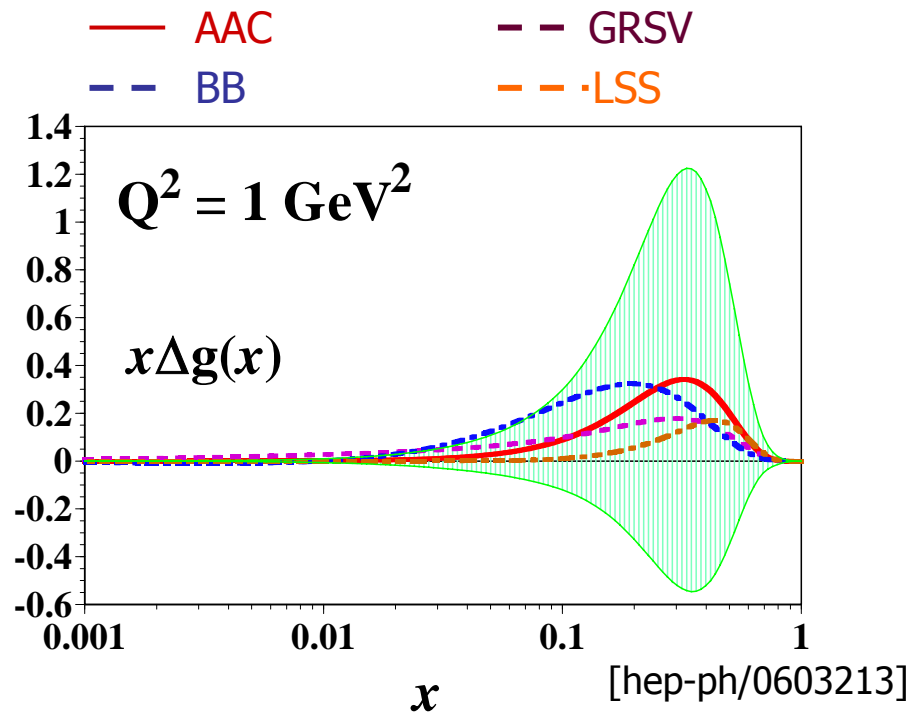
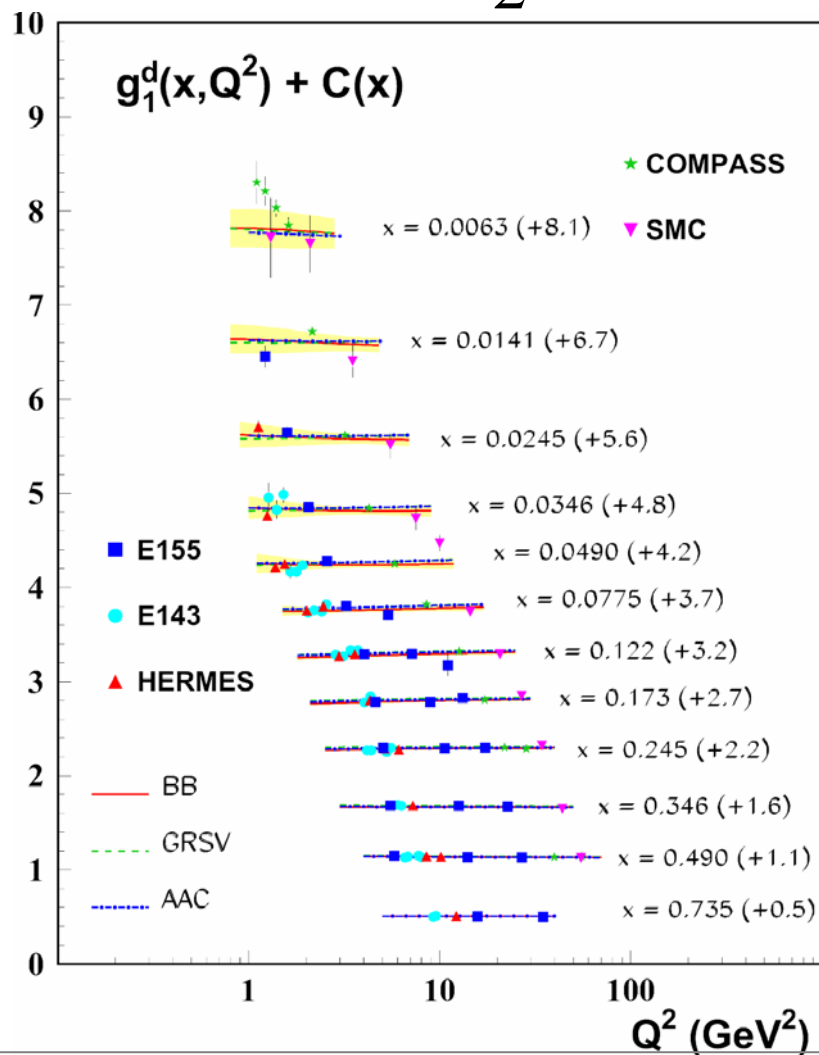
spin crises

...EMC (1988) :  $\Delta\Sigma = 0.12 \pm 0.17$



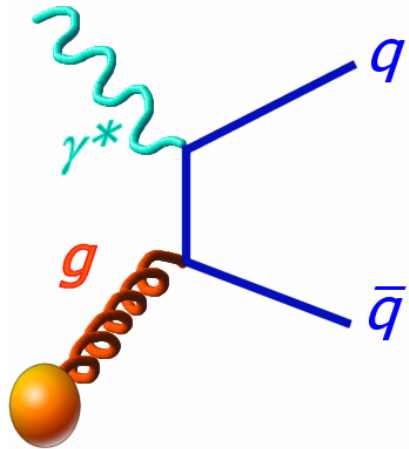
# news on $\Delta G$

$$g_1^{\text{NLO}}(x, Q^2) = g_1^{\text{LO}} + \frac{1}{2} \langle e^2 \rangle \sum_q e_q^2 [\Delta q(x, Q^2) \otimes C_q + \Delta g(x, Q^2) \otimes C_g]$$

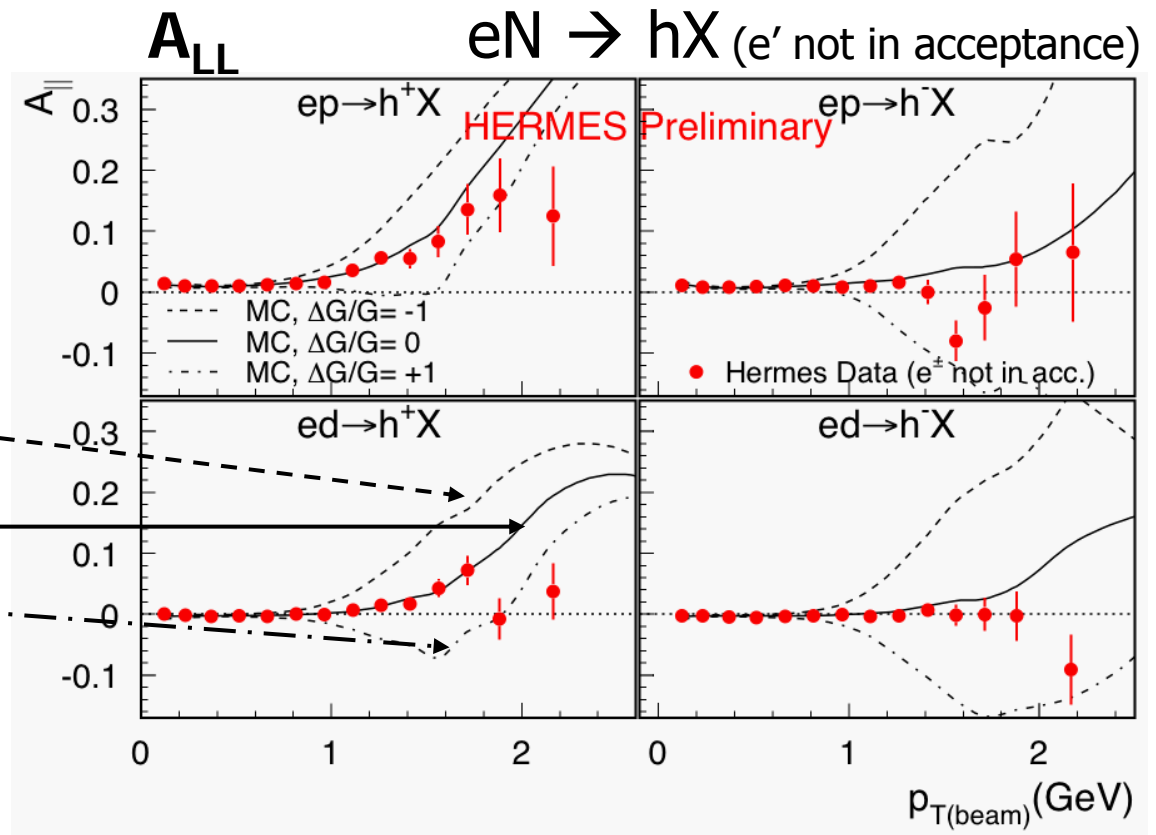


→ need *more direct* probes

# direct measurement of $\Delta G$



- **golden channel: charm production**
- @HERMES: hadron production at high  $P_T$



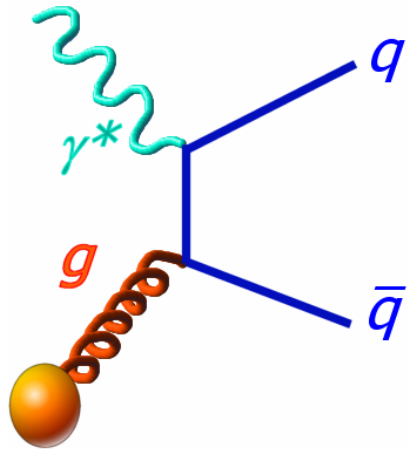
PythiaMC:

$$\Delta g/g = -1$$

$$\Delta g/g = 0$$

$$\Delta g/g = +1$$

# direct measurement of $\Delta G$



- **golden channel: charm production**

- @HERMES: hadron production at high  $P_T$

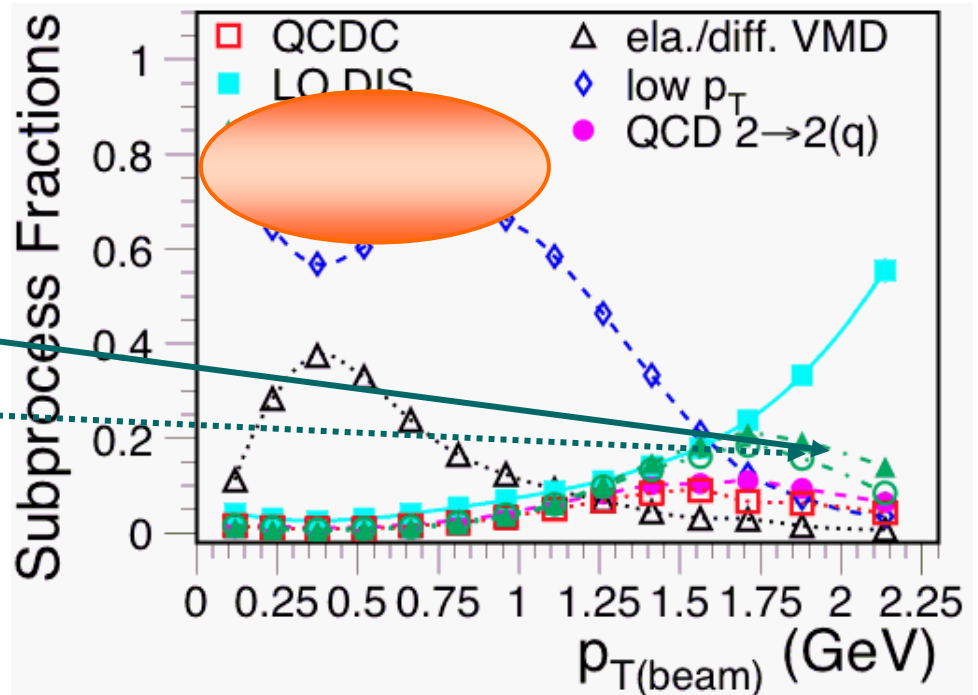
$ed \rightarrow h^\pm X$  : direct, resolved, soft processes

signal processes:

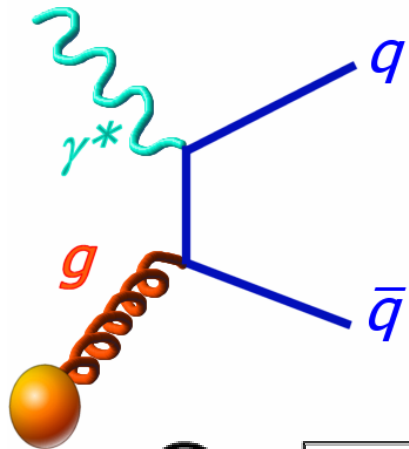
PGF

QCD  $2 \rightarrow 2(g)$

$$A_{\parallel} = r^{\text{bg}} A_{\parallel}^{\text{bg}} + r^{\text{sig}} A_{\parallel}^{\text{sig}}$$



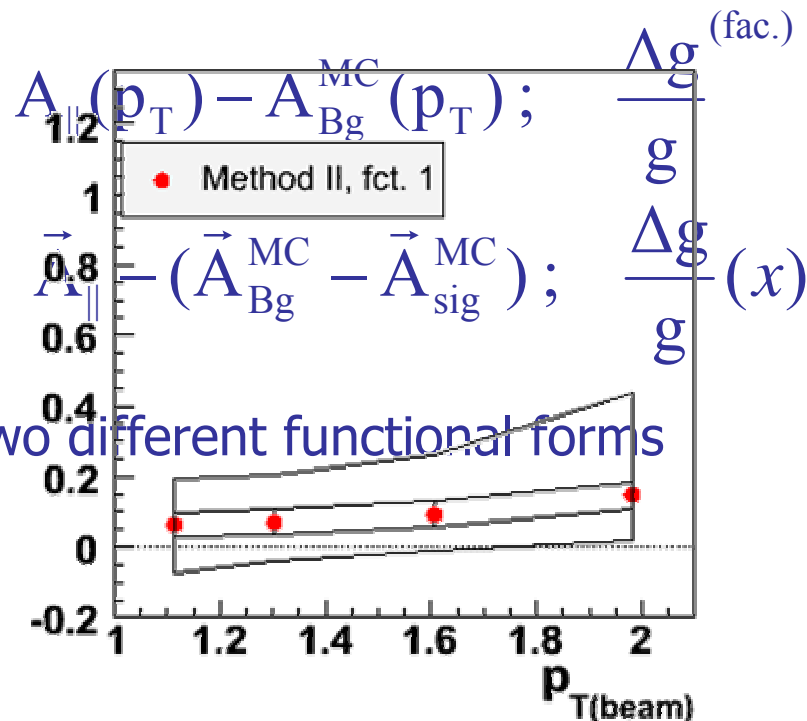
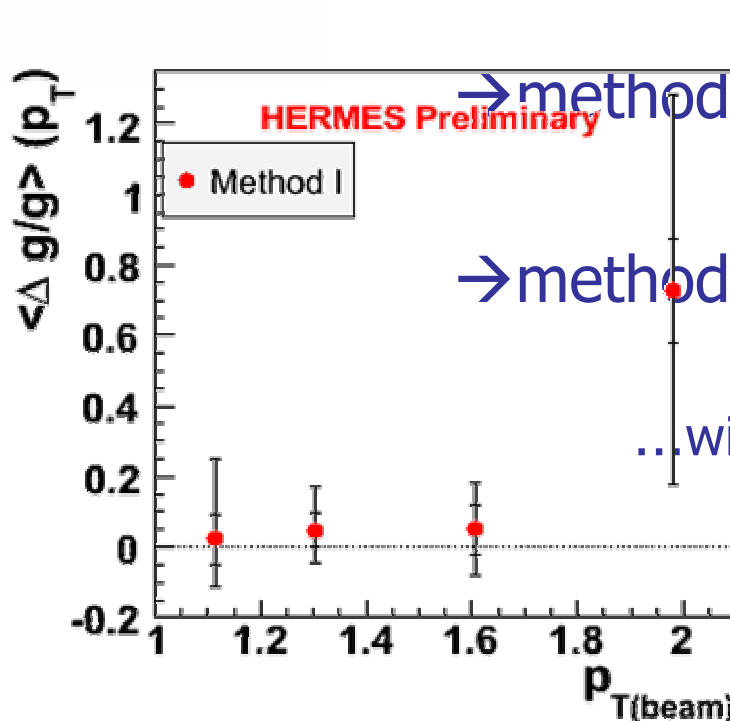
# direct measurement of $\Delta G$



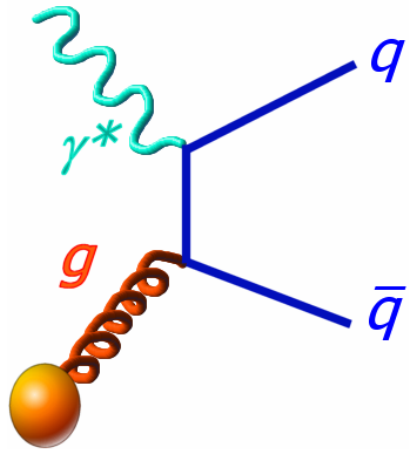
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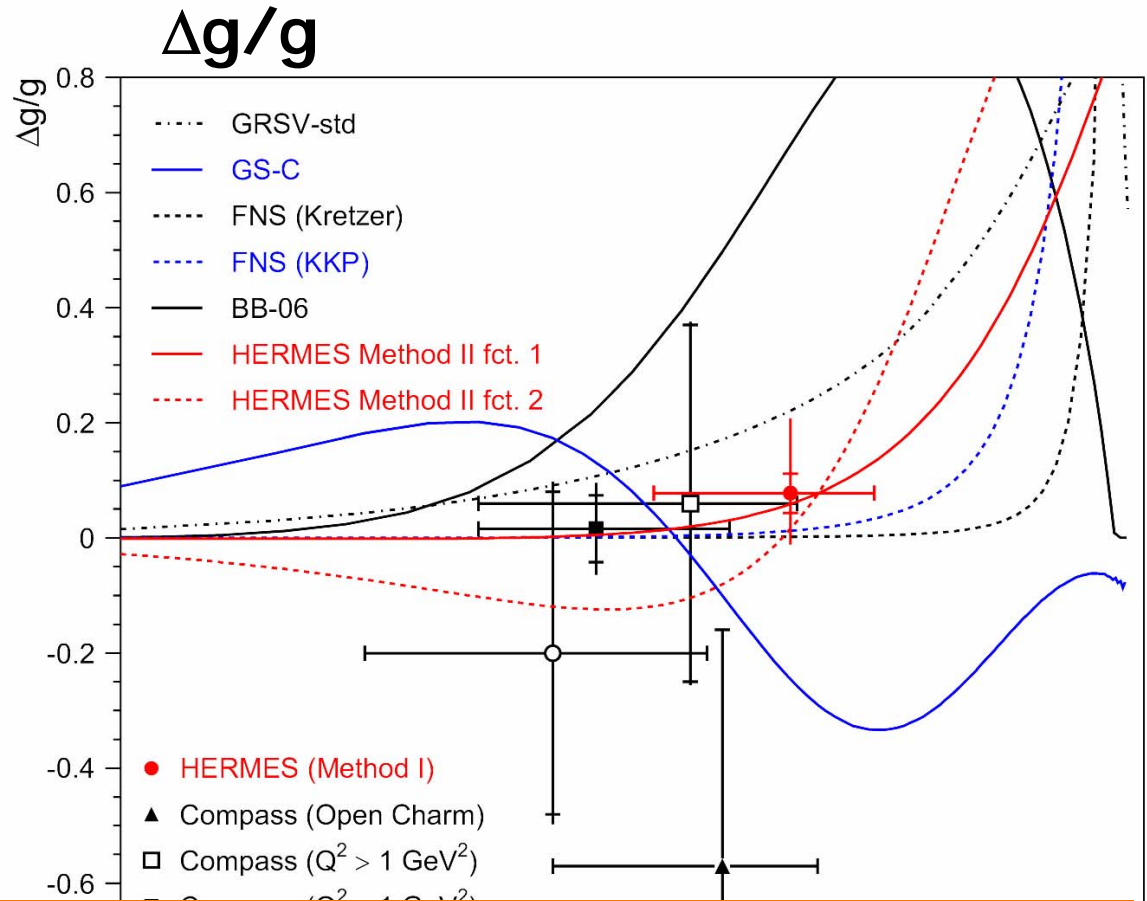


# direct measurement of $\Delta G$



$$\langle \mu^2 \rangle = 1.35 \text{ GeV}^2$$

$$\langle x_g \rangle = 0.22$$



$$\frac{\Delta g}{g}(x, \mu^2) = 0.071 \pm 0.034^{(stat)} \pm 0.010^{(sys-exp)} \begin{matrix} +0.127 \\ -0.105 \end{matrix}^{(sys-model)}$$



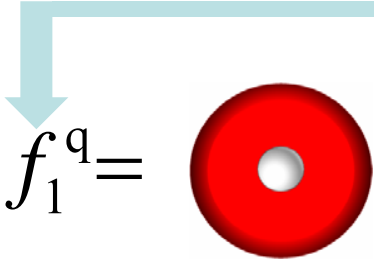
# quark structure of the nucleon

$$\Phi_{\text{Corr}}^{\text{Tw2}}(x) = \frac{1}{2} \left\{ f_1(x) + S_L g_1(x) \gamma_5 + h_1(x) \gamma_5 \gamma^1 S_T \right\} n^+$$

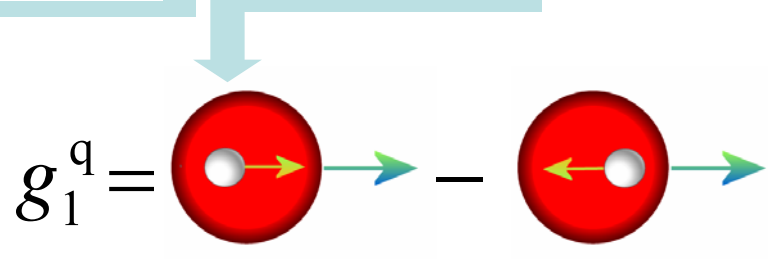


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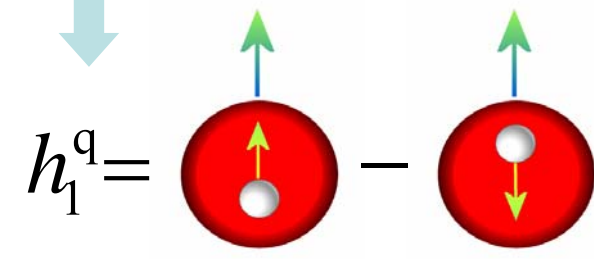
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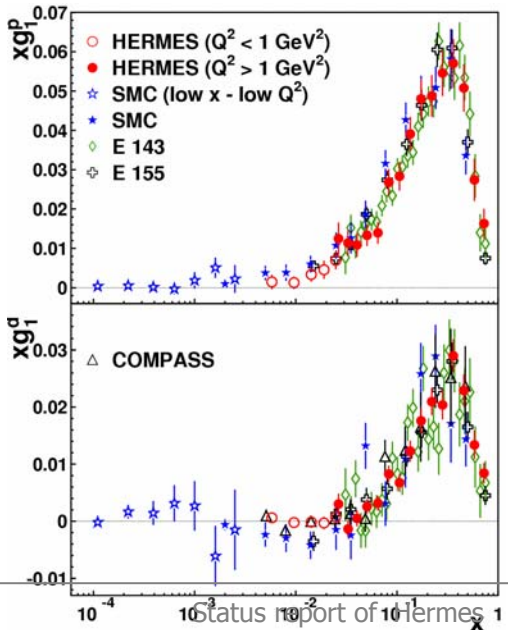
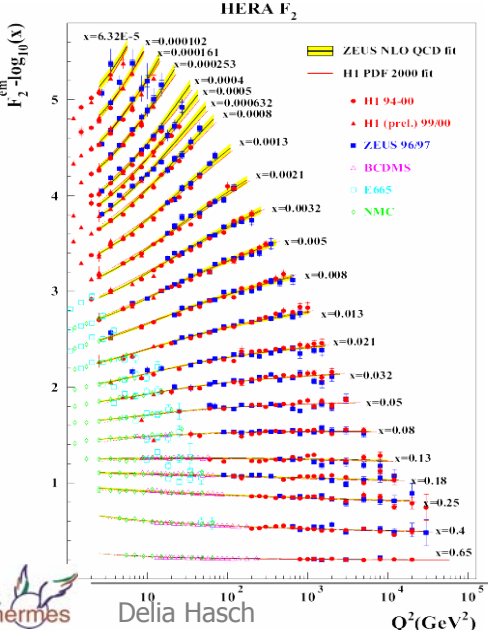
$f_1^q =$   
unpolarised quarks and nucleons



