
**Phase I: A Proposal for R&D Work on
a Trigger for $D^{*\pm} \rightarrow D^0 \pi^\pm \rightarrow h_1^+ h_2^- \pi^\pm$
Decays Using the *HERA-B* Detector**

**Phase II: An Experiment to Study *CP*
Violation and Mixing in the $D^0-\bar{D}^0$
System via $D^0 \rightarrow K^+ \pi^- / K^+ K^- / \pi^+ \pi^-$
Decays**

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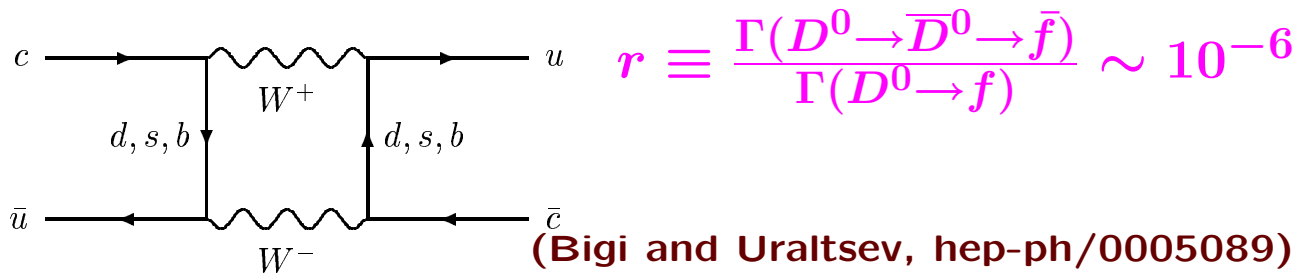
DESY PRC Meeting

DESY Hamburg

30 October 2003

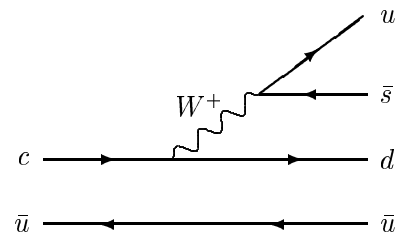
- mixing in the $D^0-\bar{D}^0$ system
- trigger scheme for *HERA-B*
- MC study of acceptance
- estimate of sensitivity to x'^2
- conclusion

Mixing in the $D^0-\bar{D}^0$ System



Flavor of D^0 at $t = 0$ is tagged via $D^{*+} \rightarrow D^0 \pi^+$;
 Flavor at t_{decay} is tagged via $D^0 \rightarrow K^+ \pi^-$ or $K^- \pi^+$

\Rightarrow contamination from DCS decays:



Separate mixing and DCS amplitudes via decay time dependence:

$$\frac{dN_{K^+\pi^-}}{dt} \propto \left[R + \sqrt{R} y' \left(\frac{t}{\tau} \right) + \frac{1}{4} (x'^2 + y'^2) \left(\frac{t}{\tau} \right)^2 \right] e^{-\Gamma t}$$

where

$$R = \Gamma(D^0 \rightarrow K^+ \pi^-) / \Gamma(D^0 \rightarrow K^- \pi^+)$$

$$x' = x \cos \delta + y \sin \delta$$

$$y' = y \cos \delta - x \sin \delta$$

and

$$x = \Delta m / \Gamma \quad y = \Delta \Gamma / 2\Gamma$$

$\delta =$ strong phase shift between DCS, CF modes

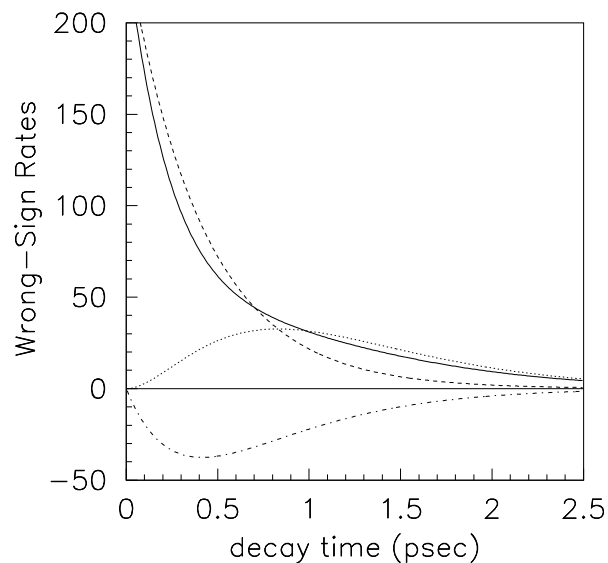
$$\frac{dN_{K^+\pi^-}}{dt} \propto \left[R + \sqrt{R} y' \left(\frac{t}{\tau} \right) + \frac{1}{4} (x'^2 + y'^2) \left(\frac{t}{\tau} \right)^2 \right] e^{-\Gamma t}$$