$g_1^q =$   
longitudinally polarised quarks and nucleons



$h_1^q =$   
transversely polarised quarks and nucleons



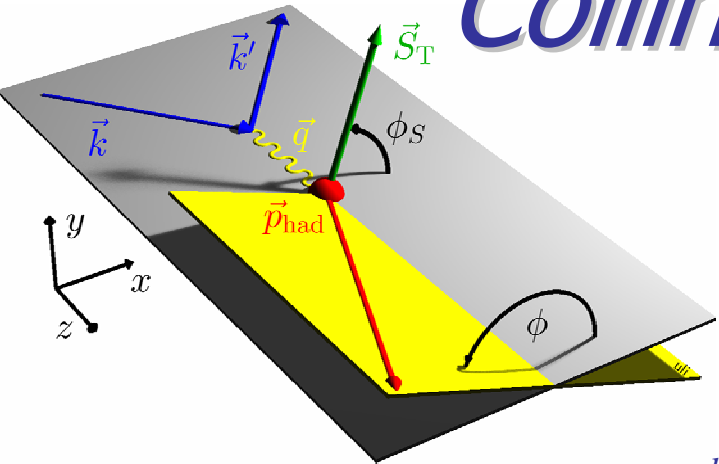
$h_1(x)$ : helicity flip

chiral-odd  $\rightarrow$  needs a chiral odd partner:

SIDIS: COLLINS-FF  $\rightarrow$  azimuthal asymmetry  $A_{UT}$



# Collins and Sivers moments



$$A_{UT}^h(\phi, \phi_S) = \frac{1}{|S_T|} \frac{N_h^\uparrow(\phi, \phi_S) - N_h^\downarrow(\phi, \phi_S)}{N_h^\uparrow(\phi, \phi_S) + N_h^\downarrow(\phi, \phi_S)} =$$

$$\approx 2 \langle \sin(\phi + \phi_S) \rangle_{UT}^h \sin(\phi + \phi_S) + 2 \langle \sin(\phi - \phi_S) \rangle_{UT}^h \sin(\phi - \phi_S) + \dots$$

distinctive signature

Collins moment

$$\propto h_1(x) H_1^{\perp q}(z)$$

Sivers moment

$$\propto f_{1T}^{\perp q}(x) D_1^q(z)$$

- naïve T-odd DF
- requires *orbital angular momentum*

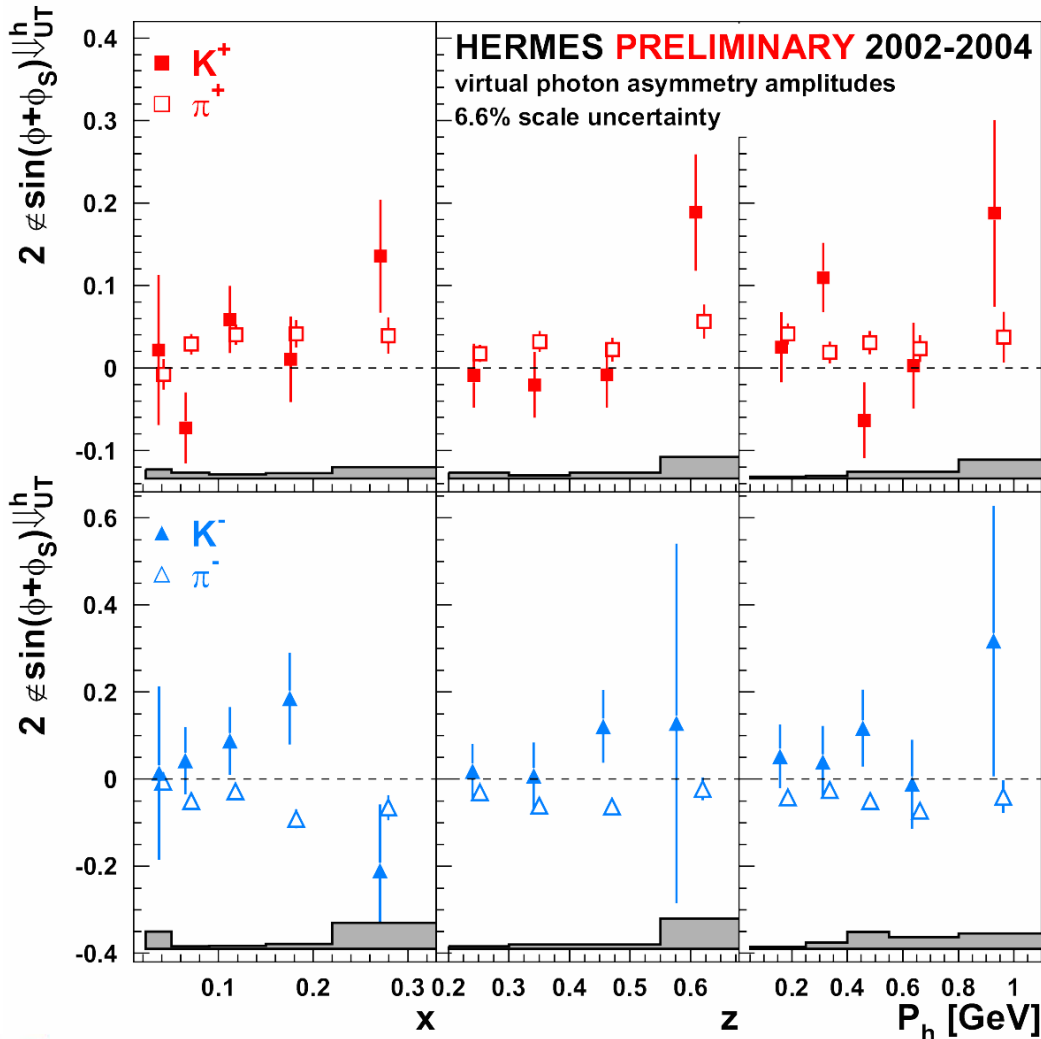
Collins and Sivers moments extracted by fitting the asymmetry with:

$$A_{UT}^{\text{Fit}}(\phi, \phi_S) = P(1) \sin(\phi + \phi_S) + P(2) \sin(\phi - \phi_S) + \dots$$



# Collins moments $\pi^{+/-}$ & $K^{+/-}$

$$A_{\text{coll}}(\phi + \phi_S) \propto h_1^q(x) H_1^{\perp q}(z)$$



- significantly *positive*  $\pi^+$  and *negative*  $\pi^-$  asymmetries
- *unexpected large*  $\pi^-$   
→ role of *unfavoured* fragmentation function?

$$H_1^{\perp}(z)_{\text{unfav.}} \approx -H_1^{\perp}(z)_{\text{fav.}}$$

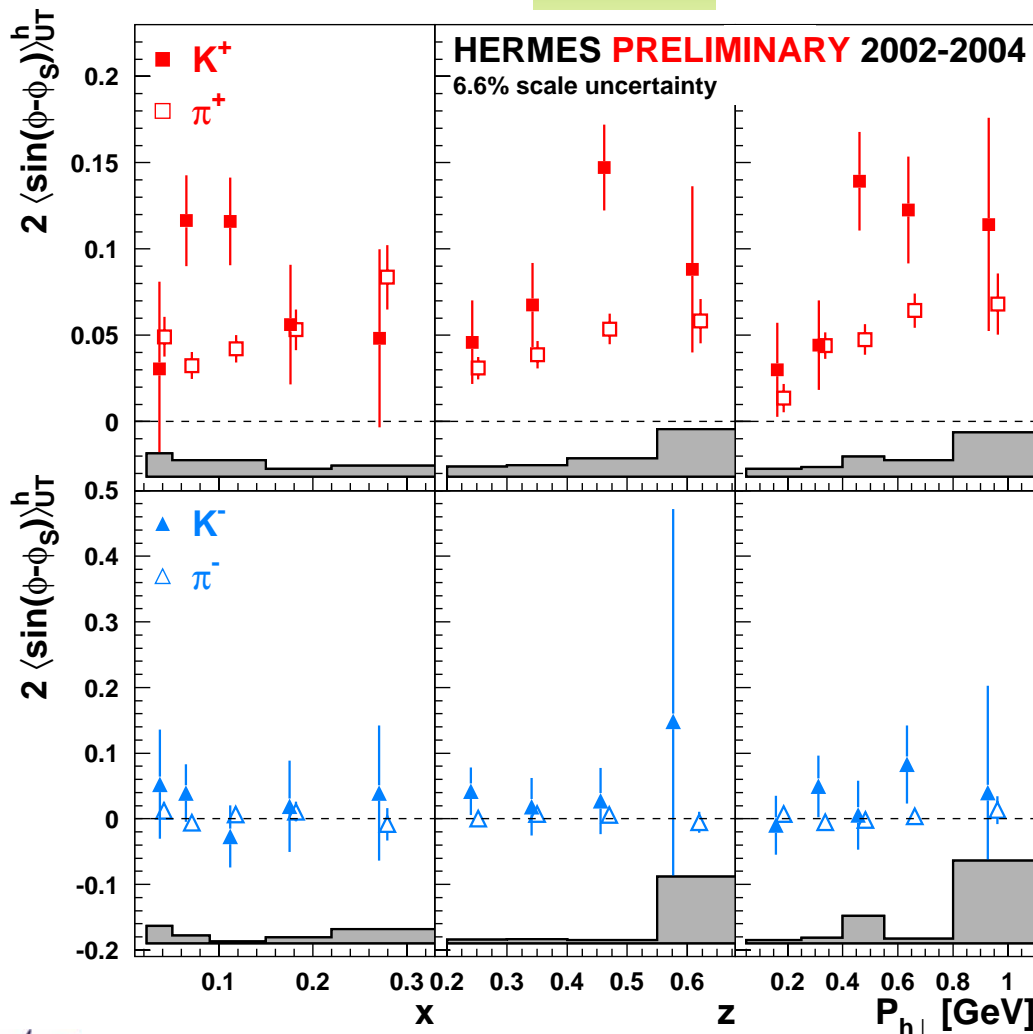
$K^{+/-}$  amplitudes consistent to  $\pi^{+/-}$

- u-quark dominance:

*CollinsFF* similar for pions and kaons ?

# Sivers moments $\pi^{+/-}$ & $K^{+/-}$

$$A_{\text{SIV}}(\phi - \phi_S) \propto f_{1T}^\perp(x) D_1(z)$$



- significantly positive  $\pi^+$  and  $K^+$  moments

$K^+ > \pi^+$  in some bins

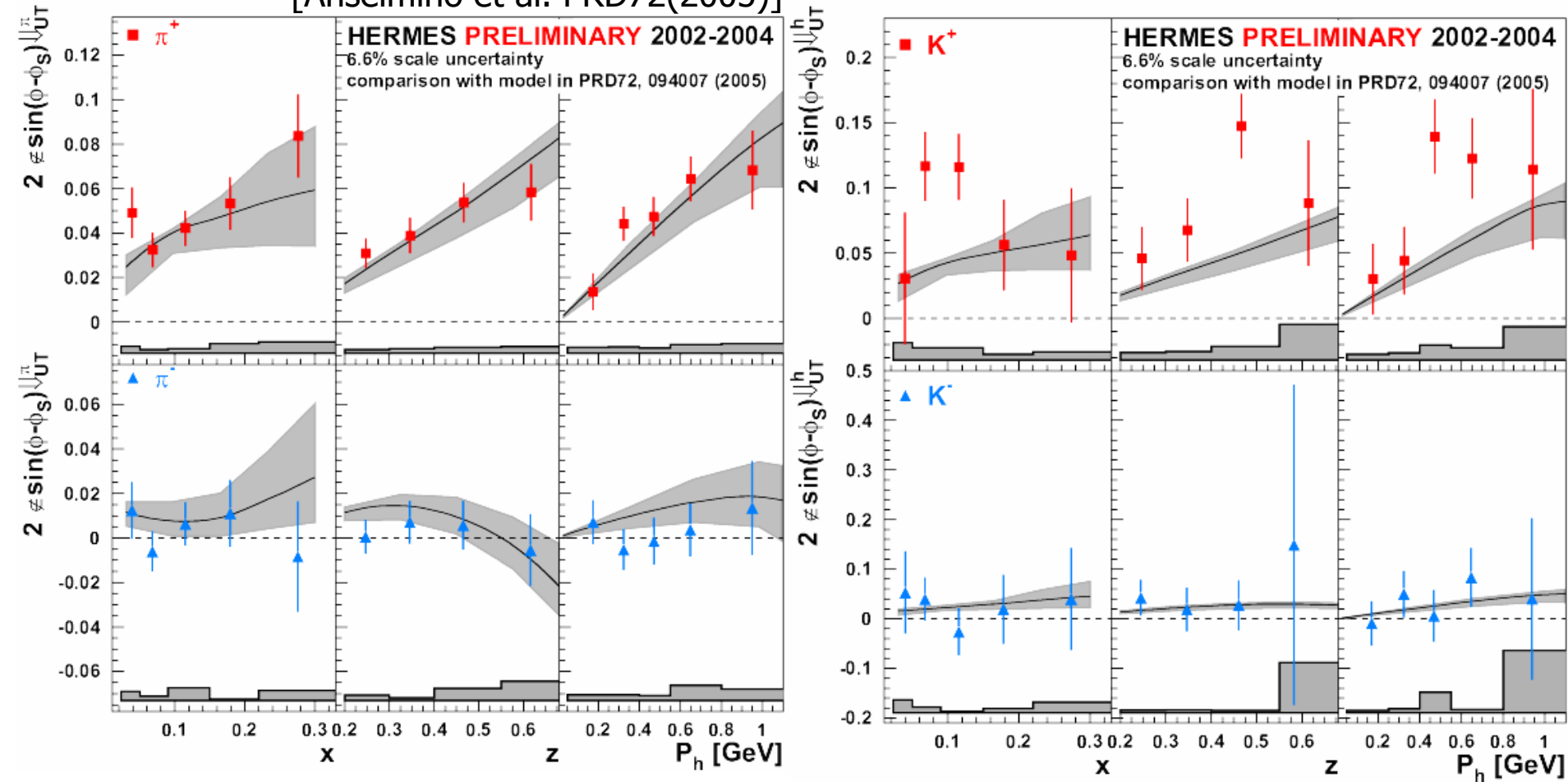
→ *sea quark* contribution to Sivers moment  
? important ?

# Sivers moments $K^{+/-}$

→ pion data fitted

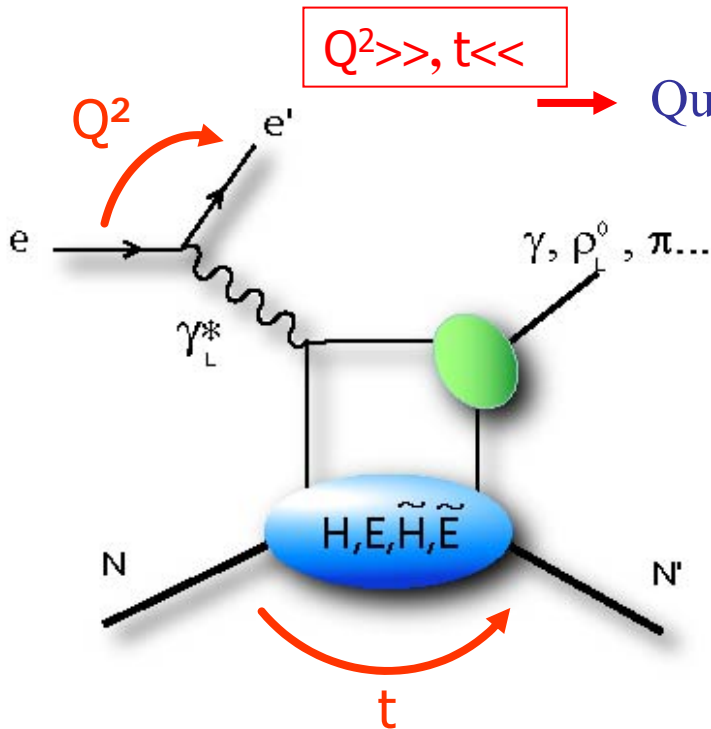
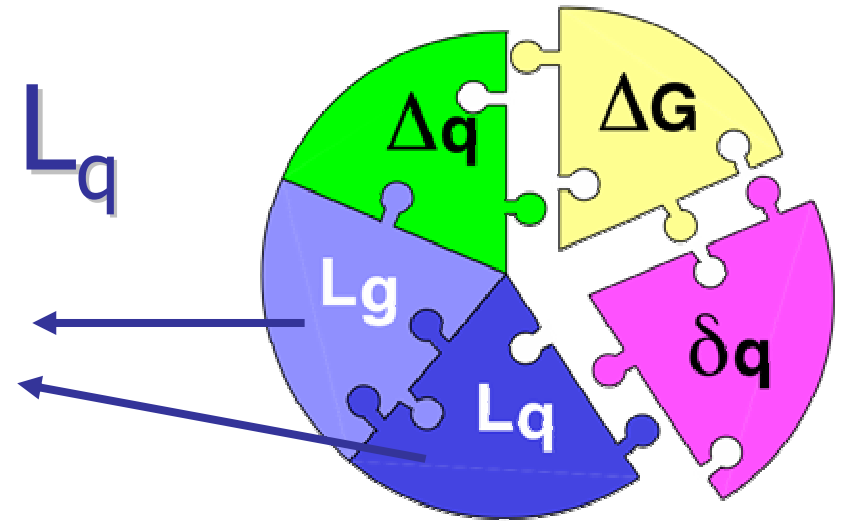
→ kaon asymmetries predicted

[Anselmino et al. PRD72(2005)]



# hunting for $L_q$

→ hard exclusive processes:  
Generalised Parton Distributions



$Q^2 \gg, t \ll$

Quantum number of final state selects different GPDs:

Vector mesons ( $\rho, \omega, \phi$ ):  $\mathbf{H} \ \mathbf{E}$

Pseudoscalar mesons ( $\pi, \eta$ ):  $\tilde{\mathbf{H}} \ \tilde{\mathbf{E}}$

DVCS ( $\gamma$ ) depends on  $\mathbf{H}, \mathbf{E}, \tilde{\mathbf{H}}, \tilde{\mathbf{E}}$  ←

$$\int (\mathbf{H} + \mathbf{E}) \mathbf{x} \, d\mathbf{x} = \mathbf{J}_q$$

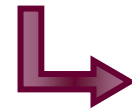
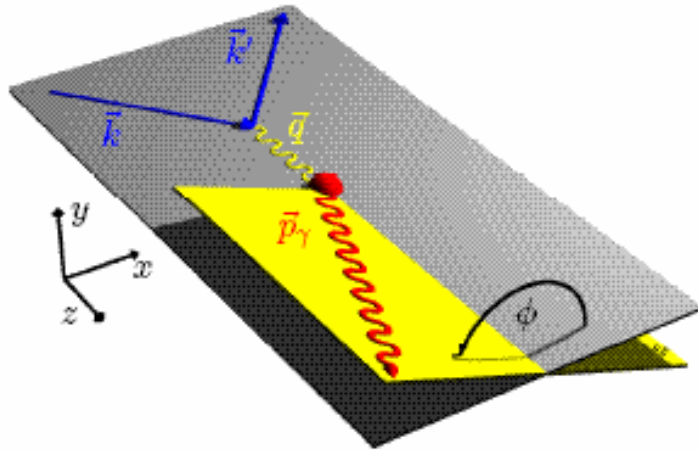
$$= \frac{1}{2} \Delta \Sigma + \mathbf{L}_z$$

10-30% (DIS)



# Deeply Virtual Compton Scattering

$$d\sigma \propto |\tau_{\text{BH}}|^2 + |\tau_{\text{DVCS}}|^2 + (\tau_{\text{BH}}^* \tau_{\text{DVCS}} + \tau_{\text{DVCS}}^* \tau_{\text{BH}})$$



DVCS-BH interference leads to non-zero *azimuthal* asymmetry

$$I \sim \Delta\sigma$$

@HERMES:

→ different charges:  $e^+ e^-$  (*only @HERA!*):

$$\Delta\sigma_c$$

→ polarisation observables:

$$\Delta\sigma_{\text{UL}}, \Delta\sigma_{\text{UT}},$$

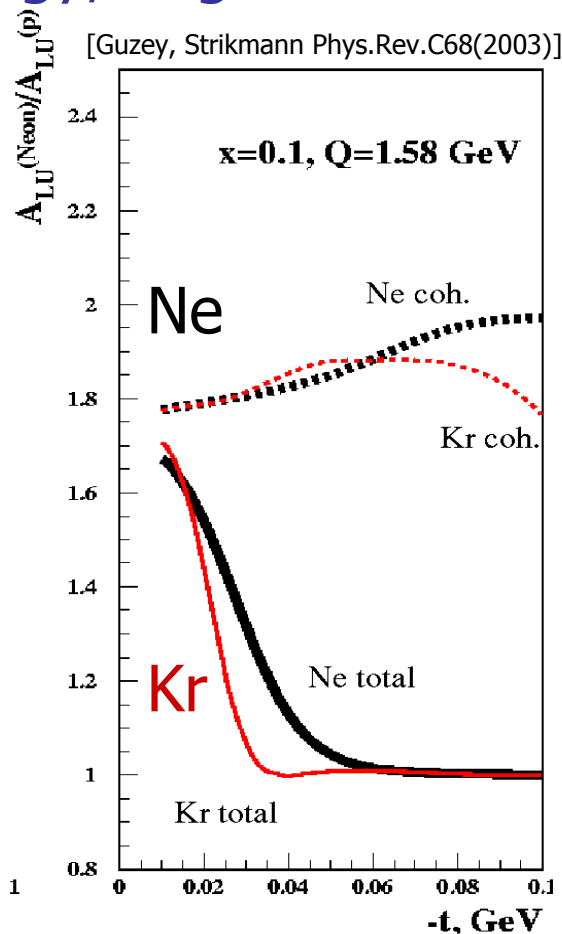
$\swarrow$        $\searrow$   
 beam      target

$$\Delta\sigma_{\text{LU}}$$

@nuclear targets

# DVCS $A_{LU}$ on nuclear targets

GPDs modification in nuclear matter: spatial distribution of energy, angular momentum and shear forces inside the nuclei