$$x' = x \cos \delta + y \sin \delta$$

$$y' = y \cos \delta - x \sin \delta$$

$$x = \Delta m / \Gamma \quad y = \Delta \Gamma / 2\Gamma$$

$\delta =$ strong phase difference



Previous Results

- CLEO 2000:
 45 ± 10 WS events, $x' = (0.0 \pm 1.5)\%$, $y' = (-2.3^{+1.3}_{-1.4})\%$
(stat. errors only)
- BaBar 2003: 430 WS events (57 fb^{-1})
 $x'^2 < 0.002$ or 0.0022 (95% C.L.), $y' = 0.008^{+0.014}_{-0.035}$ (95% C.L.)

A Trigger for $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$

- Conservation of 4-momentum: $P_\pi + P_{D^0} = P_{D^*}$
Squaring both sides gives:

$$2P_\pi \cdot P_{D^0} = m_{D^*}^2 - m_\pi^2 - m_{D^0}^2 = 0.544 \text{ (GeV}/c^2)^2$$

or: $P_\pi \cdot P_{D^0} = 0.272 \text{ (GeV}/c^2)^2$

- since the D^0 and π^+ resulting from the D^{*+} have very small momentum in the D^{*+} rest frame, the ratio of their momenta in the lab frame is:

$$\gamma(p_{D^0}^* + \beta E_{D^0}^*) / \gamma(p_\pi^* + \beta E_\pi^*) \approx \gamma \beta E_{D^0}^* / \gamma \beta E_\pi^* \approx m_{D^0} / m_\pi$$

This ratio is large: $1.865 / 0.139 = 13.4$

All information needed is available to the FLT.
Minimum bias data (December 2002 run):

	N	Fraction relative	absolute
Events read	10000	1.	1.
2 RSEGs in PC region, both accepted by iHPT or oHPT, $(q_1 \cdot q_2) = -1, p_{asym} < 0.70$	6812	0.681	0.681
kaon accepted by TC1	6703	0.984	0.670
$1.820 < m_{K\pi} < 2.010 \text{ GeV}/c^2$	1837	0.274	0.184
$10.0 < p_{rat} < 19.0$	1538	0.837	0.154
$p_{dot} < 0.32$	526	0.342	0.053
$\pi_s : x_{swm} < 18 \text{ cm}, y_{swm} < 18 \text{ cm}$	378	0.719	0.719
$ m_{K\pi} - m_{D^0} < 60 \text{ MeV}/c^2 \text{ (RTRA)}$	45	0.119	0.086
$10 < p_{rat} < 19 \text{ (RTRA)}$	42	0.933	0.080
$p_{dot} < 0.32 \text{ (RTRA)}$	37	0.881	0.070

Trigger Cont'd

Summary:

- FLT rejection is 20 (1 MHz \rightarrow 50 kHz)
- SLT rejection is 14.2 (50 kHz \rightarrow 3.5 kHz)

Current event logging rate: ~ 200 Hz. Can this be increased to 1 kHz? If so, then SLT would need only another factor of 3.5

\Rightarrow use impact parameter trigger a la FNAL SELEX (600 GeV Σ^- beam on Cu, C. $IR \approx 4$ kHz):

- trigger finds tracks in PWC's, extrapolates them upstream into silicon vertex detector.
- hits found in the vertex detector are used to reconstruct (straight) silicon tracks, which are fit to a common primary vertex. If fit has reasonable χ^2 , and all tracks are included, event is rejected. If χ^2 is large, event is kept.

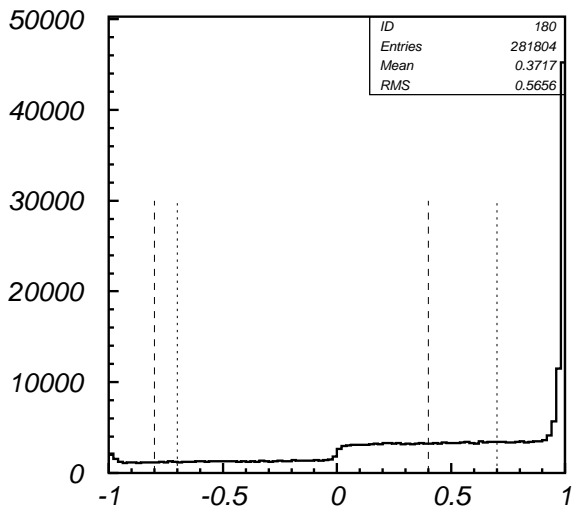
Minimum bias rejection factor: 8

Typical charm decay efficiency: 0.5

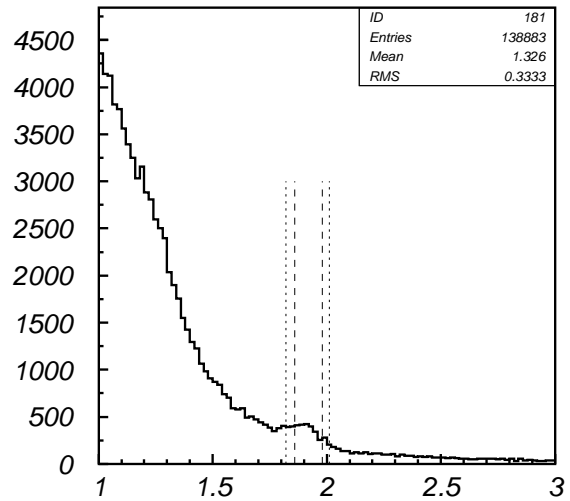
\Rightarrow we assume the SLT could make an impact parameter cut to obtain factor of 3.5 rejection; further study needed. Assume $\varepsilon_{i.p.} = 0.5$

Trigger Cont'd

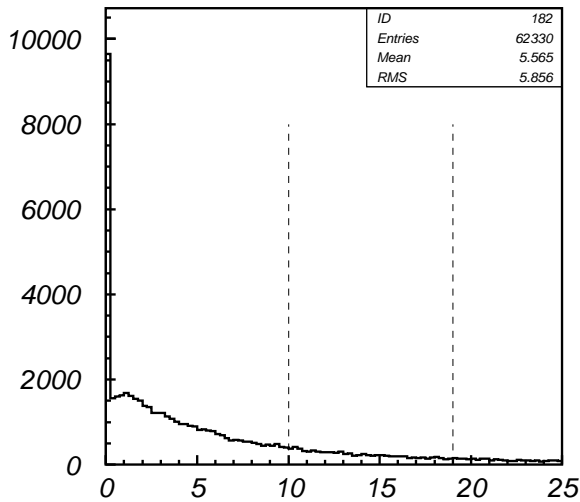
Minimum bias, RSEG quantities:



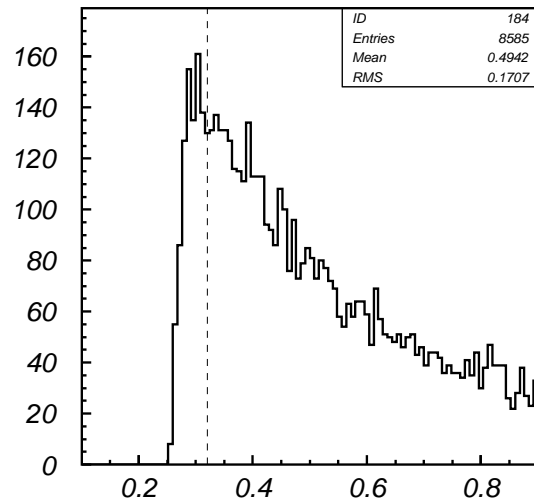
p asymmetry pcinfo



invariant mass pcinfo



prat pcinfo



pdot pcinfo fine

MC Acceptance + Efficiencies

Calculate efficiencies in “reverse” order:

- Require fully reconstructed $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$ decays passing p_{asym} , $m_{K\pi}$, p_{rat} , p_{dot} cuts with RTRA quantities. Note: π_s uses PC RSEG + rgauxsmv
- From this sample require SLT-level requirements: π_s track is swum back through the magnetic field, and $|x_{(z=0)}| < 18$ cm, $|y_{(z=0)}| < 18$ cm.
- From this sample require FLT-level requirements: all three tracks accepted by PC (+ HPT chambers), K accepted by TC1, $K + \pi$ pass p_{asym} , $m_{K\pi}$, p_{rat} , p_{dot} cuts calculated using PC RSEGs plus formula:

$$\frac{q}{p} \approx - \frac{(x - z \cdot \theta_x) \sqrt{1 + \theta_x^2}}{(2200 \cdot 0.00029975 \cdot 450) \sqrt{1 + \theta_x^2 + \theta_y^2}}$$