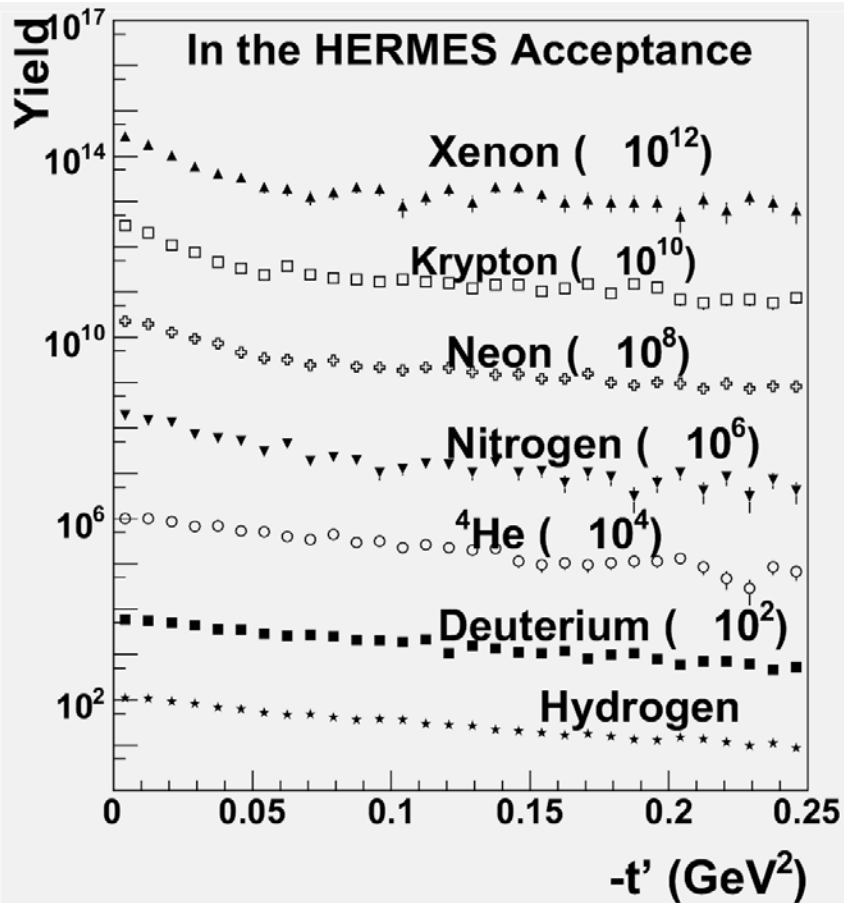
$$\frac{A_{LU, \text{nucleus}}^{\sin\varphi}}{A_{LU, \text{proton}}^{\sin\varphi}} \propto A^{-0.03}$$

[Guzey, Siddikov, J.Phys.G32(2006)]

$\rightarrow (1.85 \dots 1.95)$  for  $A=12 \dots 90$

# DVCS on nuclear targets

GPDs modification in nuclear matter: spatial distribution of energy, angular momentum and shear forces inside the nuclei



$$\frac{A_{\text{LU, nucleus}}^{\sin\phi}}{A_{\text{LU, proton}}^{\sin\phi}} \propto A^{-0.03}$$

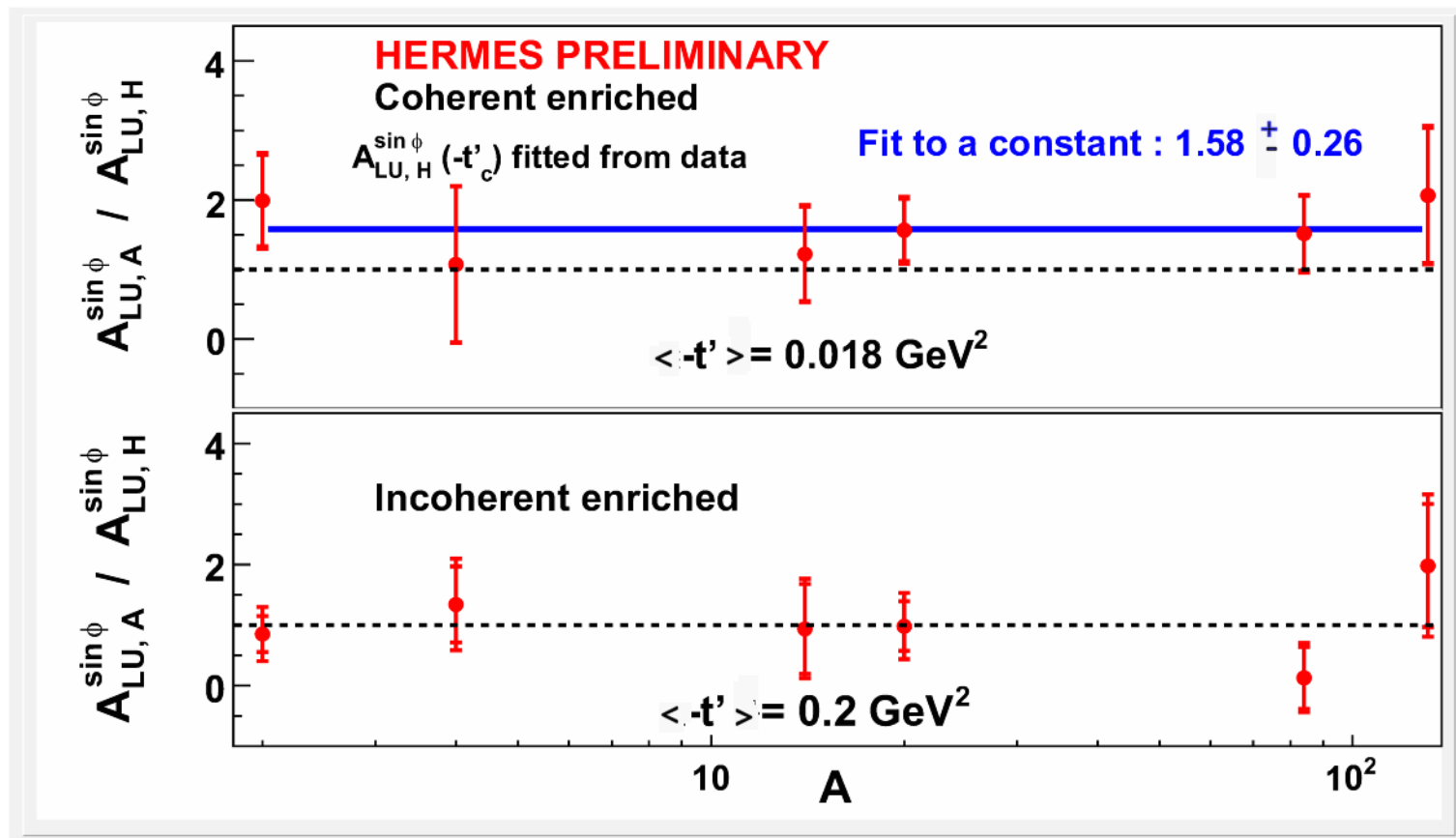
[Guzey, Siddikov, J.Phys.G32(2006)]

→ (1.85...1.95) for  $A=12...90$

- small  $-t'$ : 'coherent enriched'
- large  $-t'$ : 'incoherent enriched'

# DVCS on nuclear targets

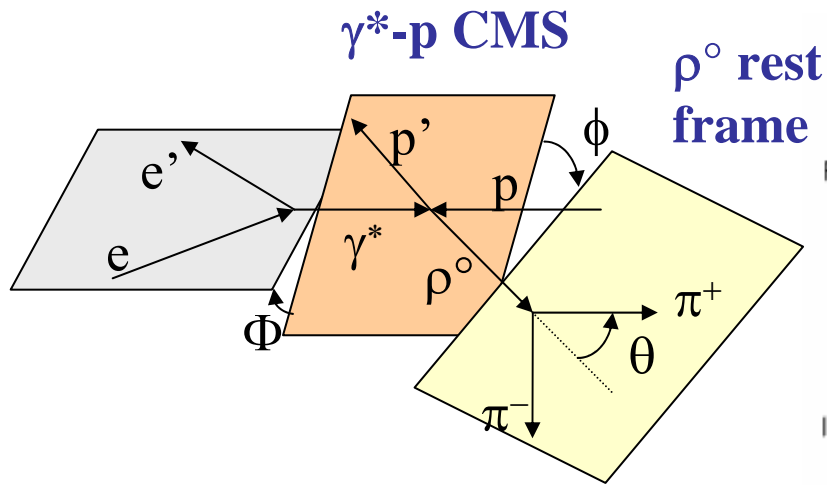
→ 'coherent enriched' :  $2\sigma$  deviation from unity:  $1.58 \pm 0.26$   
 (>80% for all  $A > ^4\text{He}$ ) ...in good agreement with models