(RECONSTRUCTION)	N	Fraction	
		relative	absolute
Events generated	10000		
Number $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$	12671	1.	1.
K^- track reconstructed (in RTRA)	3988	0.315	0.399
π^+ track reconstructed (in RTRA)	1488	0.373	0.149
π_{slow} segment reconstructed (in RSEG)	1176	0.790	0.118
$ m_{K\pi} - m_{D^0} < 60$ MeV/ c^2	1030	0.876	0.103
$10.0 < p_{rat} < 19.0$	978	0.950	0.098
$p_{dot} < 0.32$	888	0.908	0.089

MC Efficiencies Cont'd

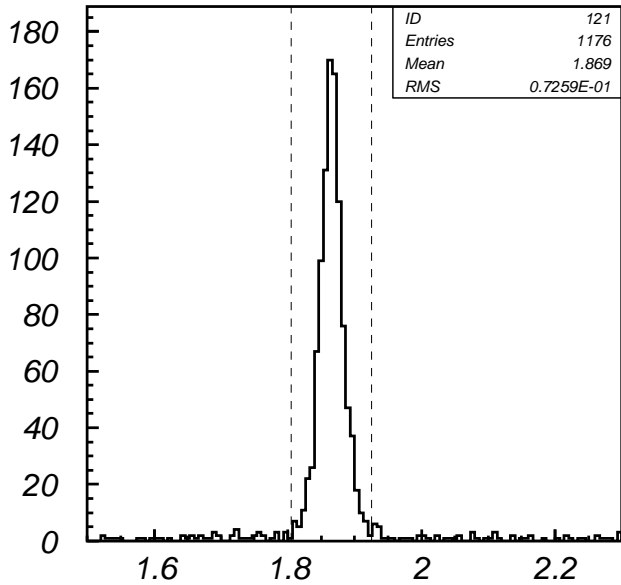
(TRIGGERING)	N	Fraction	
		relative	absolute
Reconstructed $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$	888		
π_s $ x_{swm} < 18$ cm, $ y_{swm} < 18$ cm	861	0.970	1.0
K^- track accepted by PC1-PC4 and TC1	632	0.734	
π^+ track accepted by PC1-PC4	681	0.791	
π_{slow} track accepted by PC1-PC4	839	0.974	
all 3 tracks accepted (FLT tracking)	502	0.583	0.583
K^- track accepted by inner/outer HPT1-3	466	0.928	
π^+ track accepted by inner/outer HPT1-3	458	0.912	
π_{slow} track accepted by inner/outer HPT1-3	351	0.699	
all 3 tracks accepted (HPT pretrigger)	304	0.606	0.353
RSEGs satisfy $ p_{asym} < 0.70$	281	0.924	0.326
$1.820 < m_{K\pi} < 2.010$ GeV/ c^2	225	0.801	0.261
$10 < p_{rat} < 19$	214	0.951	0.249
$p_{dot} < 0.32$	204	0.953	0.237

Other factors:

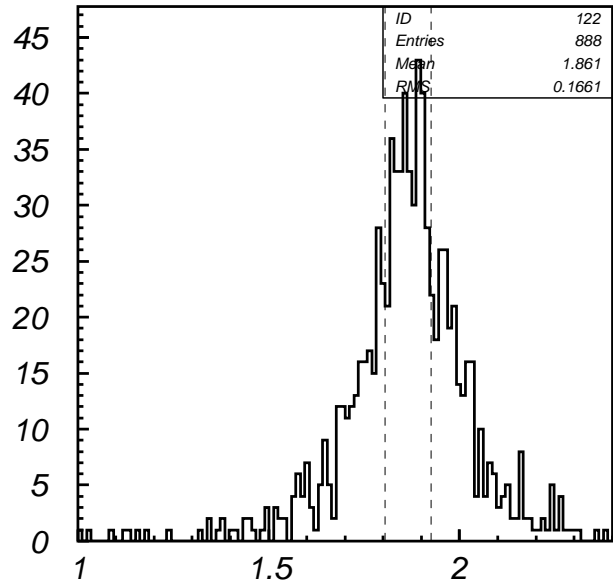
- SLT impact parameter requirement: 0.50
- SLT tracking efficiency: $(0.90)^3 = 0.73$
- FLT tracking efficiency: $(0.70)^3 = 0.34$
- requiring hits in PC2 and PC3: $(0.95)^3 = 0.74$
- HPT chambers: $(0.95)^9 = 0.63$
- HPT optical links, pretrigger algorithm: 0.50
- offline analysis cuts: 0.27
 - lifetime cut (0.7), RICH PID (0.7),
 - track quality/point-back (0.8),
 - vertex quality/misc (0.7)

MC Efficiencies Cont'd

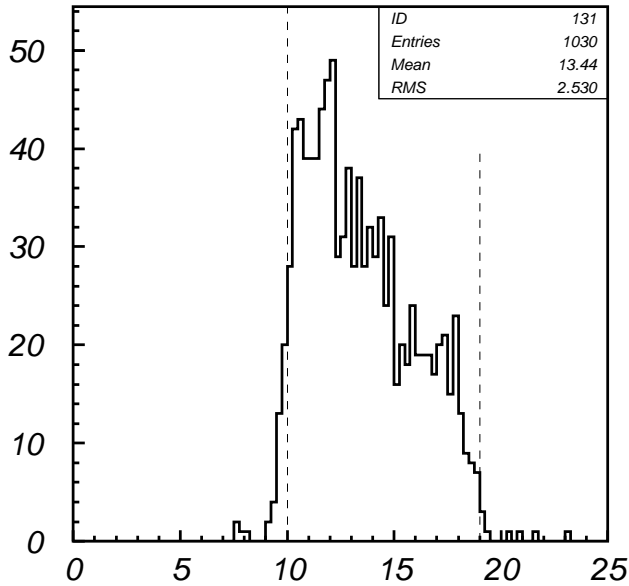
MC $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$, RTRA quantities:



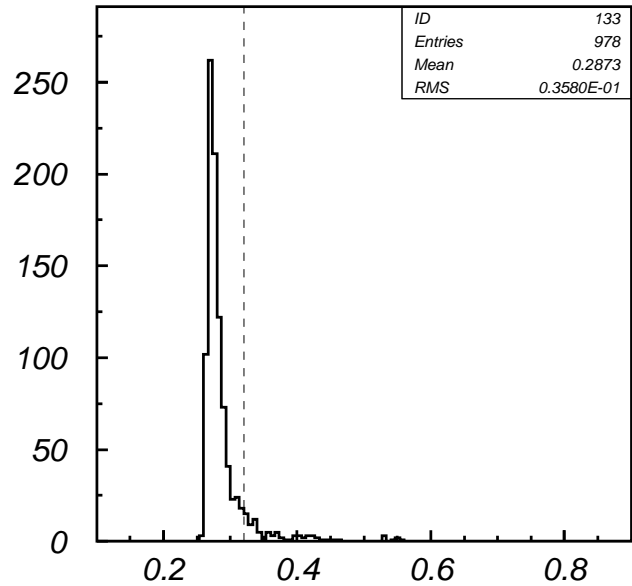
invariant mass rtra



invariant mass rev rtra



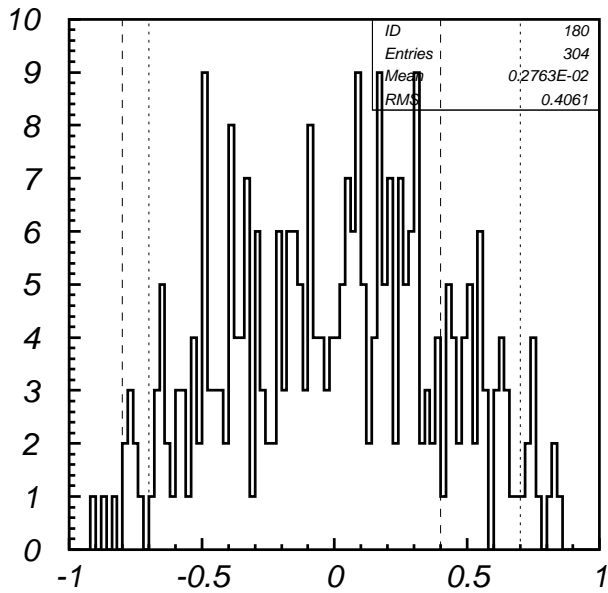
prat rtra



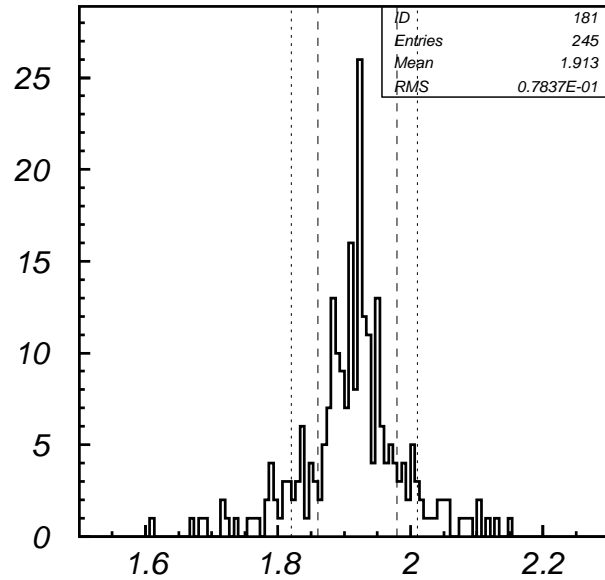
pdot rtra

MC Efficiencies Cont'd

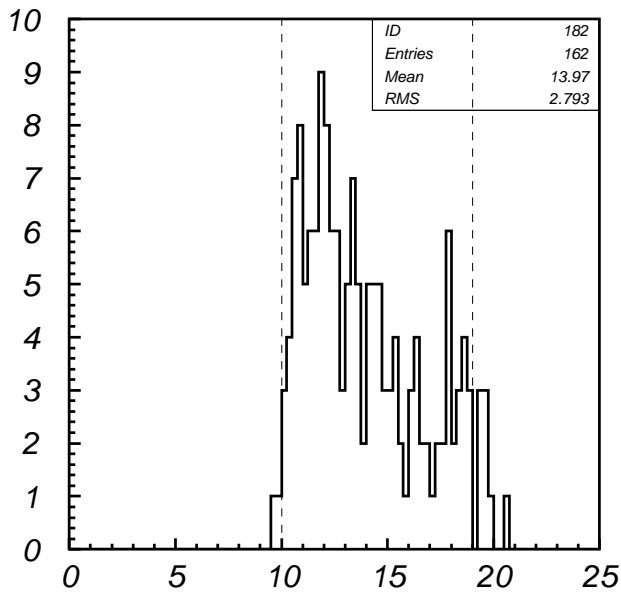
MC $D^{*+} \rightarrow D^0 \pi^+ \rightarrow K^+ \pi^- \pi^+$, RSEG quantities:



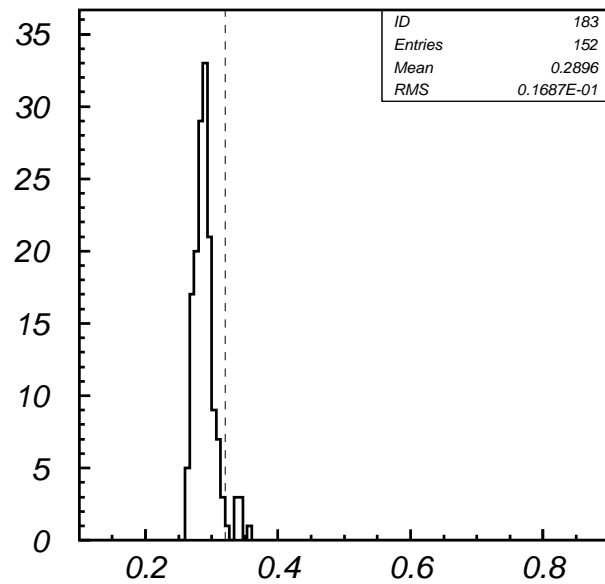
p asymmetry pcinfo



invariant mass pcinfo



prat pcinfo



pdot pcinfo

Estimated Event Yield

- $$\frac{\sigma(pN \rightarrow D^* + X)}{\sigma(pp)_{inel}} = \frac{158 \pm 63^{+25}_{-32} \mu\text{b (A. Gorisek)}}{34 \text{ mb (PDG)}} = 4.7 \times 10^{-3}$$

- $$\text{Multiply by: } \left\{ \begin{array}{l} A^{1/3} = 2.3 \text{ (C)} \\ B_{D^{*+} \rightarrow D^0 \pi^+} = 0.683 \\ IR = 10^6 \text{ Hz} \end{array} \right\}$$

- Multiply by the following efficiencies:

- acceptance + reconstruction: 0.0888
- SLT: $0.97 \times 0.5 \times (0.90)^3 = 0.35$
- FLT: $0.583 \times 0.606 \times 0.671 \times (0.70)^3 \times 0.74 = 0.060$
- HPT: $(0.95)^9 \times 0.5 = 0.32$
- Offline: $0.7 \times 0.7 \times 0.8 \times 0.7 = 0.27$

Mode	Branching fraction (%)	Yield (2 years)	Est. BaBar/Belle yield (350 fb^{-1})
$D^0 \rightarrow K^- \pi^+$	3.85	0.91×10^6	1.01×10^6
$D^0 \rightarrow K^+ K^-$	0.412	98 000	97 000
$D^0 \rightarrow \pi^+ \pi^-$	0.143	34 000	43 000
$D^0 \rightarrow K^+ \pi^-$	0.0138	3300	3020