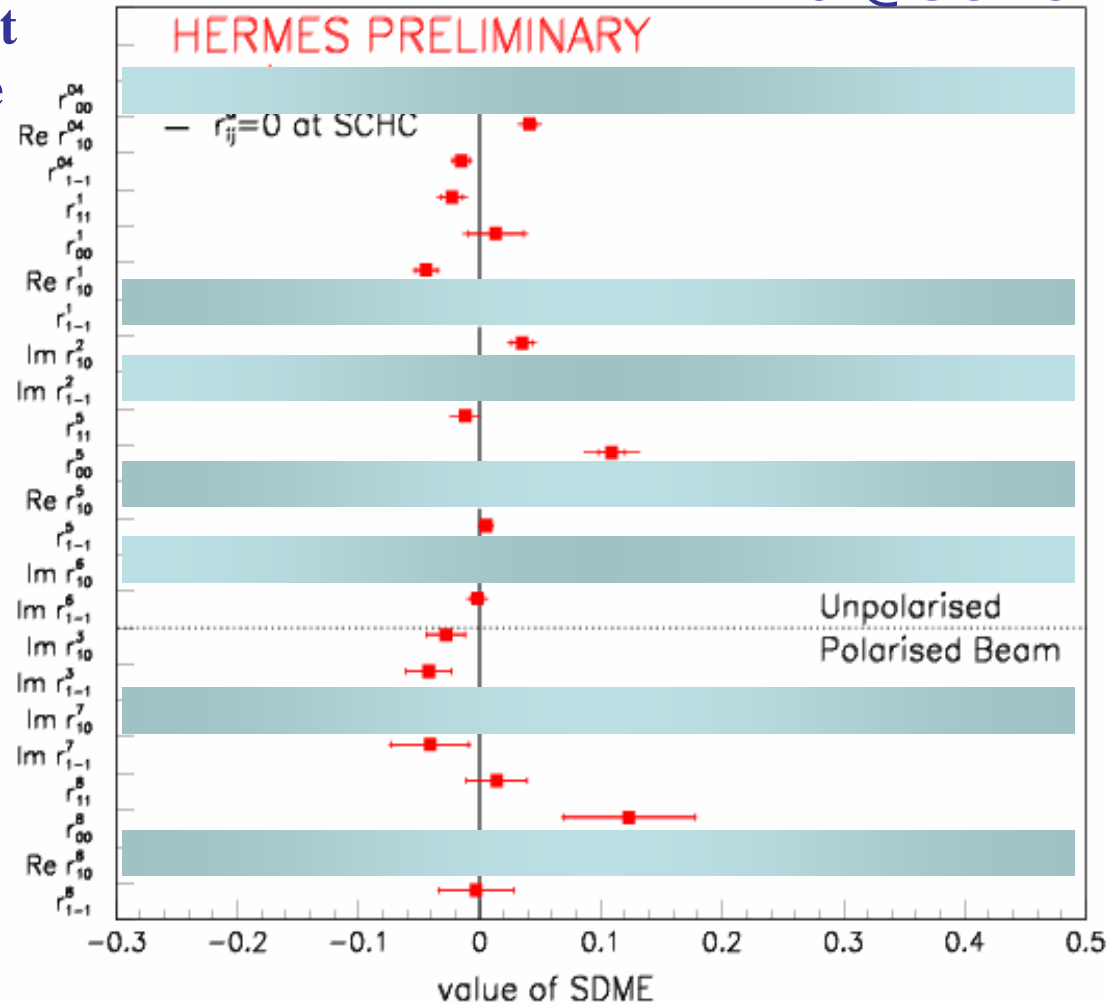


# exclusive $\rho^0$ production

$r \neq 0$  @SCHC

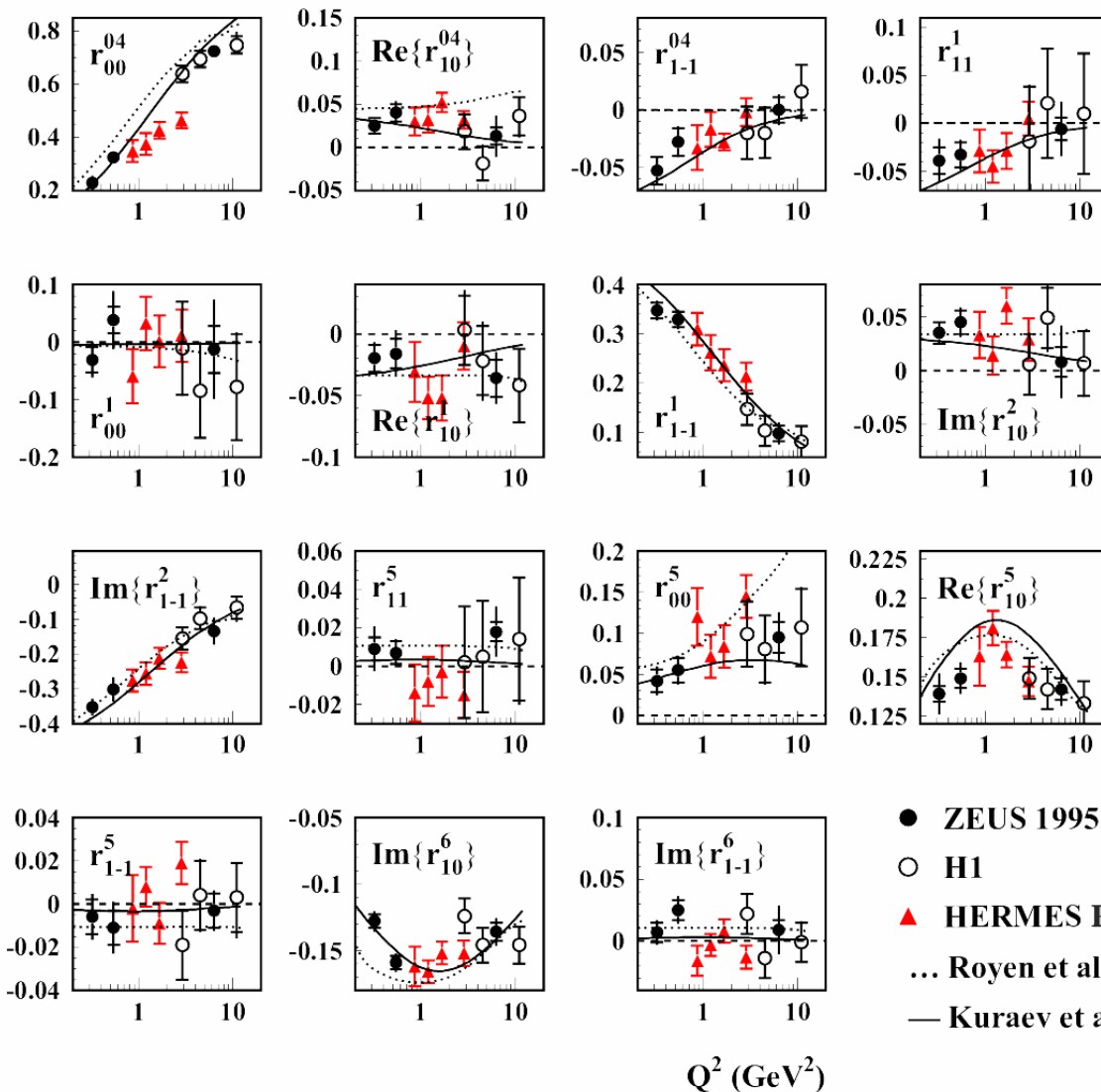


15 unpolarised and  
**8 polarised** Spin Density  
 Matrix Elements  $r_{ij}^{kl}$   
 $\langle W \rangle = 4.8$  GeV



# exclusive $\rho^0$ production

unpolarised HERMES  
SDMEs  
compared to Zeus, H1



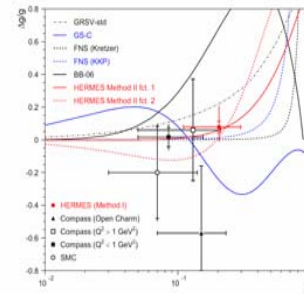
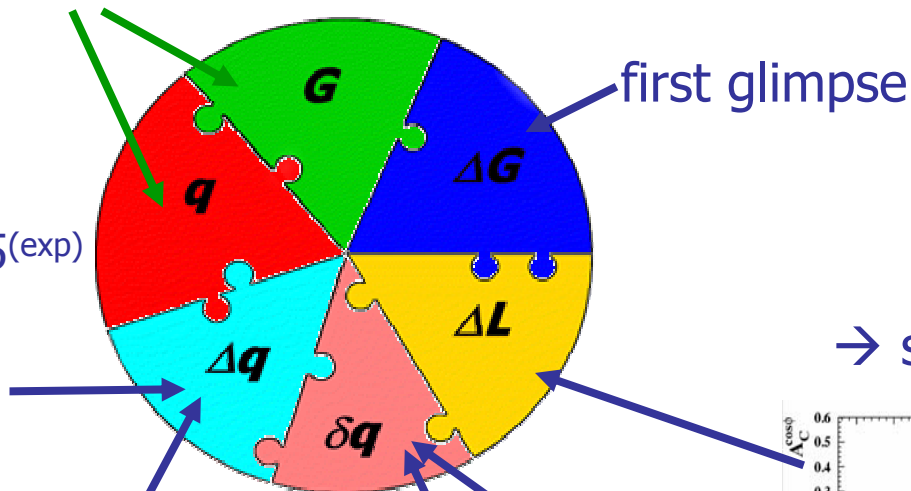
- ZEUS 1995
- H1
- ▲ HERMES PRELIMINARY
- ... Royen et al.
- Kuraev et al.

# HERMES view at the nucleon spin structure

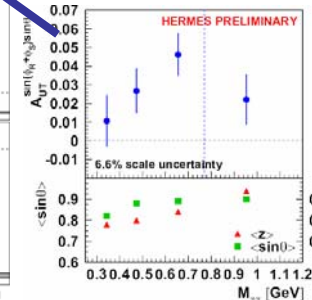
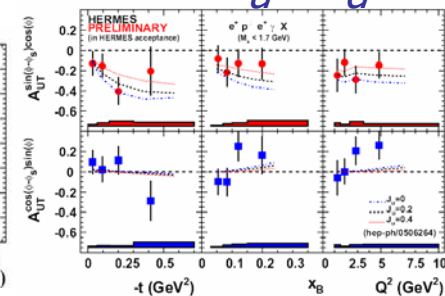
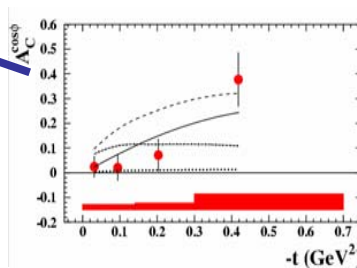
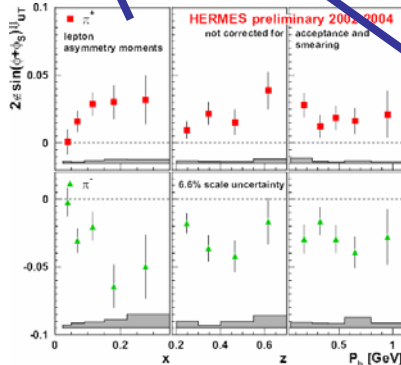
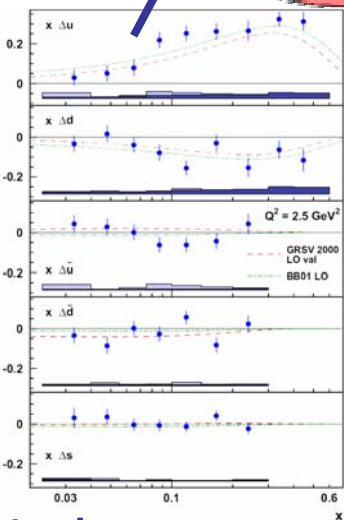
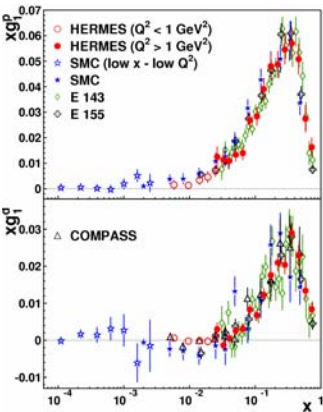
from unpolarised DIS

polarised DIS + HERMES:

$\rightarrow a_0$   
 $= 0.330 \pm 0.025 (\text{exp})$



$\rightarrow$  signals of GPDs  $\rightarrow J_u + J_d$



$\rightarrow$  direct flavour decomp.

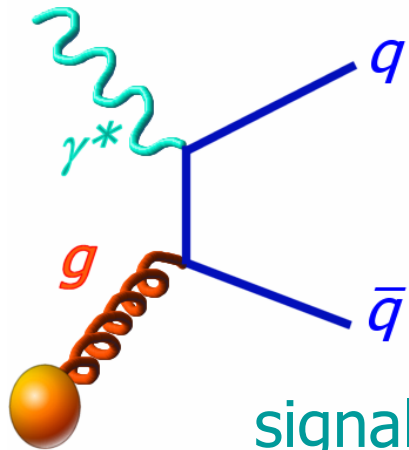
$\rightarrow$  new constrain on  $\Delta s$

$\rightarrow$  transversity is non-zero!