(Old) Toy MC Study

- Generate 6000 events with a lifetime distribution

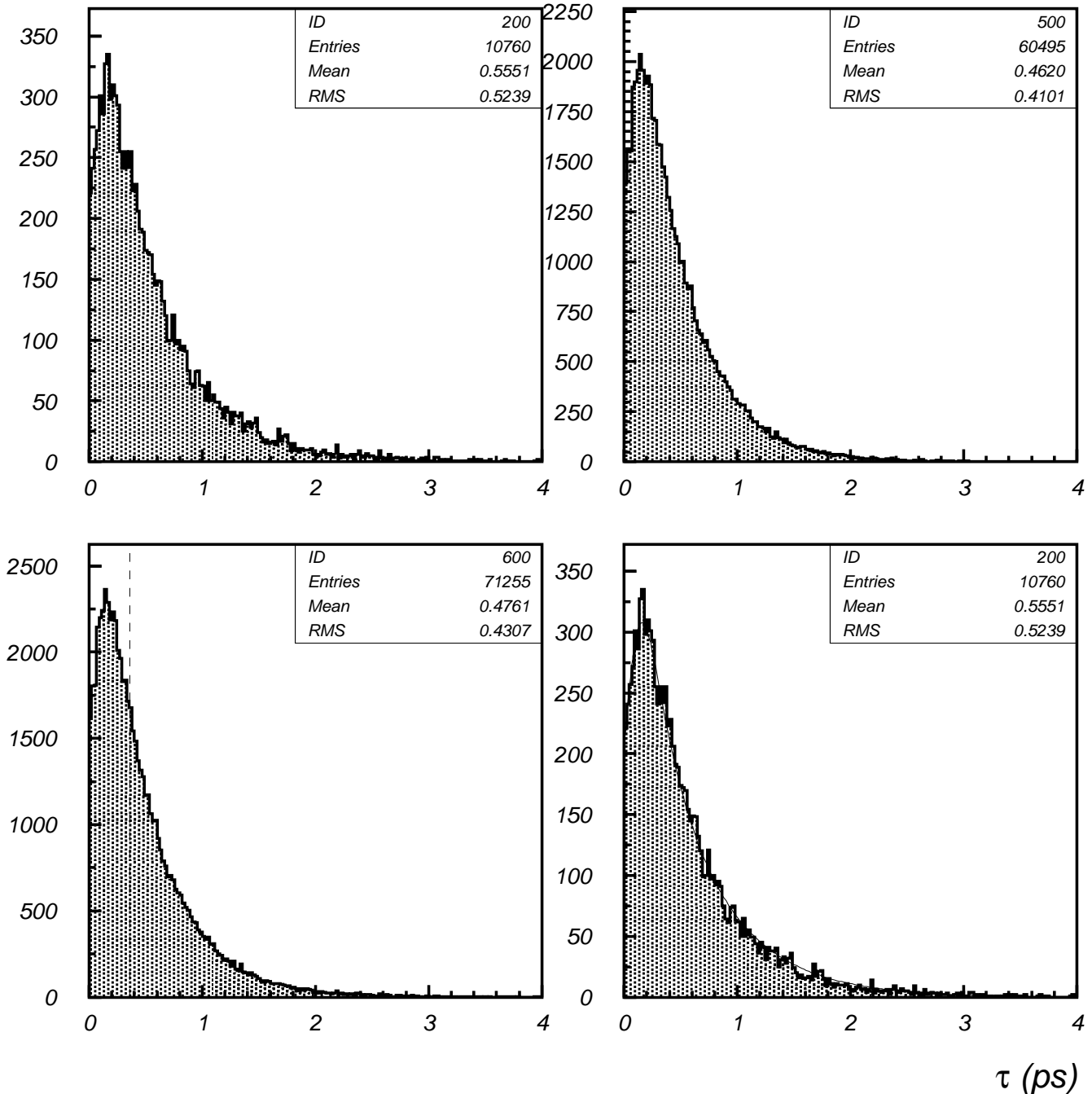
$$dN/dt = \left[R + \sqrt{R} y' \left(\frac{t}{\tau} \right) + \frac{1}{4} (x'^2 + y'^2) \left(\frac{t}{\tau} \right)^2 \right] e^{-\Gamma t}$$

and smear by resolution $\sigma \approx 120$ fs.

- Generate background events with a lifetime distribution $dN/dt = e^{-t/\tau_{D^0}}$ (since main backgrounds are D^0 double-mis-ID and $D^0 +$ random π^+) and smear by resolution σ . Take $S/B = 0.20$ (similar to FNAL E791).
- combine background and signal samples, make lifetime cut (360 fs), and do an unbinned ML fit for x'^2 . Plot likelihood function and take points where $-\ln(\mathcal{L})$ rises by 0.5 as 1σ errors
- repeat for “Babar sample” of 1920 events with $\sigma = 220$ fs, $S/B = 3$: do ML fit and find 1σ errors.