$\rightarrow$  first T-odd DF in DIS

# Back-up slides

# direct measurement of $\Delta G$



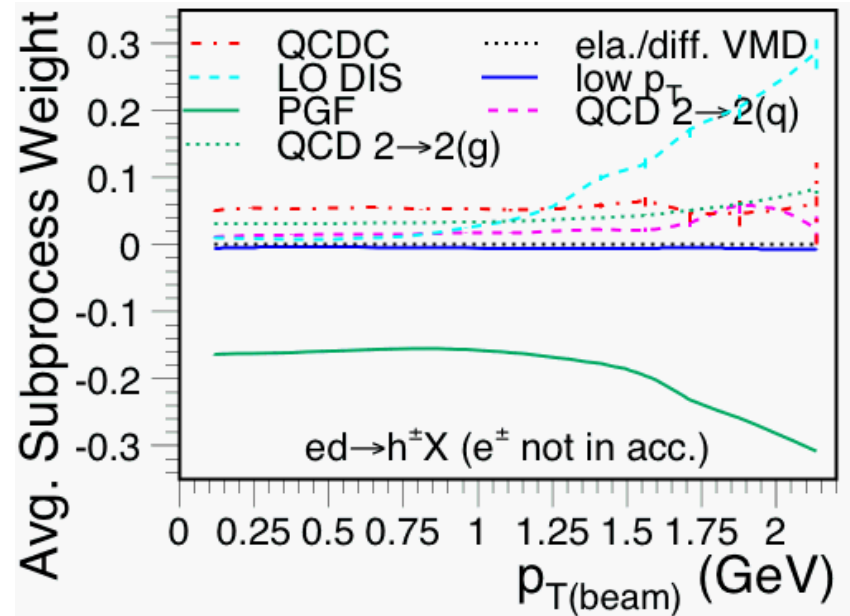
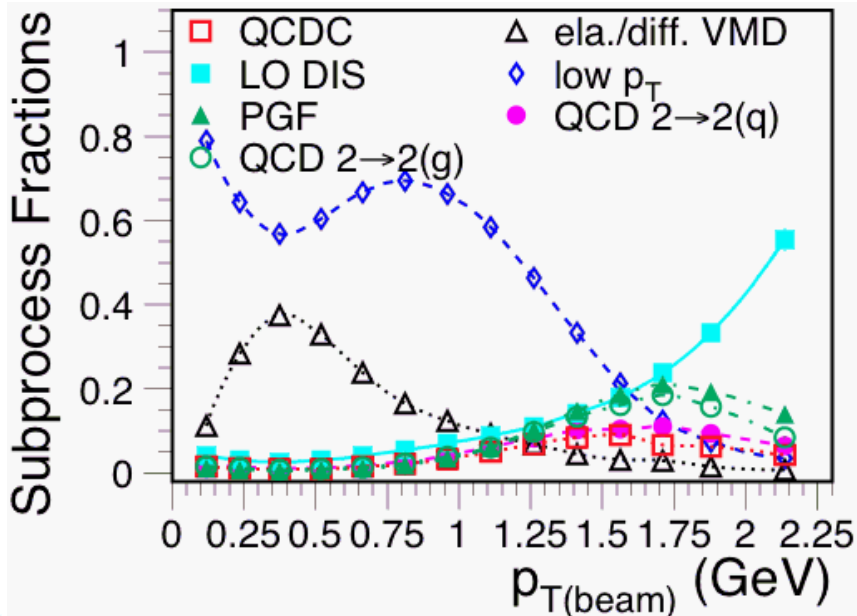
- **golden channel: charm production**

- @HERMES: hadron production at high  $P_T$

$ed \rightarrow h^\pm X$  : direct, resolved, soft processes

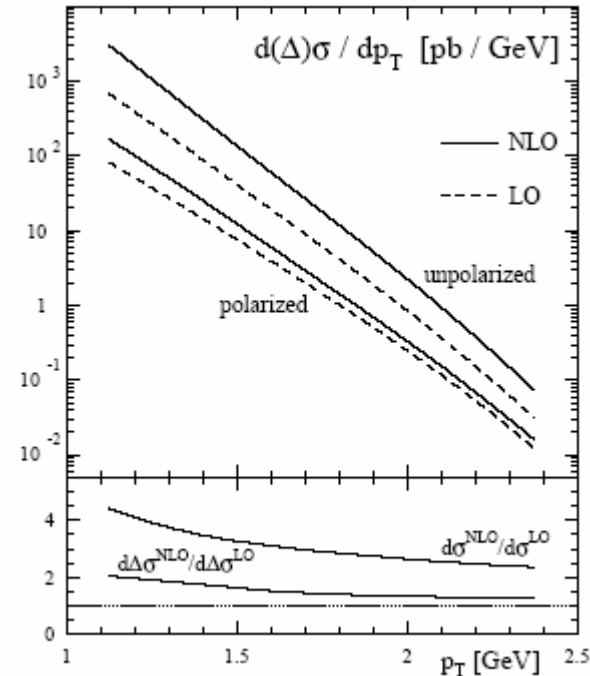
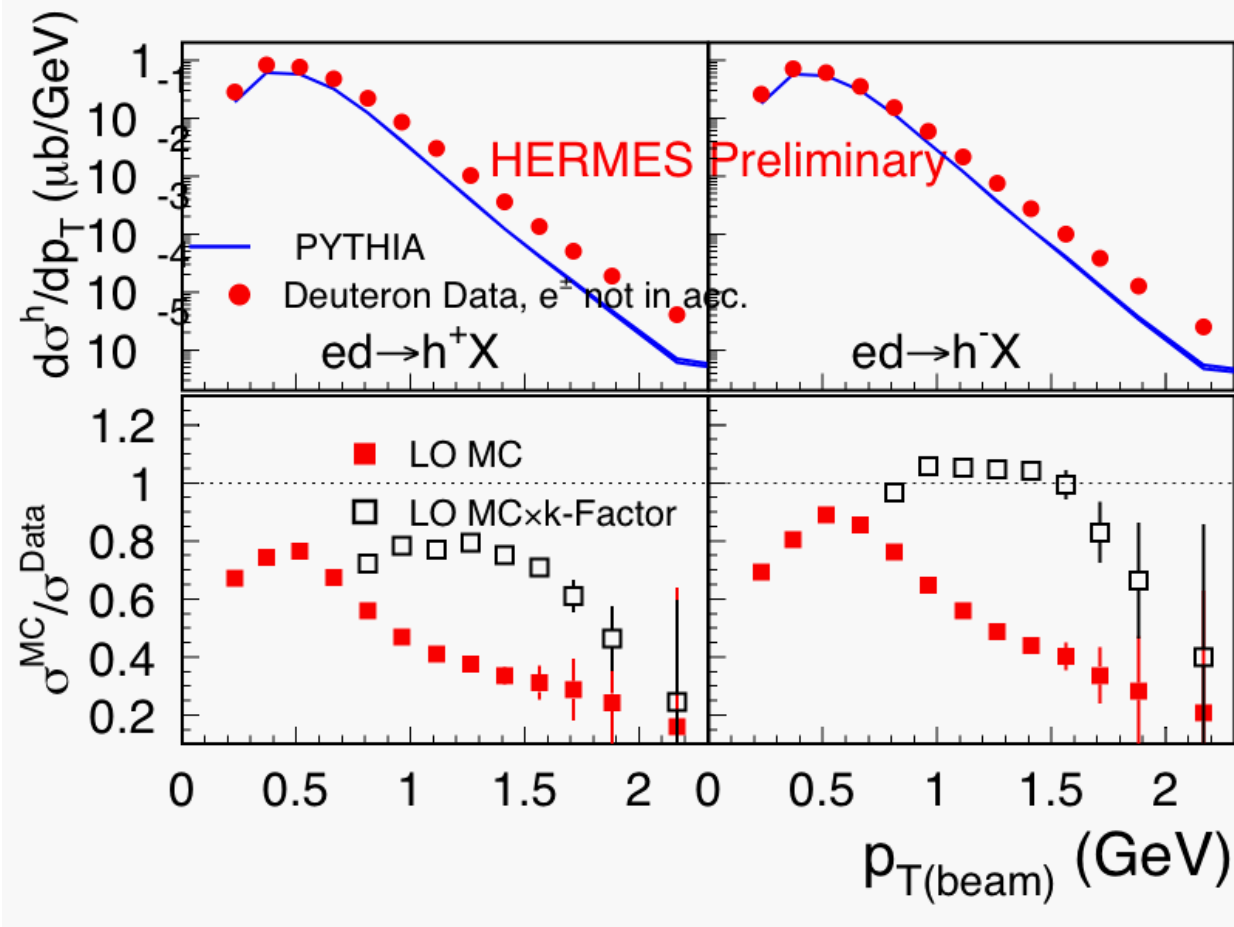
signal processes:

PGF, QCD  $2 \rightarrow 2(g)$



# direct measurement of $\Delta G$

Monte Carlo vs Data:



**K-factors** for hard QCD subprocesses according to B. Jäger et. Al., Eur.Phys. J. C44(2005) 533

# direct measurement of $\Delta G$

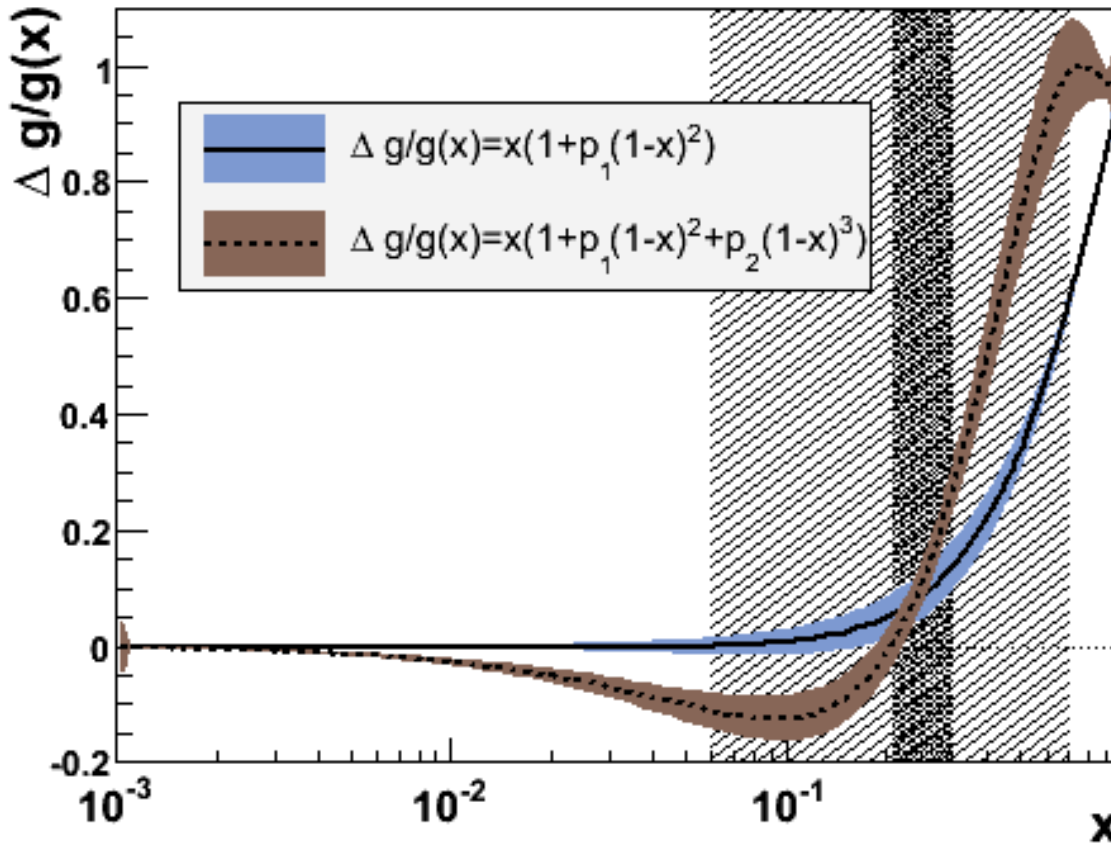
## $\Delta g/g$ Systematics

- Uncertainties from each of 3 (4) groups
  - MC parameters
  - Pol./unpol. PDFs
  - Low- $p_T$  asymmetry
  - (Method 2 only) Fit function choice (1 or 2 params.)

### Summed linearly to “Models” uncertainty

- Hopefully this conservative approach would also cover for the unknown uncertainties due to
  - Using a LO approximation
  - Using Pythia as a model
- Experimental (stat.+syst.) added in quadrature
  - syst. uncertainty from 4% scaling uncertainty 14% on  $\Delta g/g$

# direct measurement of $\Delta G$



## functional forms:

- fix  $\Delta g/g \rightarrow x$  for  $x \rightarrow 0$
- $\Delta g/g \rightarrow 1$  for  $x \rightarrow 1$   
(Brodsky et al.)
- $|\Delta g/g(x)| < 1$  for all  $x$

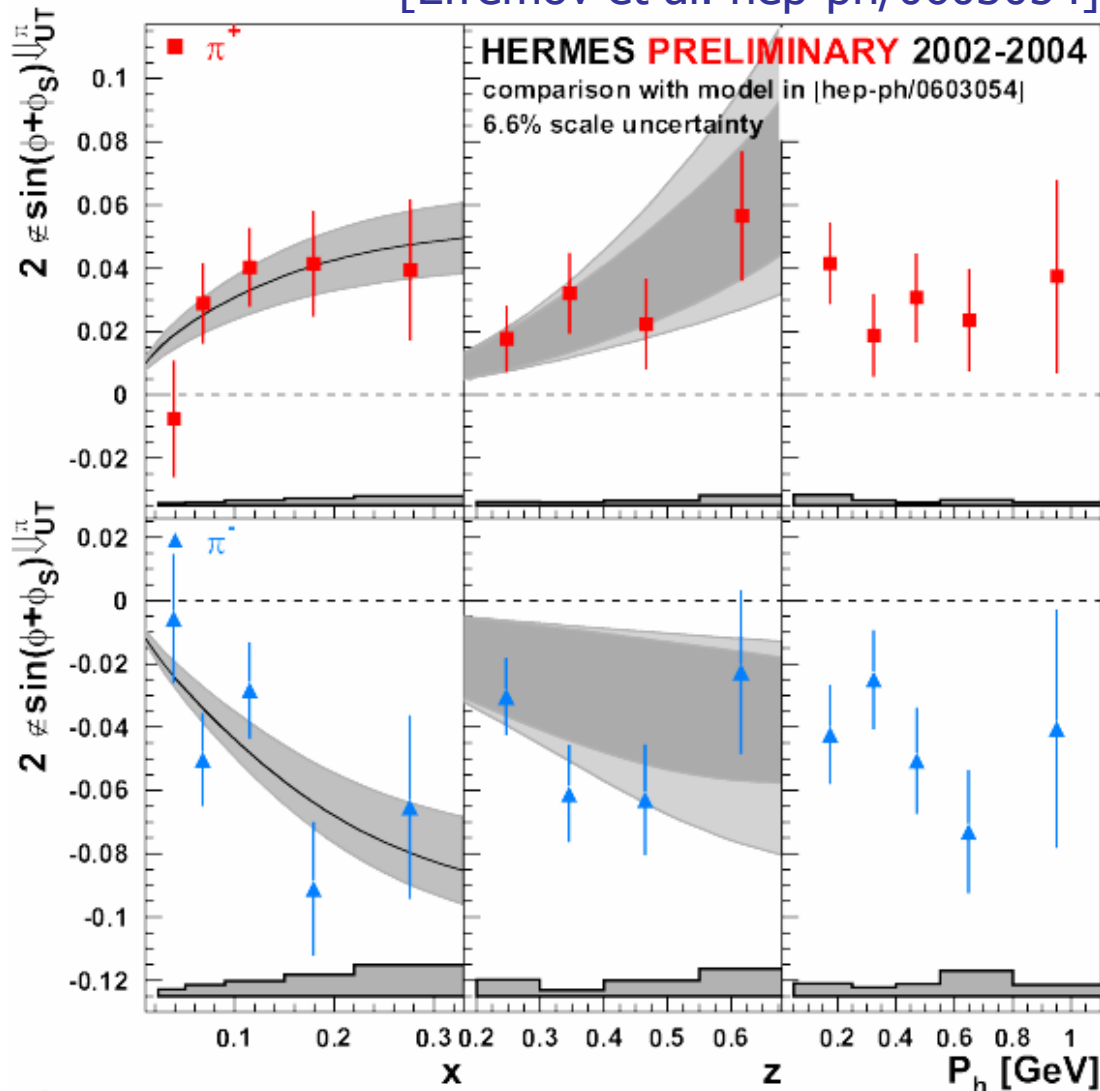
...difference between functions is systematic uncertainty

- light shaded area: range of data
- dark shaded area: center of gravity for fit



# what can we learn from *Collins* $A_{UT}^{\pi}$ ?

[Efremov et al. hep-ph/0603054]



→  $h_1$  from  $\chi$ QSM

→ Collins FF:

**x-dependence:**

Hermes data fitted to obtain parameters for ansatz for *CollinsFF*

**z-dependence:**

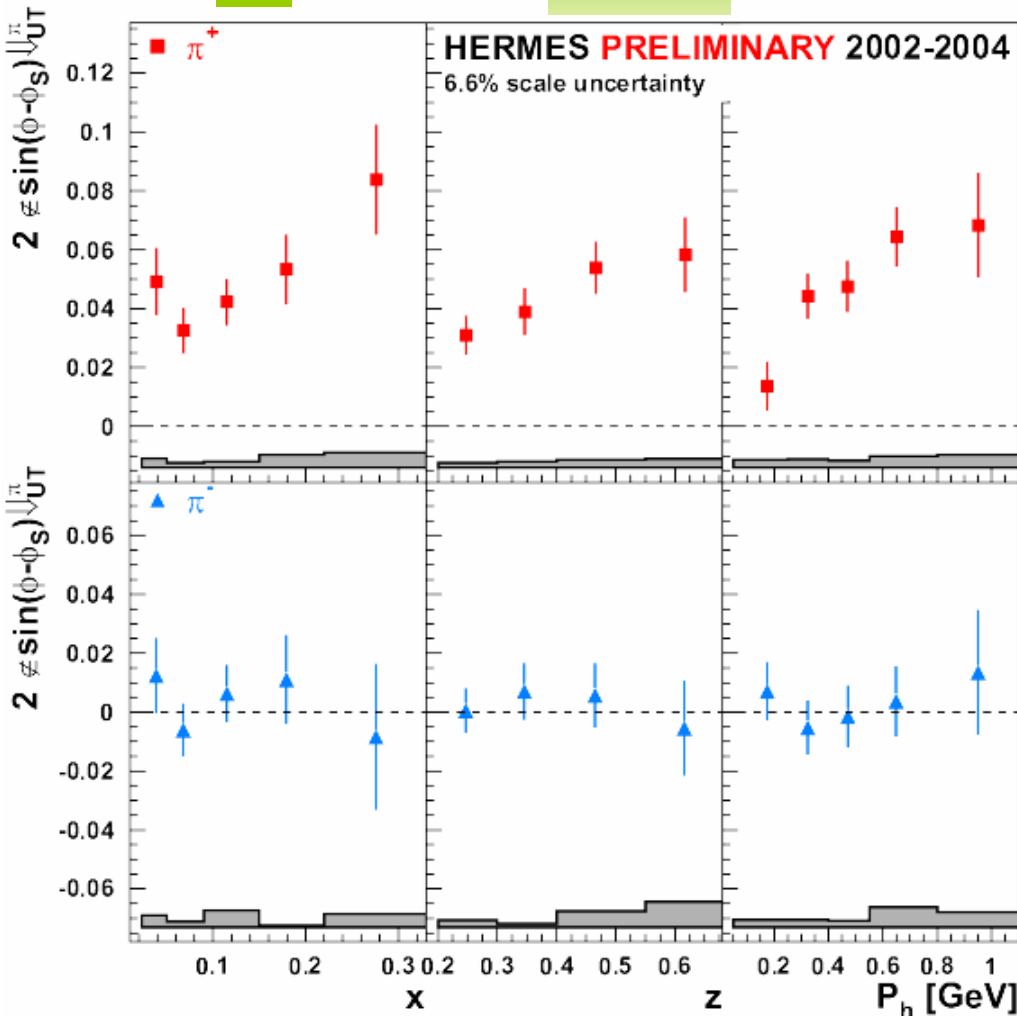
BELLE data fitted and asymmetry for Hermes calculated

→ **HERMES+BELLE**

**data in agreement ☺**

# Sivers moments $\pi^{+/-}$

$$A_{\text{siv}}(\phi - \phi_S) \propto f_{1T}^{\perp}(x) D_1(z)$$



- significantly positive  $\pi^+$  asymmetry  
 $\rightarrow$  requires non-zero orbital angular momentum

$\rightarrow$  first hint of naïve T-odd DF from DIS

$\rightarrow$  test of universality:

$$f_{1T}^{\perp}(x)_{\text{DIS}} = -f_{1T}^{\perp}(x)_{\text{DY}}$$

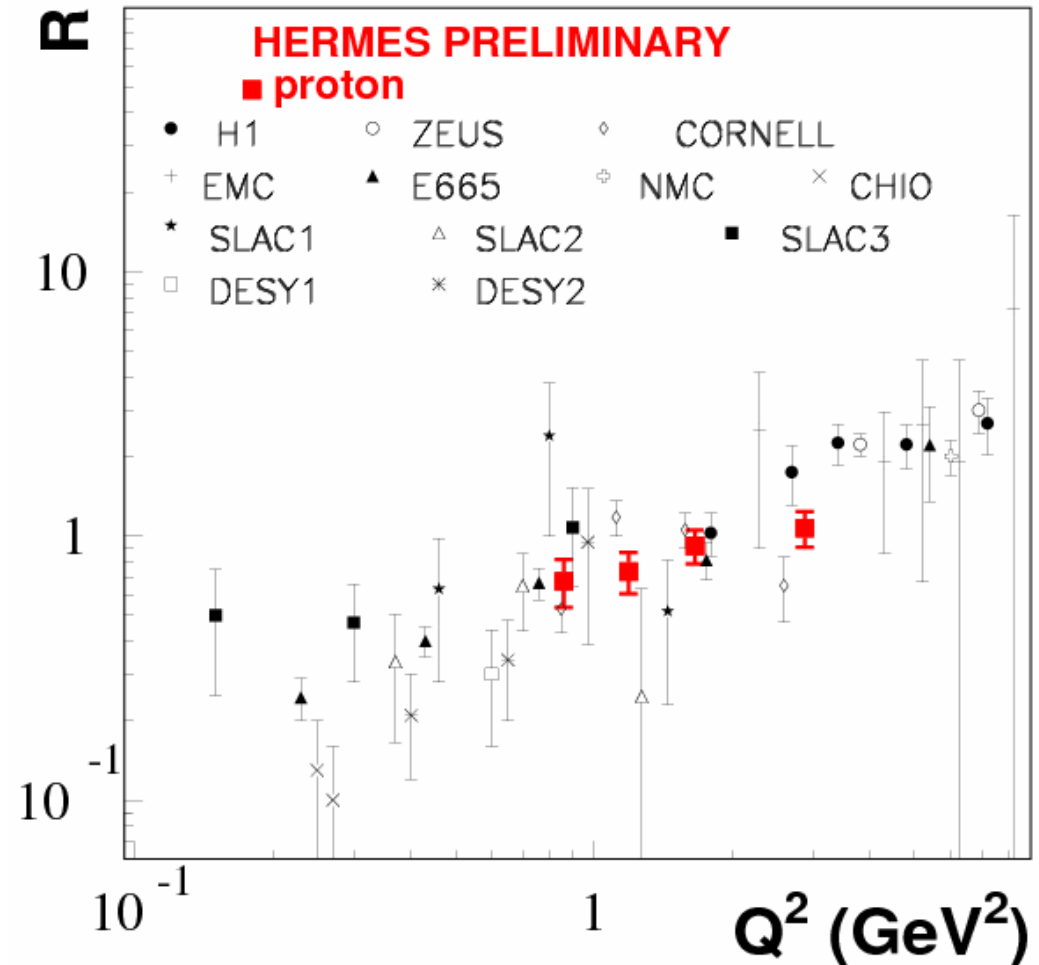
- $D_1$  known  $\rightarrow$  Sivers DF can be extracted from HERMES data !

# exclusive $\rho^0$ production

if SCHC holds  
(VM retains  $\gamma^*$  helicity):

$$R = \frac{\sigma_L}{\sigma_T} = \frac{1}{\epsilon} \frac{r_{00}^{04}}{1 - r_{00}^{04}}$$

→ at  $Q^2 = 2 \text{ GeV}^2$ ,  $\sigma_L = \sigma_T$



# template