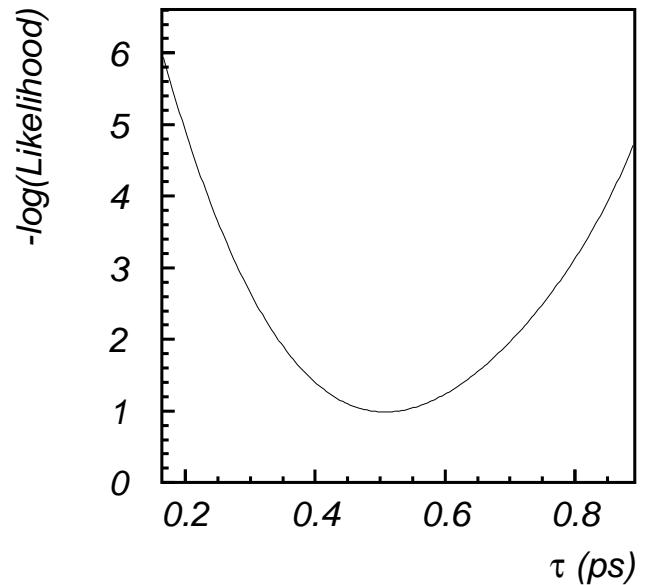
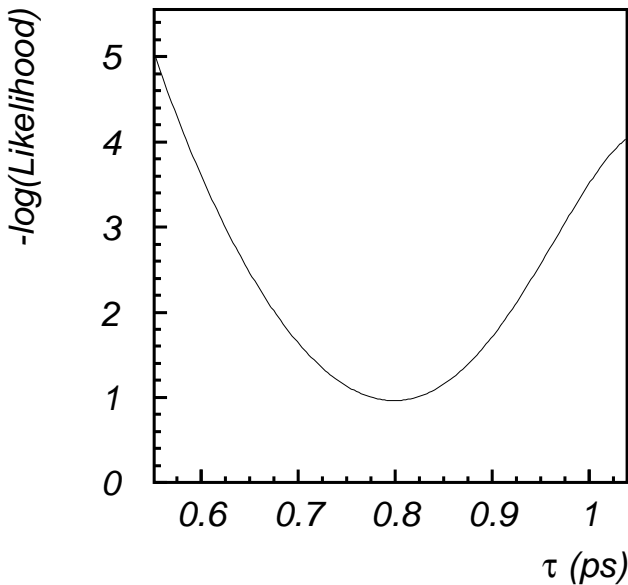
Toy MC Study Cont'd

$x'^2 = 0.001$, $N_s = 6000$, $S/B = 0.20$, $\sigma = 120$ fs,
 $\tau_{cut} = 0.36$ ps:



Results for x'^2

Generated x'^2 ($\times 10^{-3}$)	Fit result for <i>HERA-B</i> sample	Fit result for <i>BaBar</i> sample
0.4	0.67 ± 0.08	$0.33^{+0.11}_{-0.10}$
0.6	0.80 ± 0.08	$0.51^{+0.13}_{-0.12}$
0.8	$0.93^{+0.10}_{-0.09}$	$0.70^{+0.15}_{-0.14}$
1.0	1.06 ± 0.10	$0.89^{+0.17}_{-0.15}$
1.2	1.19 ± 0.11	$1.09^{+0.17}_{-0.16}$
1.4	$1.35^{+0.12}_{-0.11}$	1.31 ± 0.18



⇒ further study needed

Conclusions

- The *HERA-B* detector could be used to collect a competitive sample of tagged **SCS** $D^0 \rightarrow K^+K^-/\pi^+\pi^-$ and **DCS** $D^0 \rightarrow K^+\pi^-$ decays. These would be used to measure/constrain the mixing parameters x', y', y and search for *CP* violation in the $D^0-\bar{D}^0$ system. CLEO-c cannot do this measurement; CDF/D0 probably cannot due to marginal PID.
- The statistical errors obtained for x' and y' would be substantially smaller than the current errors (Babar, hep-ex/0304007)
- The sensitivity to x' and y' would be comparable to theoretical predictions (hep-ph/0005089); i.e, the experiment could possibly *observe* mixing.
- The statistical errors for $S/B = 1/5$ would be similar to those obtained by Belle/Babar in 2005. Systematic errors would be different.
- Technical needs:
 - new FLT TDU board needed
 - new HPT pretrigger coincidence board probably needed
 - event-logging rate must be increased to ~ 1 kHz.